

# THE PAST, PRESENT, AND FUTURE OF 21CM COSMOLOGY

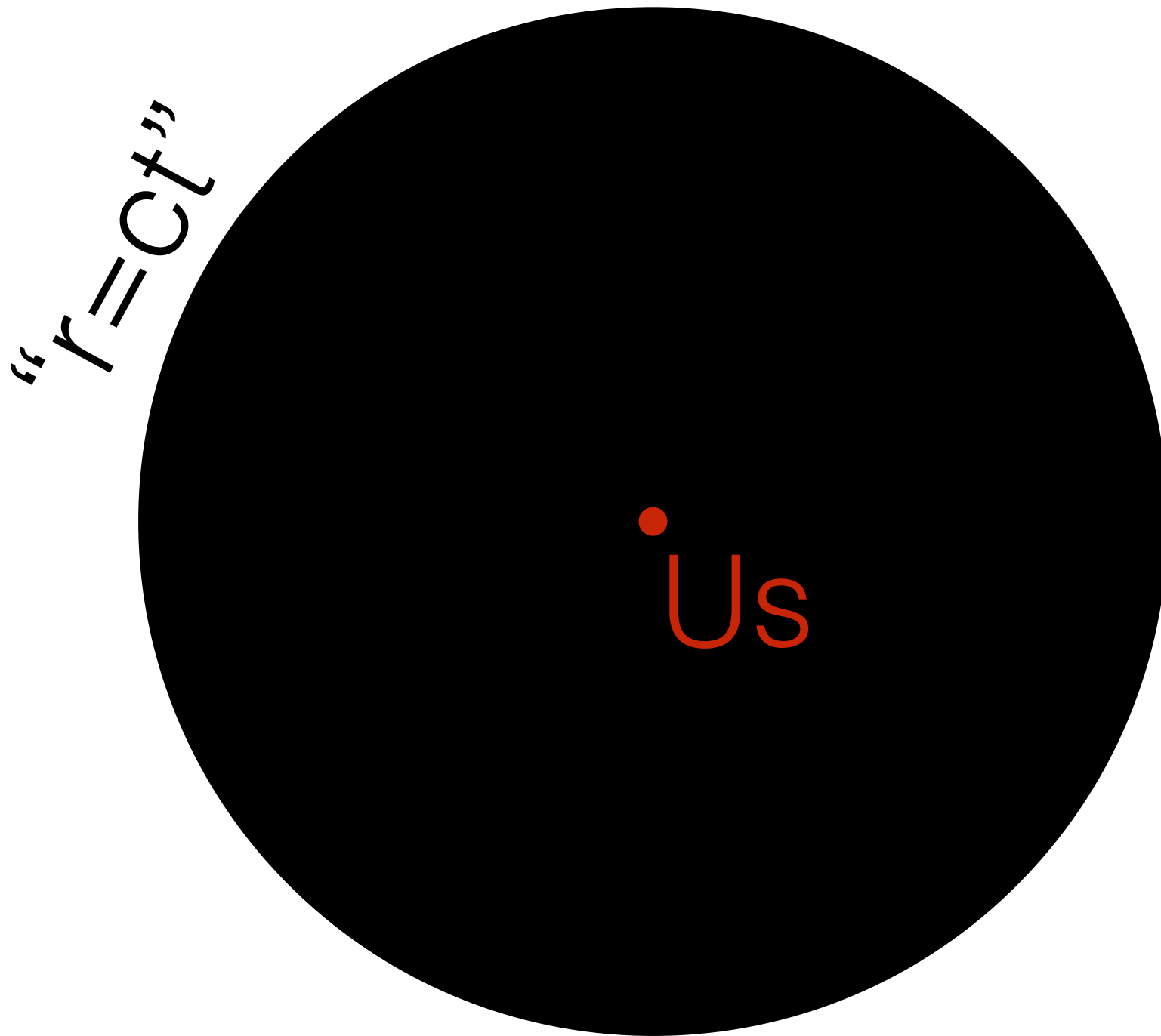


