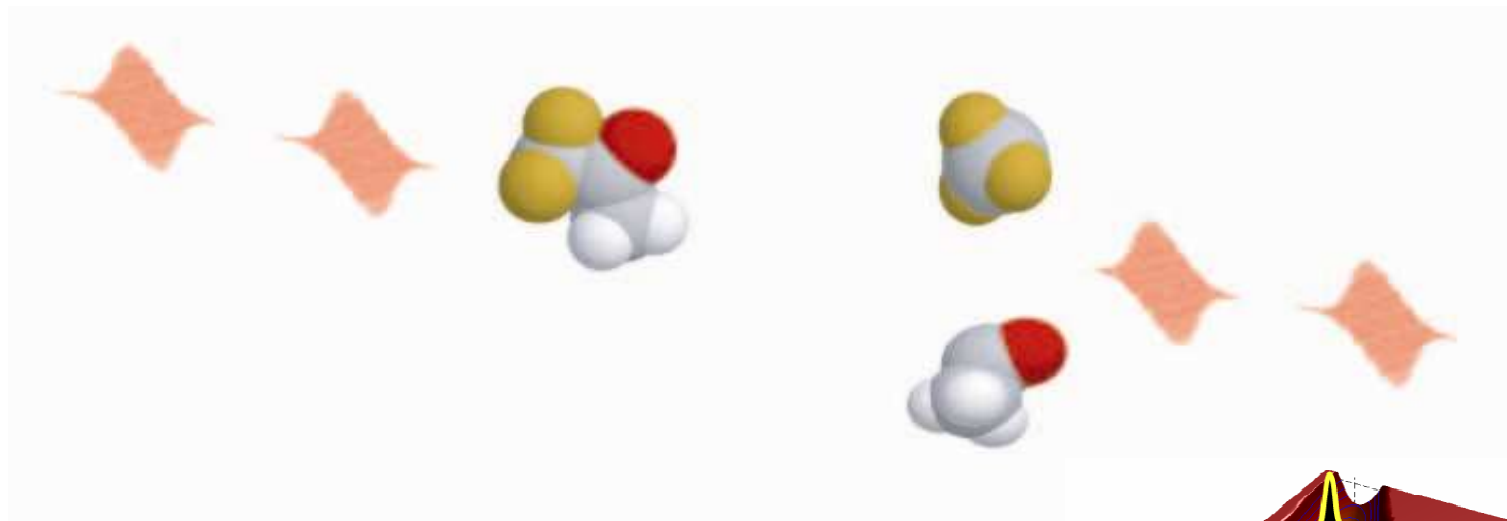
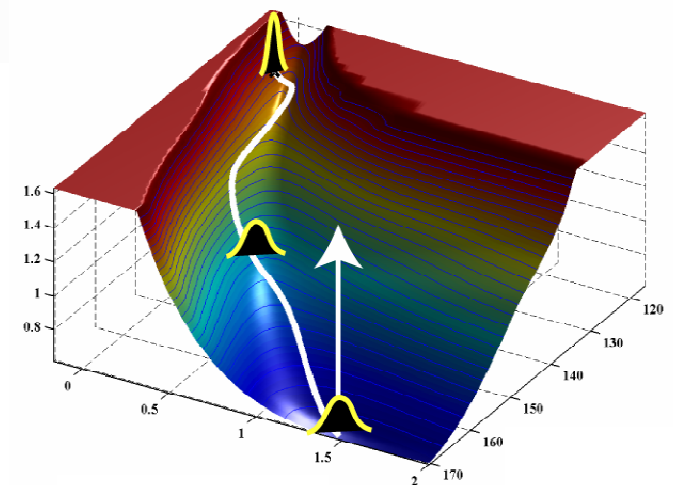


An Ultrafast Quantum Camera



University of Virginia
April 20th, 2007



Motivation & Outline

Motivation: Making molecular movies in *real time*

- Need a fast camera (ultrafast laser)
- Need to control the action (shaped laser pulses)

Outline

1. The tools of the trade

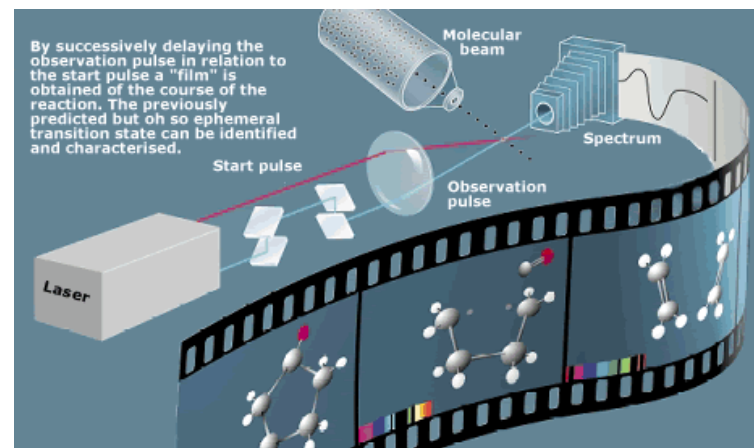
- Ultrafast lasers
- Pulse shaping and learning algorithms

2. Demonstrating Control

- Atomic population transfer & molecular fragmentation

3. Understanding Control and Making Movies

- Uncovering physical mechanisms underlying control
- Seeking to measure molecular wavefunctions

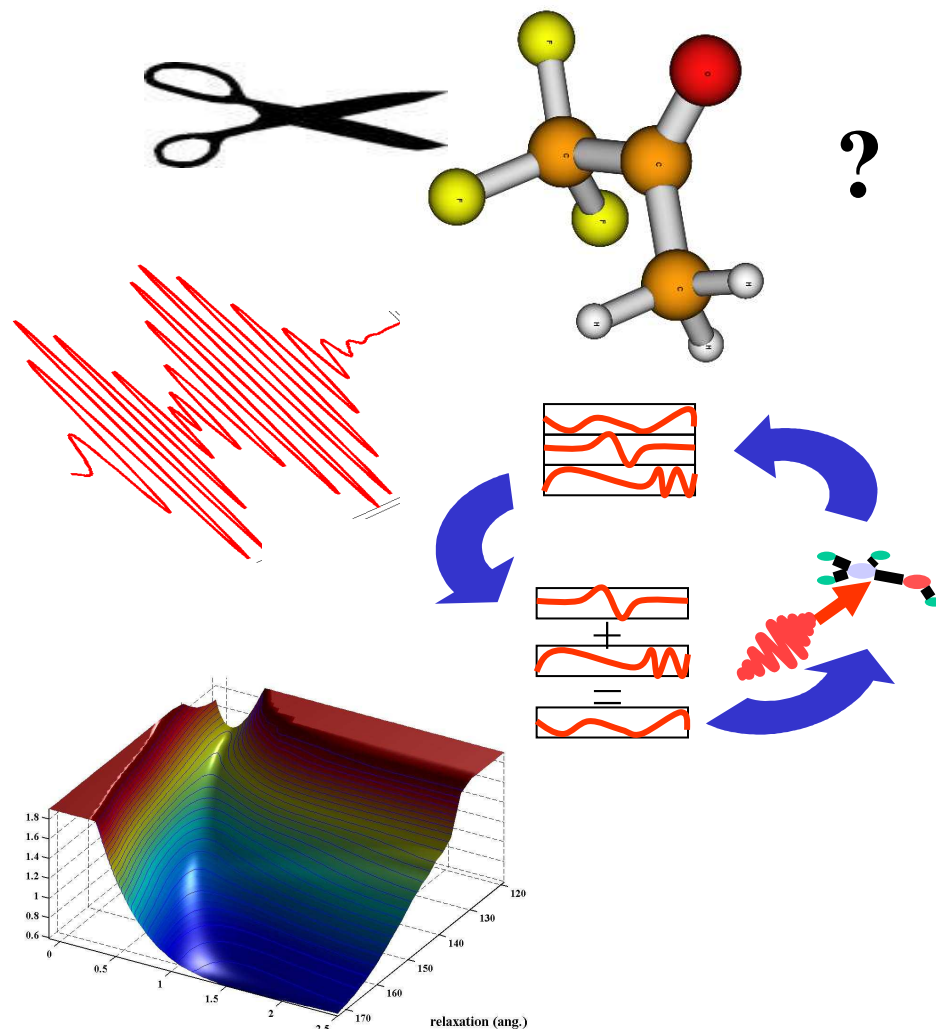


A. Zewail, 1999 Nobel Prize in chemistry

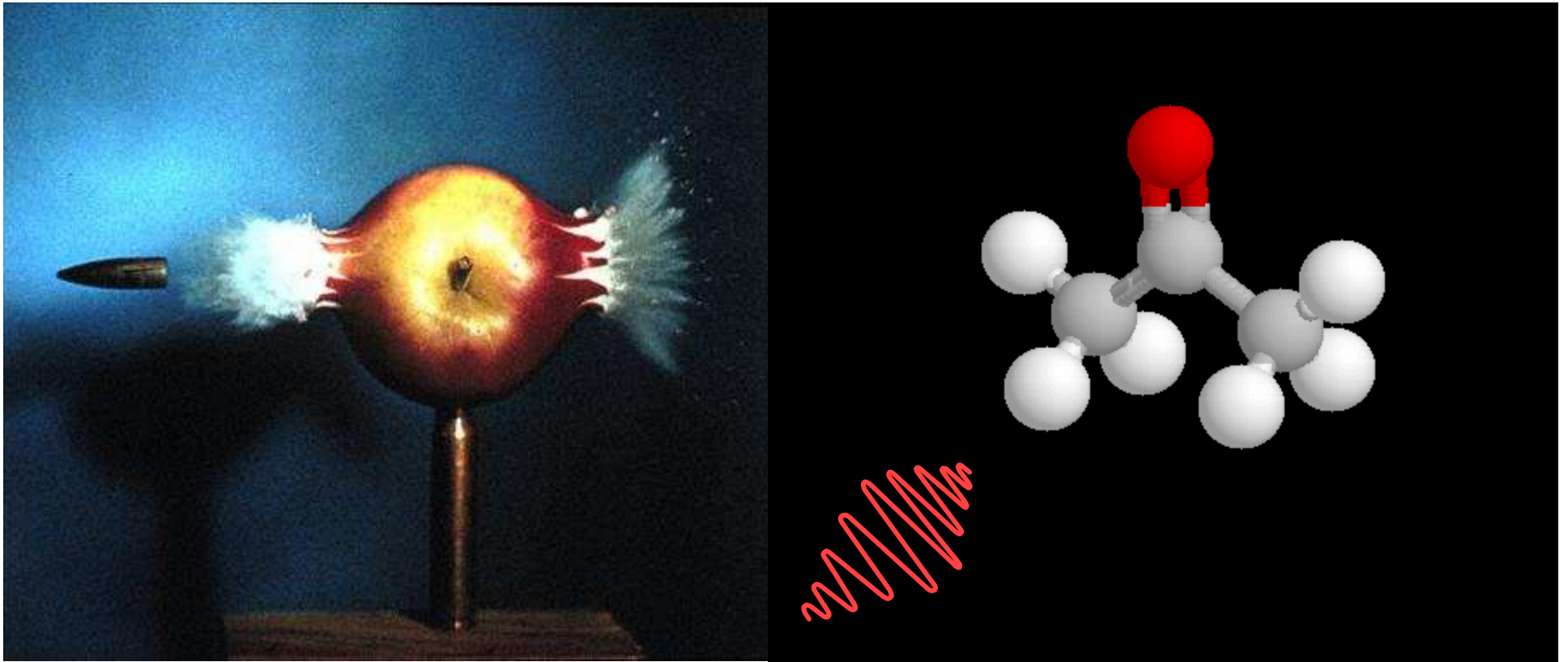


Making a Movie of Molecular Bond Breaking

- What if we don't know how to break a given bond?
- Use feedback to figure out how!
- What tools do we need to do this?
- $3N-6$ vibrational modes, 3 rotational modes - are all these needed to understand the dynamics?



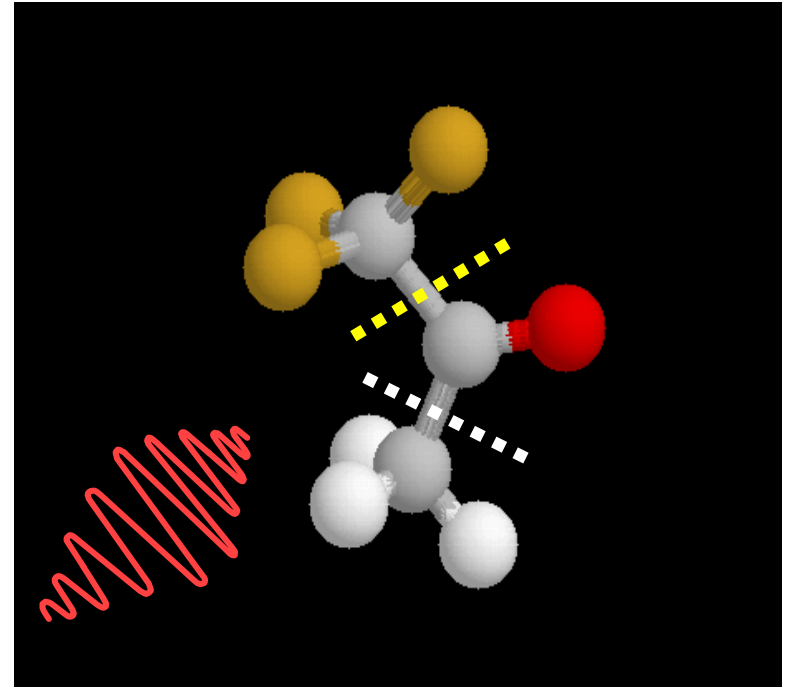
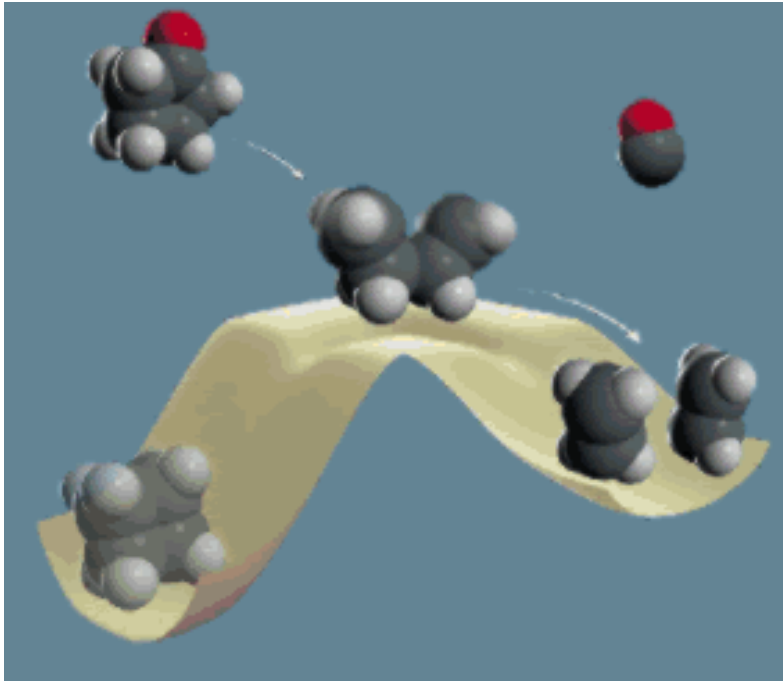
Capturing Molecular Dynamics



$$\tau \approx 10^{-6} s$$

$$\tau \approx 10^{-14} s$$

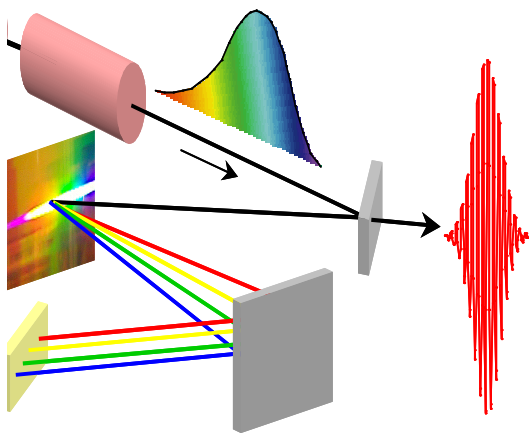
Controlling Molecular Dynamics



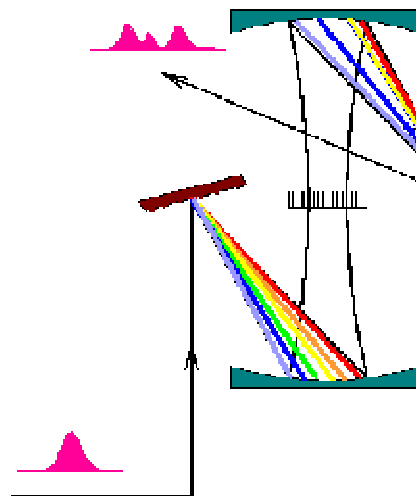
$$E_{\text{control}} > E_{\text{Hydrogen}} (5 \cdot 10^{11} \text{ V/m})$$

The 'Coherent' Control Toolbox

Amplified ultrafast lasers

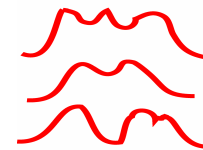


Optical field control

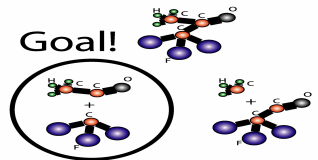


Feedback and learning algorithms

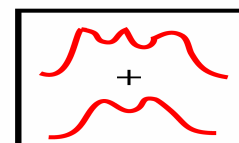
Initial Pulse Shapes



Goal!



