

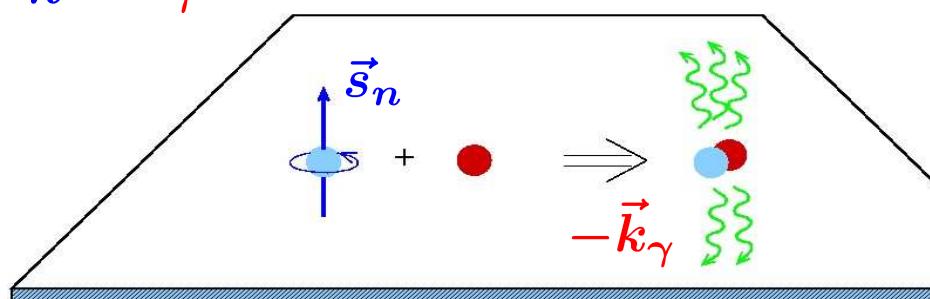
# Parity Violation and the Neutron

the ‘real’ world

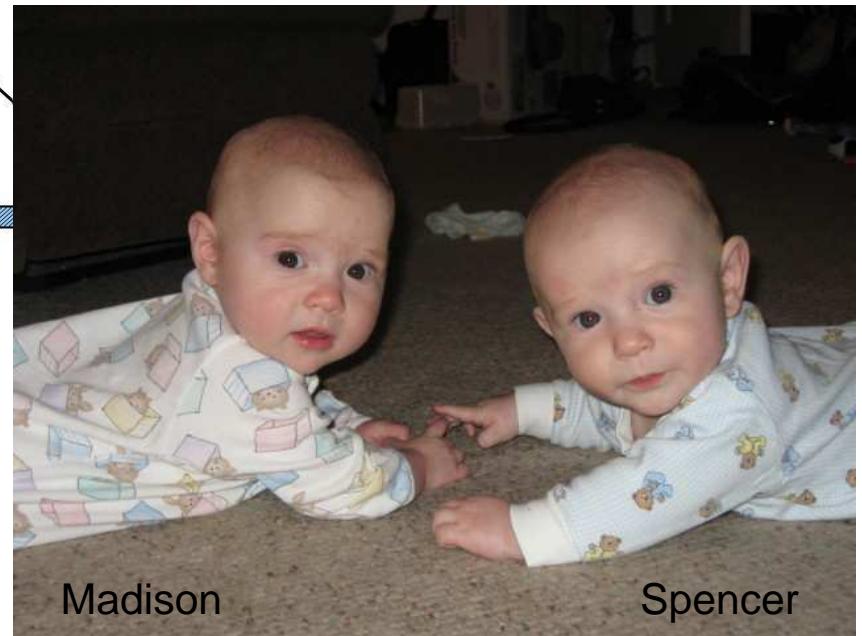
$$A_\gamma \approx \vec{s}_n \cdot \vec{k}_\gamma$$

# Christopher Crawford

# University of Tennessee

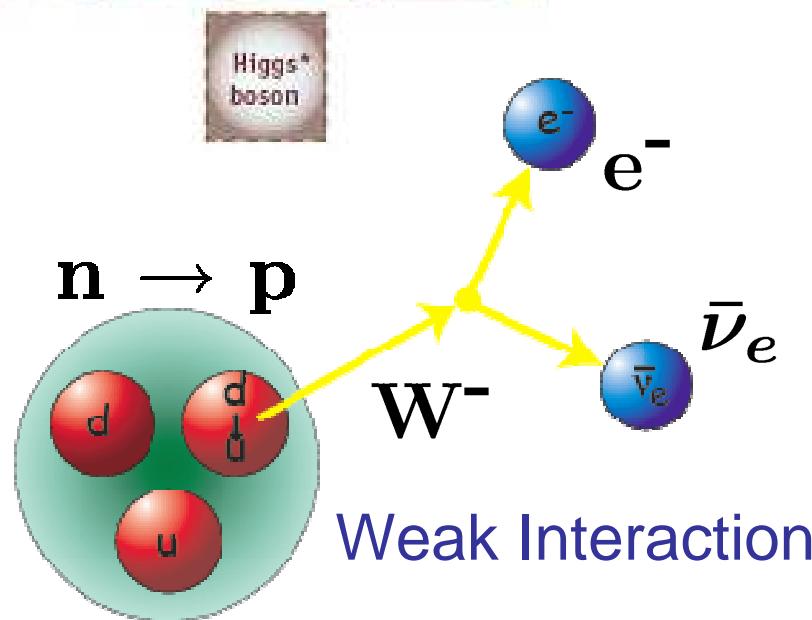


- symmetries and interactions
  - properties of the neutron
  - the NPDGamma experiment

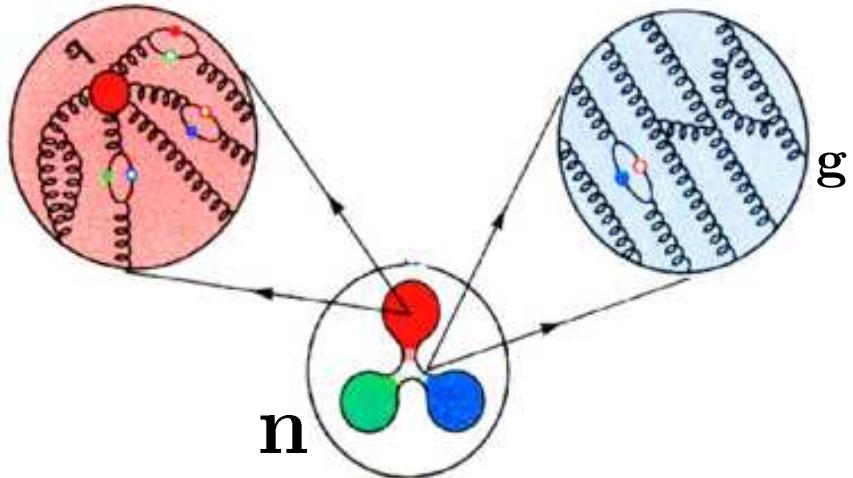


# Standard Model of Particles

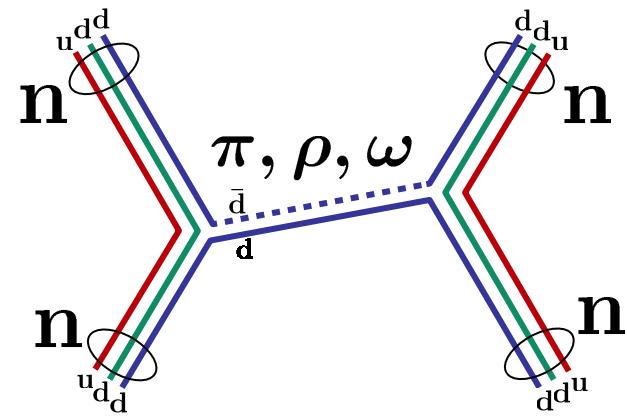
Fermions			Bosons	
Darks	u up	c charm	t top	$\gamma$ photon
	d down	s strange	b bottom	Z boson
Leptons	$\nu_e$ electron neutrino	$\nu_\mu$ muon neutrino	$\nu_\tau$ tau neutrino	W boson
	e electron	$\mu$ muon	$\tau$ tau	g gluon



Weak Interaction



Strong Interaction



Hadronic Interaction  
(residual nuclear force)

# Standard Model of Automobiles



Degenerate Fermi Gas



Annihilation



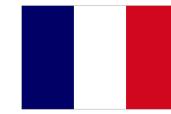
Higgs?



Particle Decay

QuickTime™ and a decompressor are needed to see this picture.

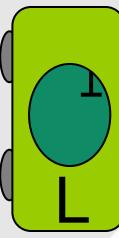
# Car Symmetries



T (time)

Reverse Operator

100  
km/h

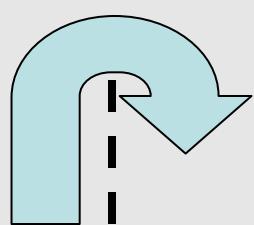


I'm coming  
home ...

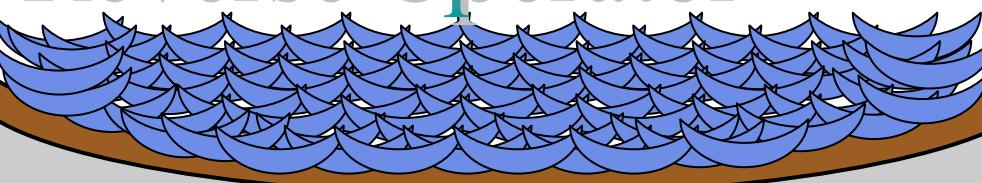
U-turn Operator

Be careful, some idiot's  
going the wrong way  
on the freeway.

CPT theorem: ALL laws are invariant under CPT



km/h  
99.7



P (parity)

100  
km/h



Only one? They're  
all over the place!

# **Parity-violation in weak interaction (1956)**

*Parity-transformation ( $P$ ) :  $\vec{r} \rightarrow -\vec{r}$*



T. D. Lee



C. N. Yang

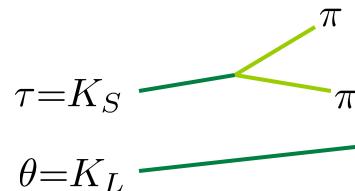
October 1, 1956 issue of the Physical Review

# History of Parity Violation

- 1956: Lee & Yang postulated PV to explain  $\tau$ - $\theta$  puzzle

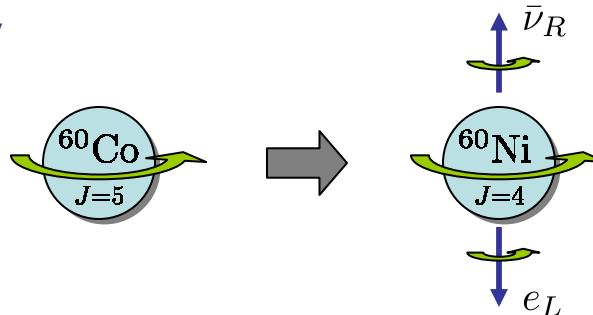
$$|K_S^0\rangle = \frac{1}{\sqrt{2}} \{ |K^0\rangle - |\bar{K}^0\rangle \}$$

$$|K_L^0\rangle = \frac{1}{\sqrt{2}} \{ |K^0\rangle + |\bar{K}^0\rangle \}$$



- 1957: Wu *et al.* observed PV in pol.  $^{60}\text{Co}$  beta decay

$$\vec{J} \cdot \vec{k}_e$$



- 1964: Cronin & Fitch *et al.* observed CPV in the  $K_L$ ,  $K_S$  system

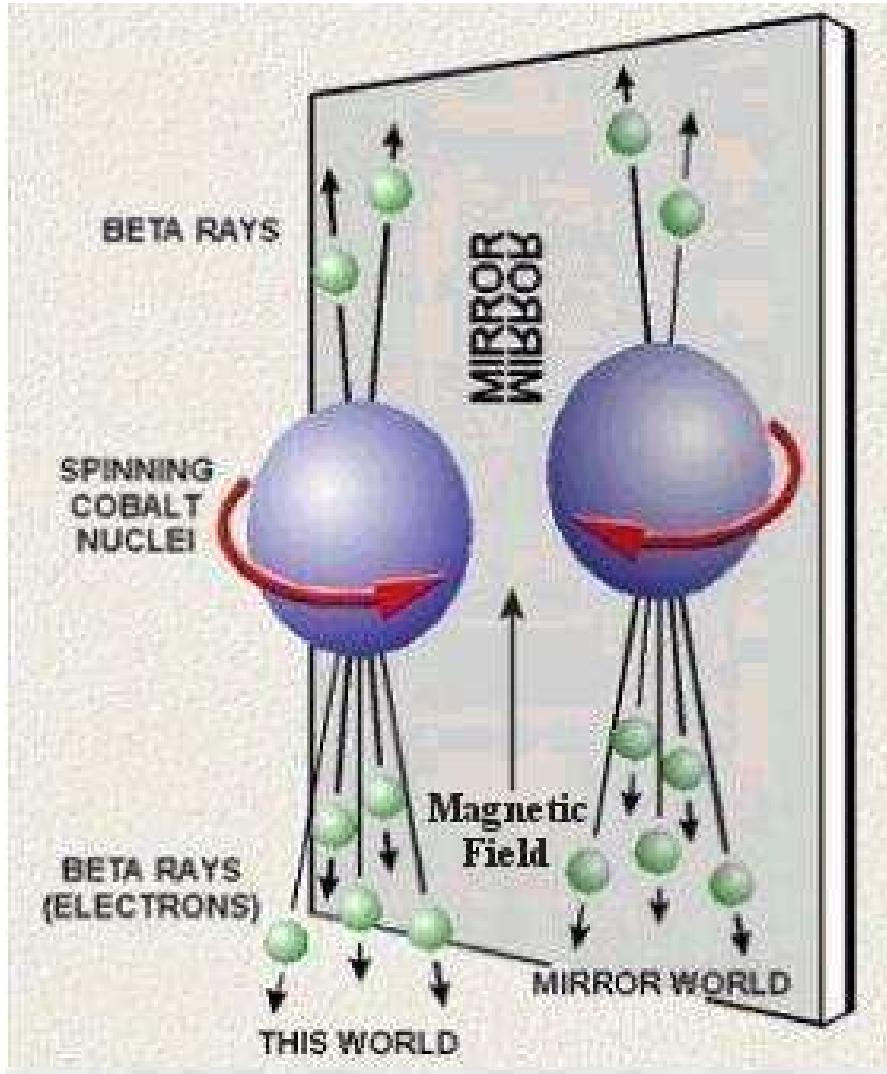
$$\text{B.R.}( K_L^0 \rightarrow \pi^+ + \pi^- ) = 0.28\%$$

$$\frac{K_L^0 \rightarrow e^+ + \pi^- + \nu}{K_L^0 \rightarrow e^- + \pi^+ + \bar{\nu}} = 1.00668(28)$$

- 1951: Julian Schwinger: CPT theorem (based on Lorentz invariance)



Madame C.S. Wu

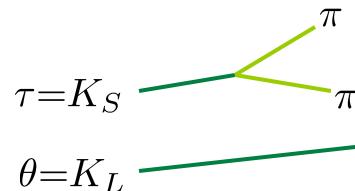


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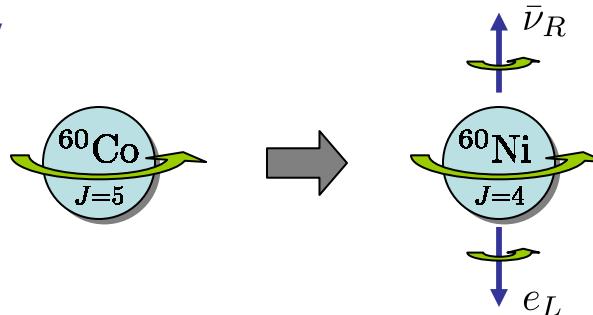
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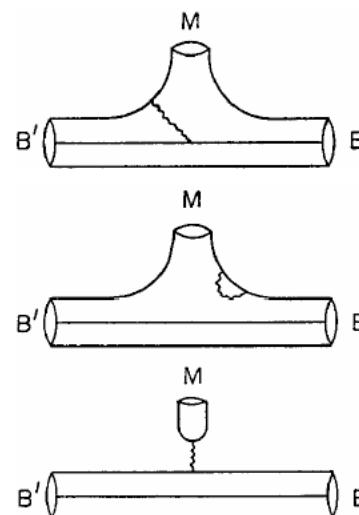
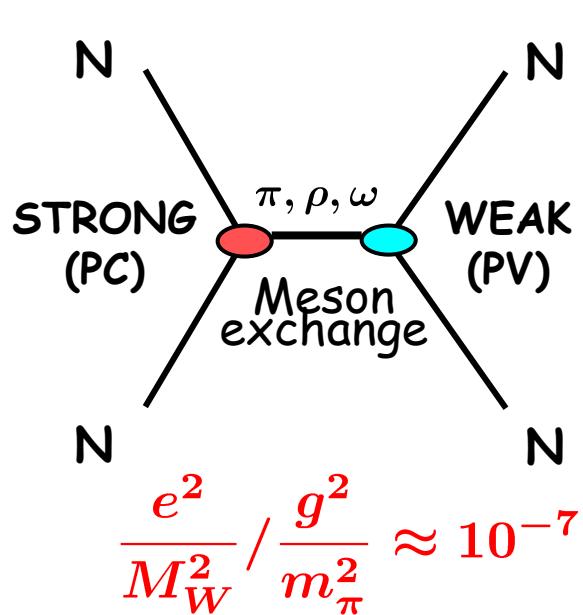
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- 1951: Julian Schwinger: CPT theorem (based on Lorentz invariance)

T violation

# Hadronic Weak Interaction

- Desplanques, Donahue, & Holstein (DDH) formalism:
  - 6 meson-nucleon coupling constants: range + isospin structure
  - pion channel dominated by neutral current ( $Z^0$ )
  - PV effects: interference between strong and weak vertex
- other treatments:
  - partial waves, chiral perturbation theory, lattice QCD



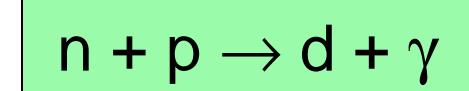
Cabibbo model	Reasonable range	"Best" value
$f_\pi$	$0 \rightarrow 1$	0.5
$h_\rho^0$	$15 \rightarrow -64$	-25
$h_\rho^1$	$0 \rightarrow -0.7$	-0.4
$h_\rho^2$	-58	-58
$h_\omega^0$	$6 \rightarrow -22$	-6
$h_\omega^1$	$0 \rightarrow -2$	-1

Amplitudes are in units of  $g_\pi = 3.8 \times 10^{-8}$ .