Adrian Liu  
Hubble Fellow  
UC Berkeley

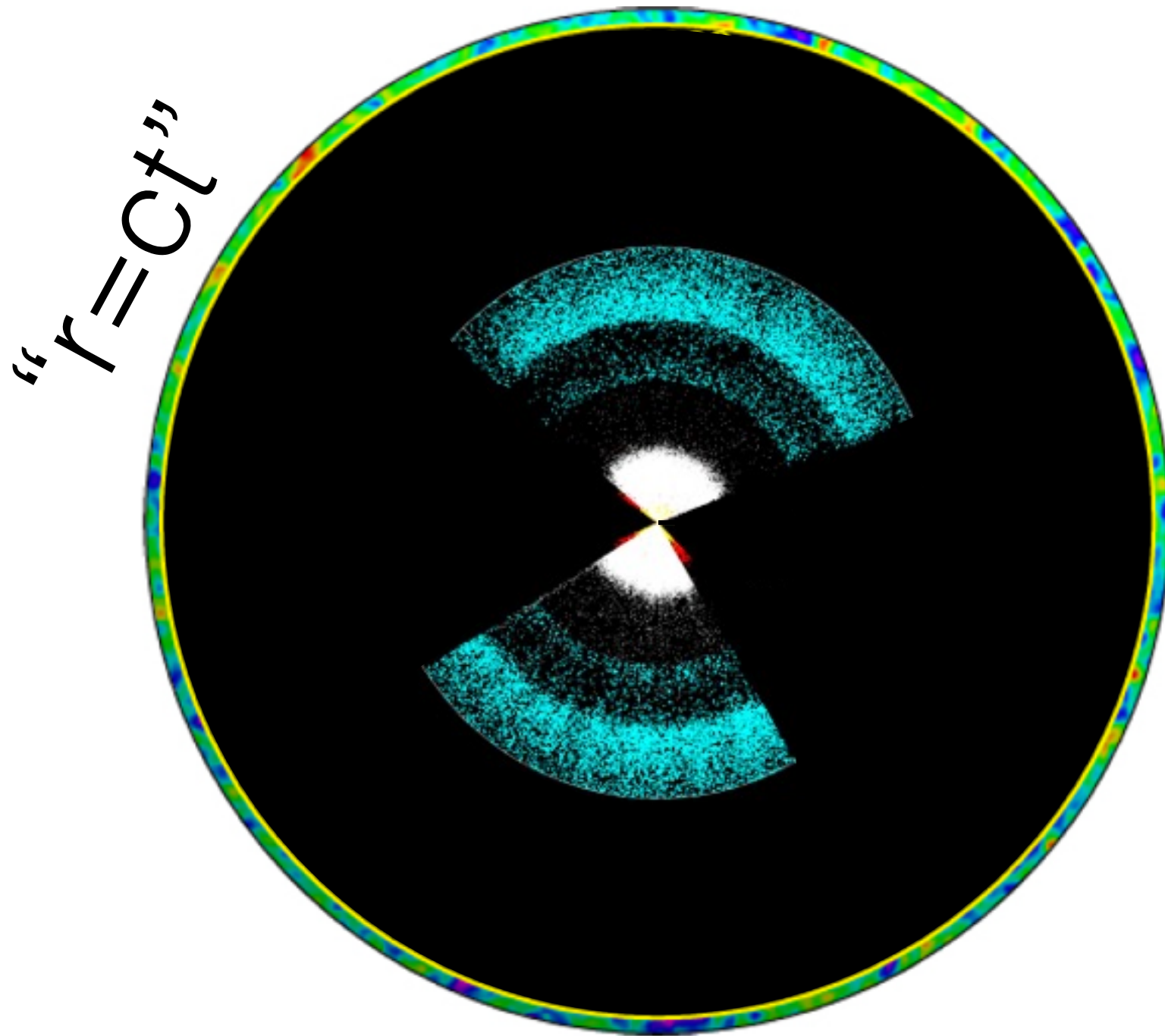


Vision