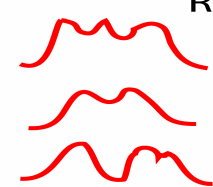
New Pulse Shapes



Combine best pulses

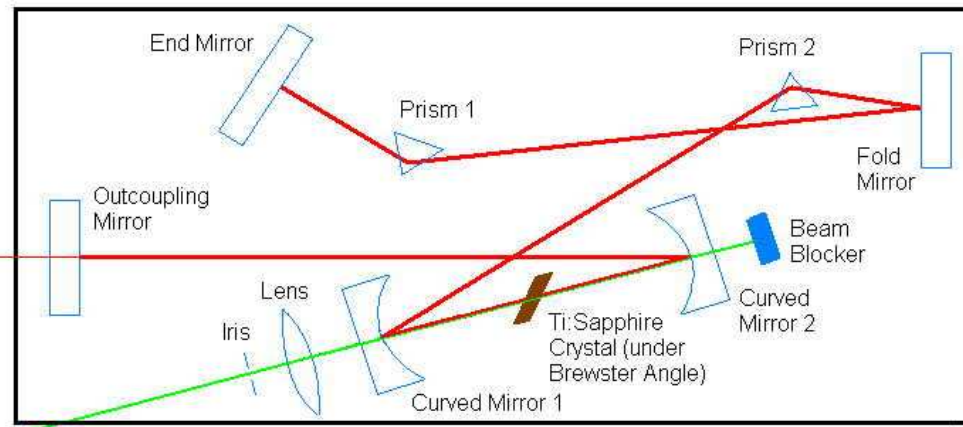
Rank

1
2
3

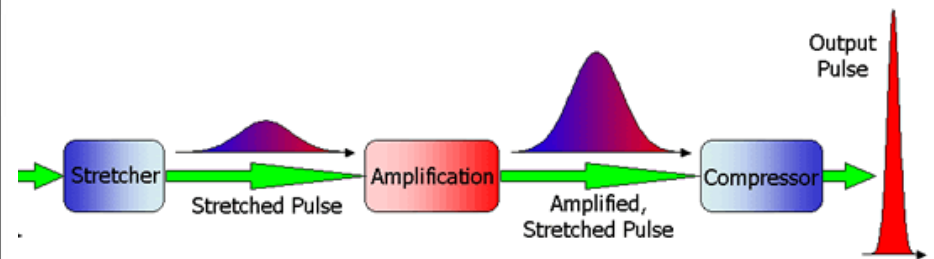


Amplified Ultrafast Lasers

Start with 'modelocked' ultrafast laser

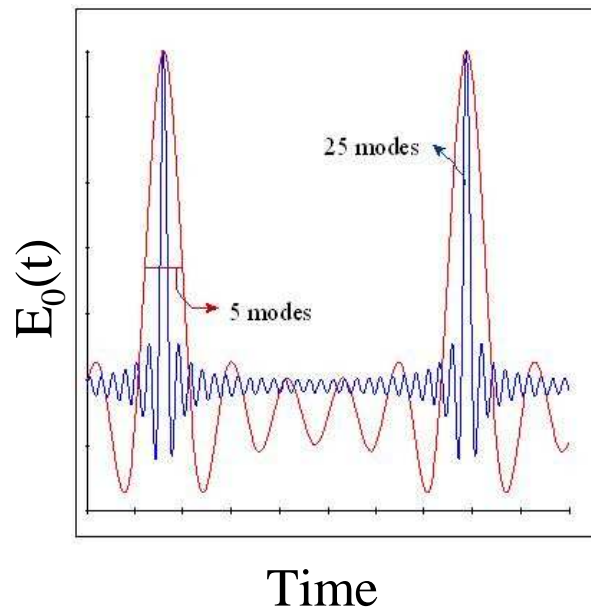


Stretch, amplify and compress



About 1 million modes lasing and locked in phase!

$$E(t) = E_0(t) \cos(\omega t)$$



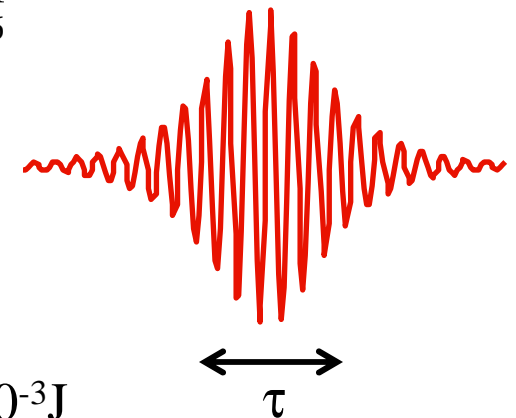
Gain in amplifier
of over 10^6

Output

$$\tau = 3 \times 10^{-14} \text{ s}$$

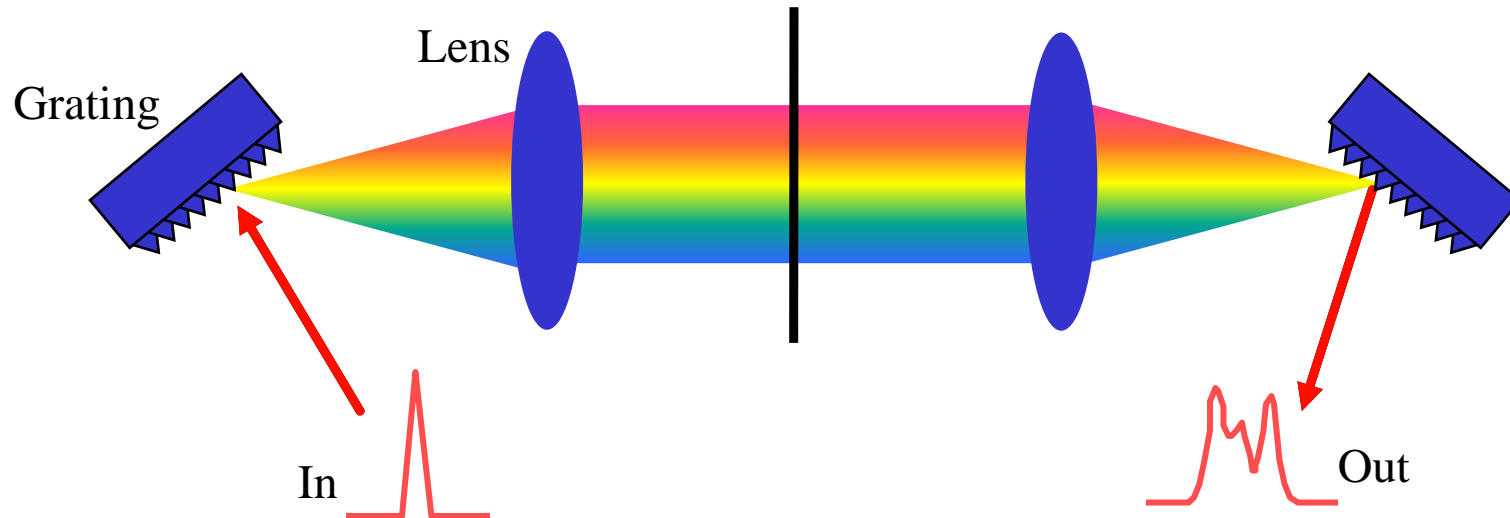
$$\text{Energy} = 10^{-3} \text{ J}$$

$$I_{\text{control}} (10^{18} \text{ W/m}^2) \gg I_{\text{sun}} (6 \times 10^7 \text{ W/m}^2)$$



Ultrafast Optical Pulse Shaping

Programmable mask which
shapes $E(\omega) = |E(\omega)|e^{i\phi(\omega)}$

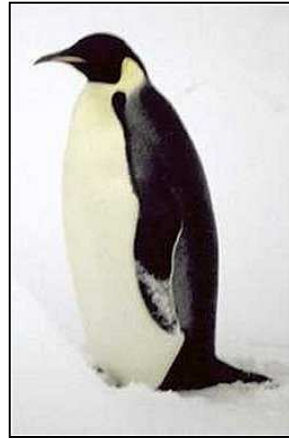


Using a Genetic Learning Algorithm I

Based on biological model of natural selection

In Nature

Individuals:



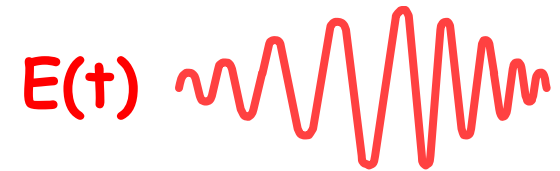
Genetic Code:



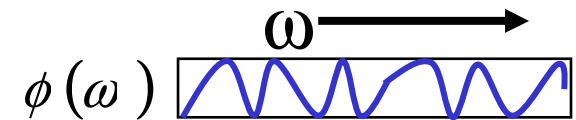
Population:



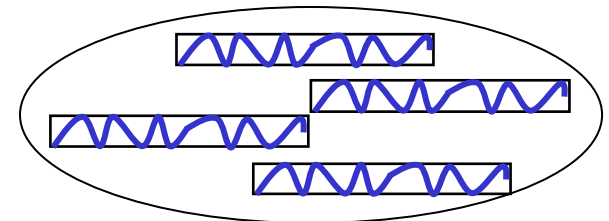
In Our Lab



Shaped pulses $E(t)$



Phase at each frequency



Collection of pulse shapes

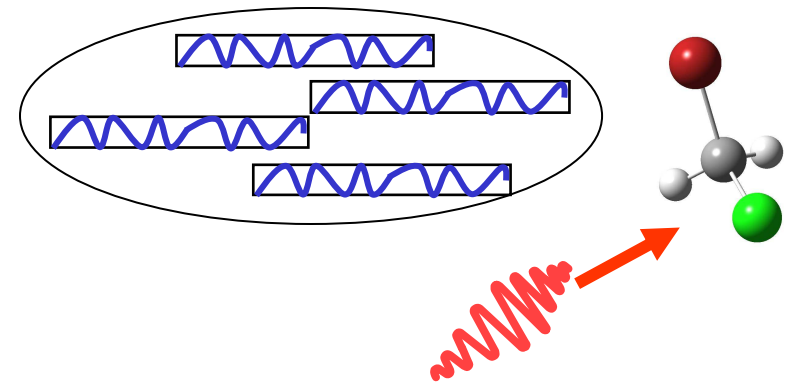
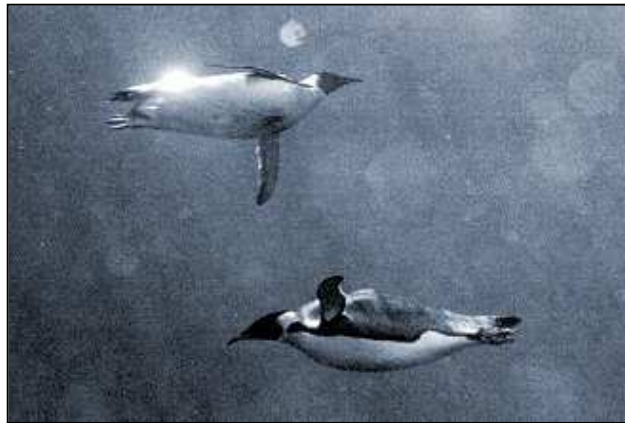
Using a Genetic Learning Algorithm II

Based on biological model of natural selection

In Nature

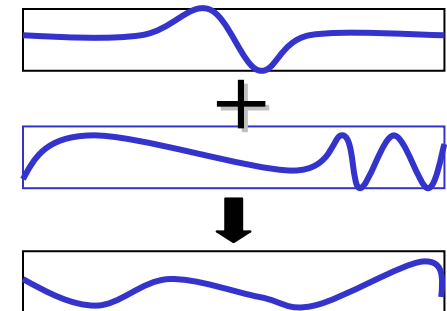
In Our Lab

Survival of
the Fittest:



Fitnesses = 1.95, 2.46, ...

Reproduction:



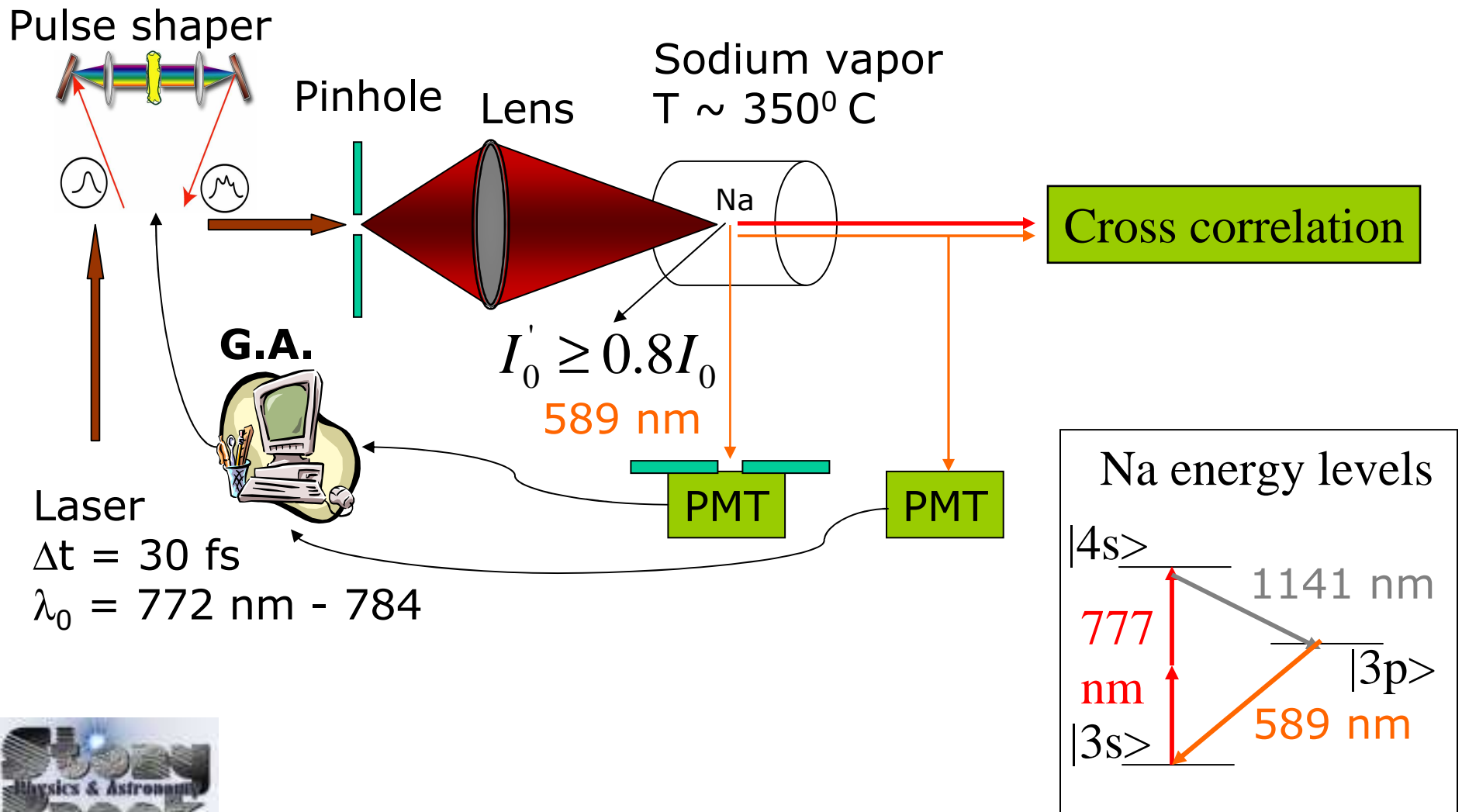
"Operators"

Crossover, Mutation, etc.