# Why Study Hadronic PV?

- probe of atomic, nuclear, and hadronic systems
  - map out coupling constants
  - resolve  $^{18}\text{F}$ ,  $^{133}\text{Cs}$  discrepancy
  - probe nuclear structure effects
  - anapole and  $\text{qq}$  contributions to PV electron scattering
- probe of QCD in low energy non-perturbative regime
  - confinement, many-body problem
  - sensitive to  $\text{qq}$  correlations
  - measure QCD modification of  $\text{qqZ}$  coupling

	$\text{np } A_\gamma$	$\text{nD } A_\gamma$	$\text{np } \phi$	$\text{n}\alpha \phi$	$\text{pp } A_z$	$\text{p}\alpha A_z$
$f_\pi$	-0.11	0.92	-3.12	-0.97		-0.34
$h_p^0$		-0.50	-0.23	-0.32	0.08	0.14
$h_p^1$	-0.001	0.10		0.11	0.08	0.05
$h_p^2$		0.05	-0.25		0.03	
$h_\omega^0$		-0.16	-0.23	-0.22	0.07	0.06
$h_\omega^1$	-0.003	-0.002		0.22	0.07	0.06
	n-capture		spin rotation		elastic scattering	



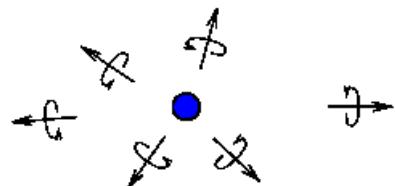
$$\begin{aligned} A_\gamma = & -0.11 f_\pi \\ & + -0.001 h_p^1 \\ & + -0.003 h_\omega^1 \end{aligned}$$

# Existing Measurements

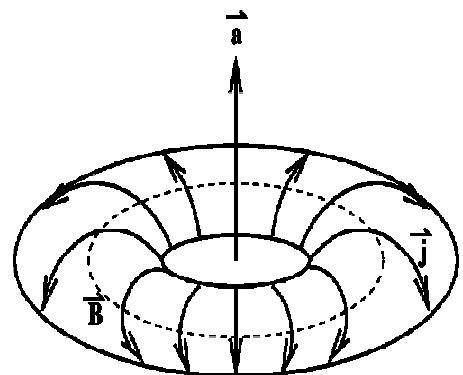
Polarized proton scattering asymmetries



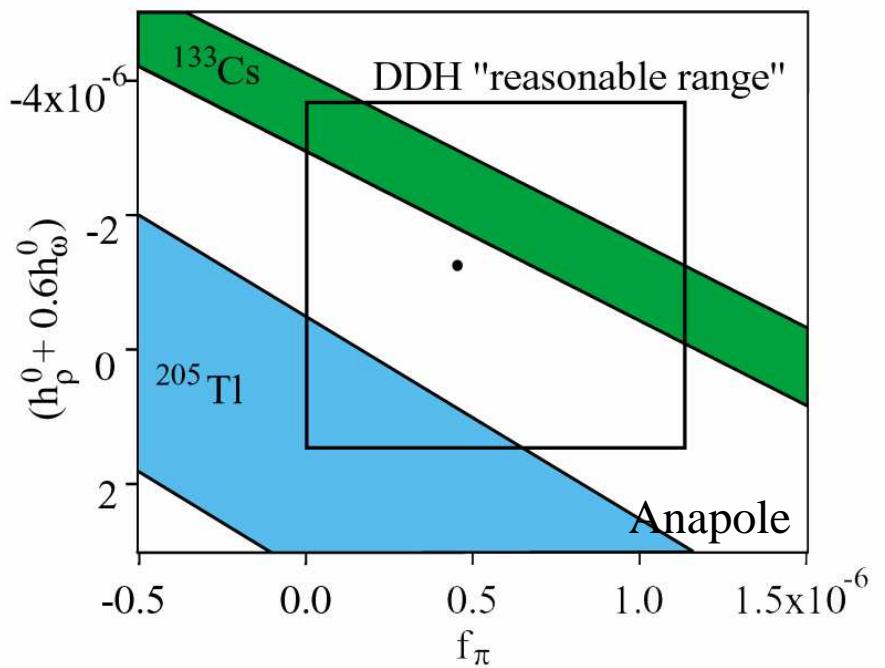
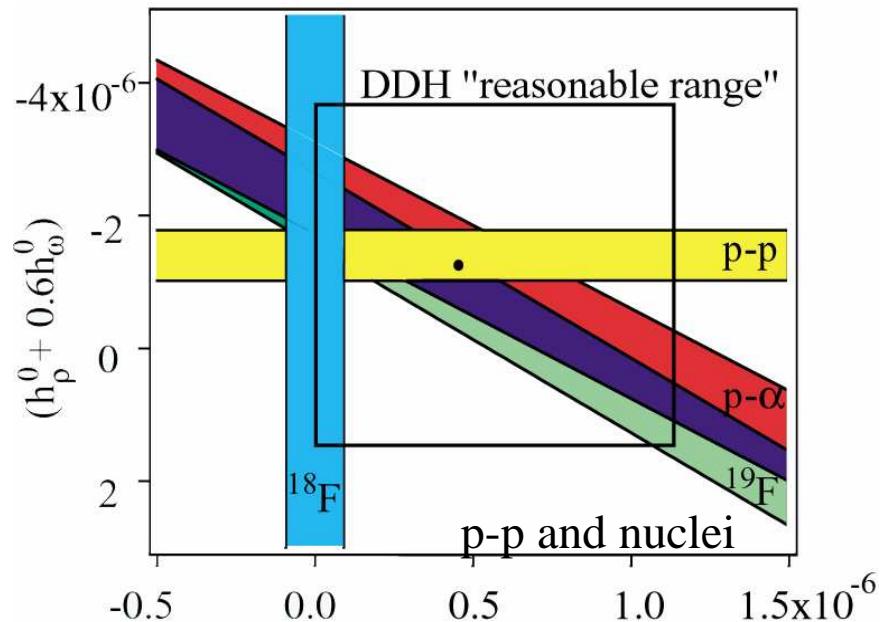
Light nuclei gamma transitions  
(circular polarized gammas)



Nuclear anapole moment  
(from laser spectroscopy)



$$\vec{a} = - \int d^3r \ r^2 \vec{j}(r)$$



# Properties of the Neutron

$$m_n = m_p + m_e + 782 \text{ keV}$$

$$\tau_n = 885.7 \pm 0.8 \text{ s}$$

$$q_n < 2 \times 10^{-21} \text{ e}$$

$$d_n < 3 \times 10^{-26} \text{ e cm}$$

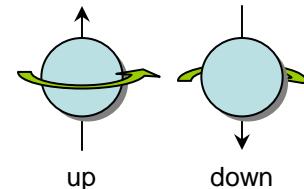
$$\mu_n = -1.91 \mu_N$$

$$r_m = 0.889 \text{ fm}$$

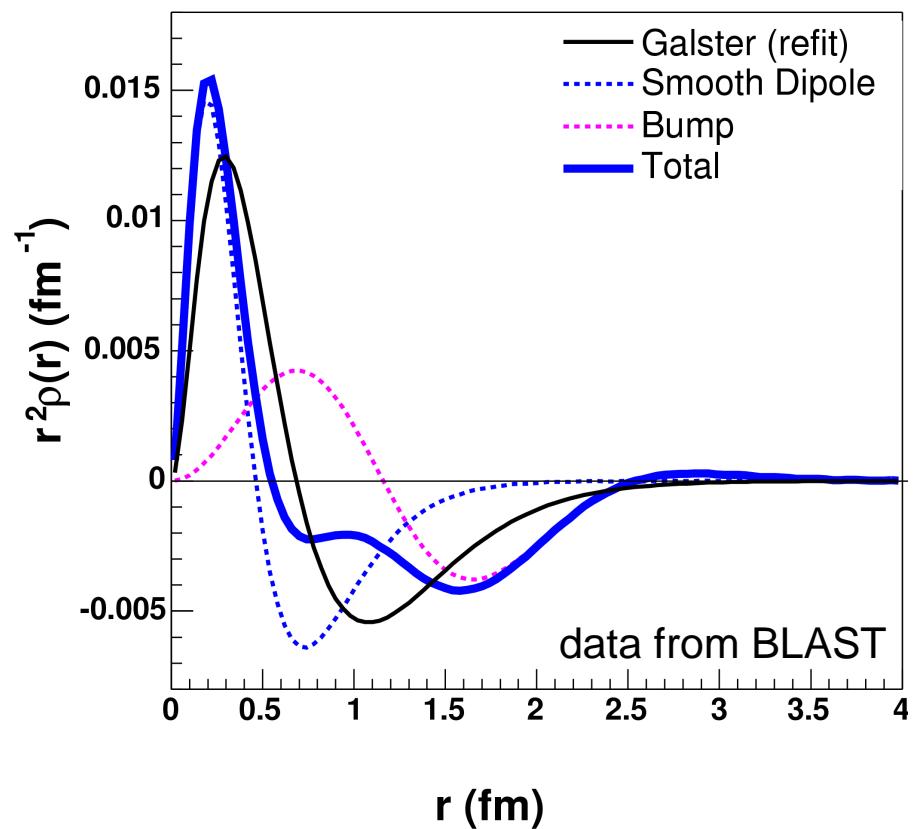
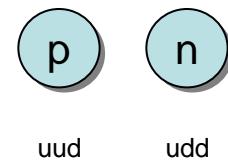
$$r_e^2 = -0.116 \text{ fm}^2$$

- 3 valence quarks + sea
- exponential magnetization distribution
- pion cloud:  $n \leftrightarrow p + \pi^-$

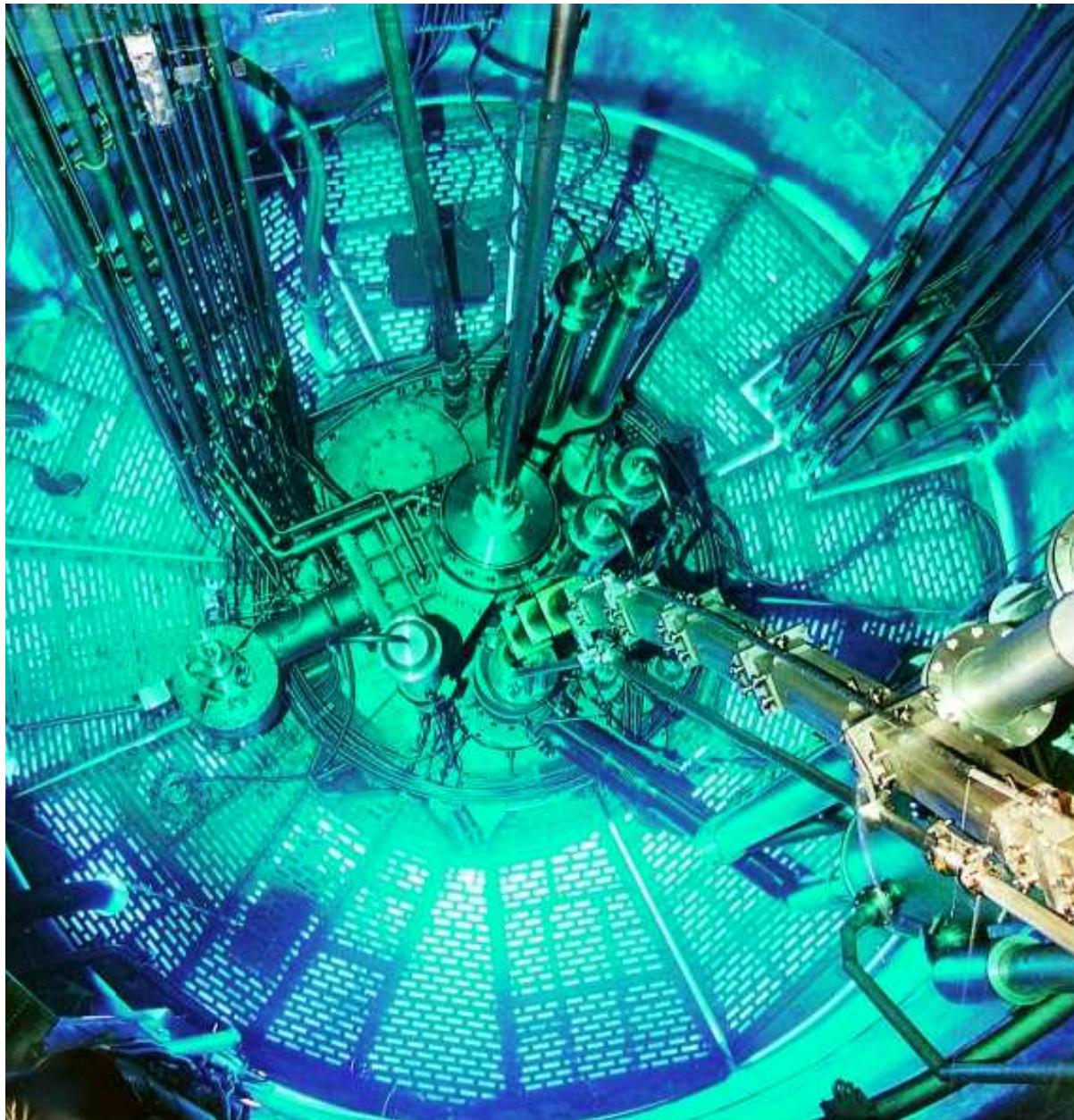
spin 1/2



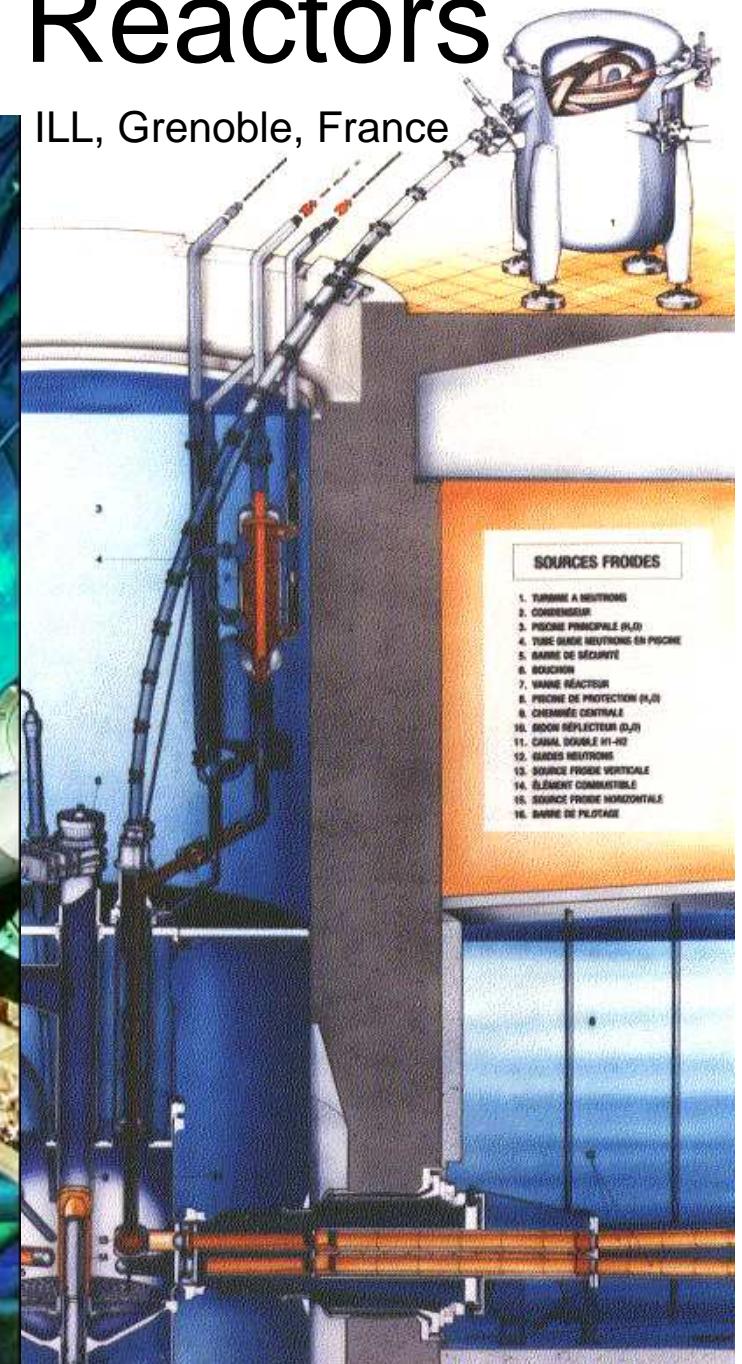
isospin 1/2



# Neutron sources - Reactors



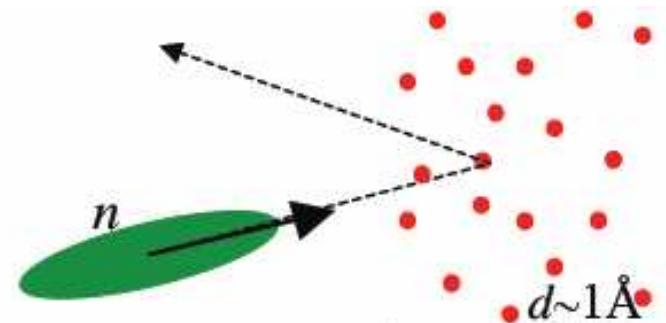
ILL, Grenoble, France



# Guides - neutron optical potential

## Fermi pseudopotential

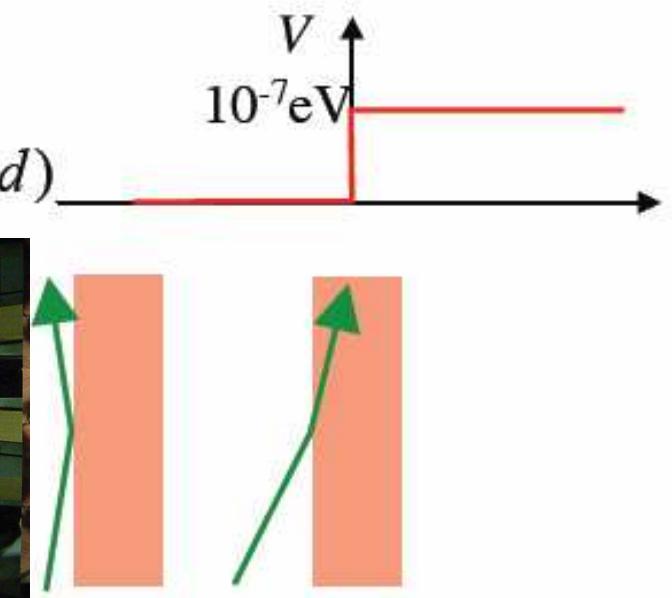
$$V(\mathbf{r}) = \frac{2\pi\hbar^2}{m_n} b \delta(\mathbf{r} - \mathbf{r}_0) \quad b = b_{\text{coh}} + i b_{\text{abs}}$$



When  $\lambda_n > d$ , neutron scatters from many atoms/nuclei at once: similar to light scattering from transparent or metallic surfaces: reflection & refraction

## ⇒ Potential of wall

$$V(\mathbf{r}) = \frac{2\pi\hbar^2}{m_n} \sum_j b_j \delta(\mathbf{r} - \mathbf{r}_j) = u_0 \theta(x) \quad (\lambda > d)$$