We have yet to observe most  
of the observable Universe

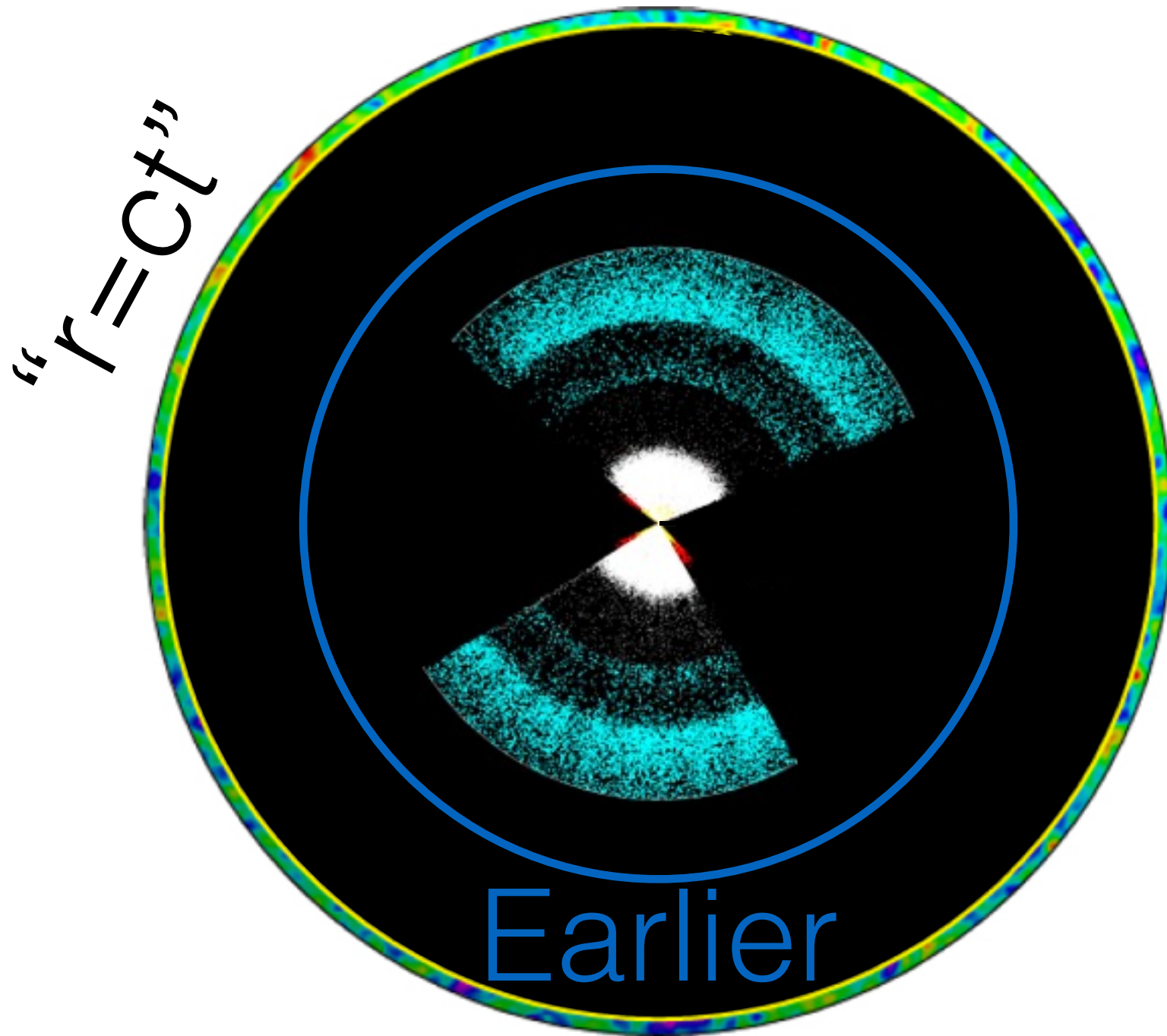