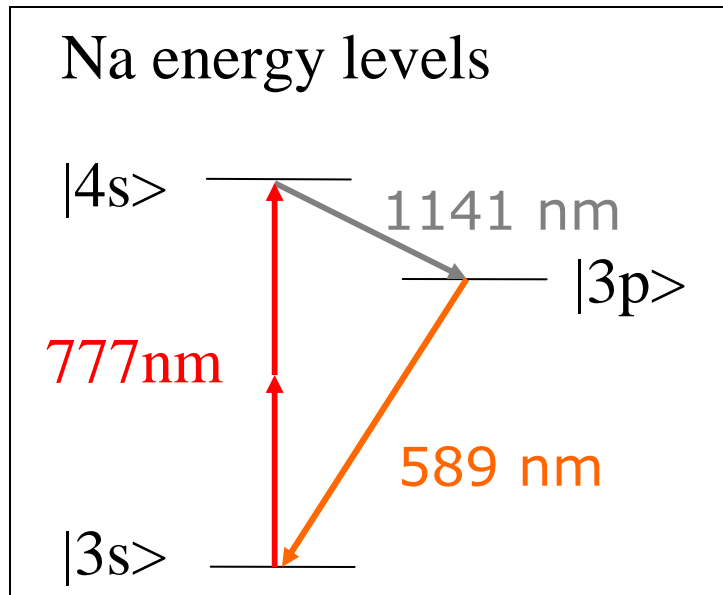


Control & Dynamics I

Inversion & Lasing in an atom (Na)



Strong Fields - Dynamic Resonance

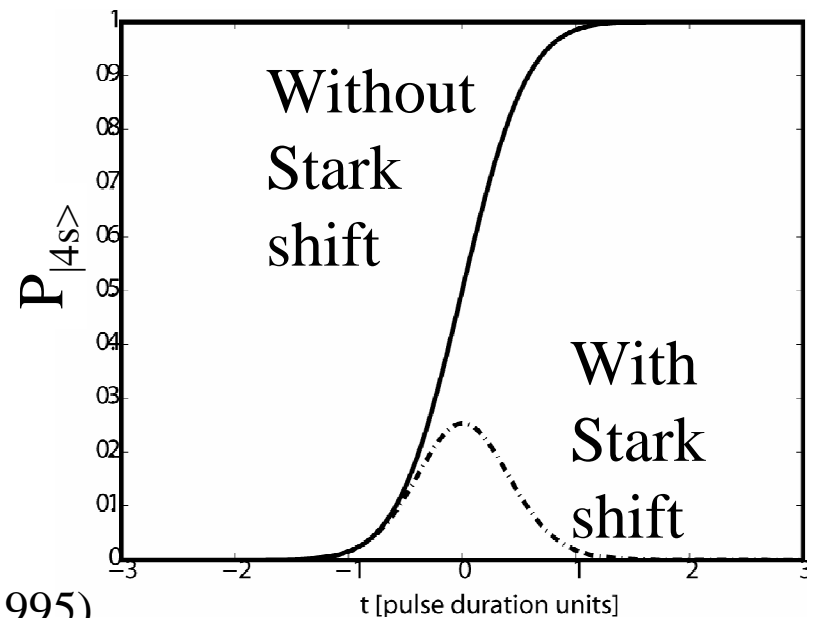
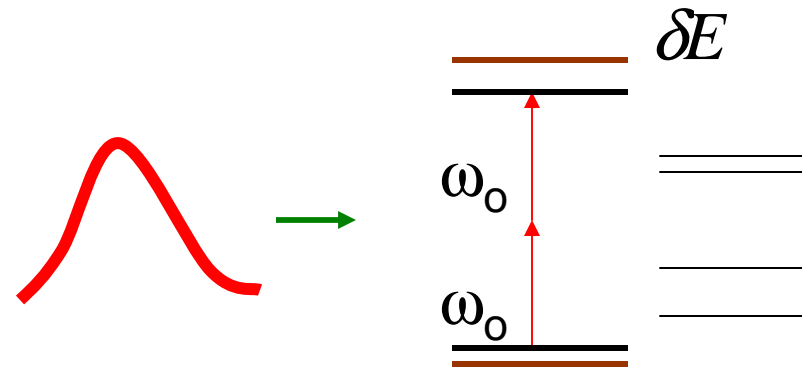


- Coupling strength and energy shifts are of the same order of magnitude \rightarrow low efficiency
- Absorption \rightarrow Emission

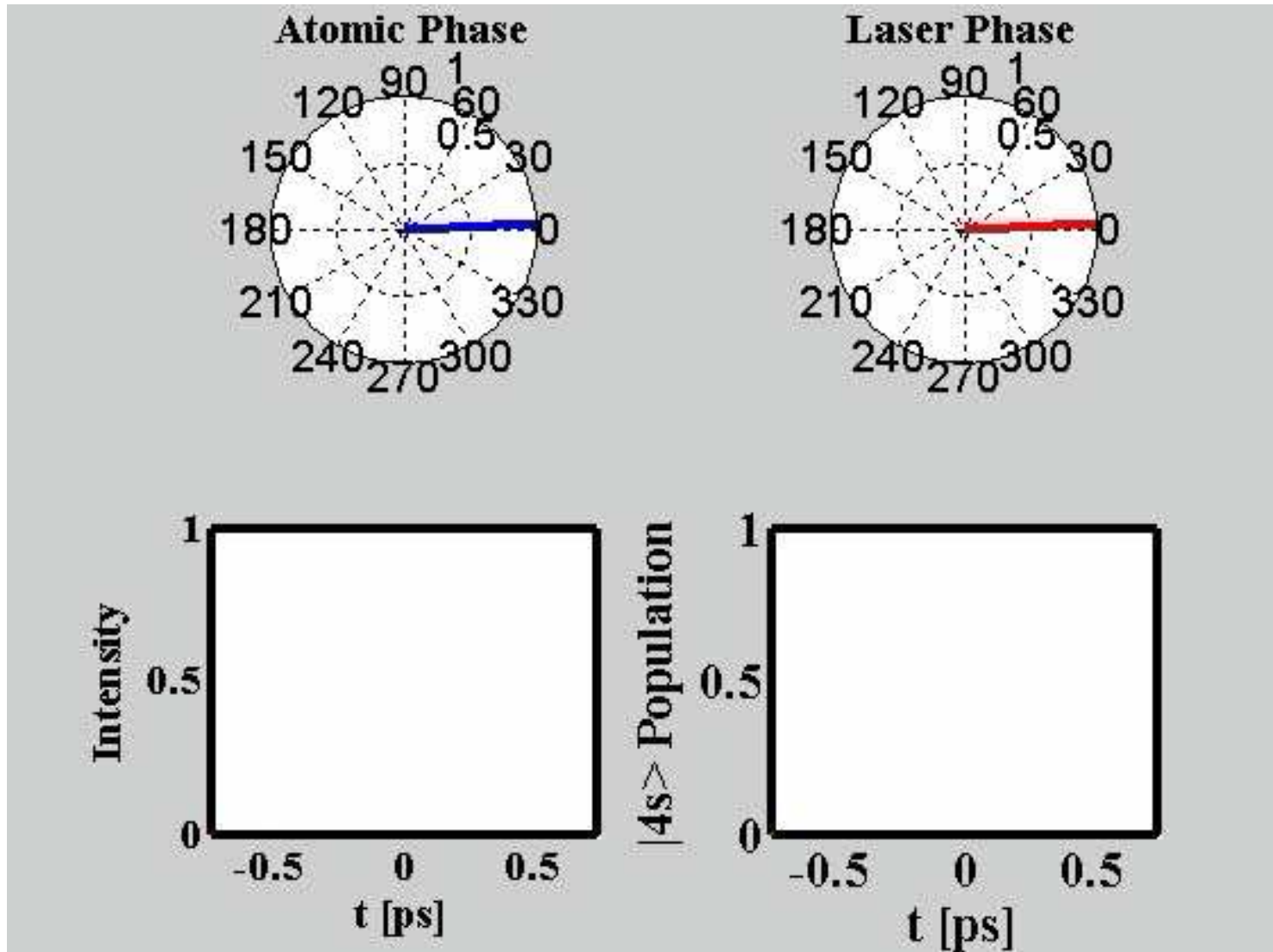


R. R. Jones *Phys. Rev. Lett.* **74**, 1091 (1995)

Stark shift: $\delta E \propto \epsilon(t)^2$

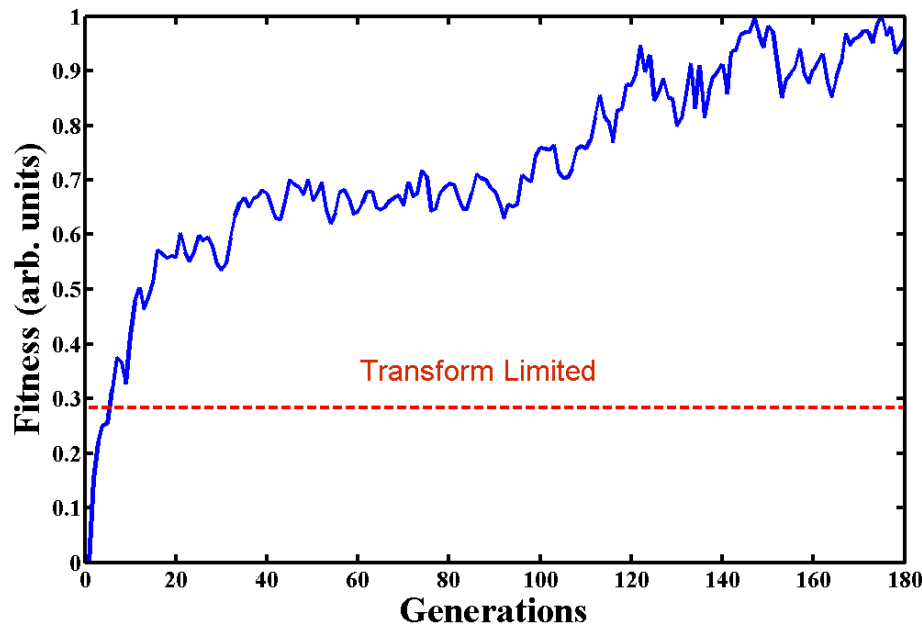


Strong Fields - Dynamic Resonance



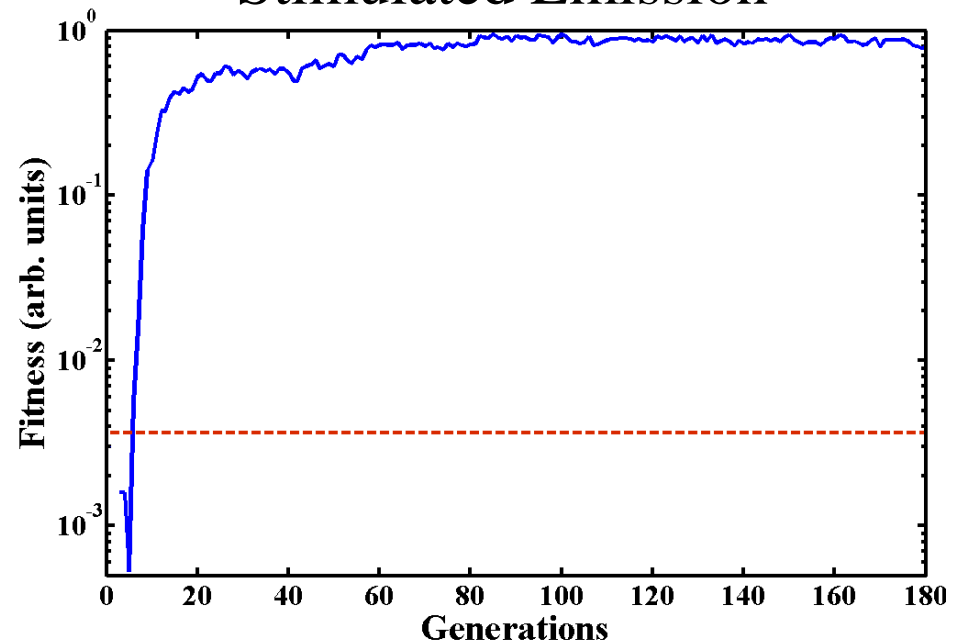
Using Feedback to get Inversion & Lasing in Na

Spontaneous Emission



Improvement over unshaped ~ 3

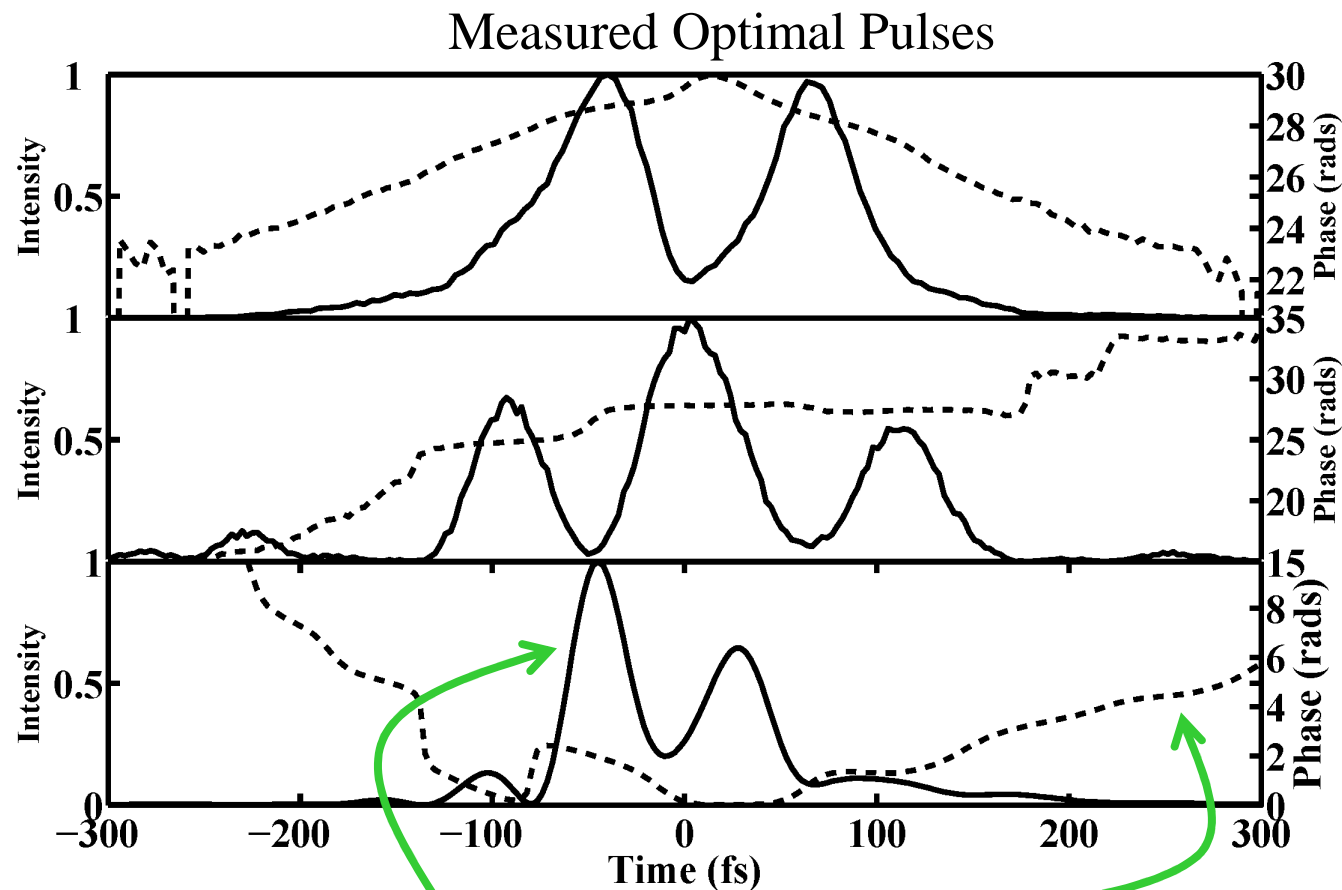
Stimulated Emission



Improvement over unshaped $\sim 10^3$



Understanding Single Atom Strong Field Dynamics

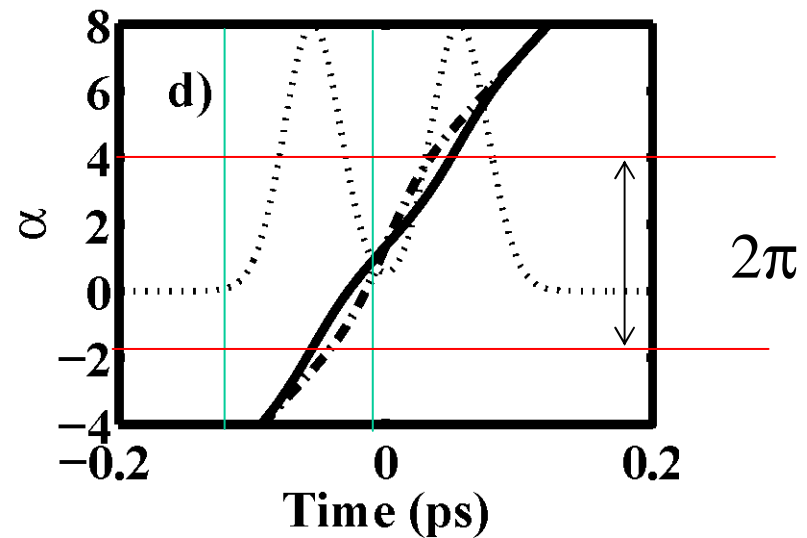
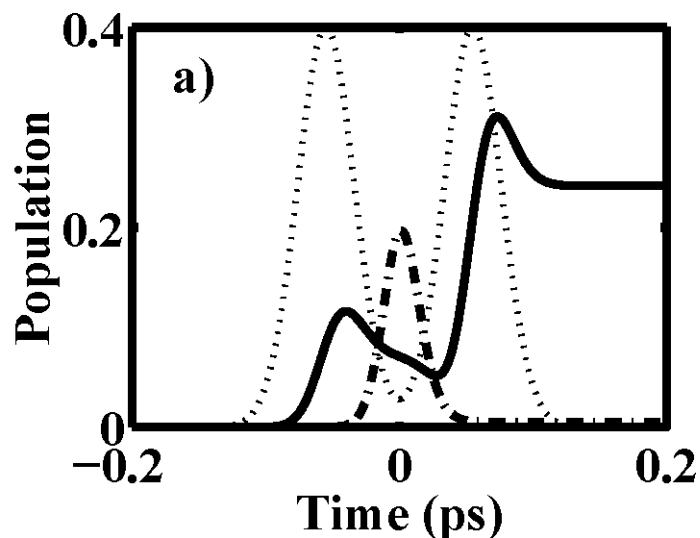


$$E(t) = A(t)\cos(\omega_0 t + \phi(t))$$



Phys. Rev. Lett. **96** 063603 (2006)