## Index of refraction

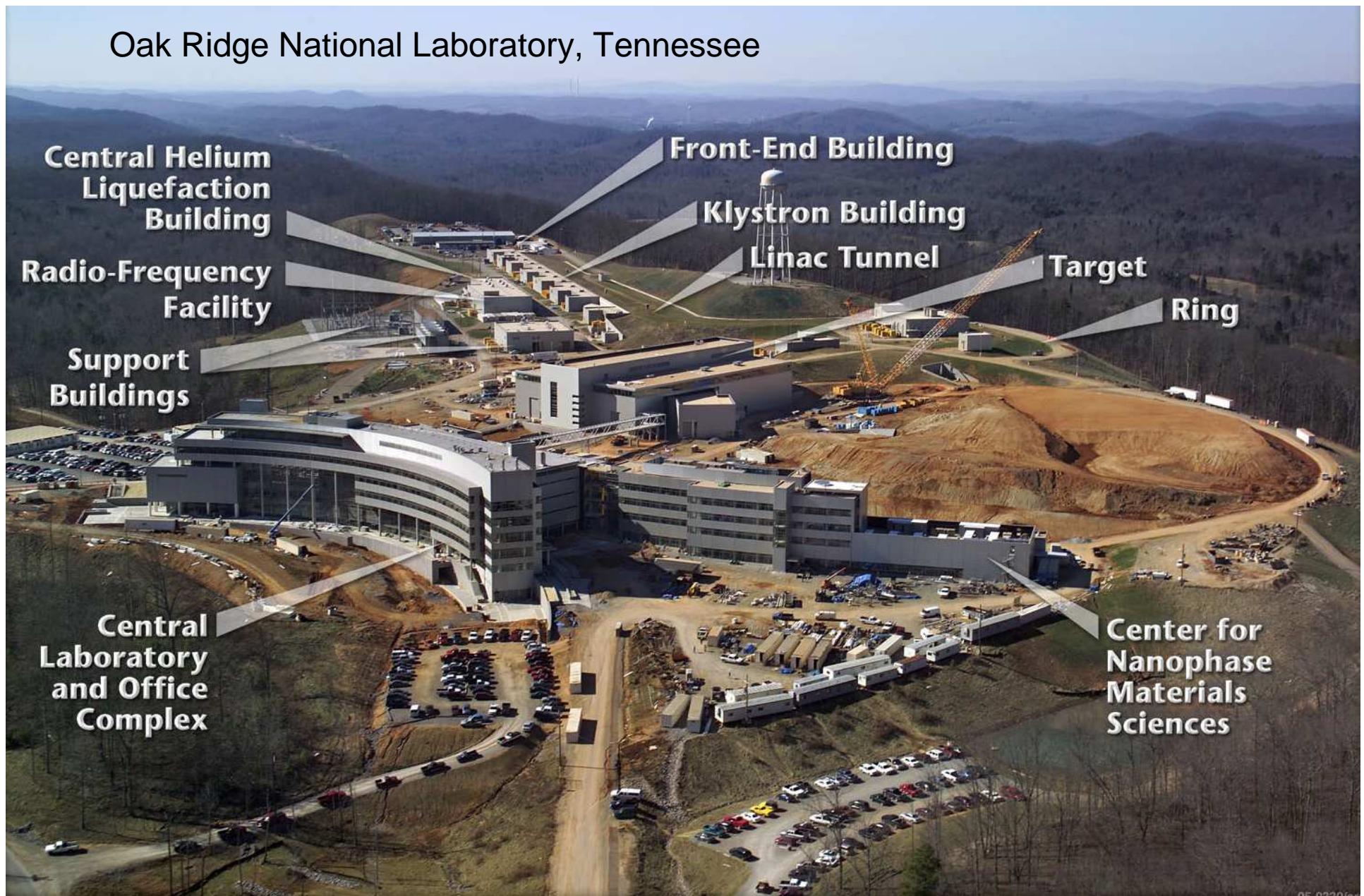
$$n \approx 1 - \frac{\lambda^2 b \rho}{2\pi}$$



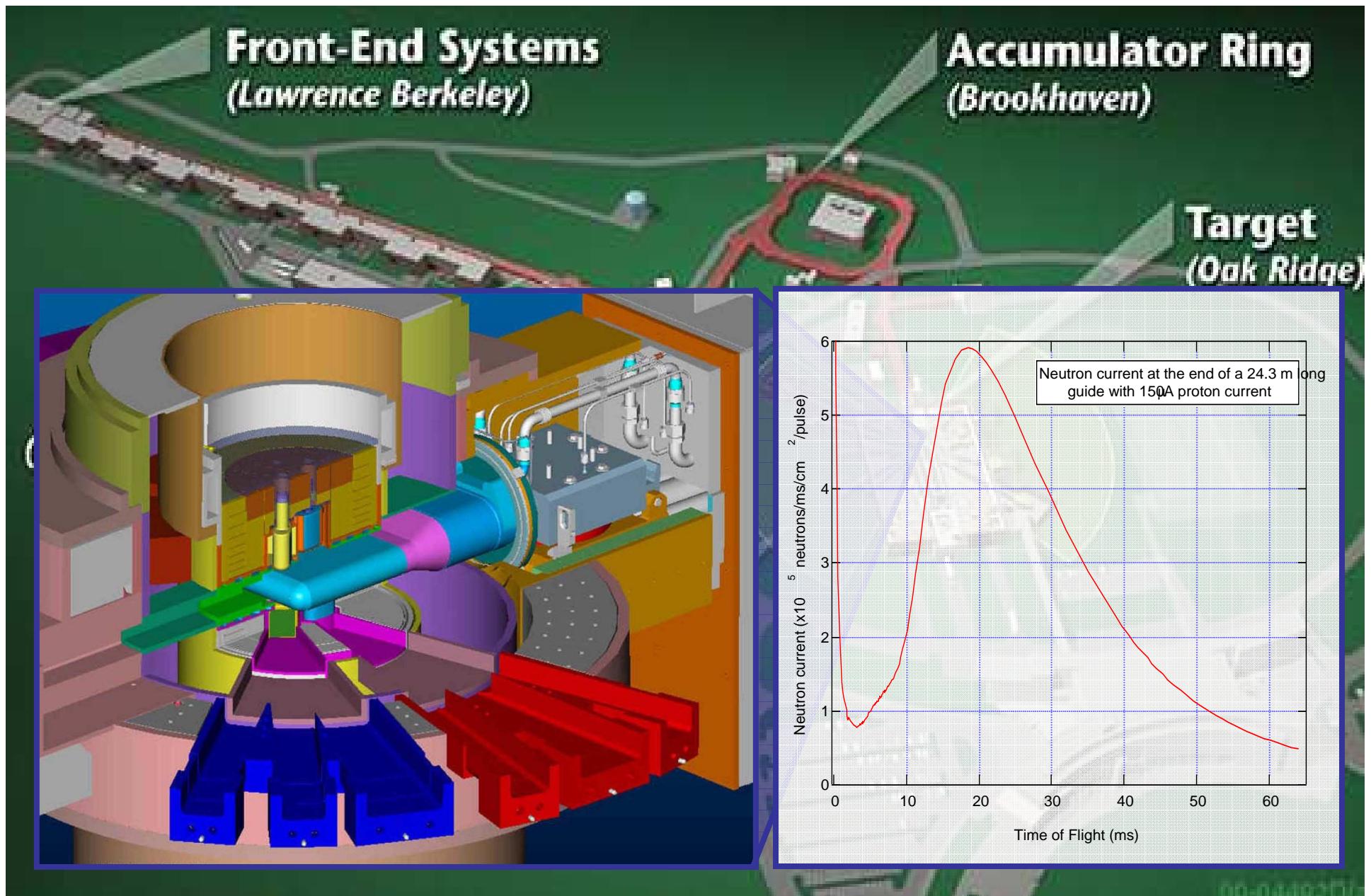
slide courtesy A. Young

# Spallation Neutron Source (SNS)

Oak Ridge National Laboratory, Tennessee

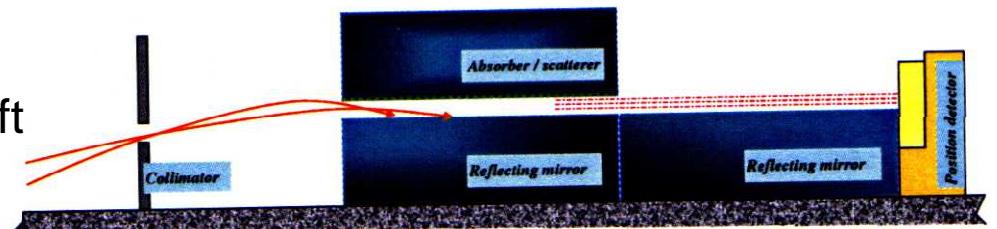
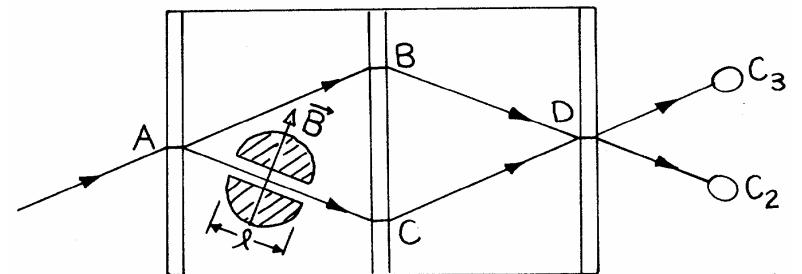
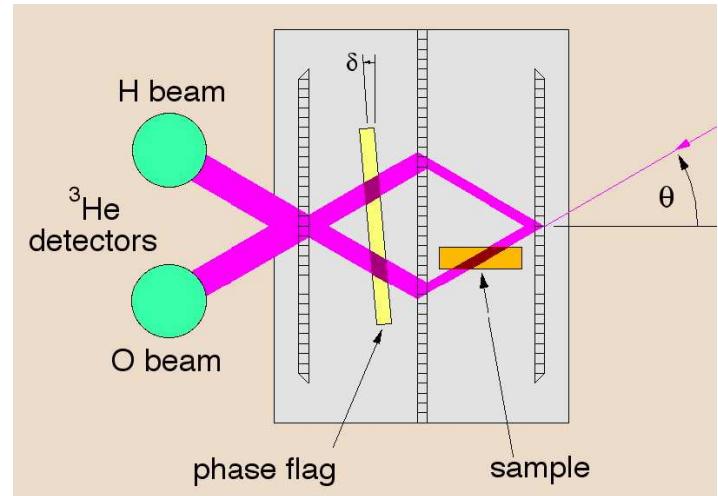


# Spallation Neutron Source (SNS)



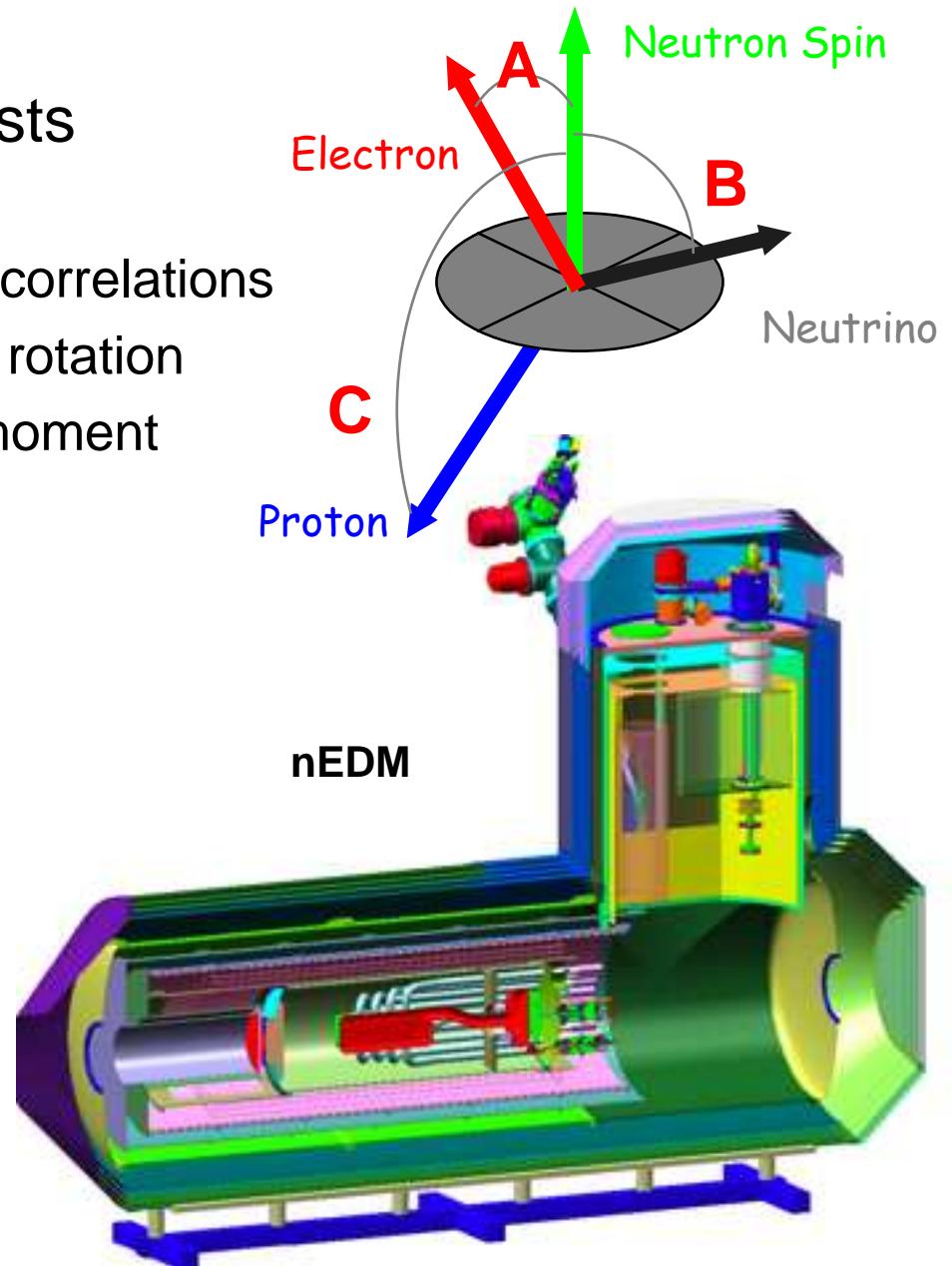
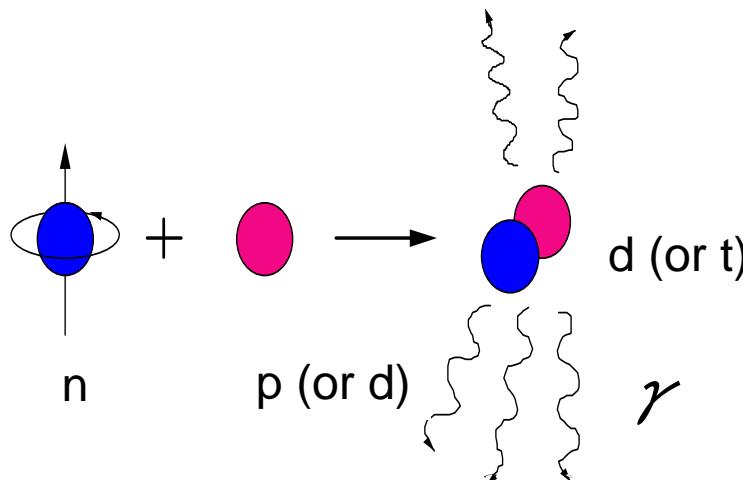
# What can we do with neutrons?

- scattering / diffraction
  - complementary to X-ray Bragg diffraction
  - large penetration
  - large H,D cross section
    - life sciences
    - fuel cell research
    - oil exploration
- fundamental tests of quantum mechanics
  - neutron interferometry
    - scattering lengths
    - neutron charge radius
    - spinor  $4\pi$  periodicity
    - gravitational phase shift
  - quantum states in a gravitational potential



# What can we do with neutrons?

- fundamental symmetry tests of the standard model
  - neutron decay lifetime and correlations
  - PV: NPDGamma,  ${}^4\text{He}$  spin rotation
  - T reversal: electric dipole moment



# Neutron Traps

## ultra cold neutrons:

slow enough to be completely  
reflected by  $^{58}\text{Ni}$  optical potential

kinetic: 8 m/s

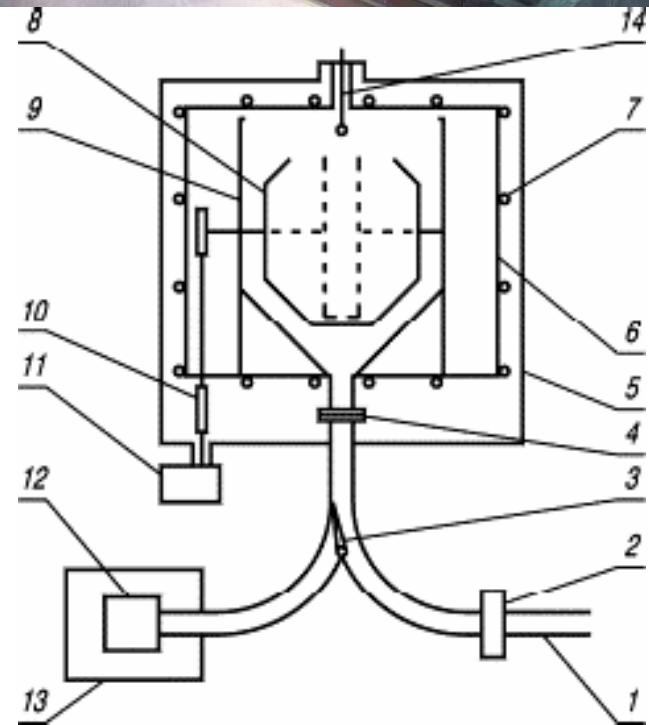
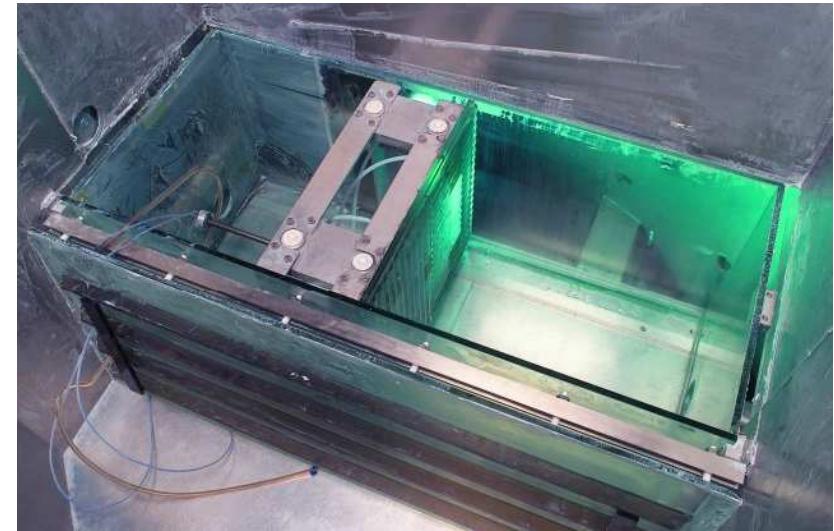
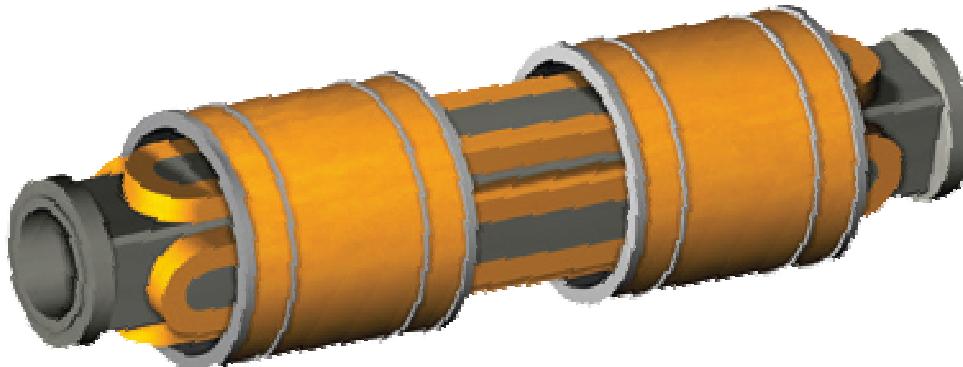
thermal: 4 mK

wavelength: 50 nm

nuclear: 335 neV ( $^{58}\text{Ni}$ )

magnetic: 60 neV (1 T)

gravity: 102 neV (1 m)