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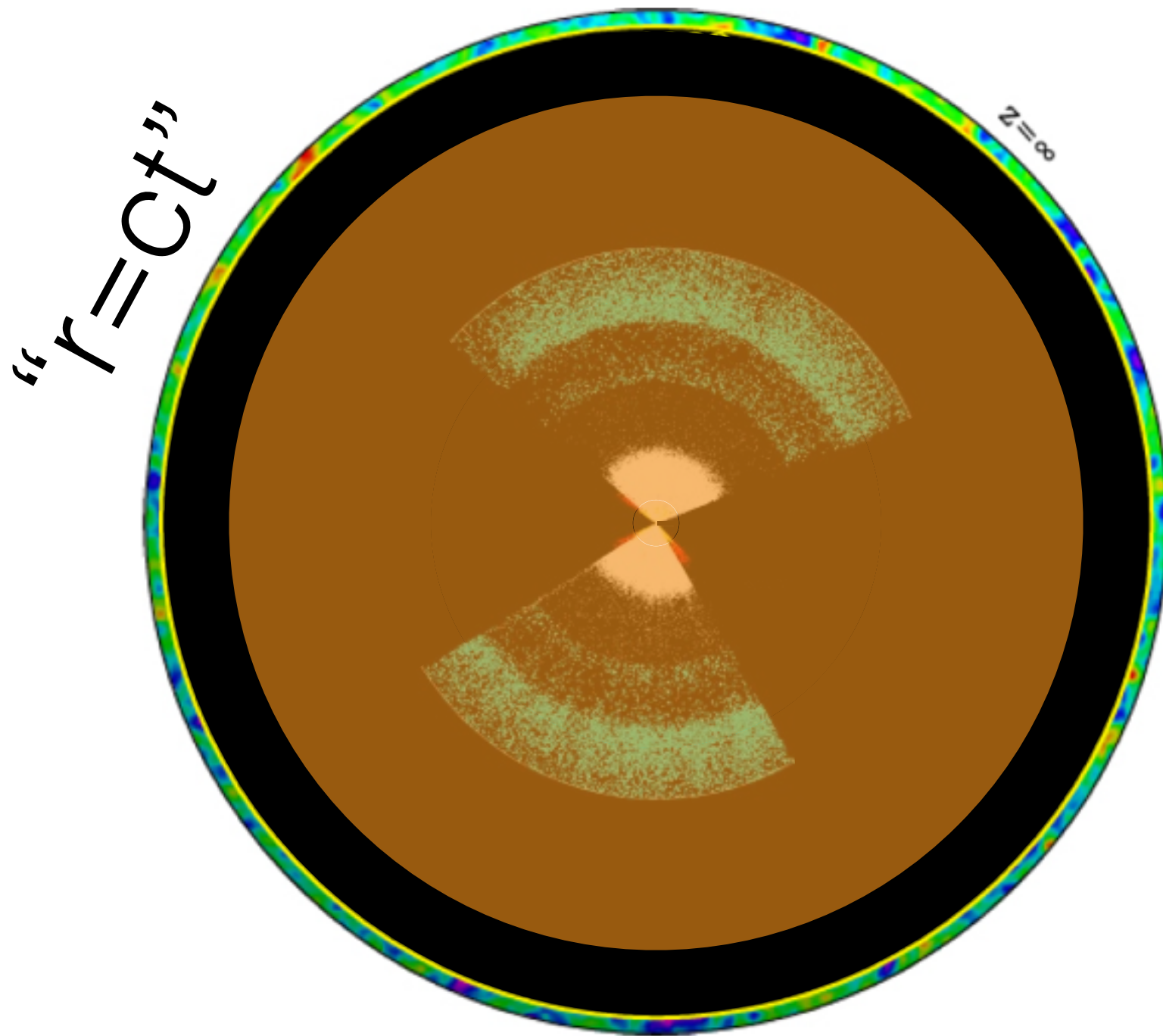