Understanding Single Atom Strong Field Dynamics

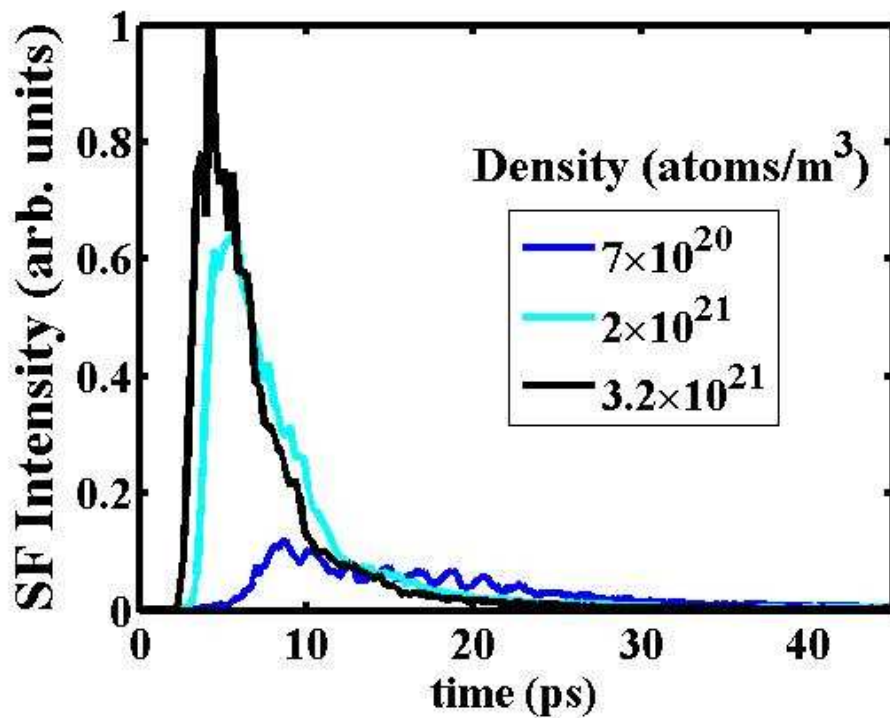


- $P_{4s}(t), \alpha(t)$ shaped
- · - $P_{4s}(t), \alpha(t)$ unshaped
- $I(t)$ measured

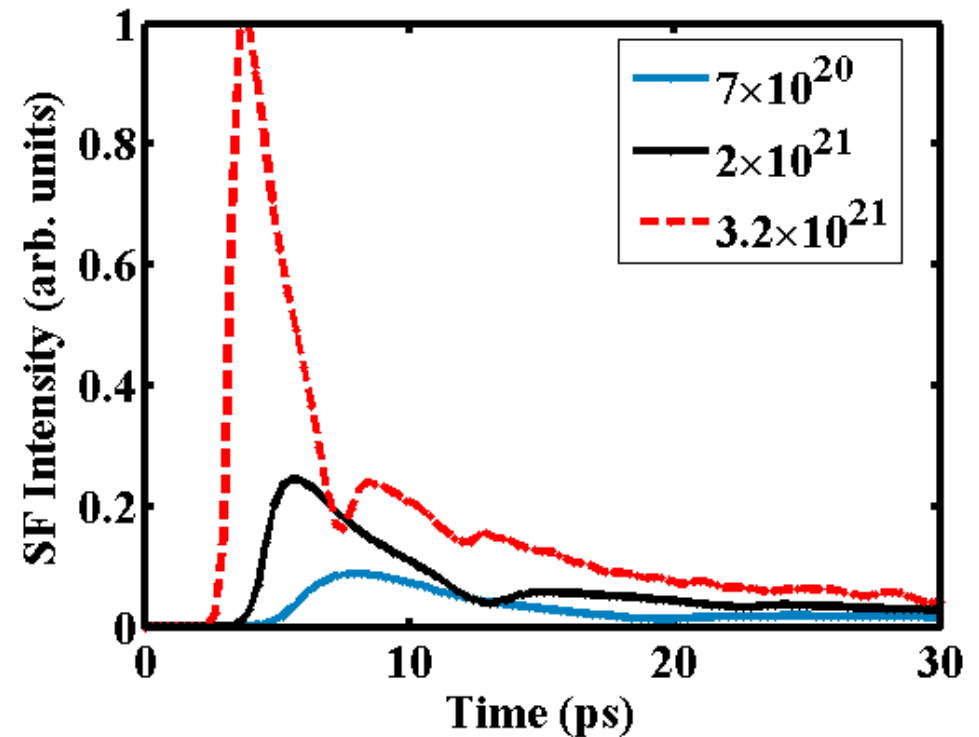
$\alpha(t)$ is the 'atom-laser phase'



Measurement & Calculations of the Stimulated Emission



Experiment

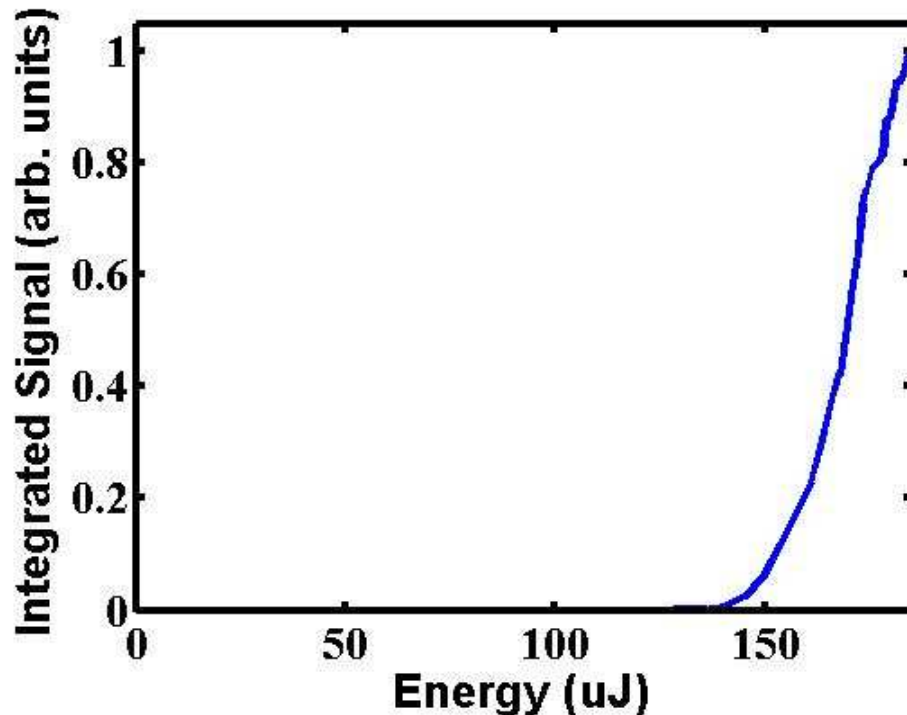


Theory

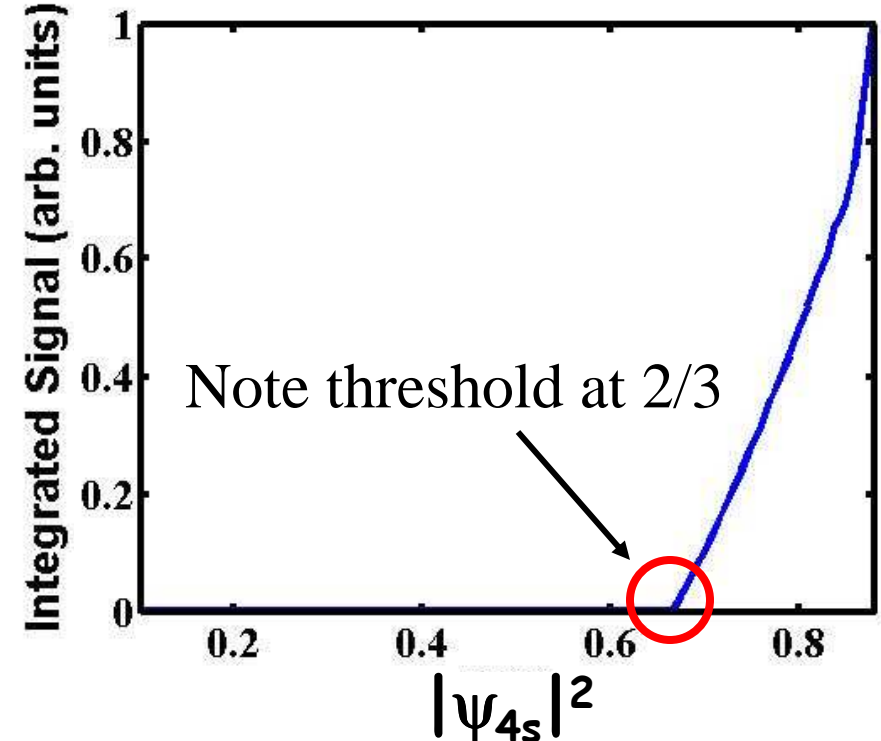


Stimulated Emission vs $|\psi_{4s}|^2$

Experiment



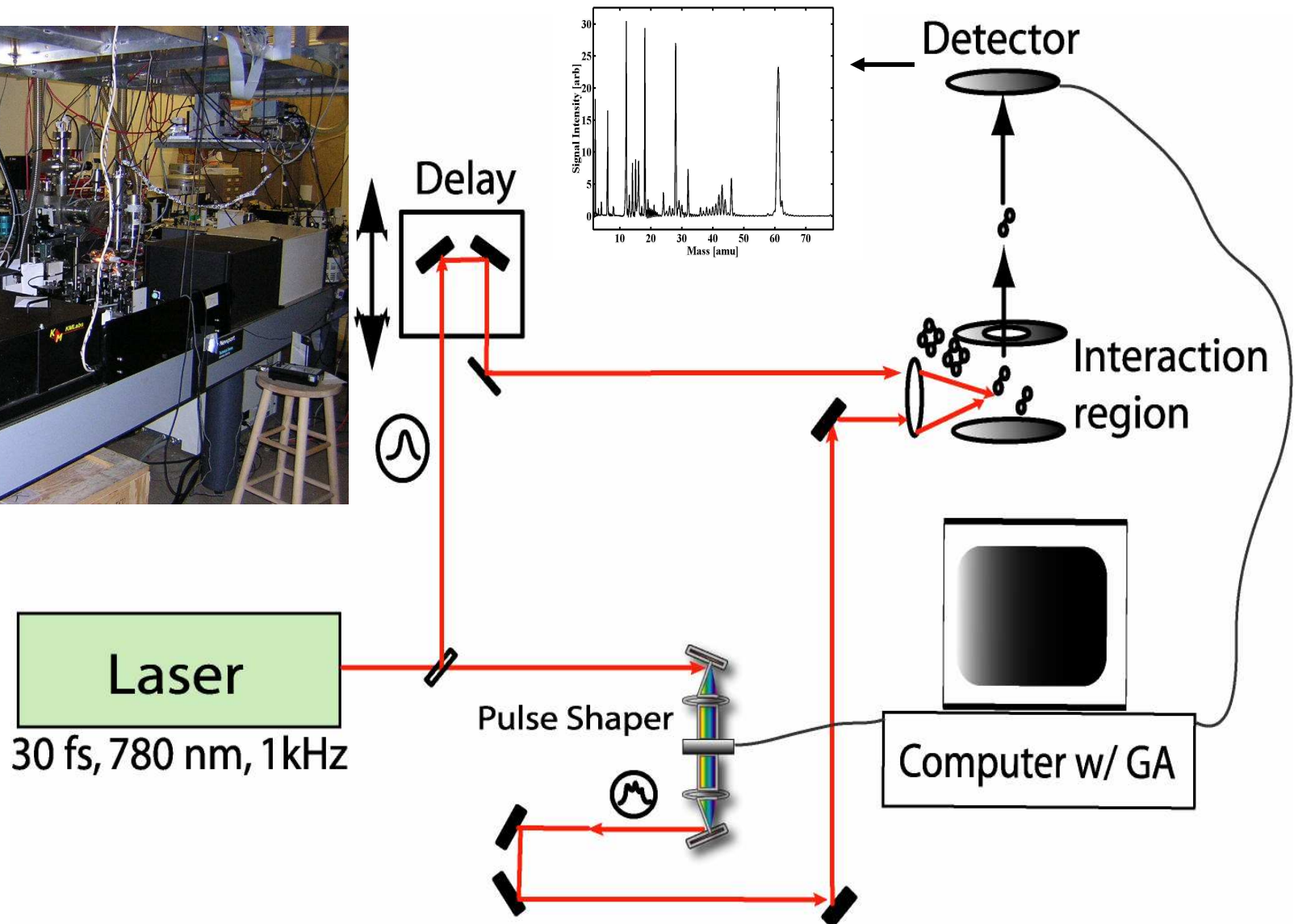
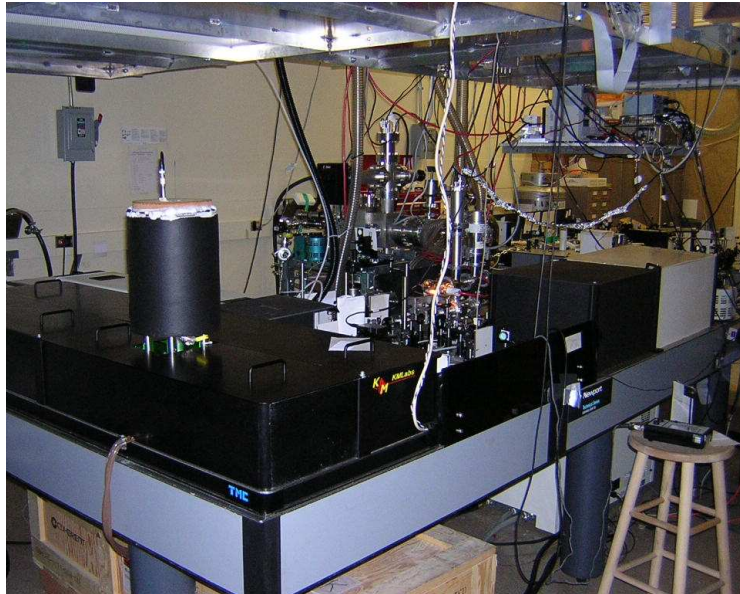
Theory



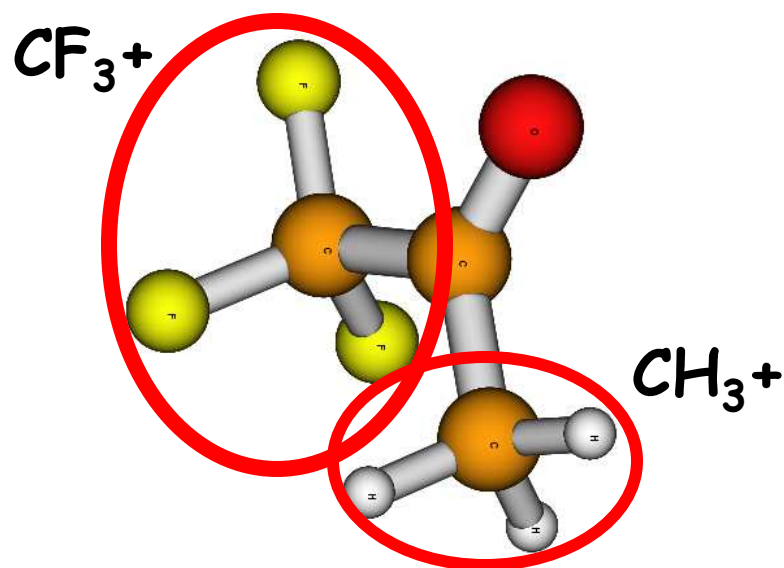
- *Stimulated emission is superfluorescence – locking of atomic dipoles*
- *Modest single atom gains lead to large stimulated gains*