# Car Traps



# Measurement of the Parity - Violating Gamma Asymmetry $A_\gamma$ in the Capture of Polarized Cold Neutrons by Para-Hydrogen

## NPDGamma Collaboration

J.D. Bowman (spokesman), G.S. Mitchell, S. Penttila,  
A. Salas-Bacci, W.S. Wilburn, V. Yuan  
**Los Alamos National Laboratory**

M.T. Gericke, S. Page, D. Ramsay  
**Univ. of Manitoba**

S. Covrig, M. Dabaghyan, F.W. Hersman  
**Univ. of New Hampshire**

T.E. Chupp, M. Sharma  
**Univ. of Michigan**

C. Crawford, G.L. Greene, R. Mahurin  
**Univ. of Tennessee**

R. Alarcon, L. Barron, S. Balascuta  
**Arizona State University**

S.J. Freedman, B. Lauss  
**Univ. of California at Berkeley**

R.D. Carlini  
**Thomas Jefferson National Accelerator Facility**

W. Chen, R.C. Gillis, J. Mei, H. Nann, W.M. Snow, M.  
Leuschner, B. Losowski  
**Indiana University**

T.R. Gentile  
**National Institute of Standards and Technology**

G.L. Jones  
**Hamilton College**

Todd Smith  
**Univ. of Dayton**

T. Ino, Y. Masuda, S. Muto  
**High Energy Accelerator Research Org. (KEK)**

S. Santra  
**Bhabha Atomic Research Center**

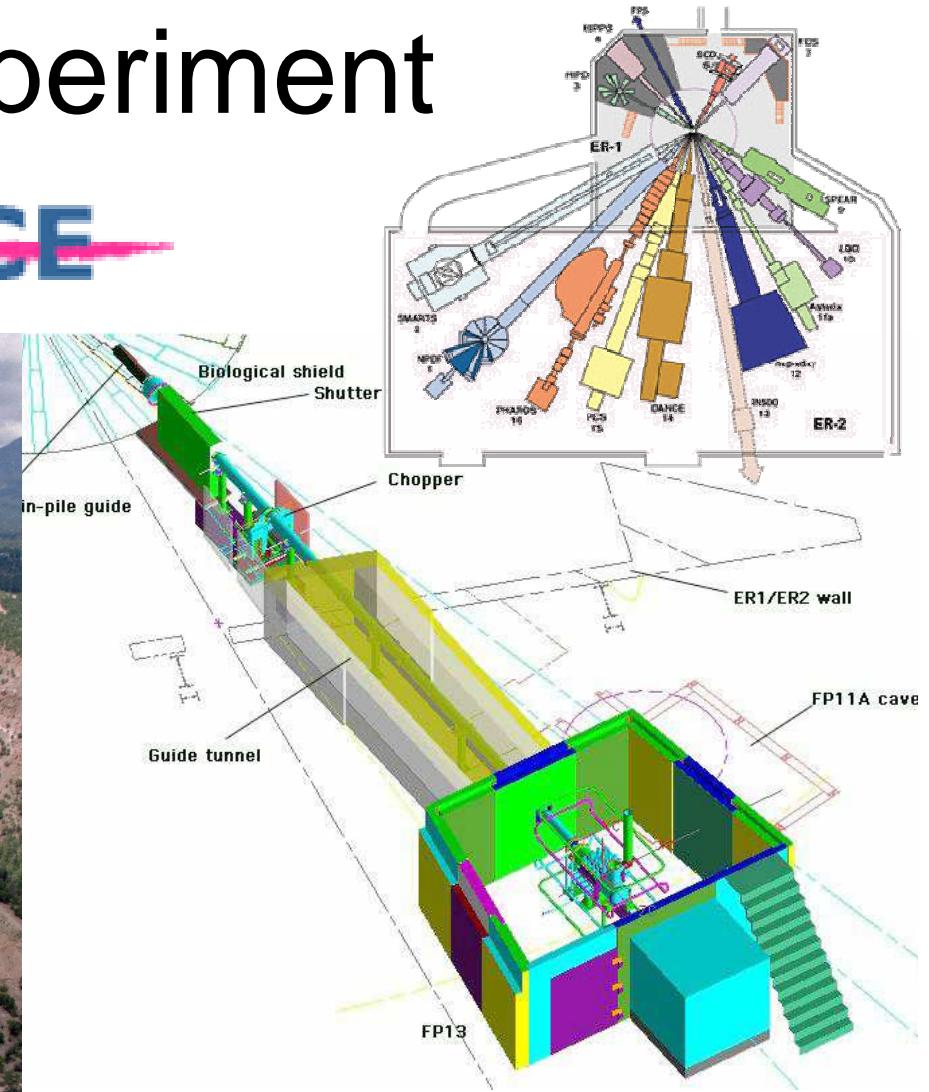
P.N. Seo  
**North Carolina State University**

E. Sharapov  
**Joint Institute of Nuclear Research**

# NPDGamma Experiment



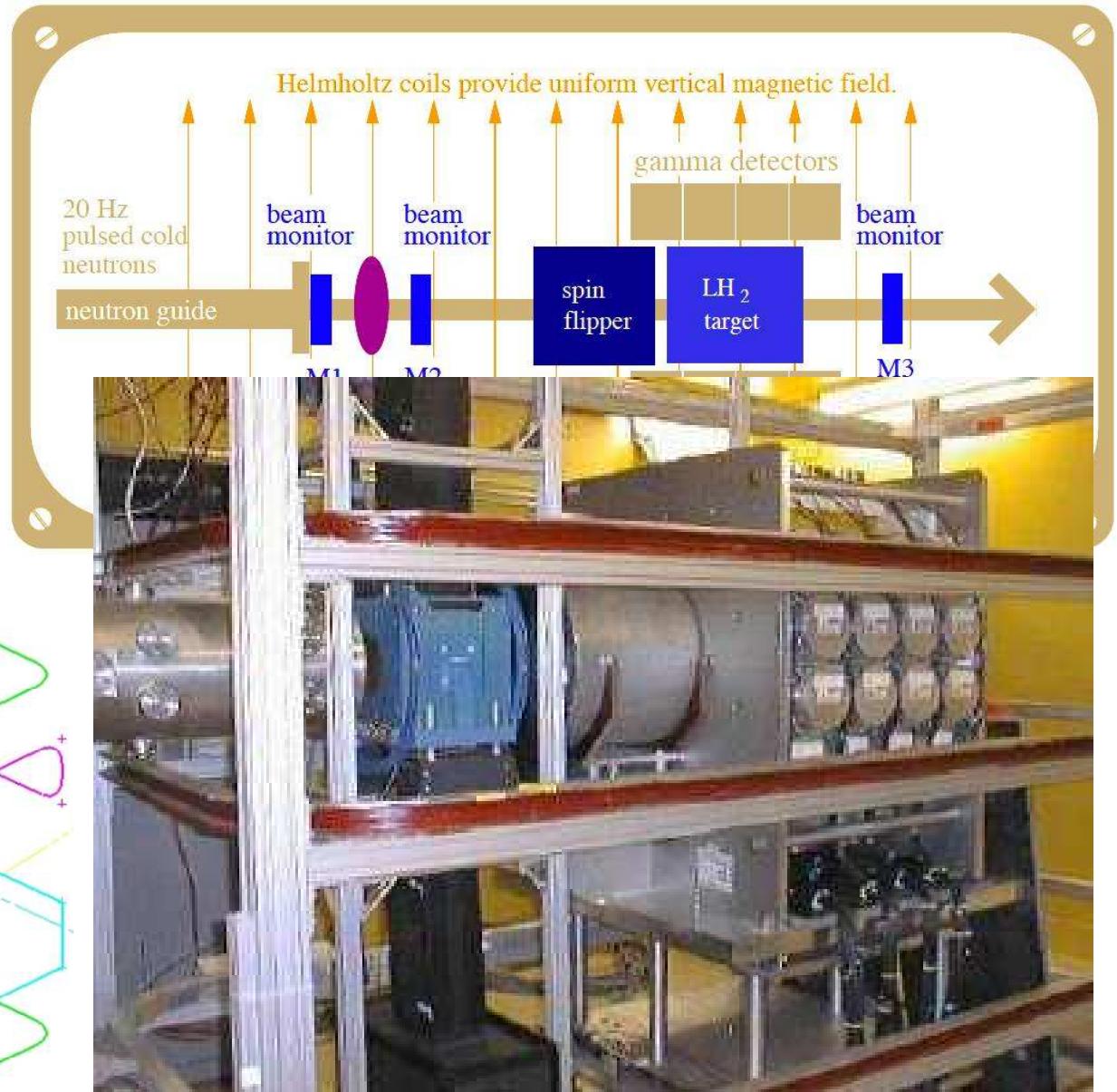
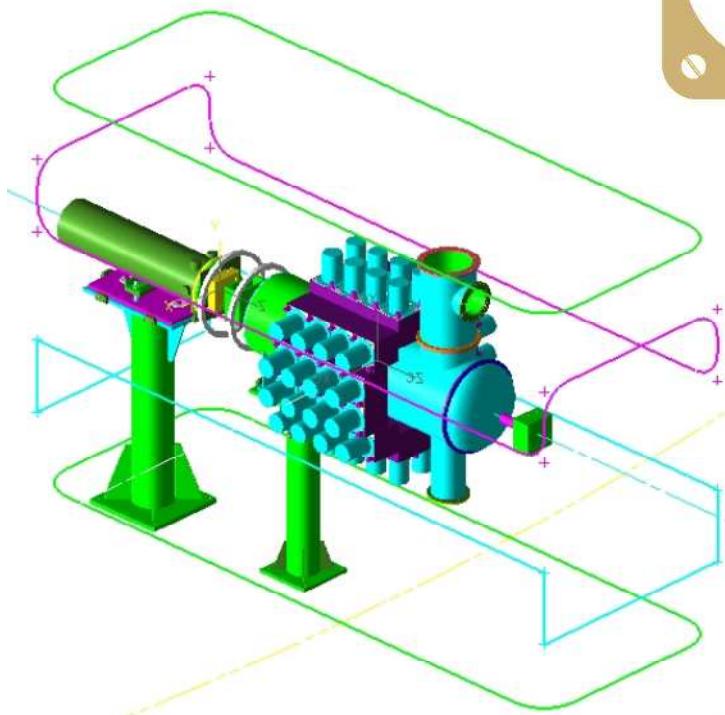
~~LANSCe~~



$\sim 6 \times 10^8$  cold neutrons per  
20 Hz pulse at the end of  
the 20 m supermirror guide  
(largest pulsed neutron flux)

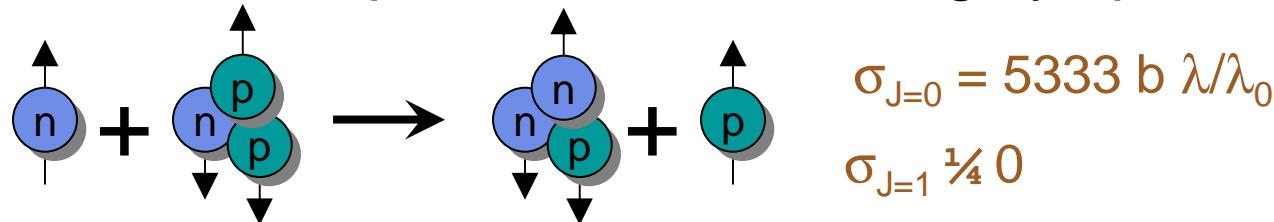
# Overview of NPDG experiment

- $^3\text{He}$  polarizer
- beam monitors
- RF spin flipper
- $\text{LH}_2$  target
- CsI detectors



# $^3\text{He}$ neutron polarizer

- $n + ^3\text{He} \rightarrow ^3\text{H} + p$  cross section is highly spin-dependent



$$\sigma_{J=0} = 5333 \text{ b } \lambda/\lambda_0$$
$$\sigma_{J=1} \approx 0$$

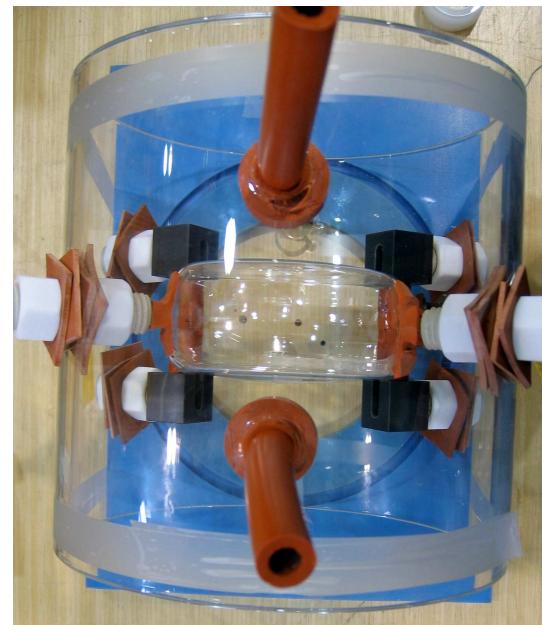
- 10 G holding field determines the polarization angle

$\mathbf{r}\mathbf{G} < 1 \text{ mG/cm}$  to avoid Stern-Gerlach steering

$$P_3 = 57 \%$$

## Steps to polarize neutrons:

1. Optically pump Rb vapor with circular polarized laser
2. Polarize  $^3\text{He}$  atoms via spin-exchange collisions
3. Polarize  $^3\text{He}$  nuclei via the hyperfine interaction
4. Polarize neutrons by spin-dependent transmission

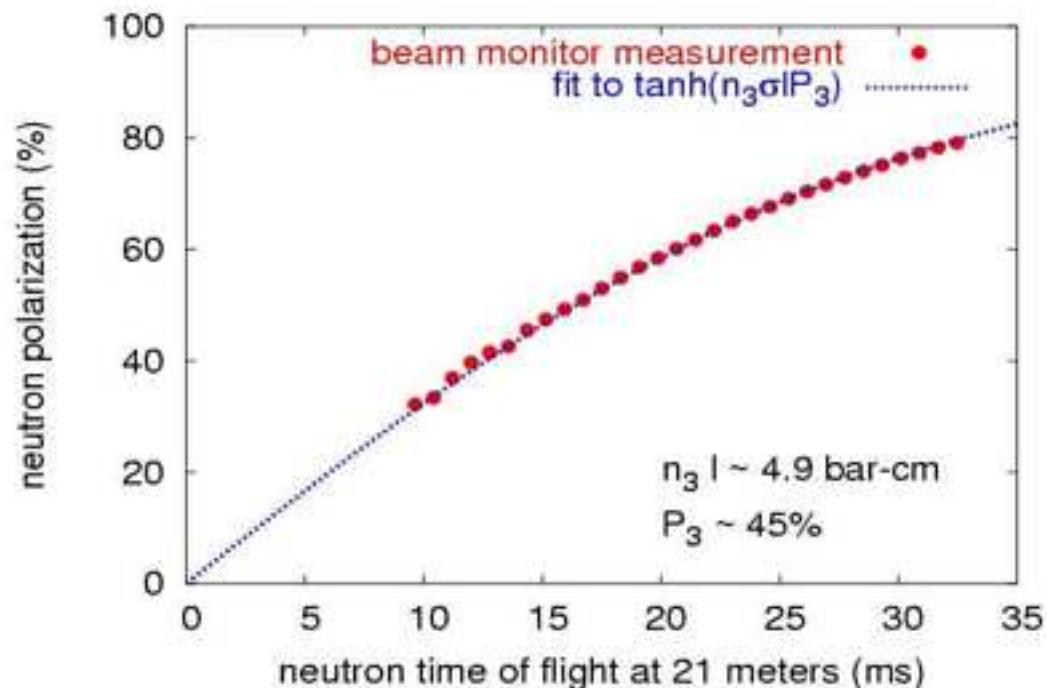


# Neutron Beam Monitors

- ${}^3\text{He}$  ion chambers
- measure transmission through  ${}^3\text{He}$  polarizer

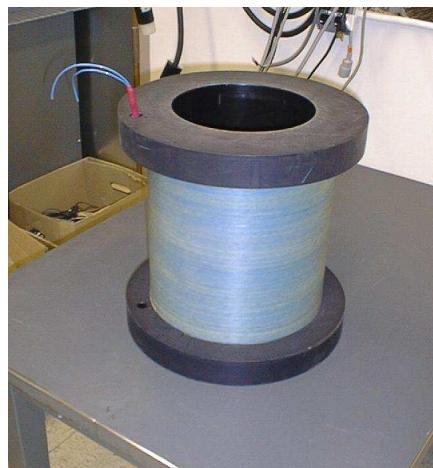
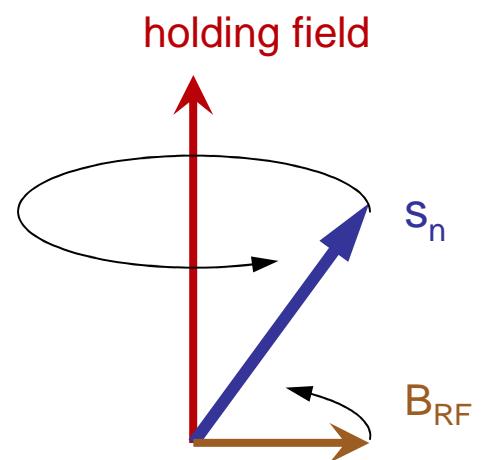


$$\begin{aligned} T_{\pm} &= e^{-nl\sigma(1 \mp P_3)} & T_0 &= e^{-nl\sigma} \\ T &\equiv \frac{1}{2}(T_+ + T_-) = T_0 \cosh(nl\sigma P_3) \\ P &\equiv \frac{(T_+ - T_-)}{(T_+ + T_-)} = \tanh(nl\sigma P_3) \\ &= \sqrt{1 - T_0^2/T^2} \end{aligned}$$