We have yet to observe most  
of the observable Universe

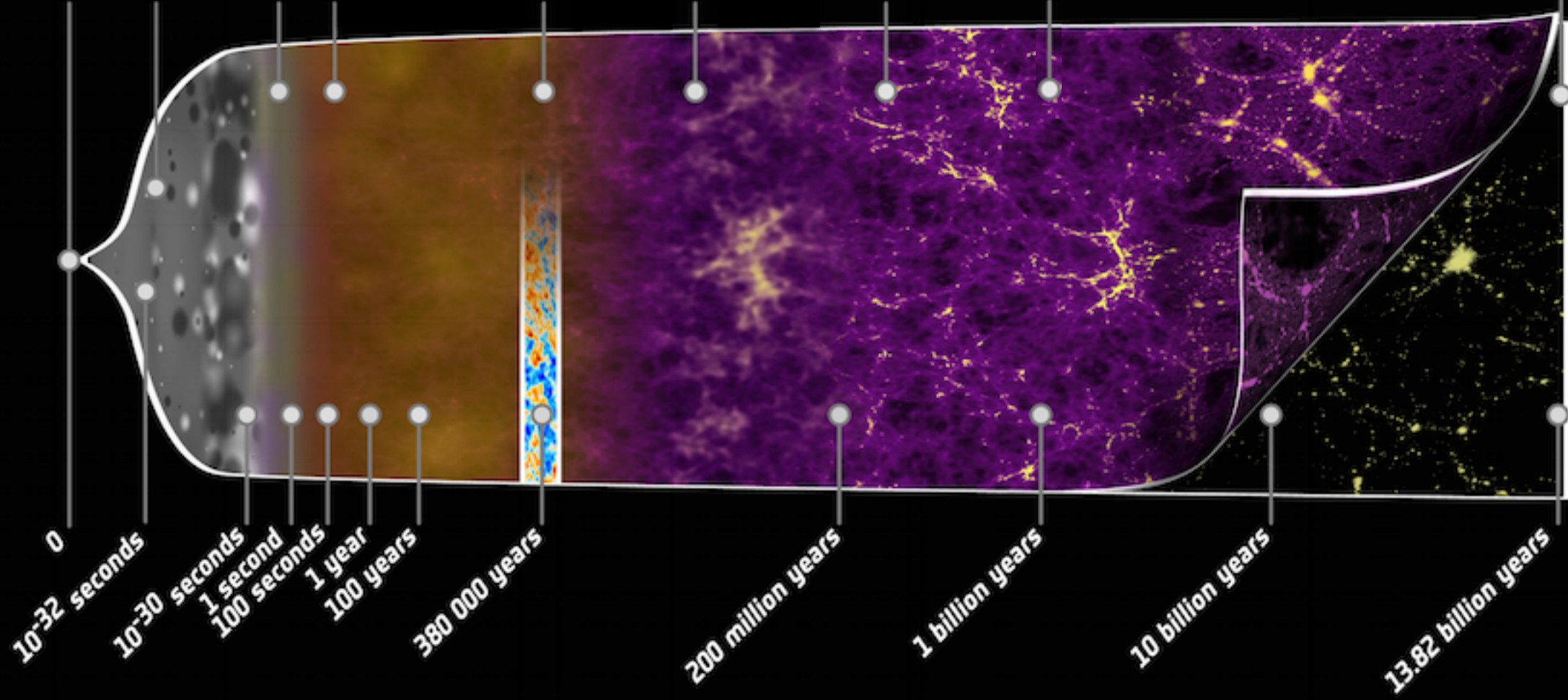