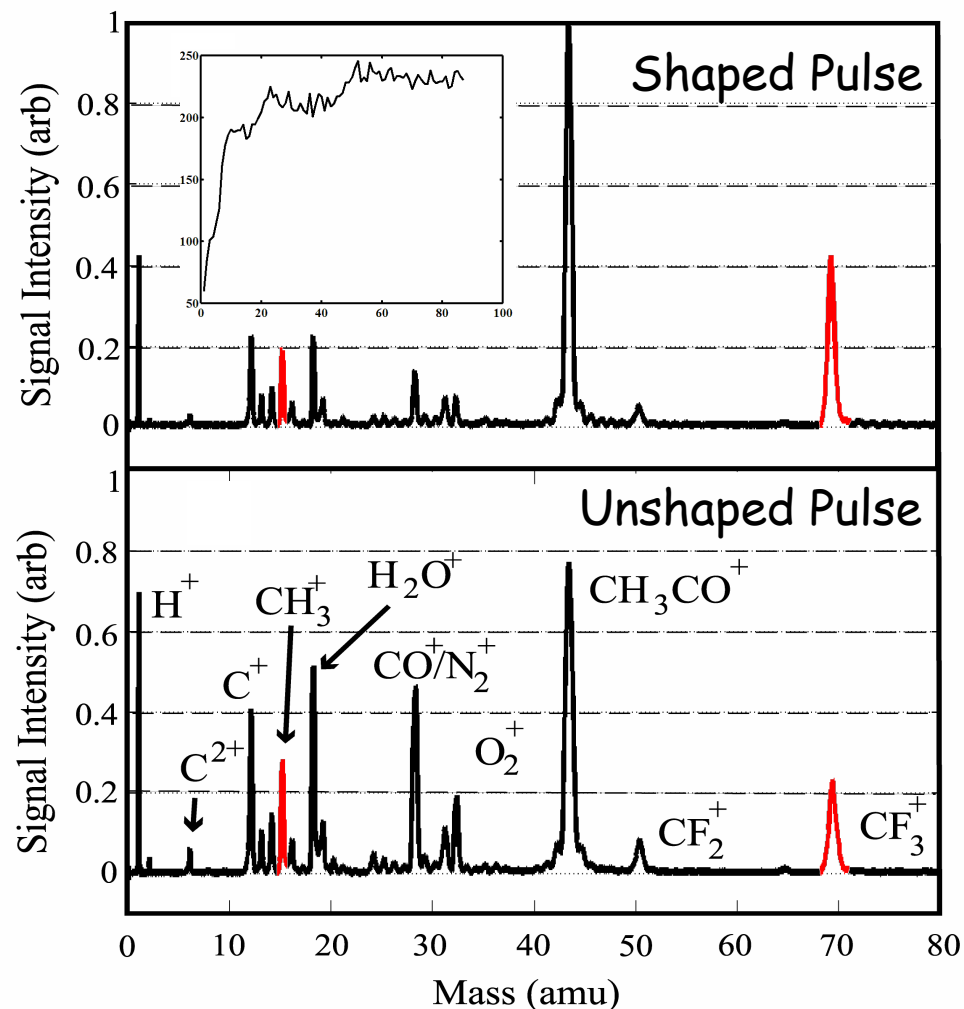
Control and Dynamics II - Molecules



Control in Trifluoroacetone (CH_3COCF_3)



Control goal = $\text{CF}_3^+/\text{CH}_3^+$

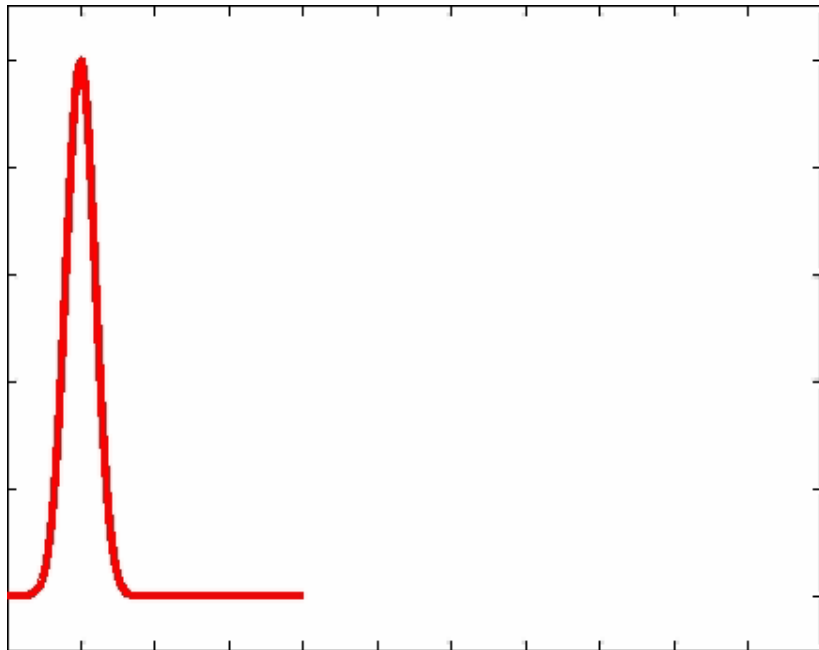
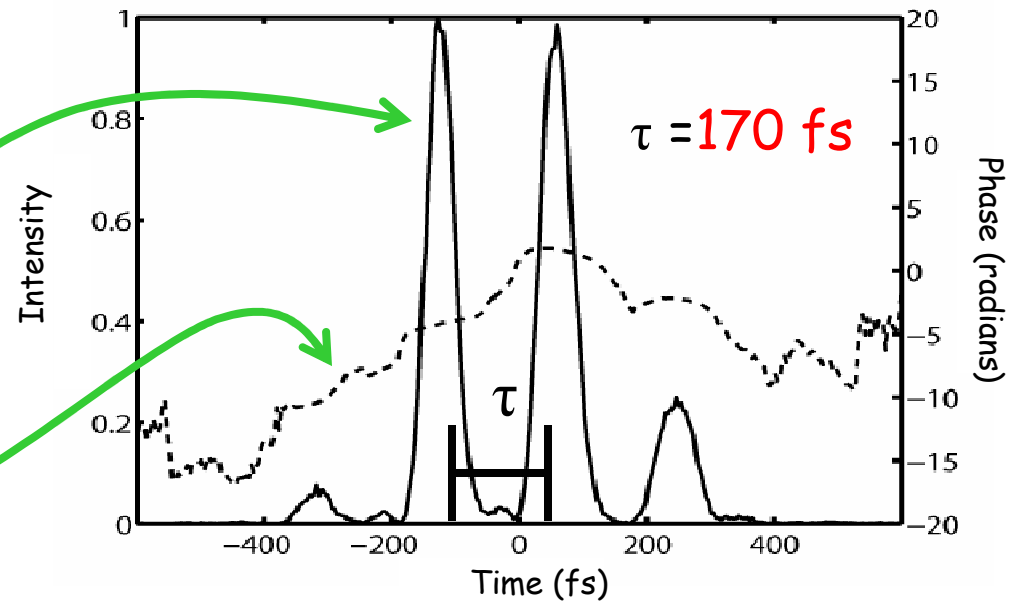


R. J. Levis, G. M. Menkir, and H. Rabitz, *Science* **292**, 709 (2001).

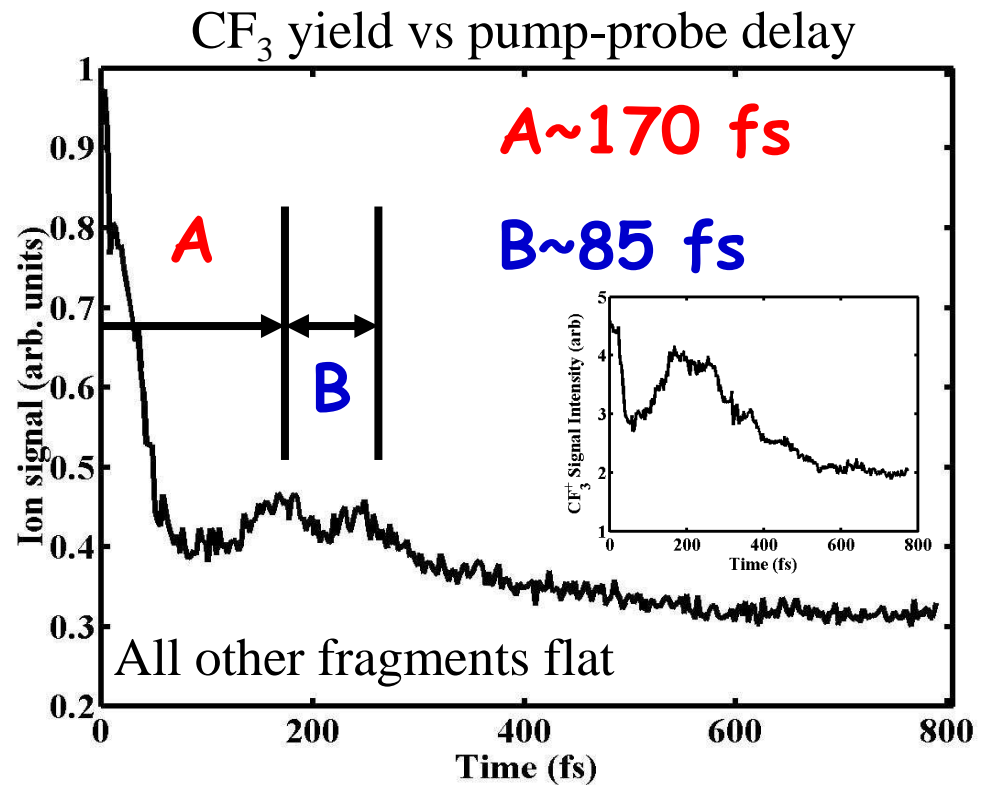
D. Cardoza, M. Baertschy, T. Weinacht, *J. Chem Phys.* **123**, 074315 (2005).

Optimal solution & Pump-Probe Measurement

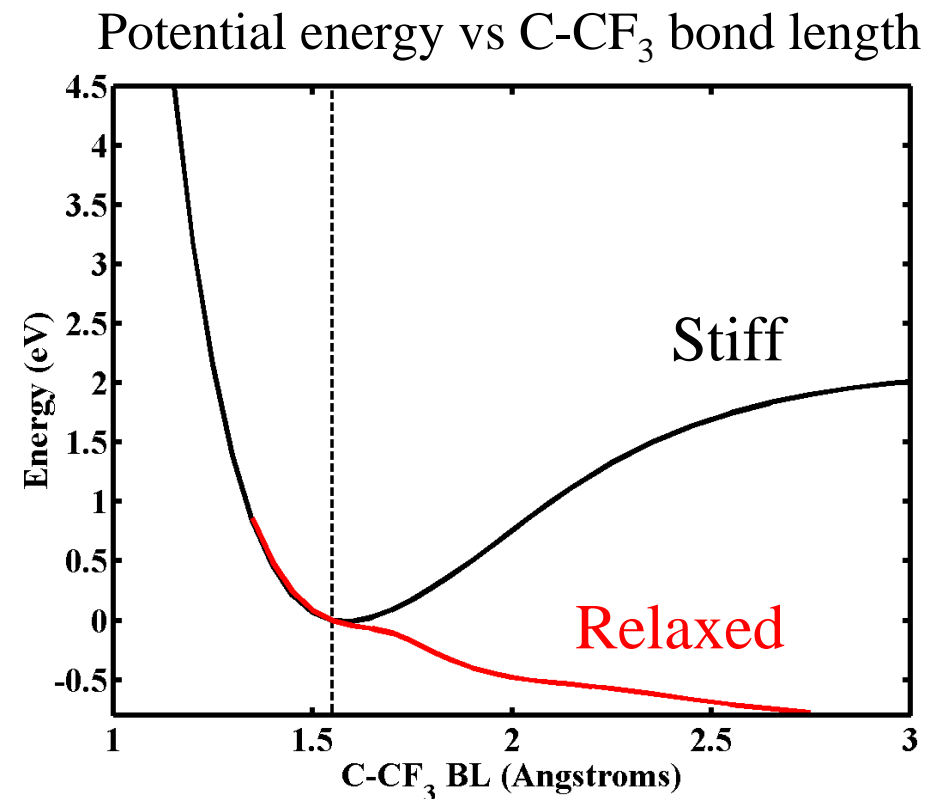
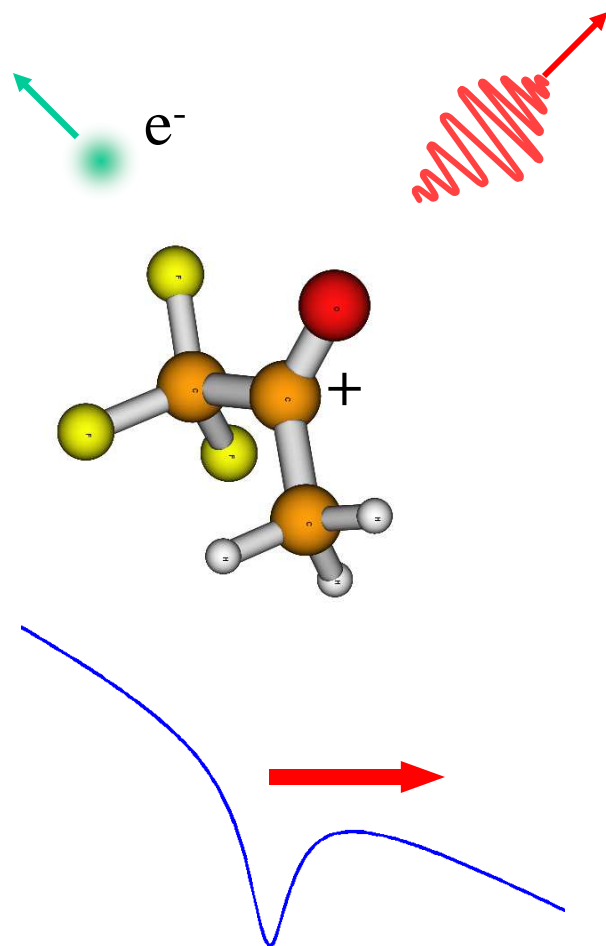
$$E(t) = A(t)\cos(\omega_0 t + \phi(t))$$



Laser cooperates with
Molecular dynamics

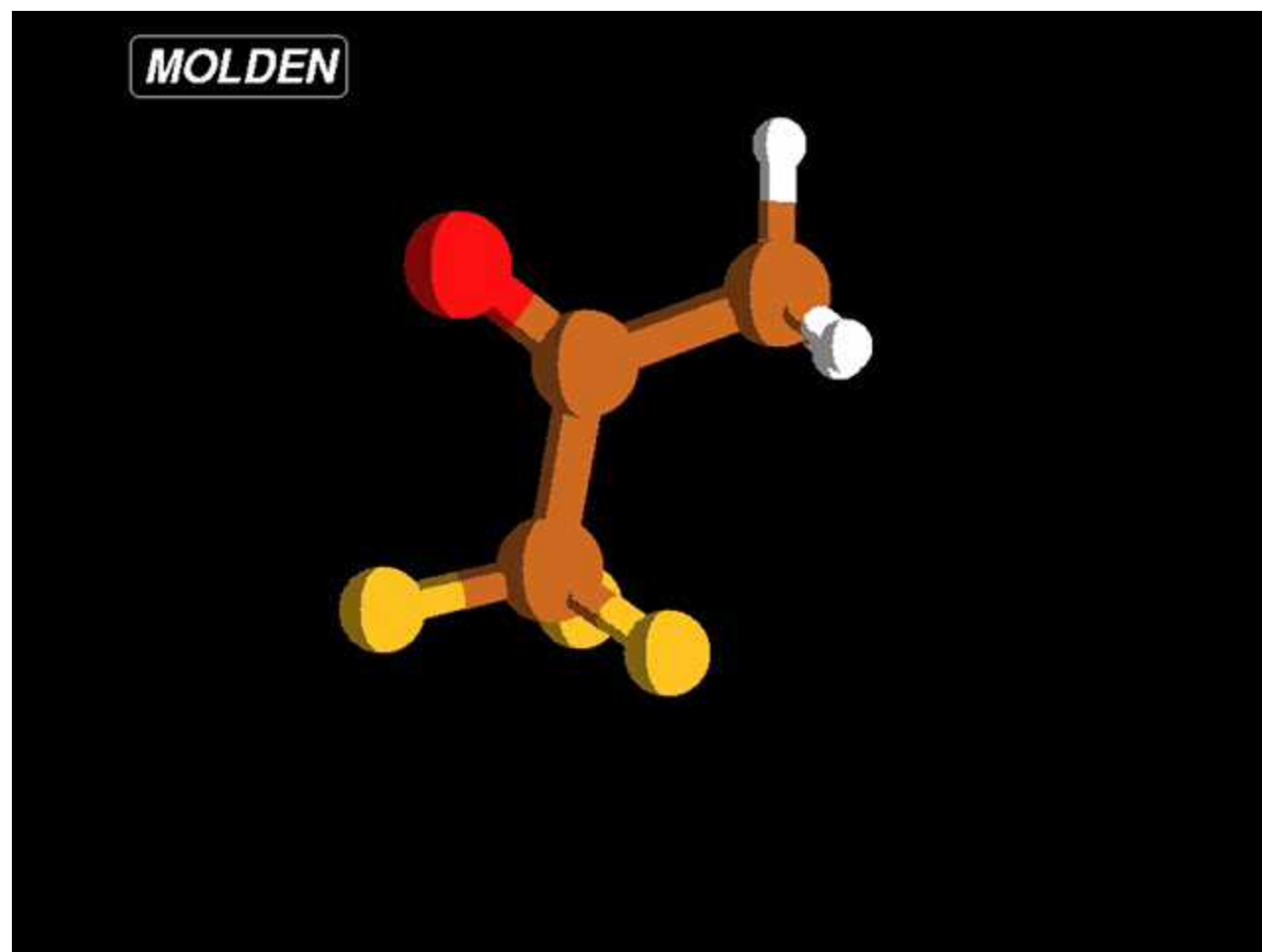


How Can We Describe the Dynamics?