# RF Spin Rotator

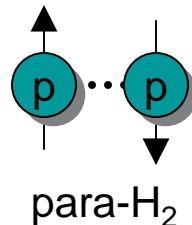
- essential to reduce instrumental systematics
  - spin sequence:  $\uparrow\downarrow\downarrow\uparrow\downarrow\uparrow\uparrow\downarrow$  cancels drift to 2<sup>nd</sup> order
  - danger: must isolate fields from detector
  - false asymmetries: additive & multiplicative
- works by the same principle as NMR
  - RF field resonant with Larmor frequency rotates spin
  - time dependent amplitude tuned to all energies
  - compact, no static field gradients



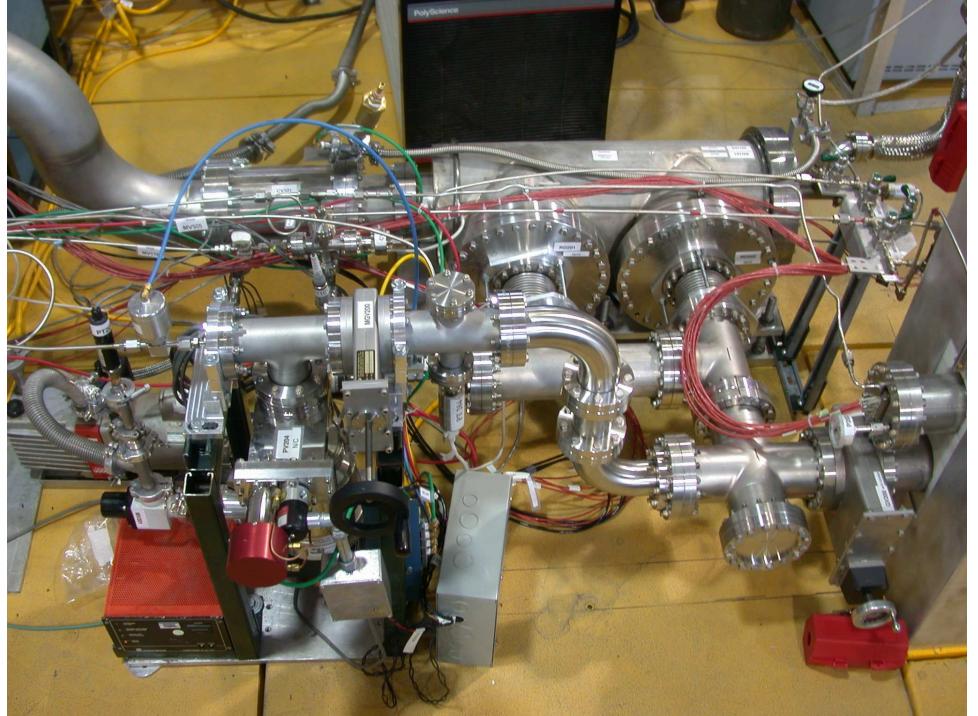
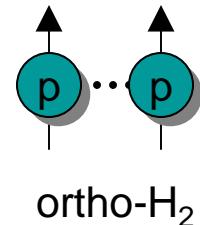
# 16L liquid para-hydrogen target



- 30 cm long → 1 interaction length
- 99.97% para → 1% depolarization
- super-cooled to reduce bubbles
- SAFETY !!

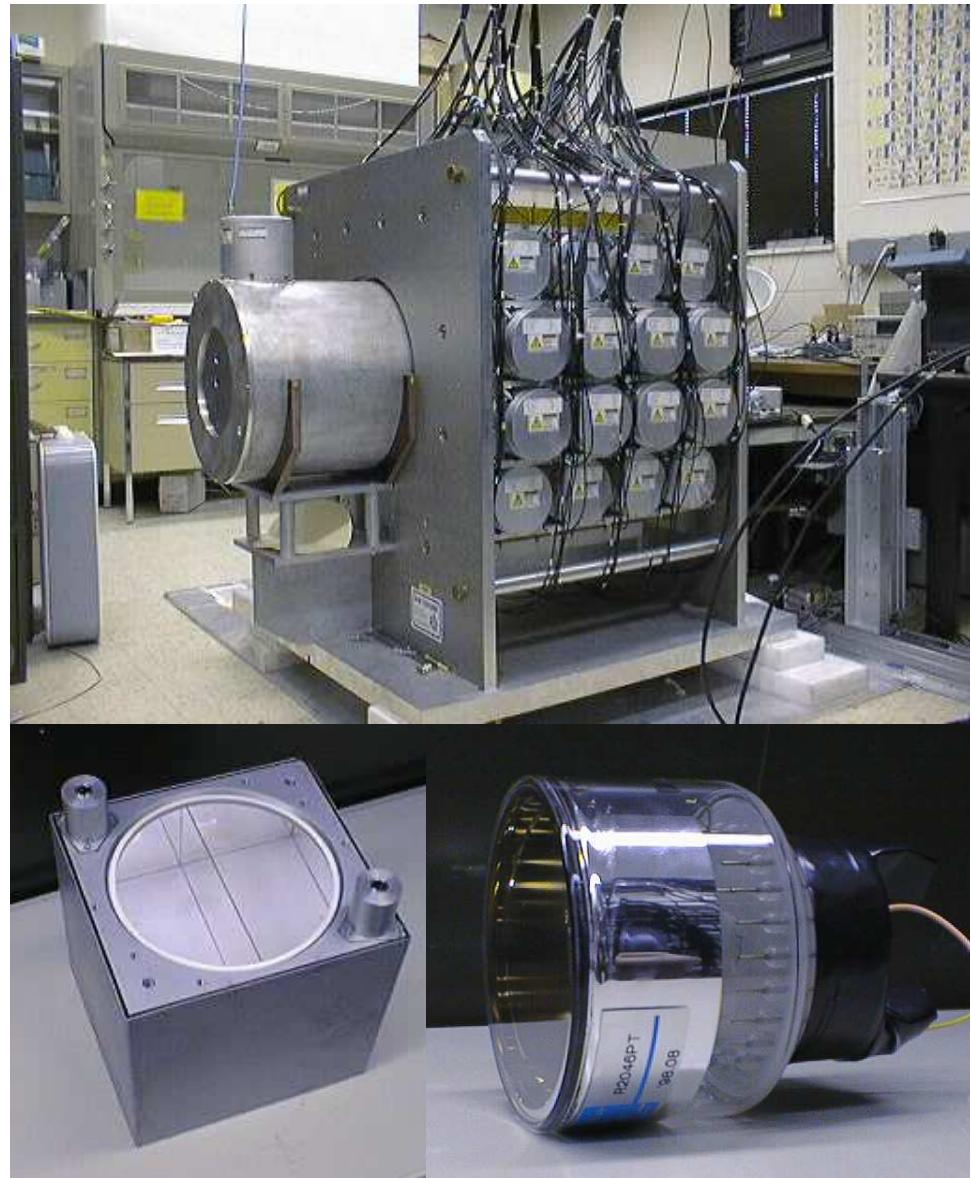
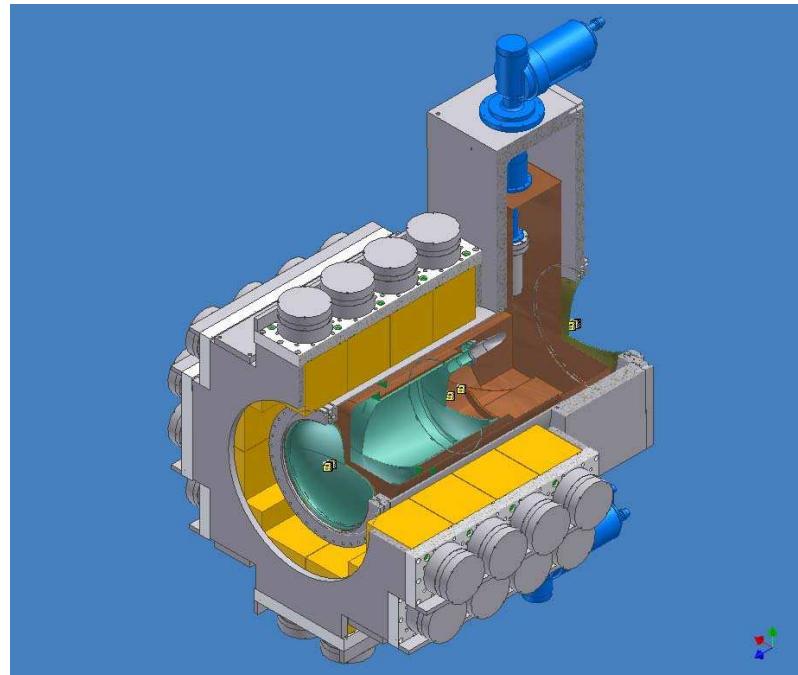


$$\Delta E = 15 \text{ meV}$$



# CsI(Tl) Detector Array

- 4 rings of 12 detectors each
  - $15 \times 15 \times 15 \text{ cm}^3$  each
- VPD's insensitive to B field
- detection efficiency: 95%
- current-mode operation
  - $5 \times 10^7$  gammas/pulse
  - counting statistics limited



# Detector position scans

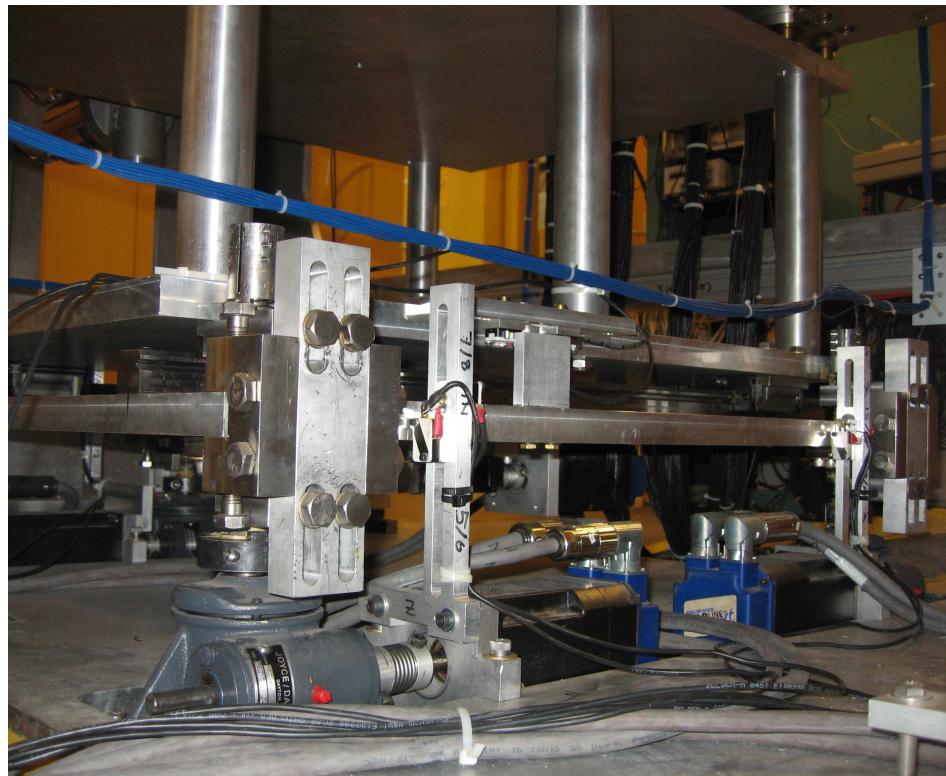
$$Y \propto 1 + A_{\gamma}^{PV} \cos \theta + A_{\gamma}^{PC} \sin \theta$$