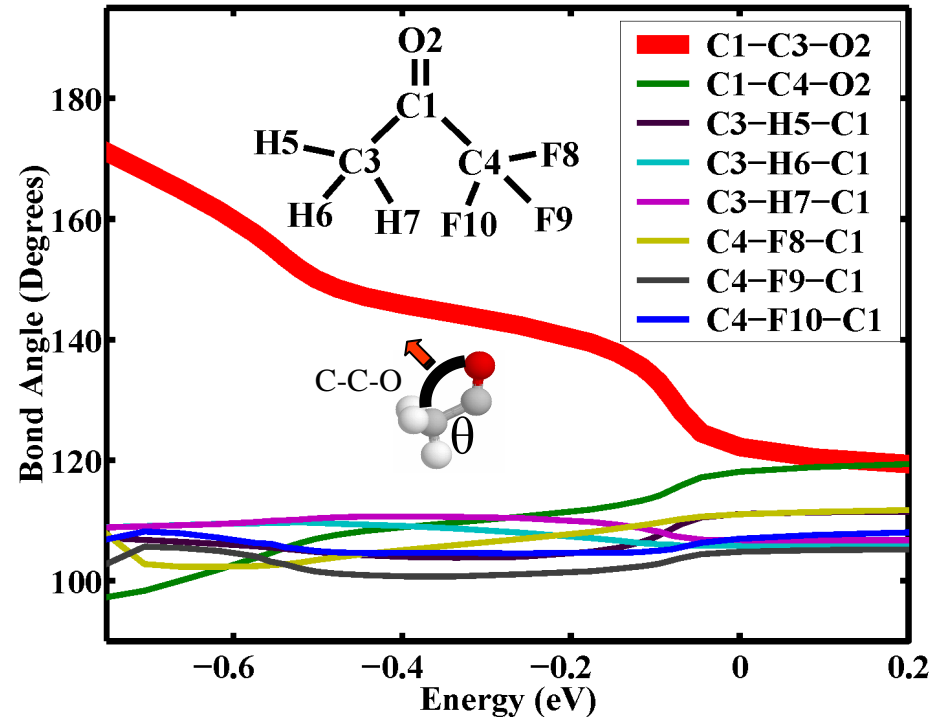
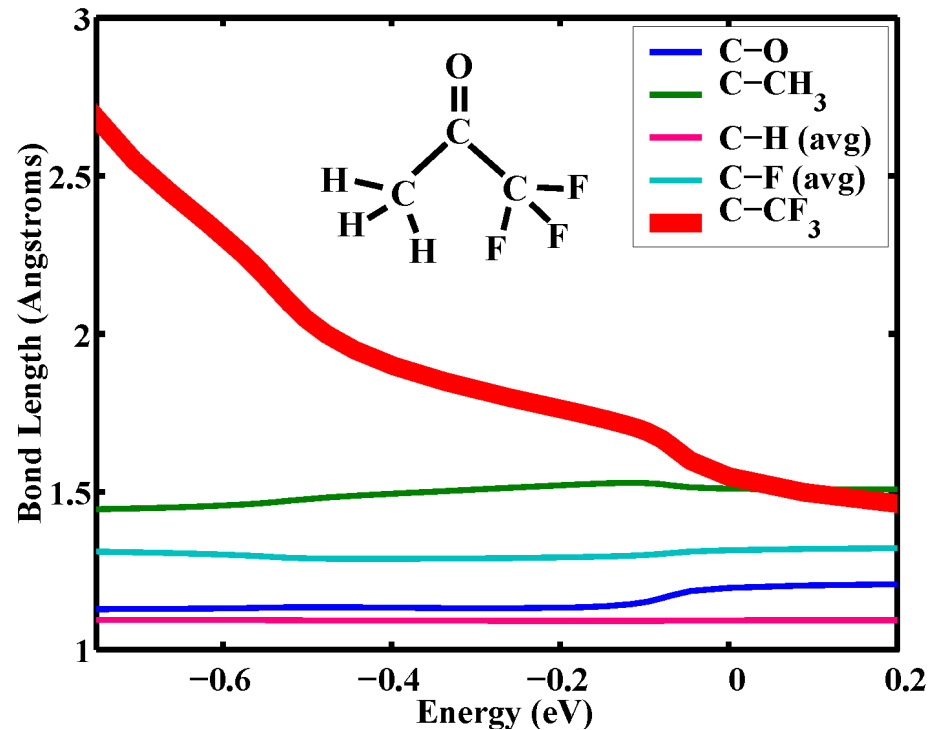


First Ionization, then dissociation

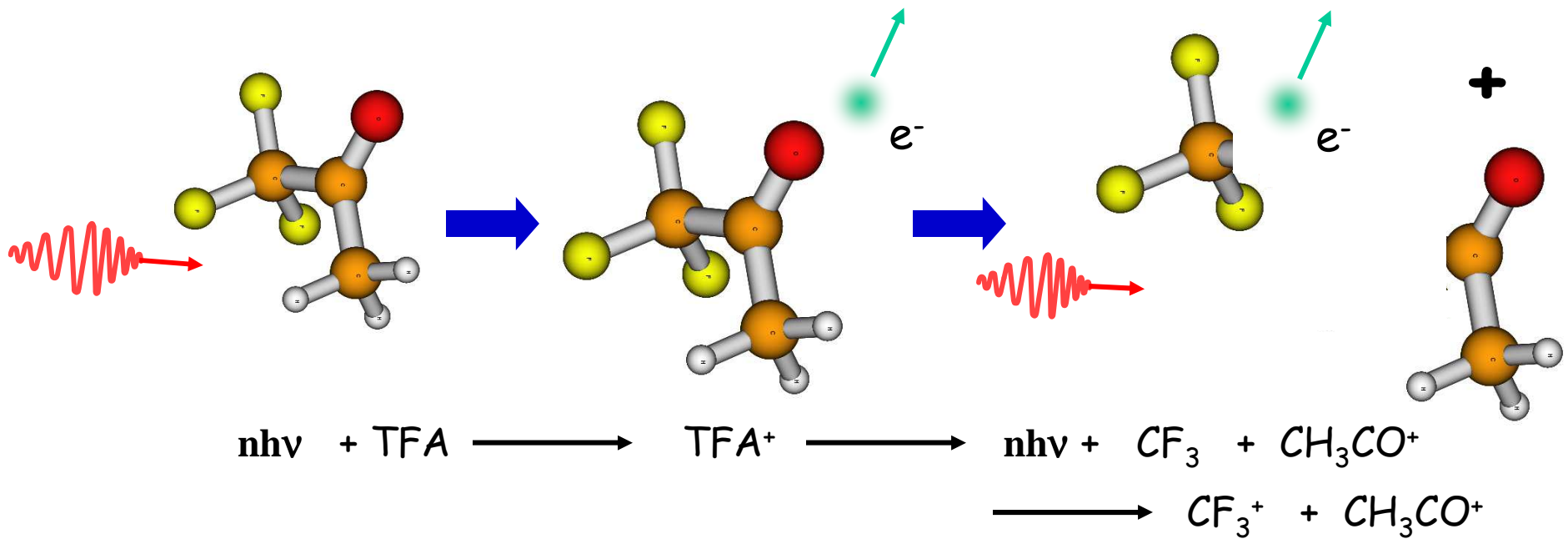
Molecular Relaxation



Molecular Relaxation II

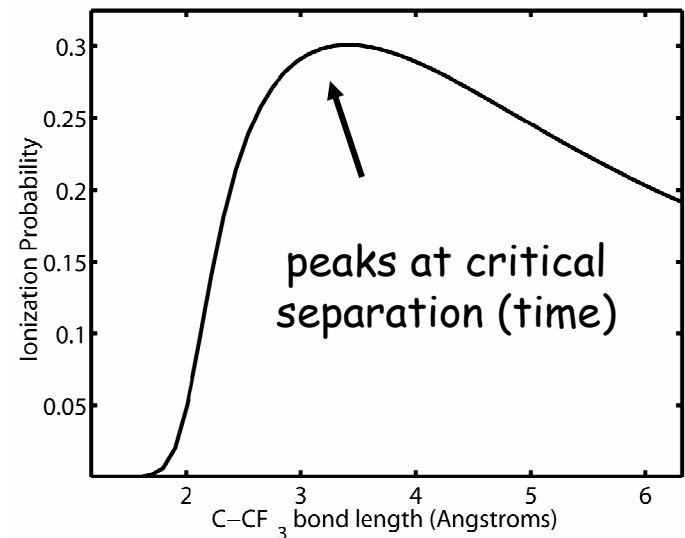


Enhanced Molecular Ionization



"Diatomic" EI calculation

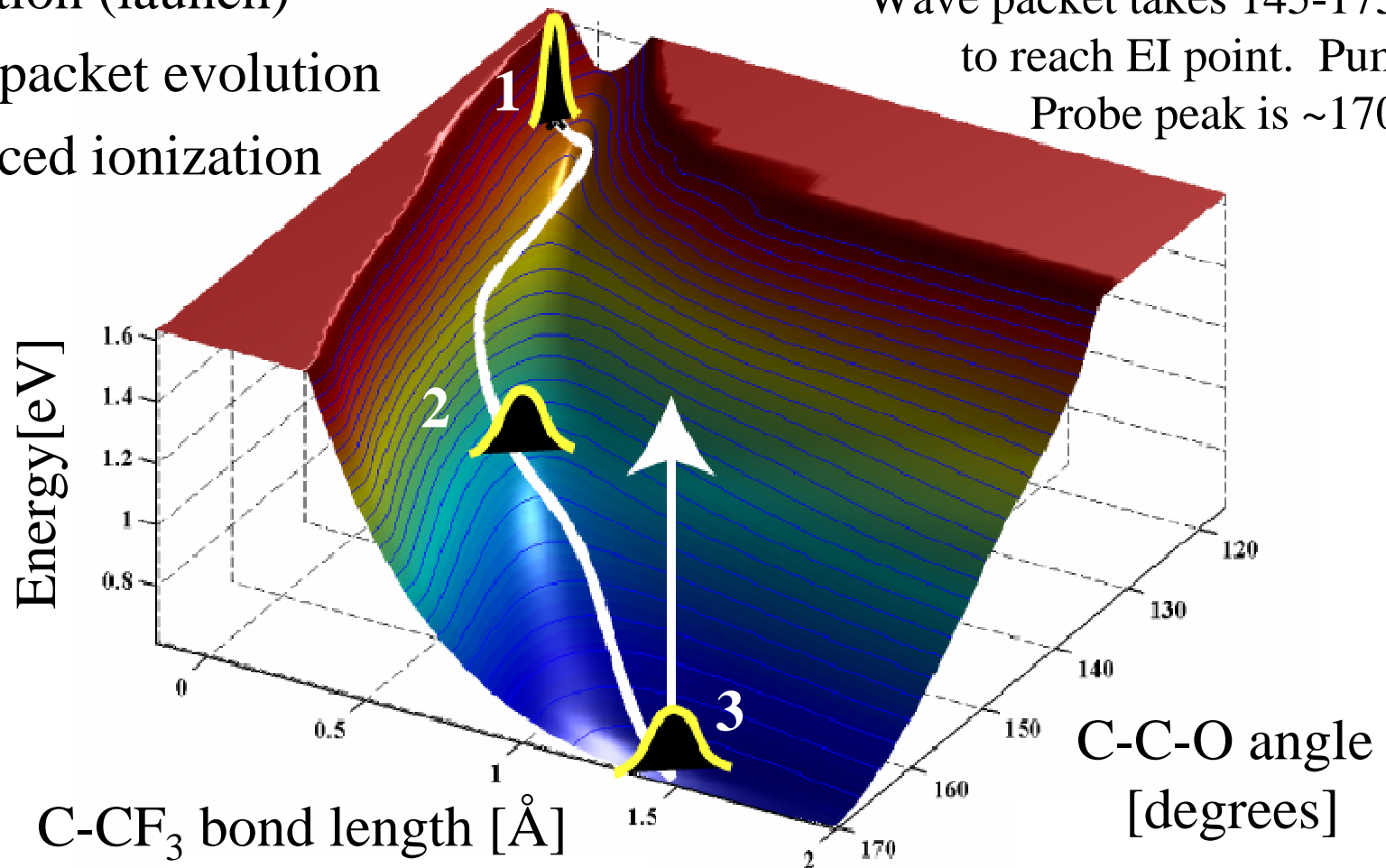
- Ionization probability increases at R_{critical}
- Treat CH_3CO^+ and CF_3 as atomic-like



Control Model

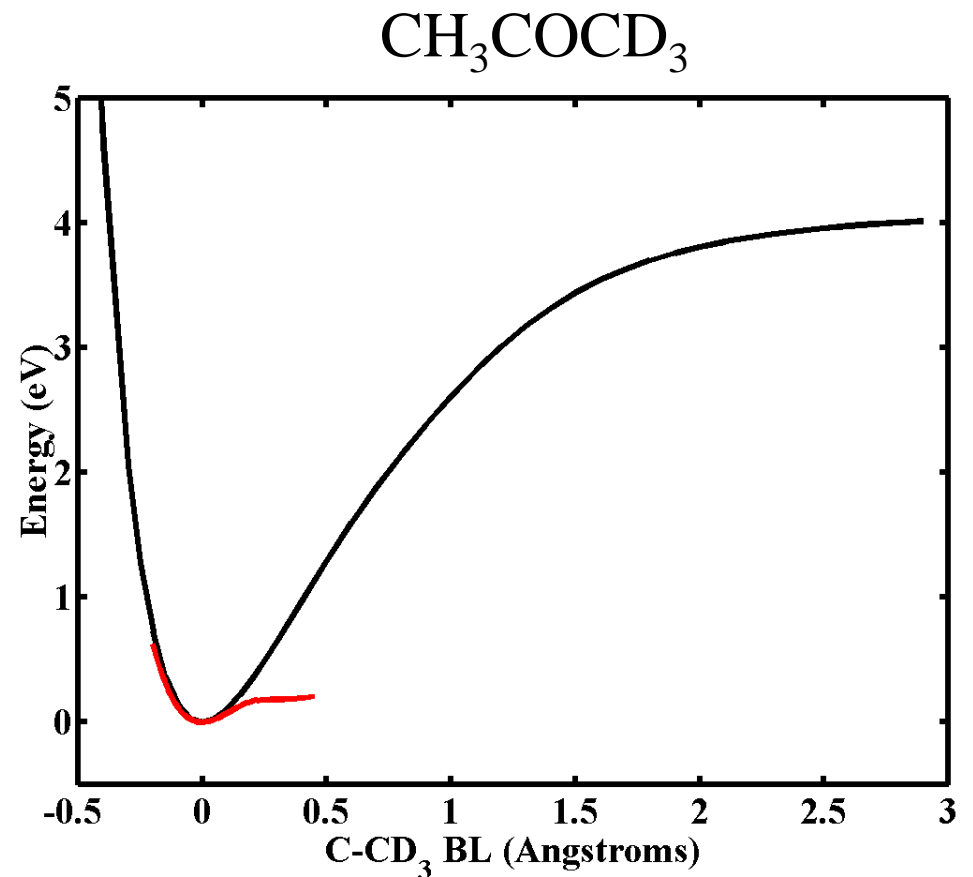
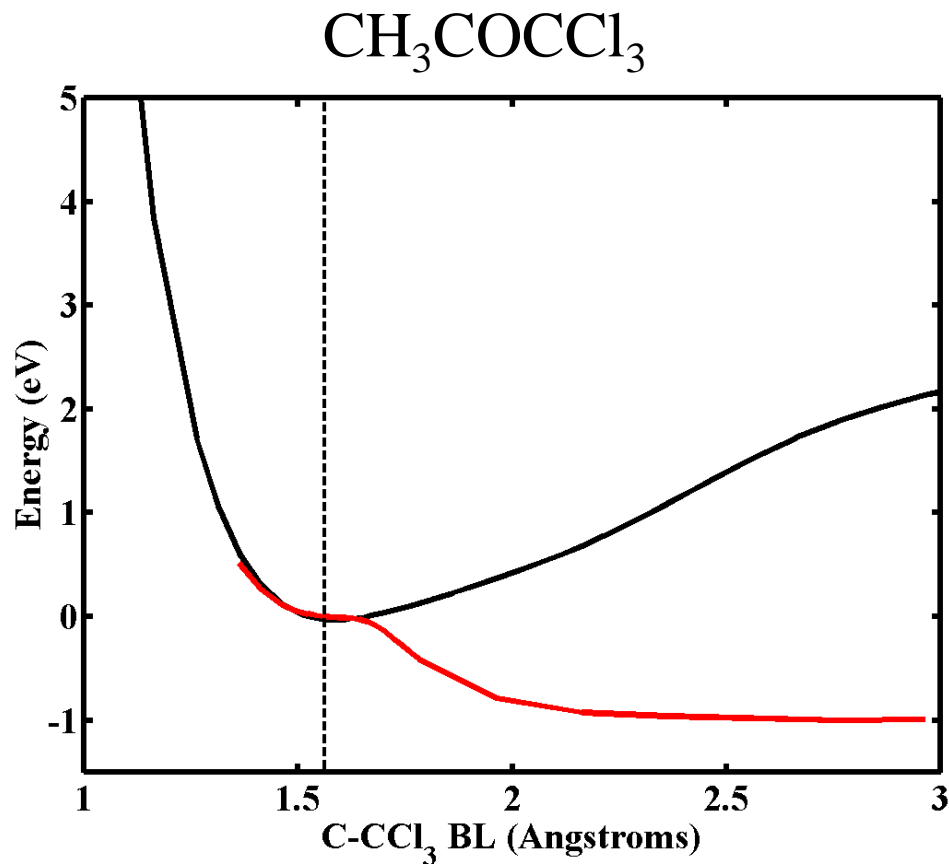
1. Ionization (launch)
2. Wave packet evolution
3. Enhanced ionization

Wave packet takes 145-175 fs
to reach EI point. Pump-
Probe peak is ~170 fs

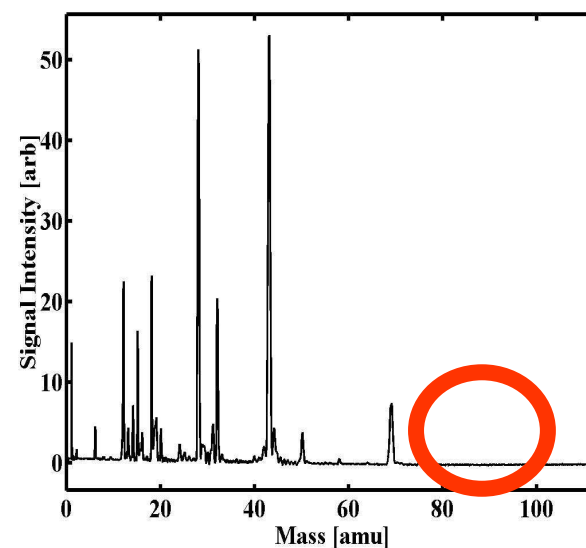
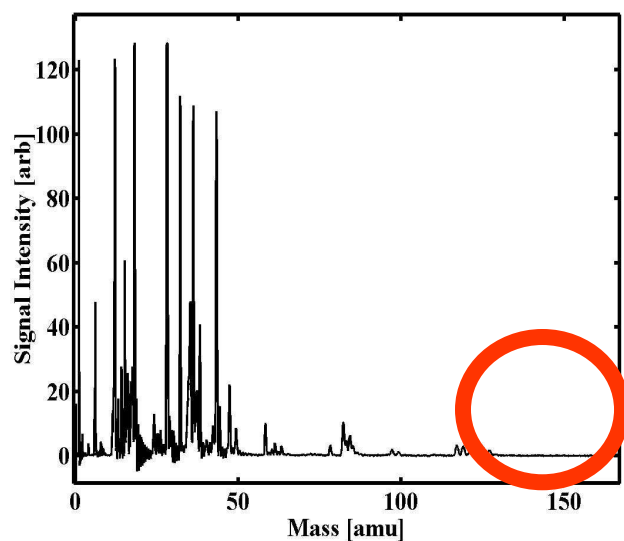
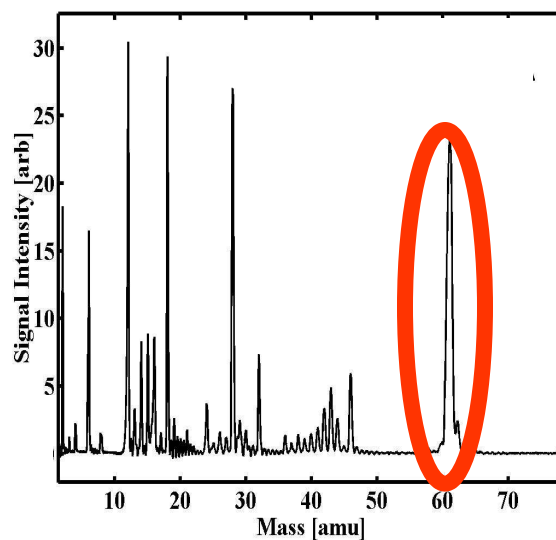


J. Chem. Phys. **123** 074315 (2005)

Predictions for 'Family Members'

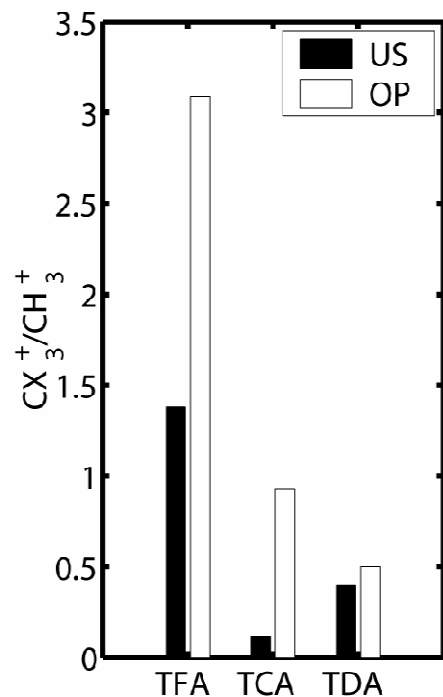


Fragmentation of Family Members

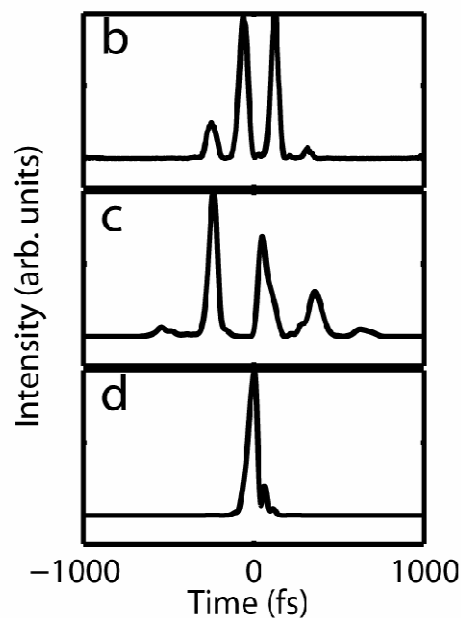


Results for $\text{CH}_3\text{COCCl}_3$ and CH_3COCD_3

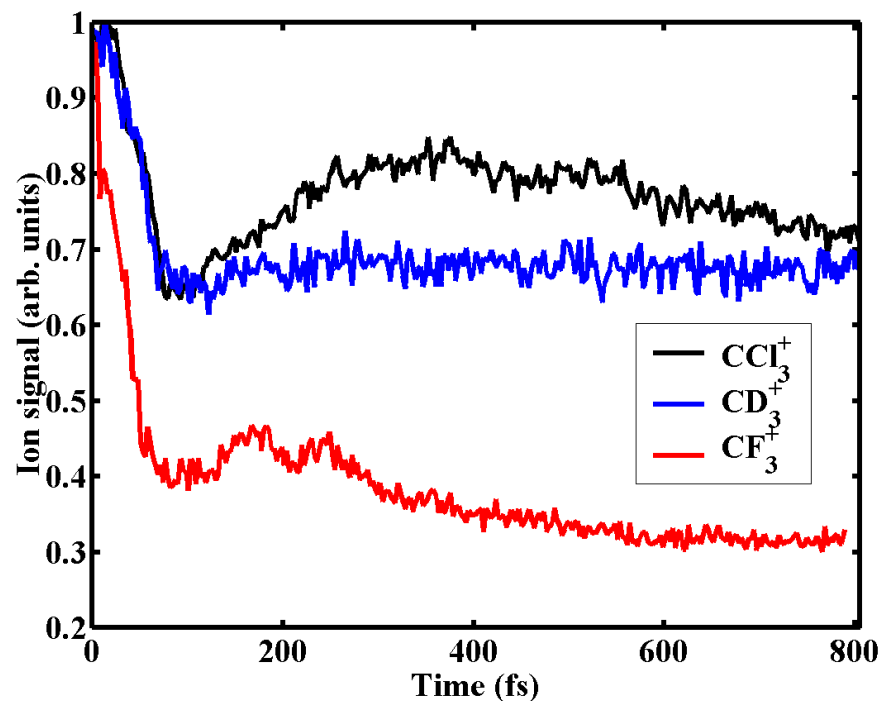
Control



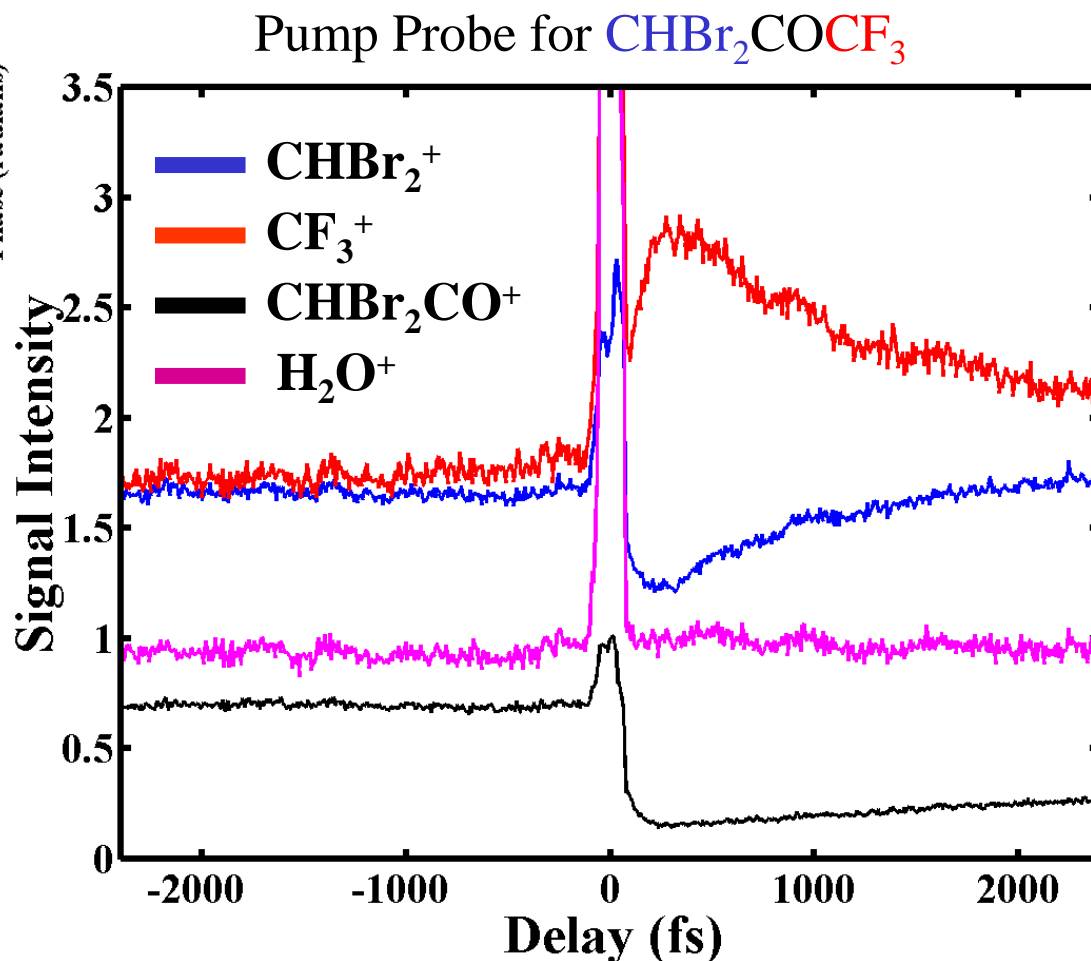
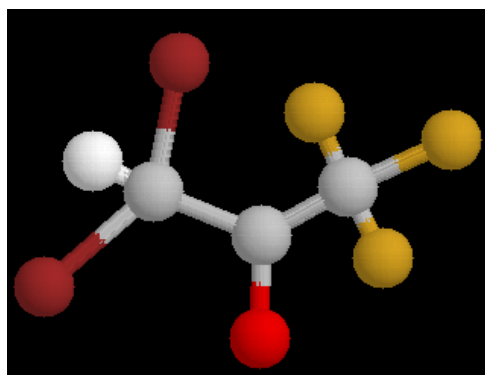
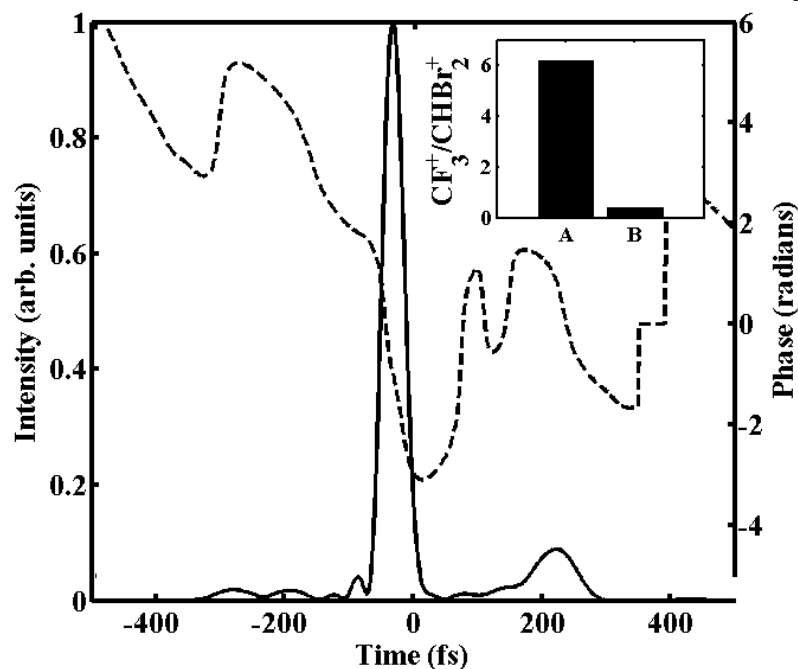
Pulse Shape



Pump-probe



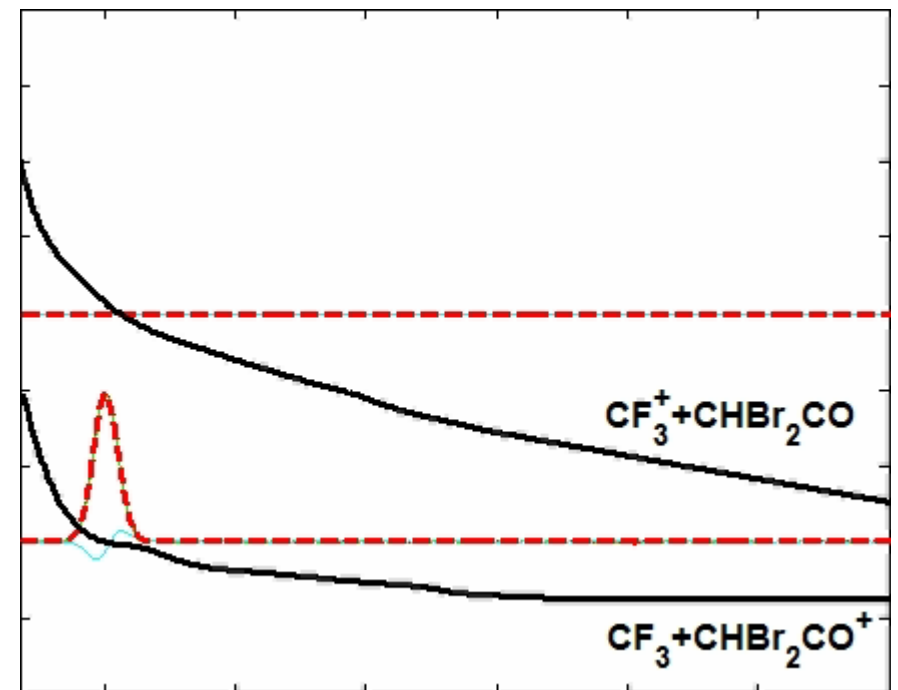
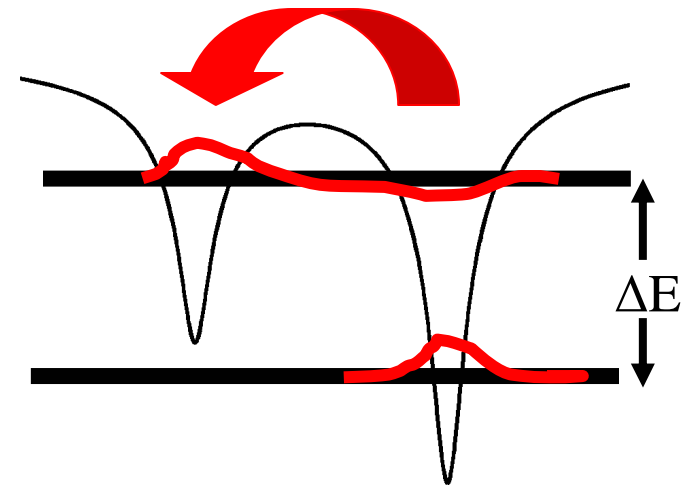
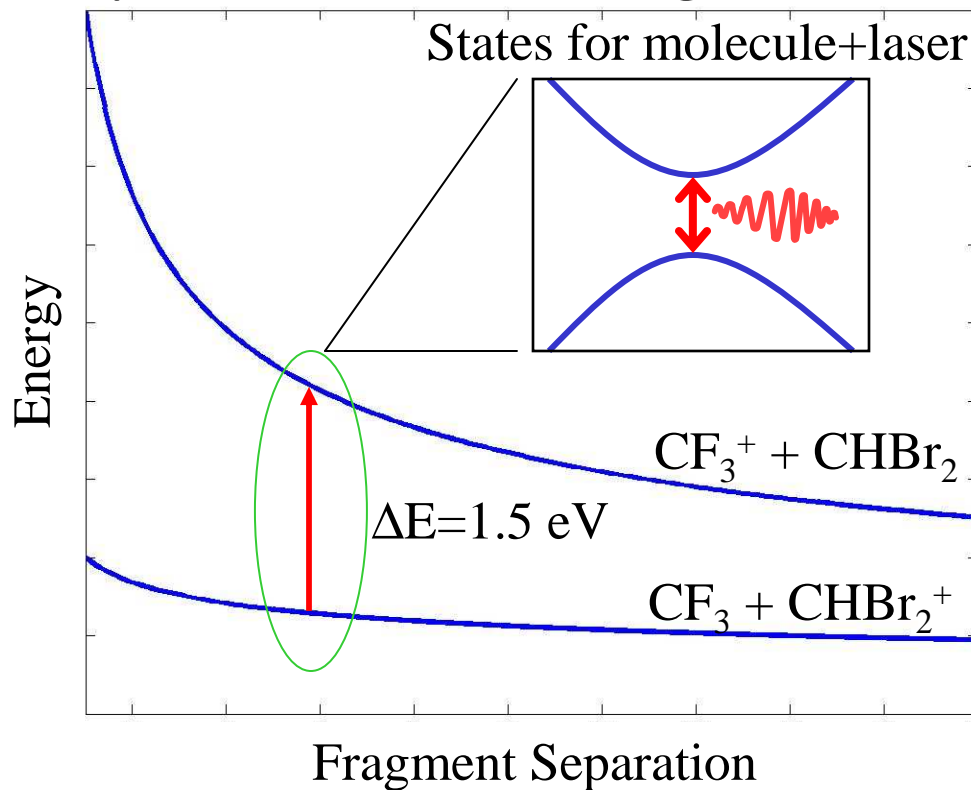
Similar But Different - Charge Transfer