UP-DOWN

LEFT-RIGHT

$$\mathbf{s}_n \cdot \mathbf{k}_{\gamma}$$

$$\mathbf{s}_n \cdot \mathbf{k}_n \times \mathbf{k}_{\gamma}$$

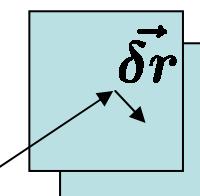


$$Y \propto 1/r^2$$

$$Y_{,x}=0$$

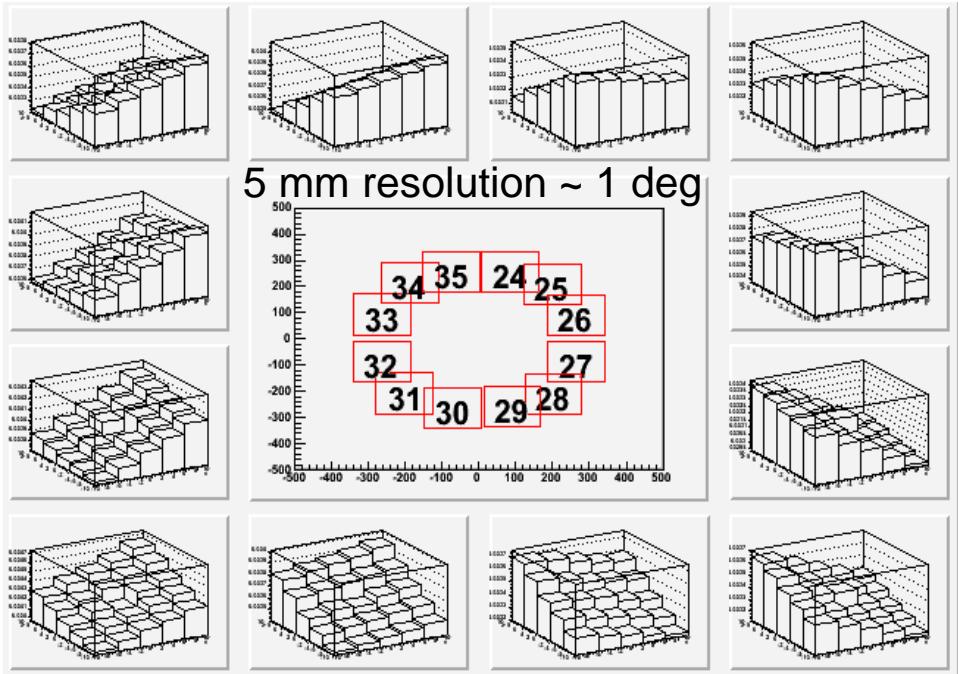


target

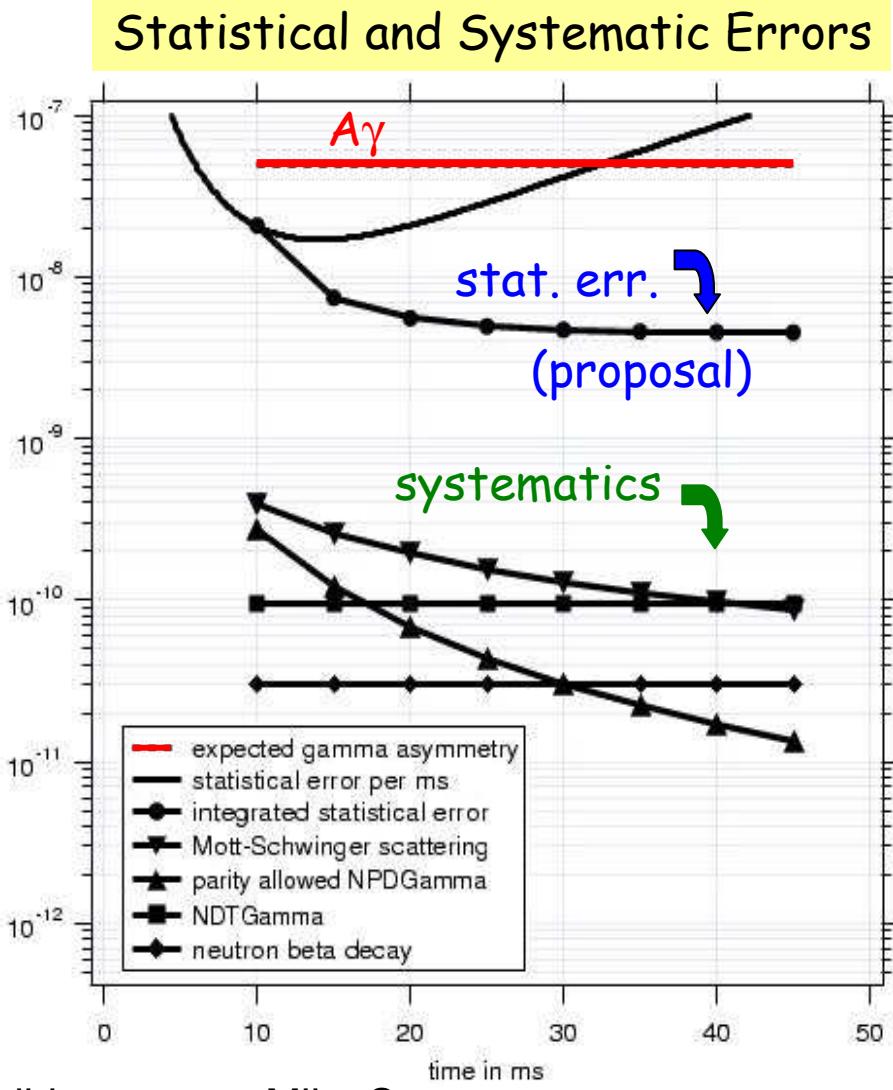


detector

$$Y_{,y}=0$$



# Systematic Uncertainties



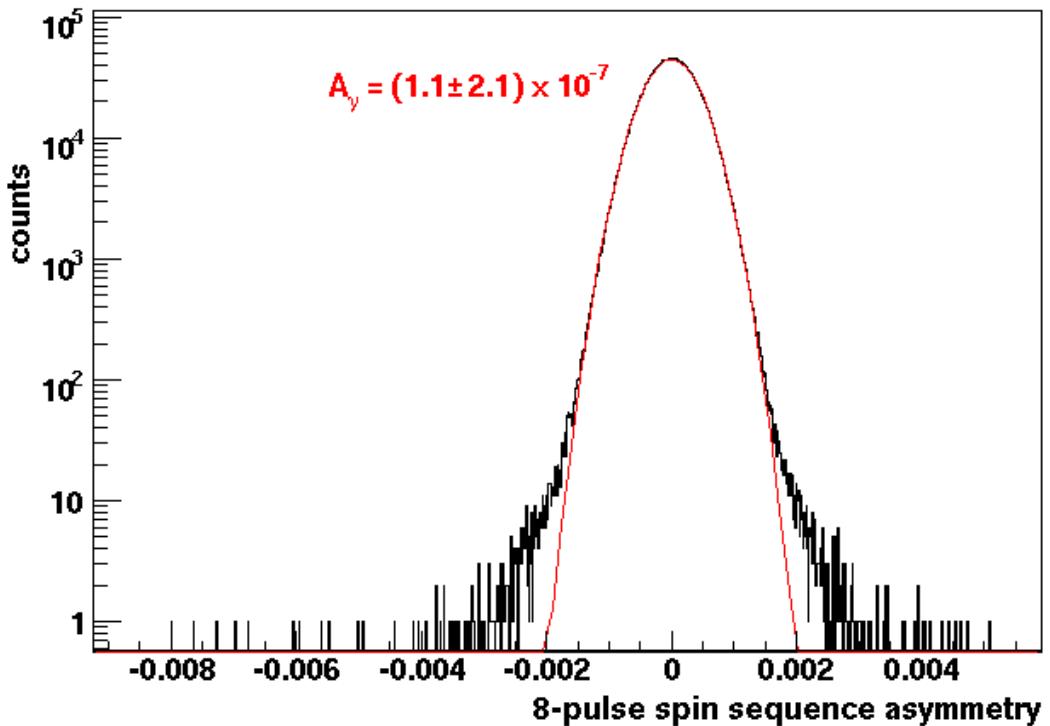
slide courtesy Mike Snow

## Systematics, e.g:

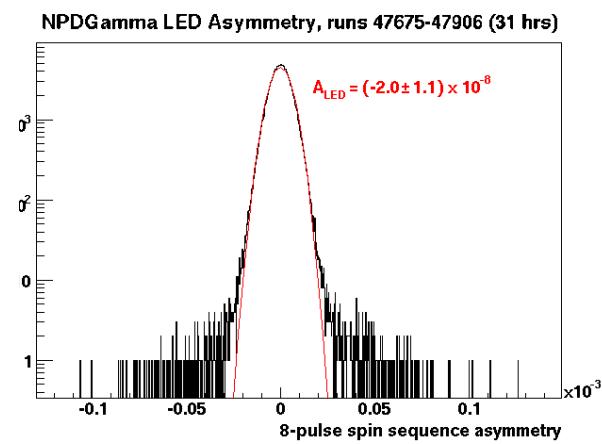
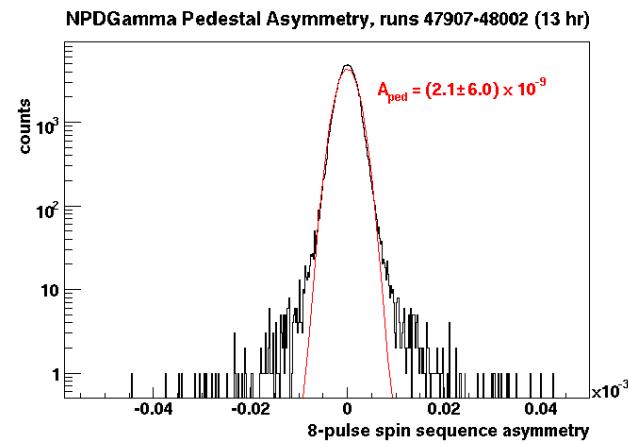
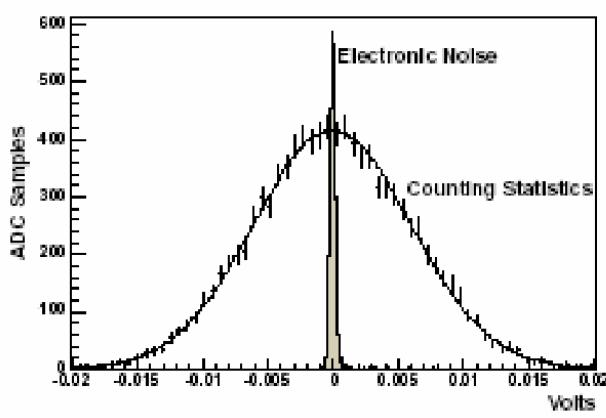
- activation of materials,  
e.g. cryostat windows
  - Stern-Gerlach steering  
in magnetic field gradients
  - L-R asymmetries leaking into  
U-D angular distribution  
(np elastic, Mott-Schwinger...)
  - scattering of circularly polarized  
gammas from magnetized iron  
(cave walls, floor...)
- estimated and expected to be  
negligible (expt. design)

# Preliminary raw results

NPDGamma PV Asymmetry, runs 41550-44800, 45800-47623 (424 hr)



Material	# runs	$A_\gamma (\times 10^{-6})$
Engineering:		
Cl	53	-21. $\pm$ 1.6
Cu	17	-1. $\pm$ 3.
B <sub>4</sub> C	11	-1. $\pm$ 2.
Al	1057	-0.00 $\pm$ 0.30
In	716	-0.68 $\pm$ 0.30
LEDs	2864	-0.0477 $\pm$ 0.0603
Noise		$\sim 0.001$
Physics:		
Mn	529	0.53 $\pm$ 0.78
V	2313	0.24 $\pm$ 0.45
Ti	2864	0.41 $\pm$ 0.36
Co	744	0.61 $\pm$ 0.31
Sc	2179	-1.04 $\pm$ 0.25



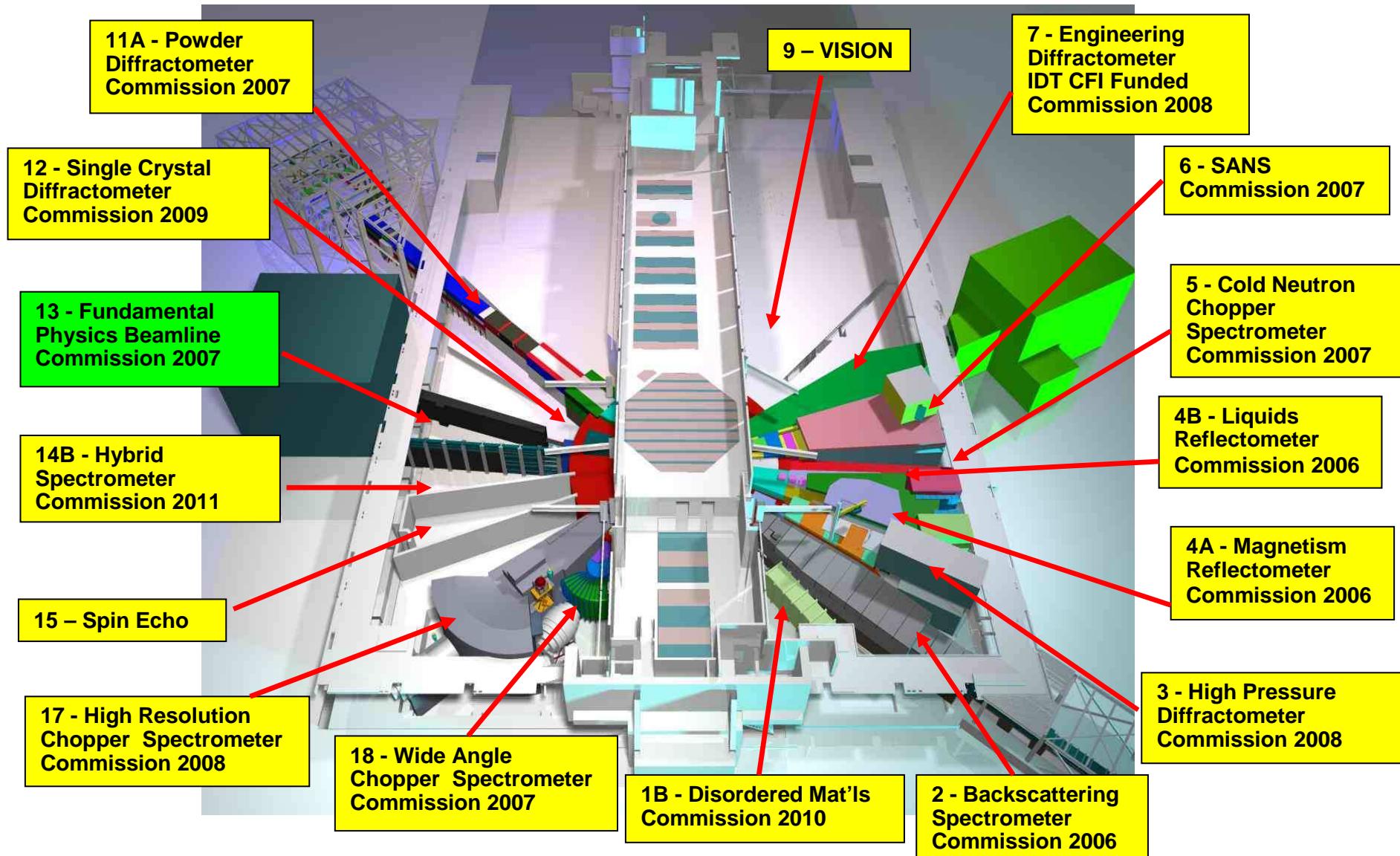
# Conclusion

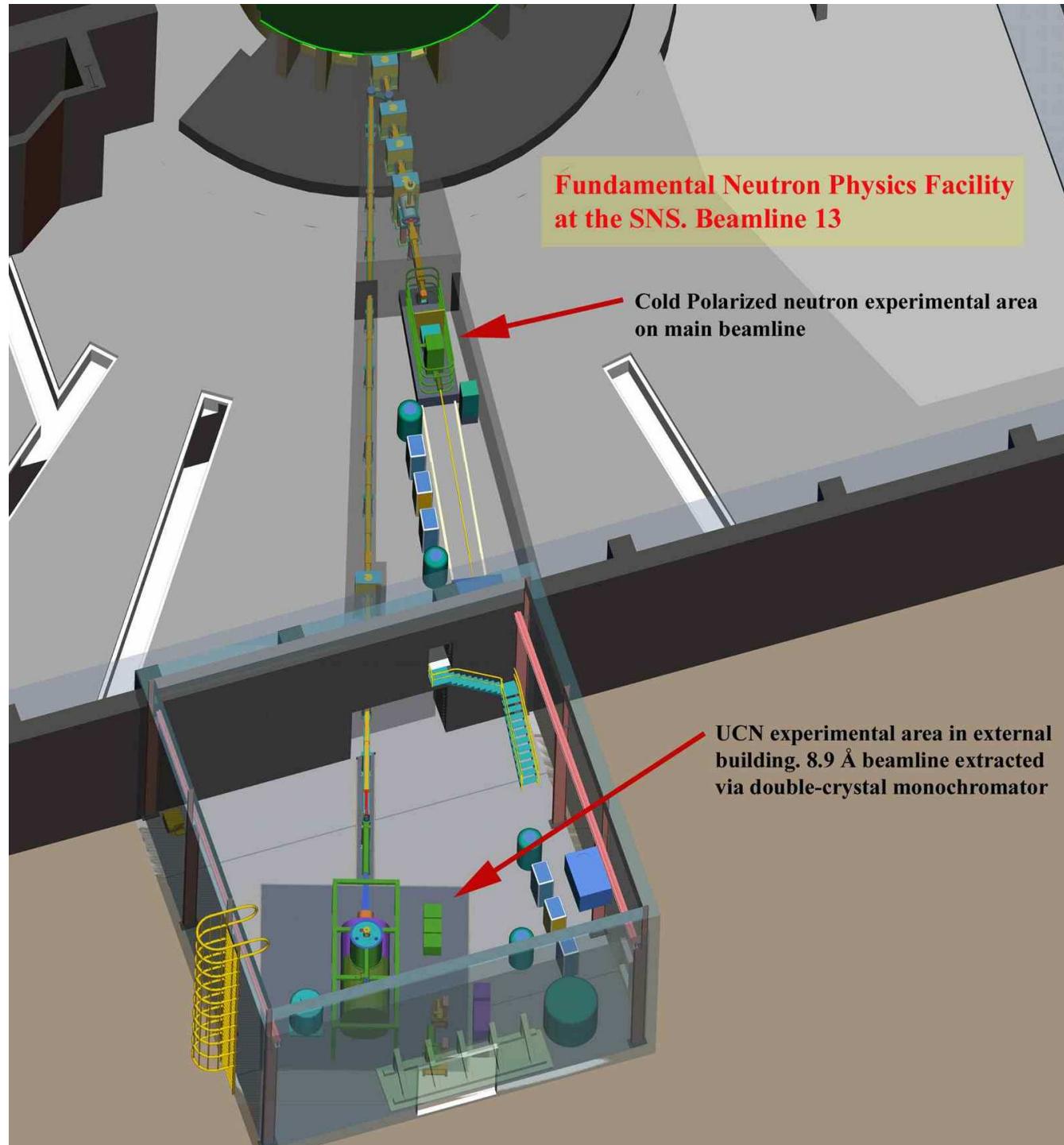
- the NPDG experiment had a successful first phase at LANSCE
  - already most precise value of  $A_\gamma$
- it will determine  $f_\pi$  to 10% of its predicted value at the SNS
  - next:  $n + d \rightarrow t + \gamma$
- hadronic parity violation is a unique probe of short-distance nuclear interactions and QCD
  - neutron capture is an important key to mapping the structure of the hadronic weak interaction

**END of Presentation**

# Beamline 13 Has Been Allocated to Nuclear Physics

# SNS Beamlines

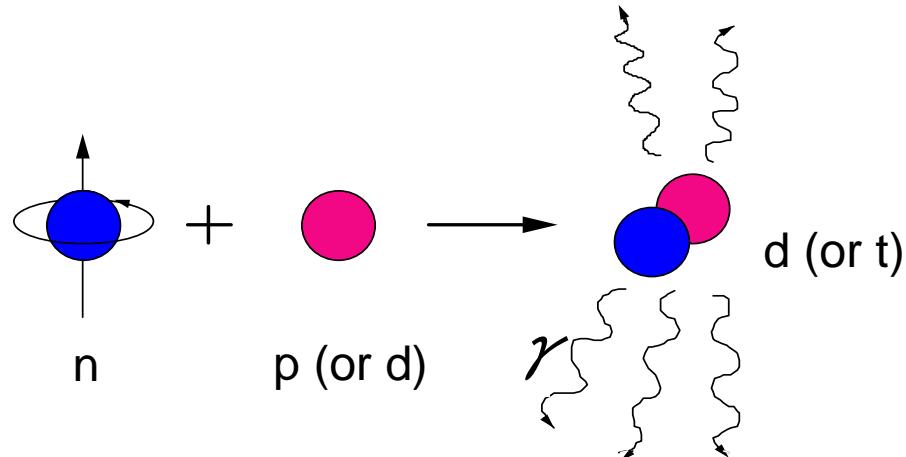




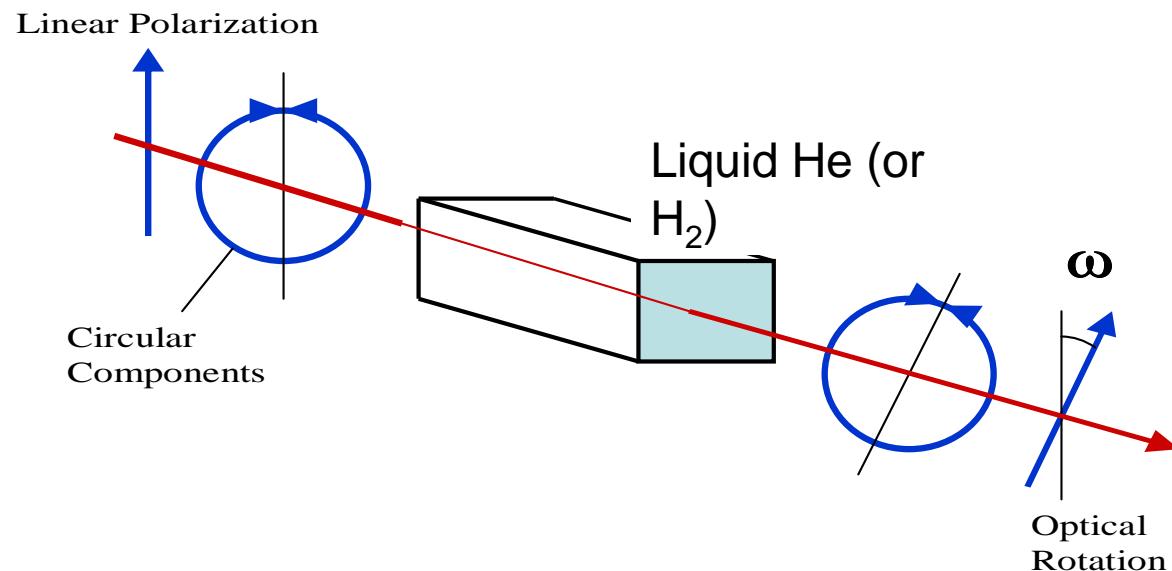
# HPV in “Simple” Systems

## $n+p$ , $n+d$ , $n+\alpha$

### PNC Capture Gamma



### Weak Nuclear PN Spin Polarization



Slide courtesy of Mike Snow

# Correlations in Neutron Decay

Parity violation implies a rich phenomenology in neutron decay.

V-A implies that All experimental Quantities can be related to the axial and vector coupling constants  $g_A$  and  $g_V$ .

$$dW \propto \frac{1}{\tau_n} F(E_e) \left[ 1 - a \frac{\mathbf{p}_e \cdot \mathbf{p}_v}{E_e \cdot E_v} + b \frac{m_e}{E_e} + A \frac{\sigma_n \cdot \mathbf{p}_e}{E_e} + B \frac{\sigma_n \cdot \mathbf{p}_v}{E_v} \right]$$

$\tau_n \propto 1/( g_A^2 + 3g_V^2 )$

$a = \frac{1 - \left( \frac{g_A}{g_V} \right)^2}{1 - 3 \left( \frac{g_A}{g_V} \right)}$

$b = 0$

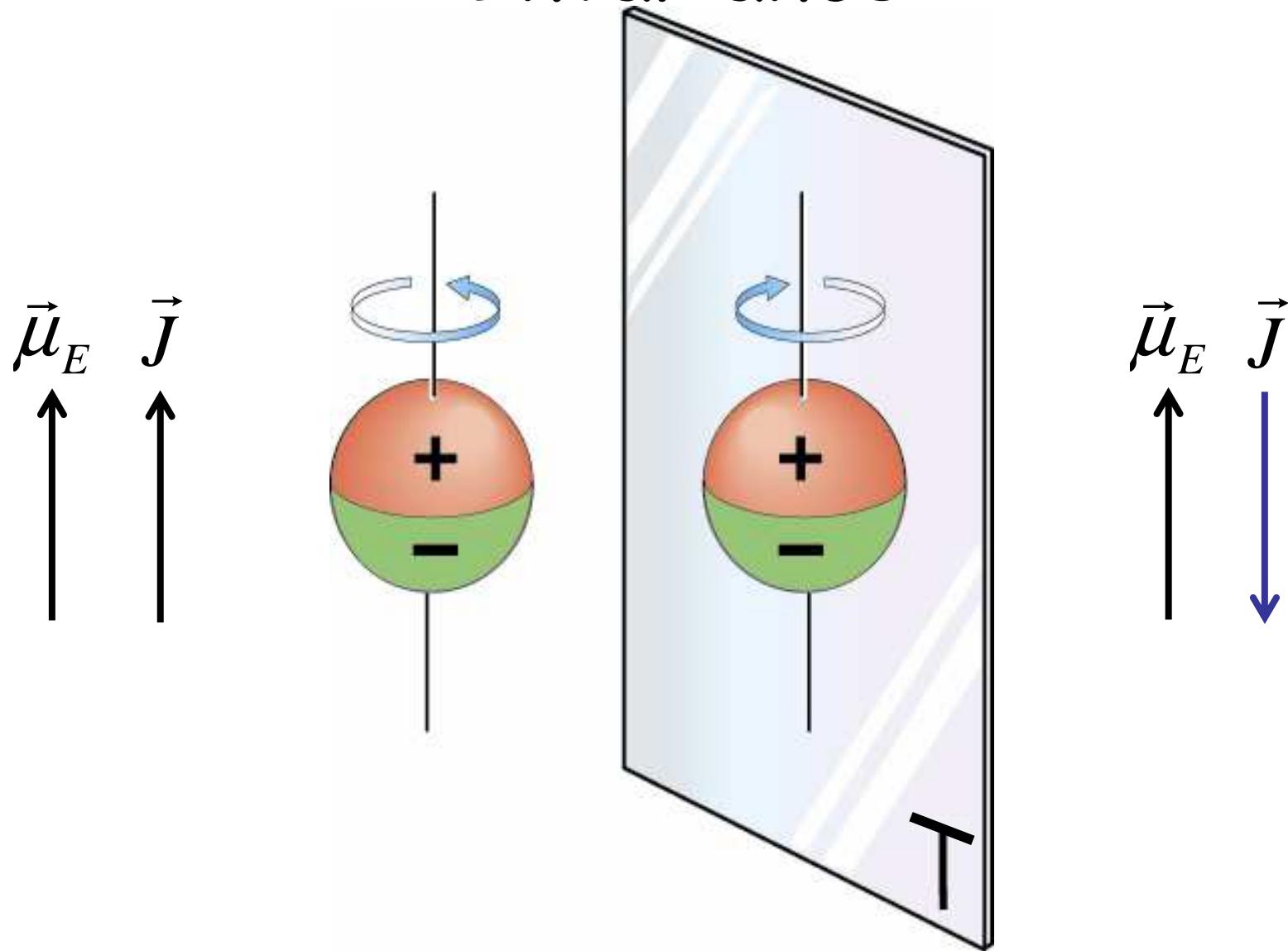
$A = -2 \frac{\left( \frac{g_A}{g_V} \right)^2 + \left( \frac{g_A}{g_V} \right)}{1 - 3 \left( \frac{g_A}{g_V} \right)^2}$

$B = 2 \frac{\left( \frac{g_A}{g_V} \right)^2 - \left( \frac{g_A}{g_V} \right)}{1 - \left( \frac{g_A}{g_V} \right)^2}$

Neutron beta decay measurements give:

$$\frac{(g_V^2 + 3g_A^2)}{g_A/g_V}$$

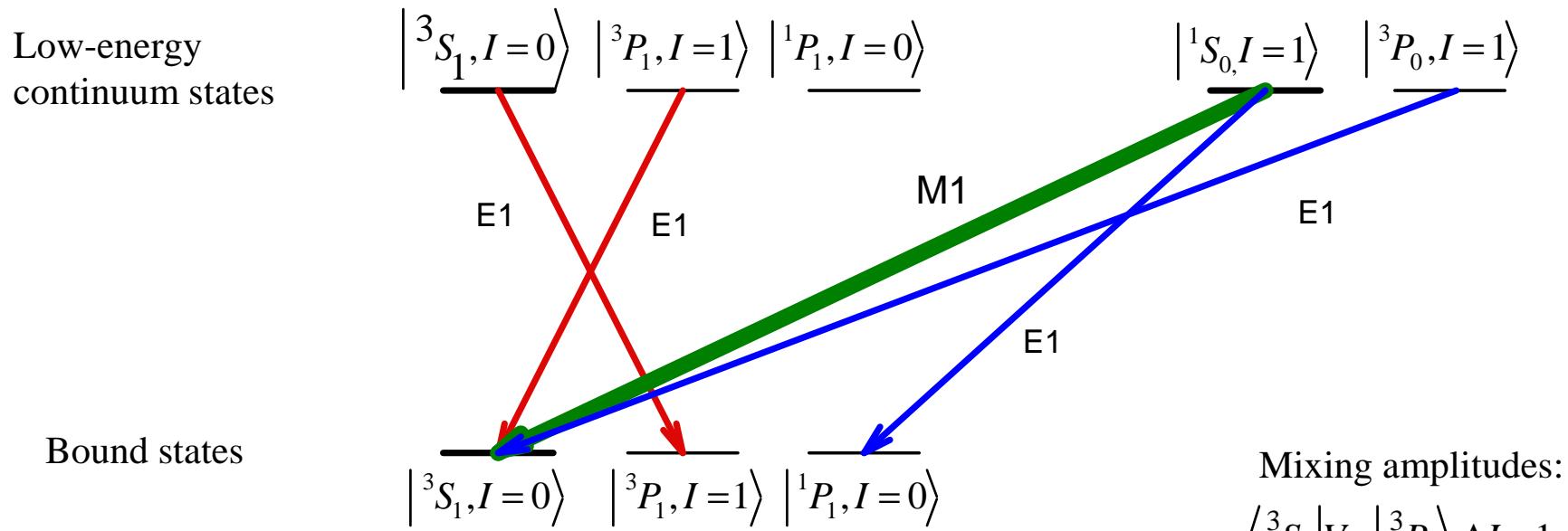
# AN ELECTRIC DIPOLE MOMENT VIOLATES - Invariance



# Simple Level Diagram of $n-p$ System

$n+p \rightarrow d + \gamma$  is primarily sensitive to the  $\Delta I = 1$  component of the weak interaction

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- Weak interaction mixes in  $P$  waves to the singlet and triplet  $S$ -waves in initial and final states.
- Parity conserving transition is  $M1$ .
- Parity violation arises from mixing in  $P$  states and interference of the  $E1$  transitions.
- $A_\gamma$  is coming from  $^3S_1 - ^3P_1$  mixing and interference of  $E1-M1$  transitions -  $\Delta I = 1$  channel.

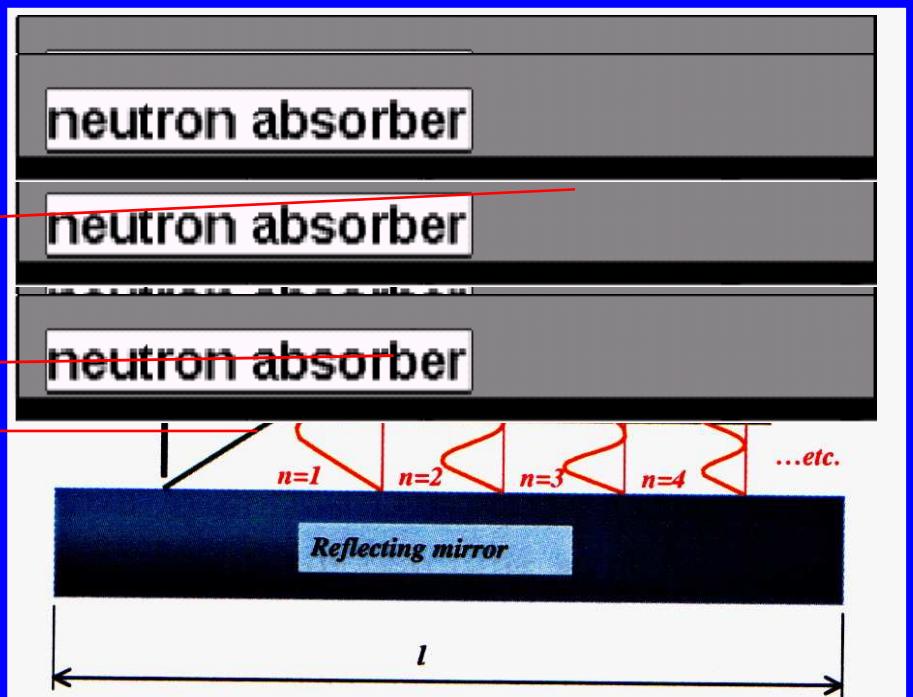
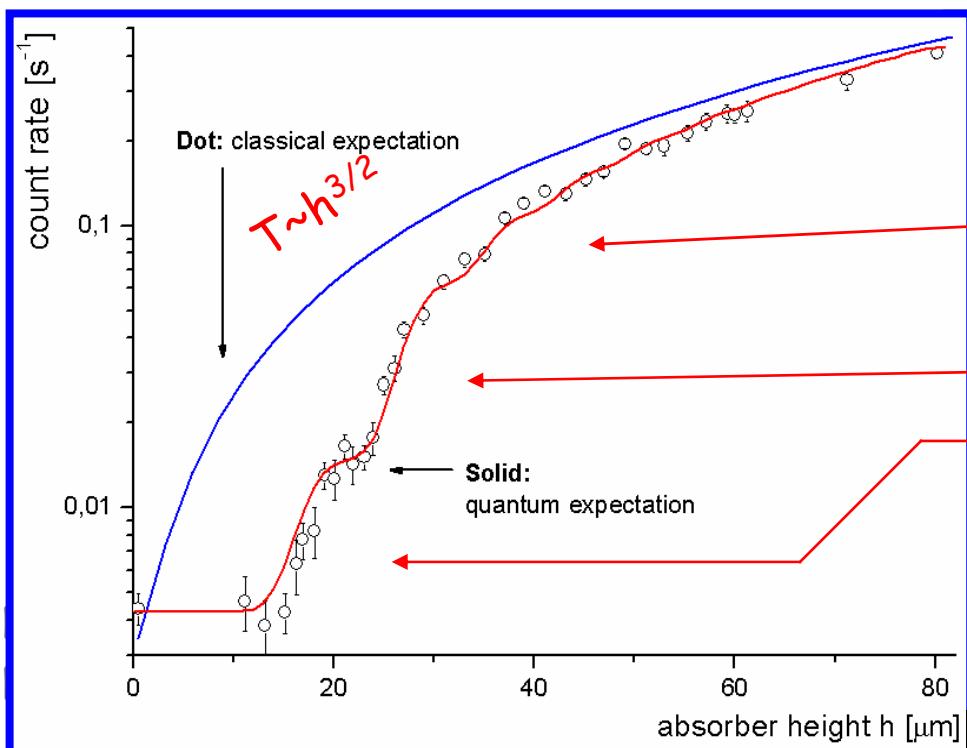
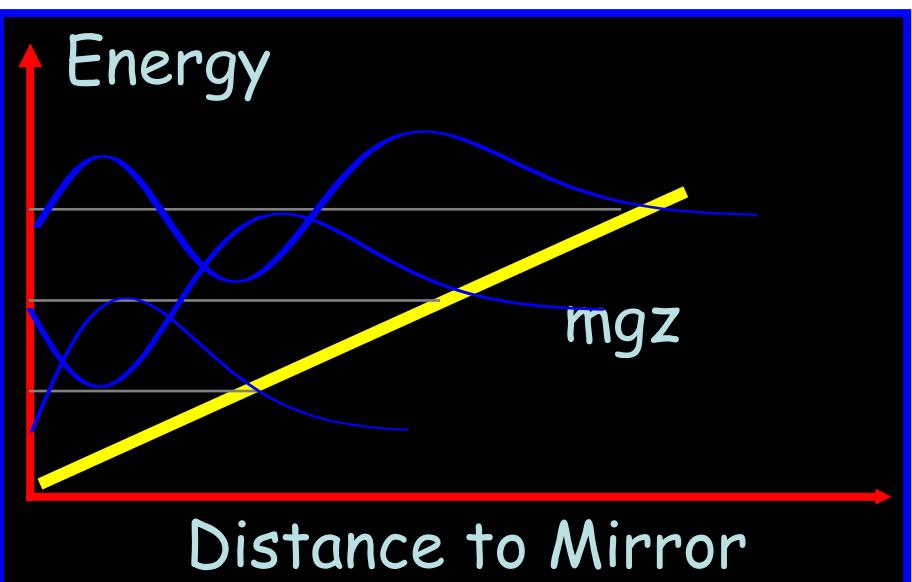
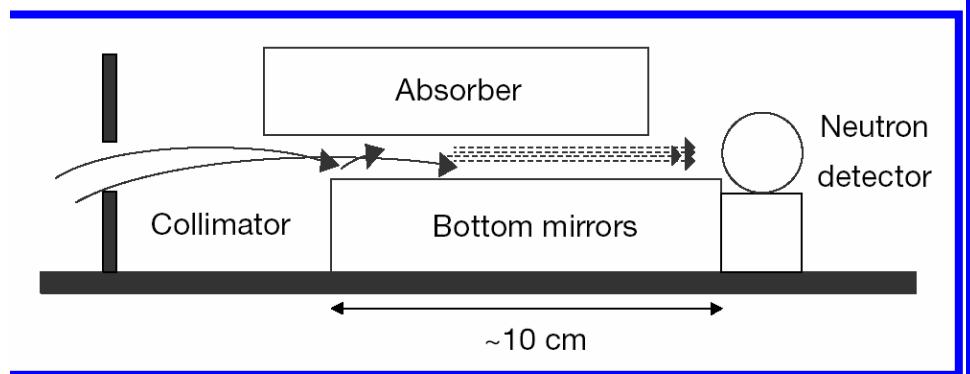
Mixing amplitudes:

$$\langle ^3S_1 | V_W | ^3P_1 \rangle; \Delta I = 1$$

$$\langle ^3S_1 | V_W | ^1P_1 \rangle; \Delta I = 0$$

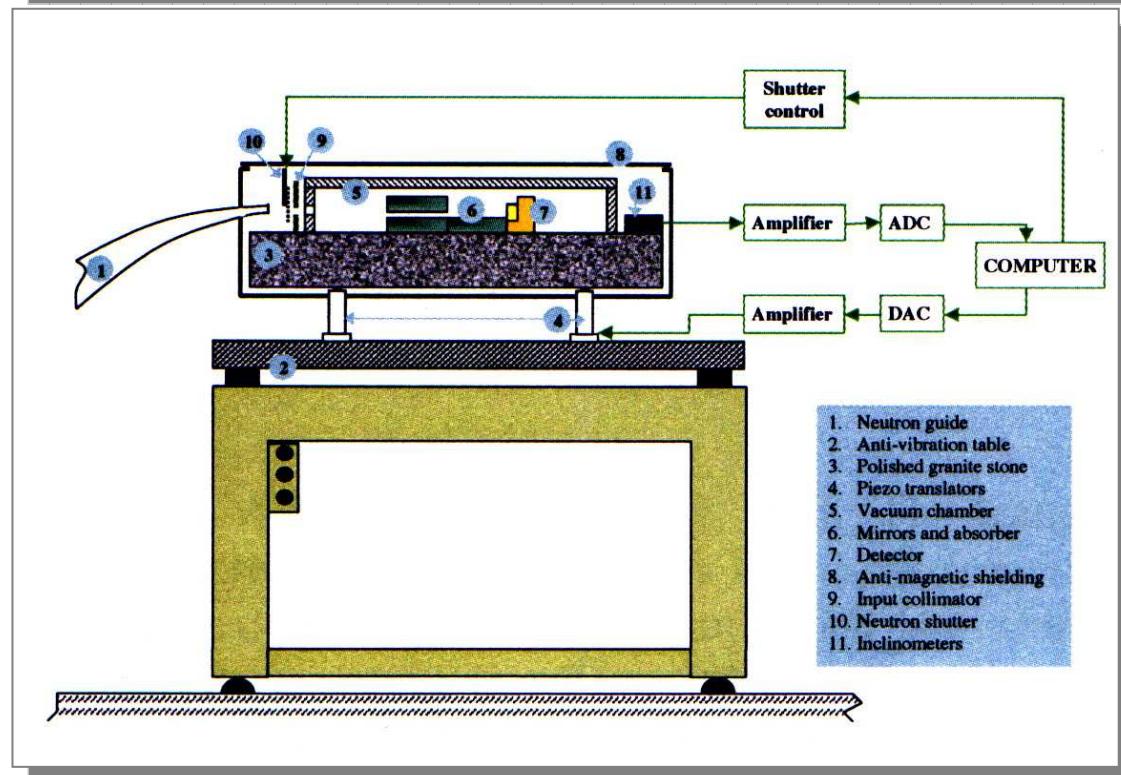
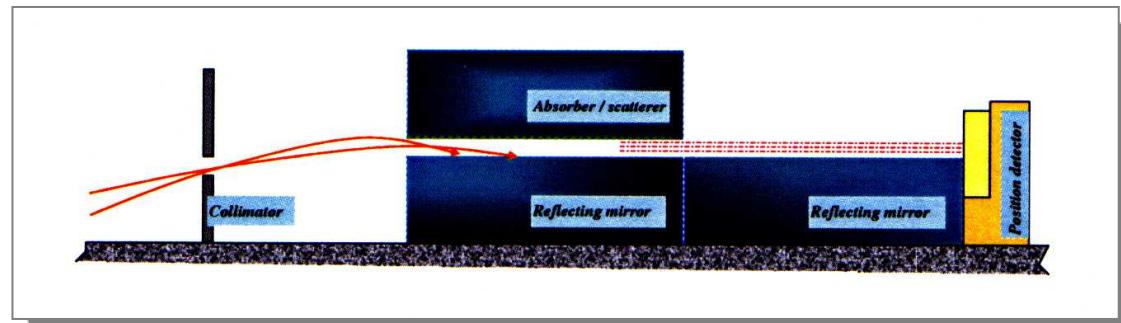
$$\langle ^1S_0 | V_W | ^3P_0 \rangle; \Delta I = 2$$

# Observation of Double Quantum States



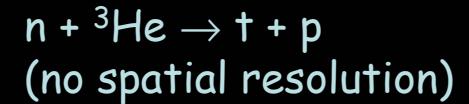
Nature 415 299 (2002), Phys. Rev. D 67 102002 (2003).