J. of Photochemistry & Photobiology A 180, 277 (2006)

Dynamic Resonance

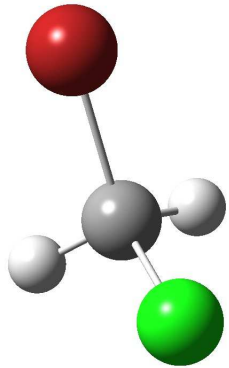
Dynamic Resonance during Dissociation



Similar to case of Na
- but here dynamics are
driven by nuclear motion





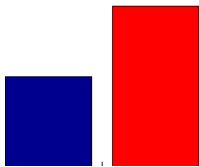
Oscillations & Bond Breaking



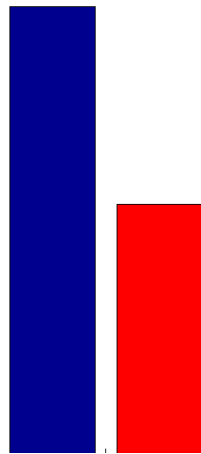
CH_2XY ,
 $\text{X, Y} =$
 F, Cl, Br, I

GA results:

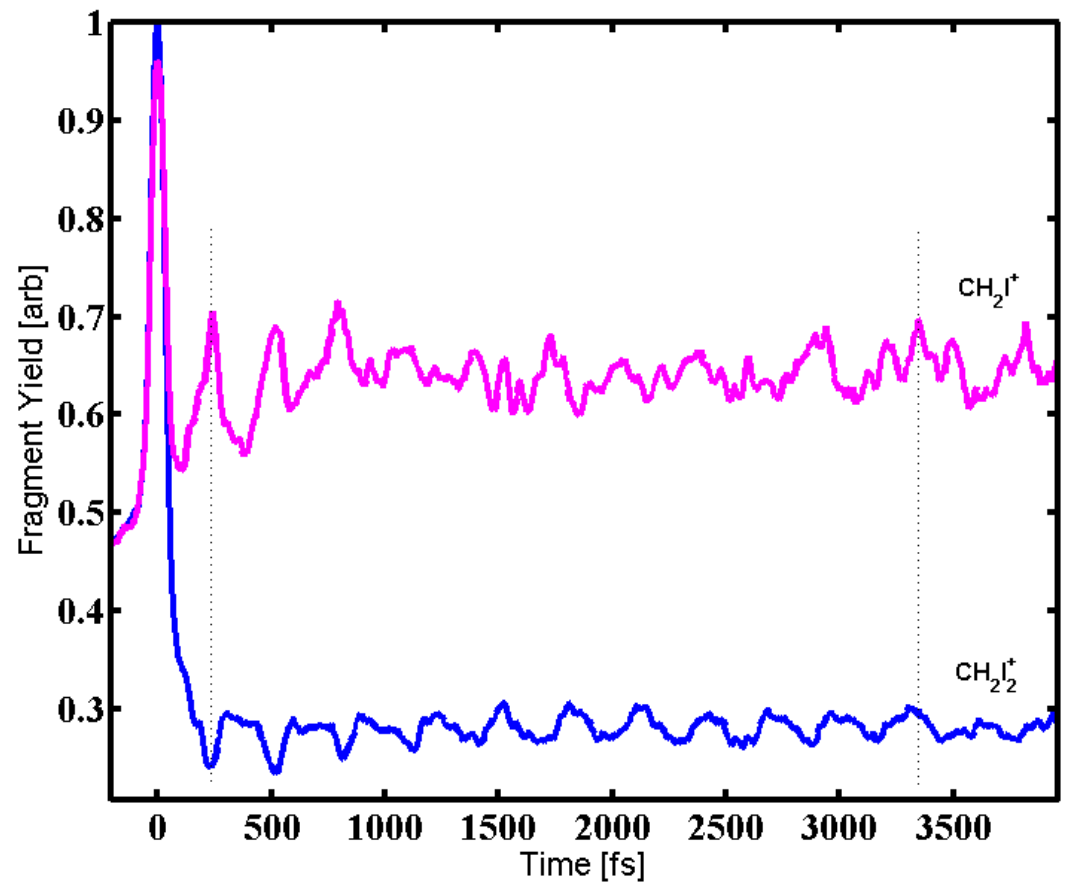
 shaped
 unshaped



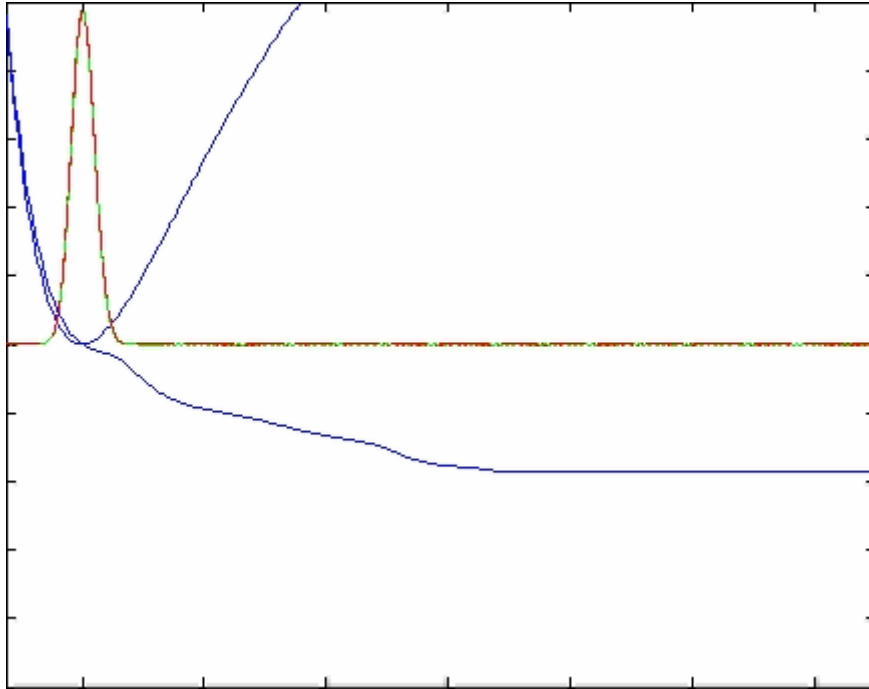
CH_2I^+



CH_2IBr^+



Can We Measure $\psi(t)$?



$$\psi(t) = |\psi(t)|e^{-i\phi(t)}$$

$$\psi(t + \tau) = |\psi(t + \tau)|e^{-i\phi(t + \tau)}$$

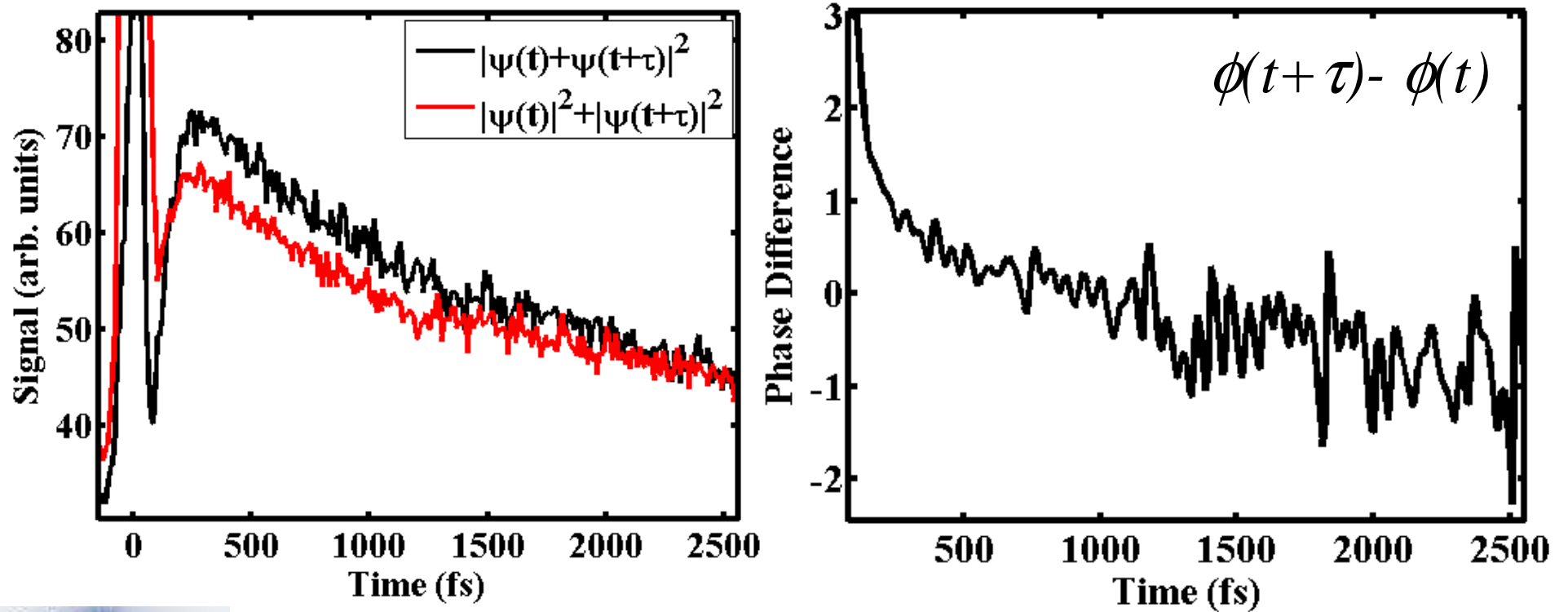
$$\psi_{tot} = \psi(t) + \psi(t + \tau)$$

$$\psi_{tot}^* \psi_{tot} = |\psi(t)|^2 + |\psi(t + \tau)|^2 + 2|\psi(t)||\psi(t + \tau)|\cos[\phi(t) - \phi(t + \tau)]$$



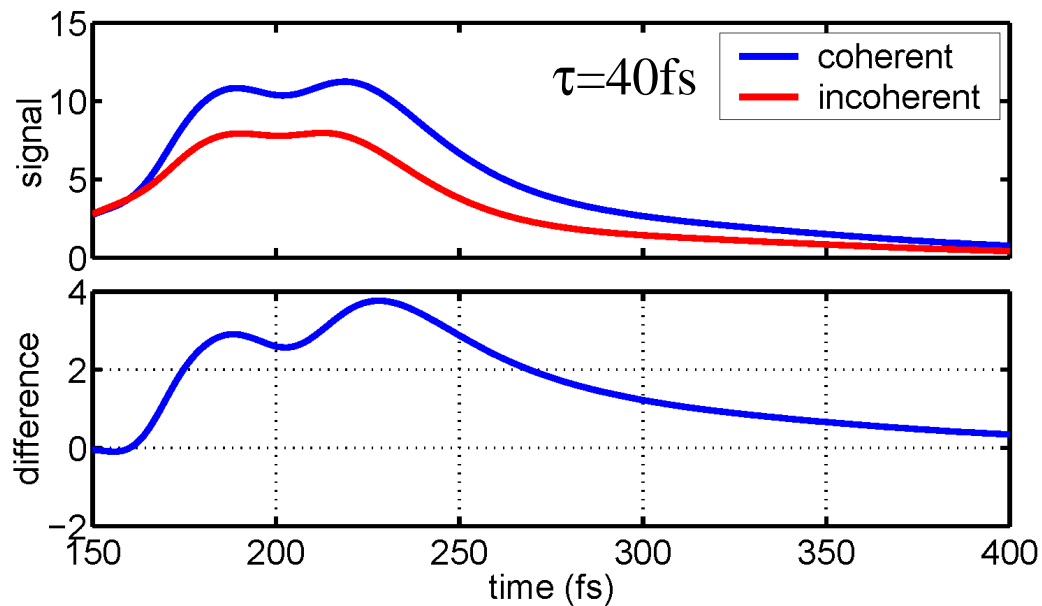
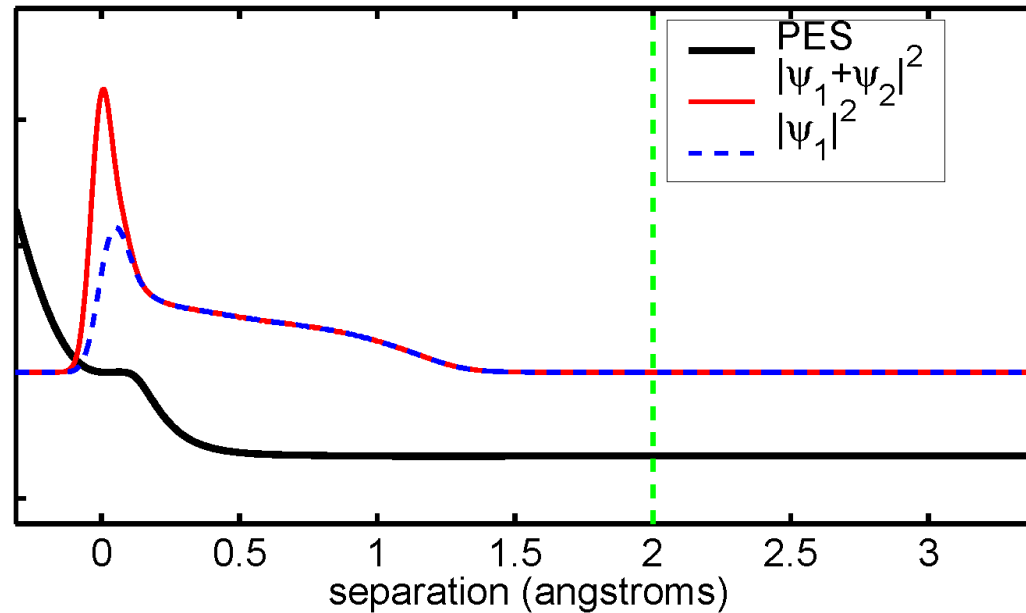
Measurement gives amplitude – Interference gives phase

Preliminary Measurements



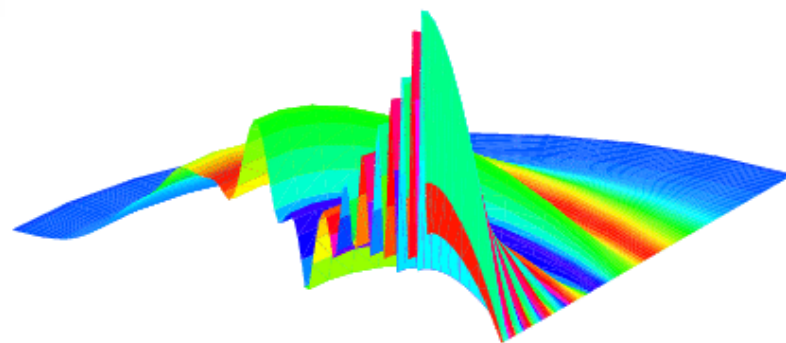
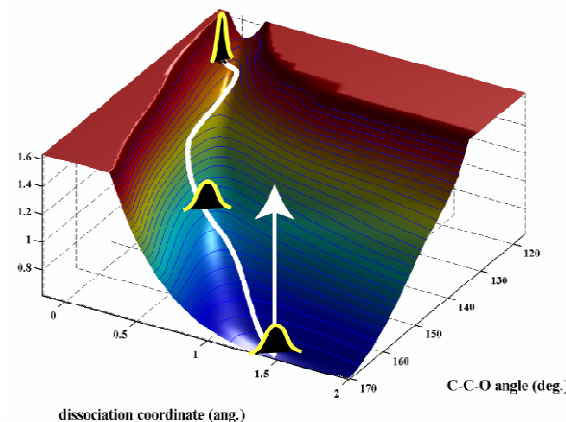
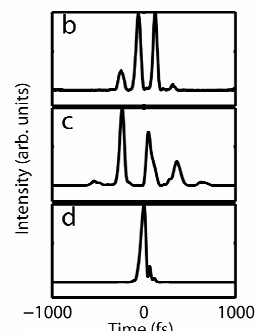
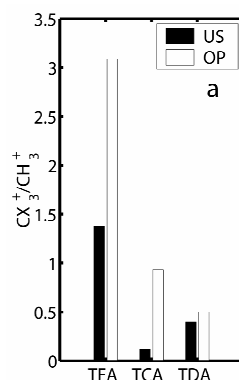
30 fs Pump-pump delay

Wave Packet Simulations



Conclusions & Future Directions

- Can *discover* and *understand* optimal pulse shapes for fragmentation
- See systematic behavior - ‘photonic reagents’
- En route to making molecular movies – measuring $\psi(t)$



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