# the Experiment

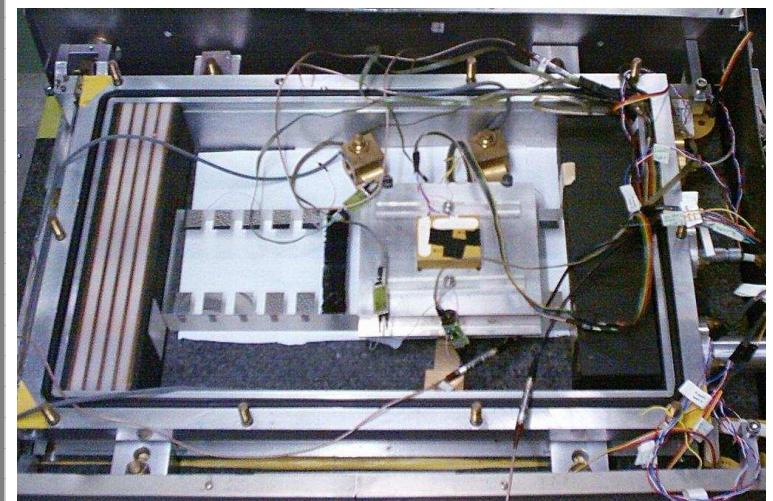
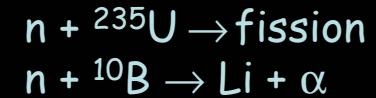


Neutron detection:

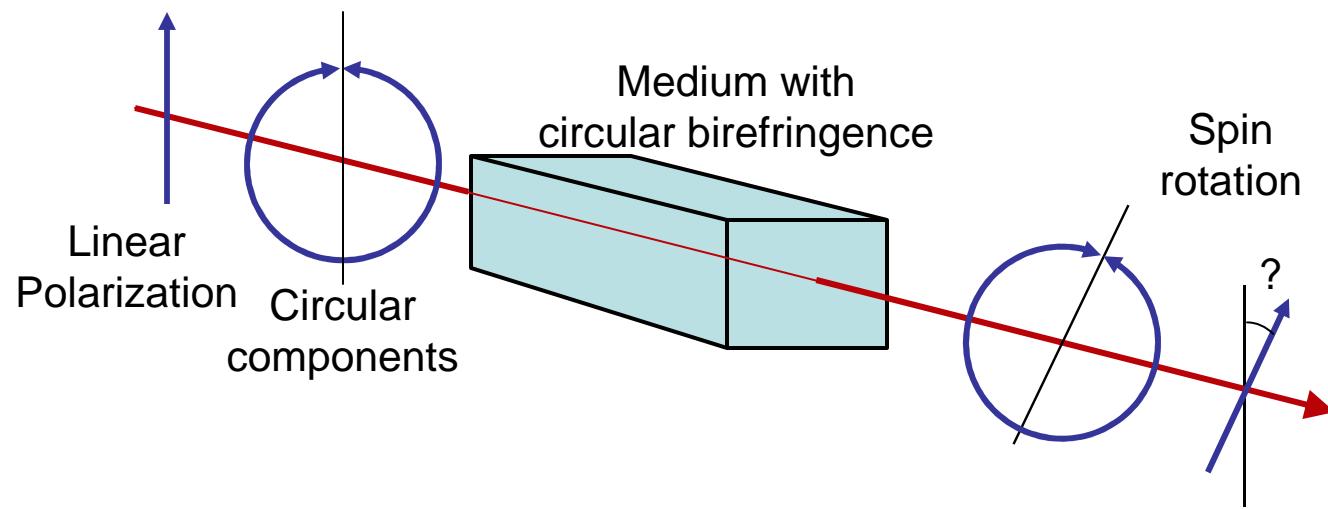
a) He - detector



b) Track detector

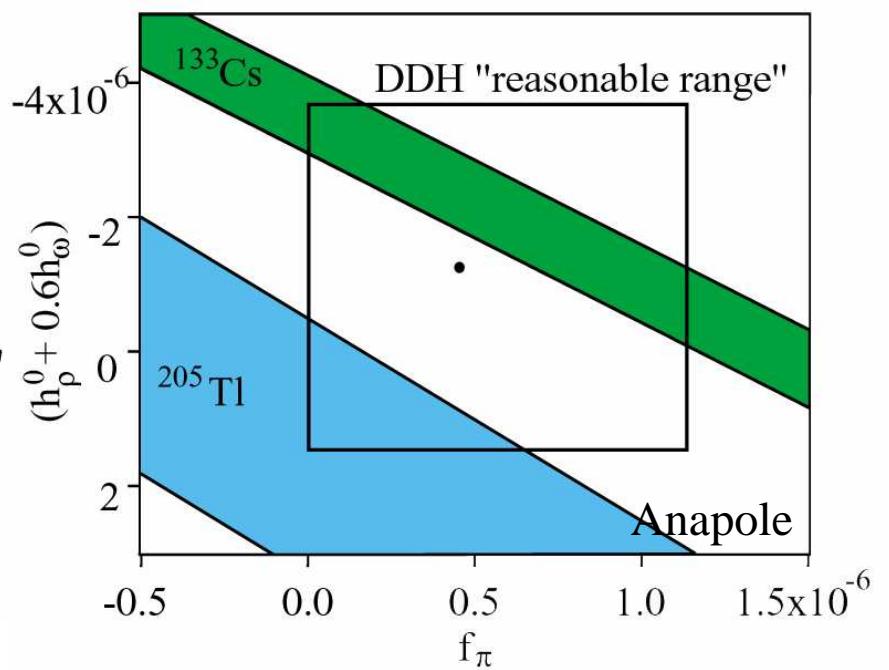
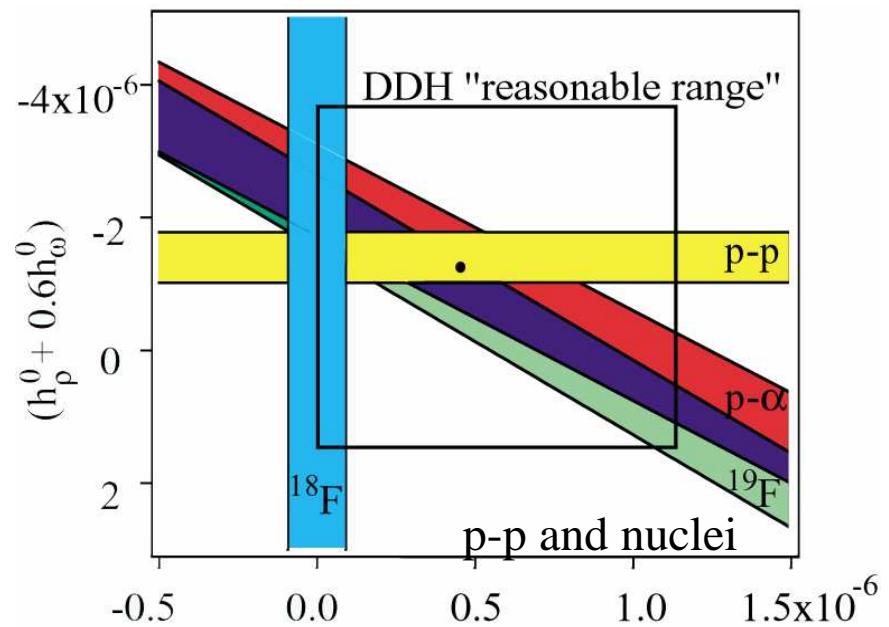
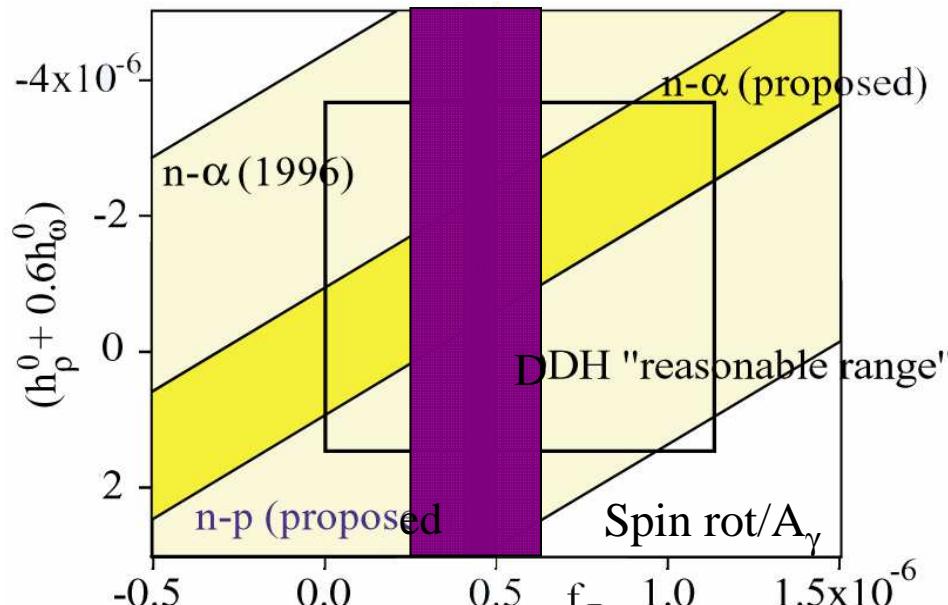
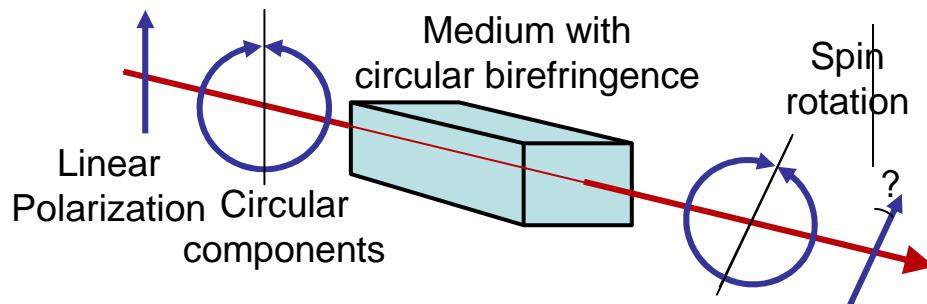


# Neutron spin rotation

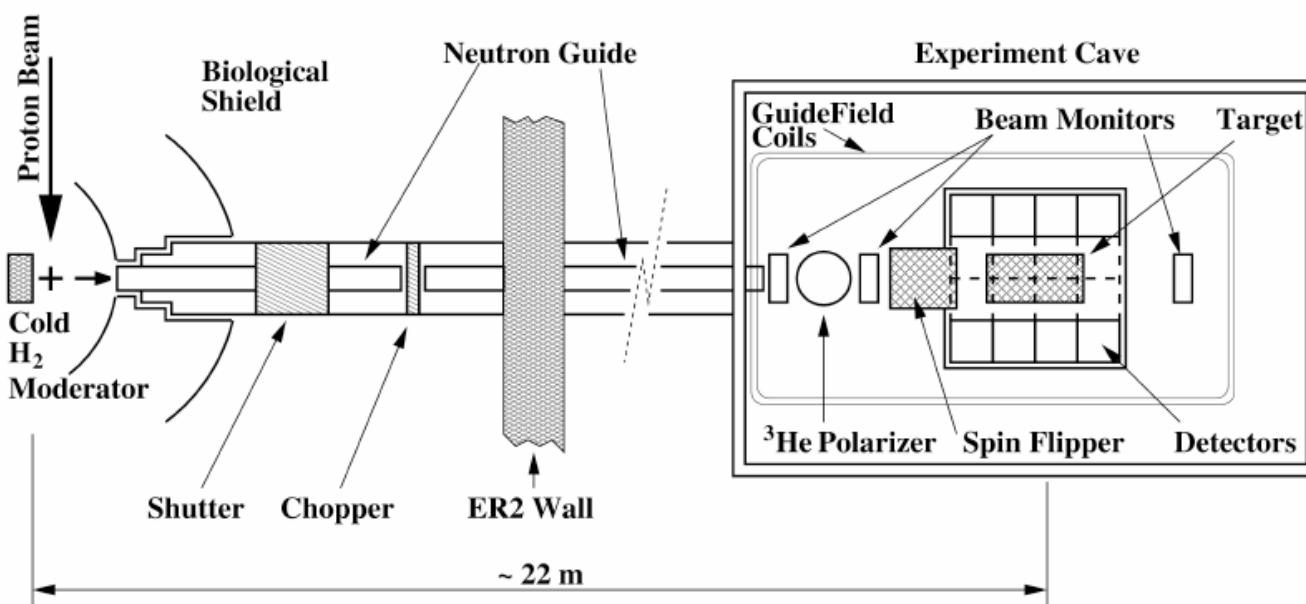
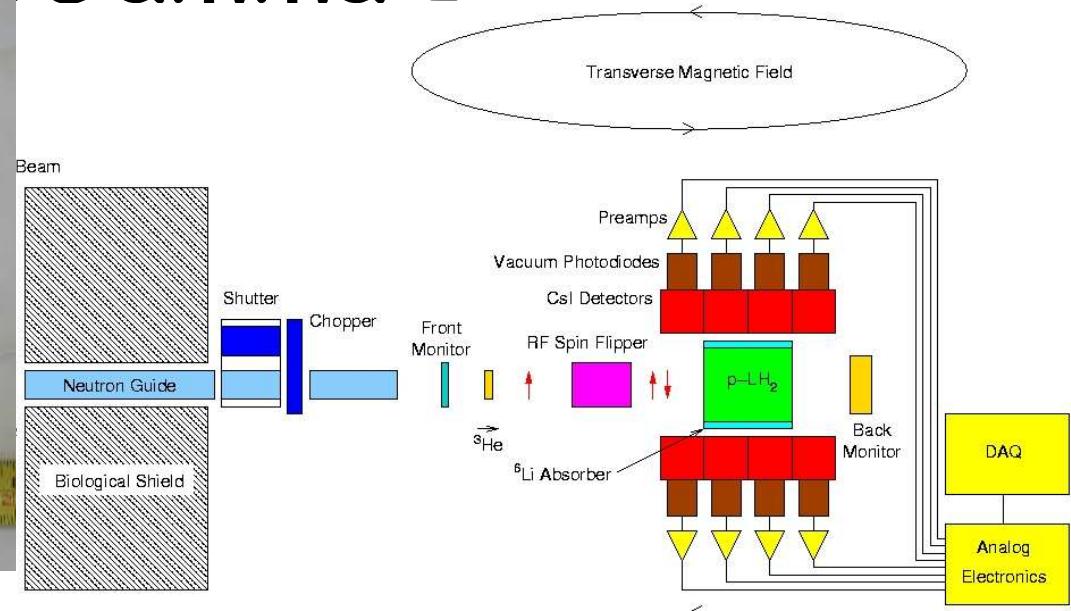


# Existing Measurements

## Neutron spin rotation

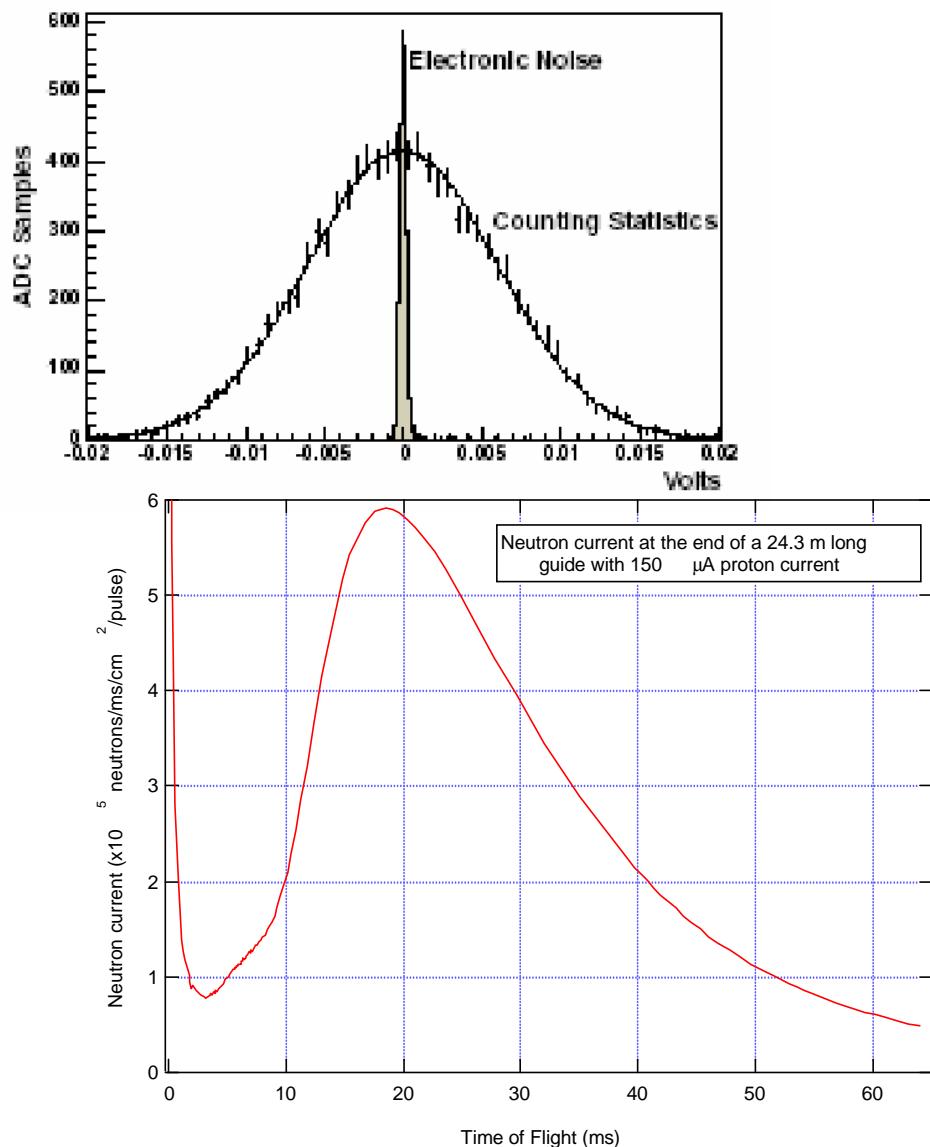


# NPD Gamma 1



# NPDGamma 2

CsI Detector Array  
IU, LANL, KEK



# What's next?

- move NPDG to the SNS to achieve goal of  $\delta A_\gamma = 5 \times 10^{-9}$
- follow-up experiment:  
 $n + d \rightarrow t + \gamma$