We have yet to observe most  
of the observable Universe





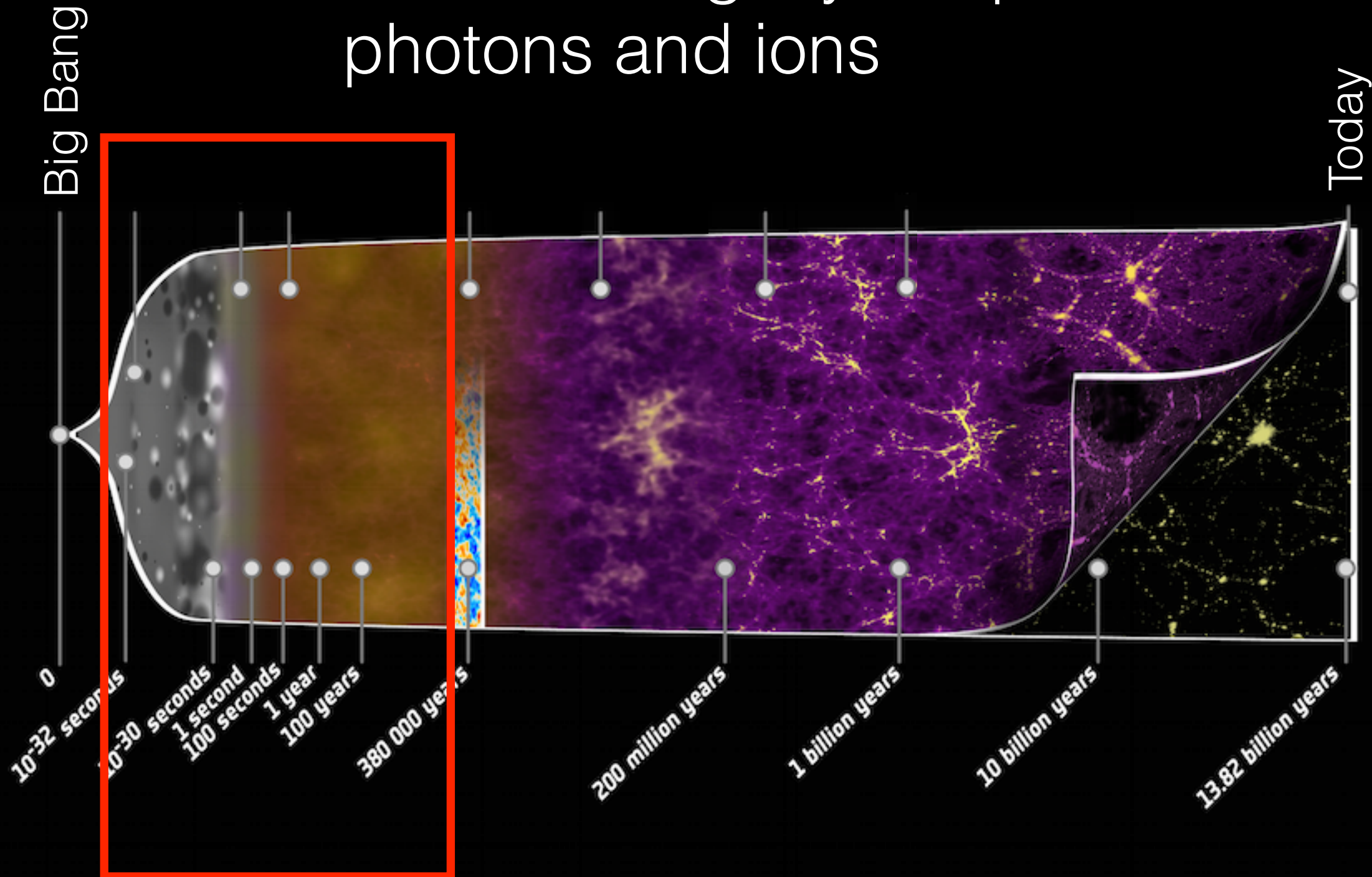
Big Bang



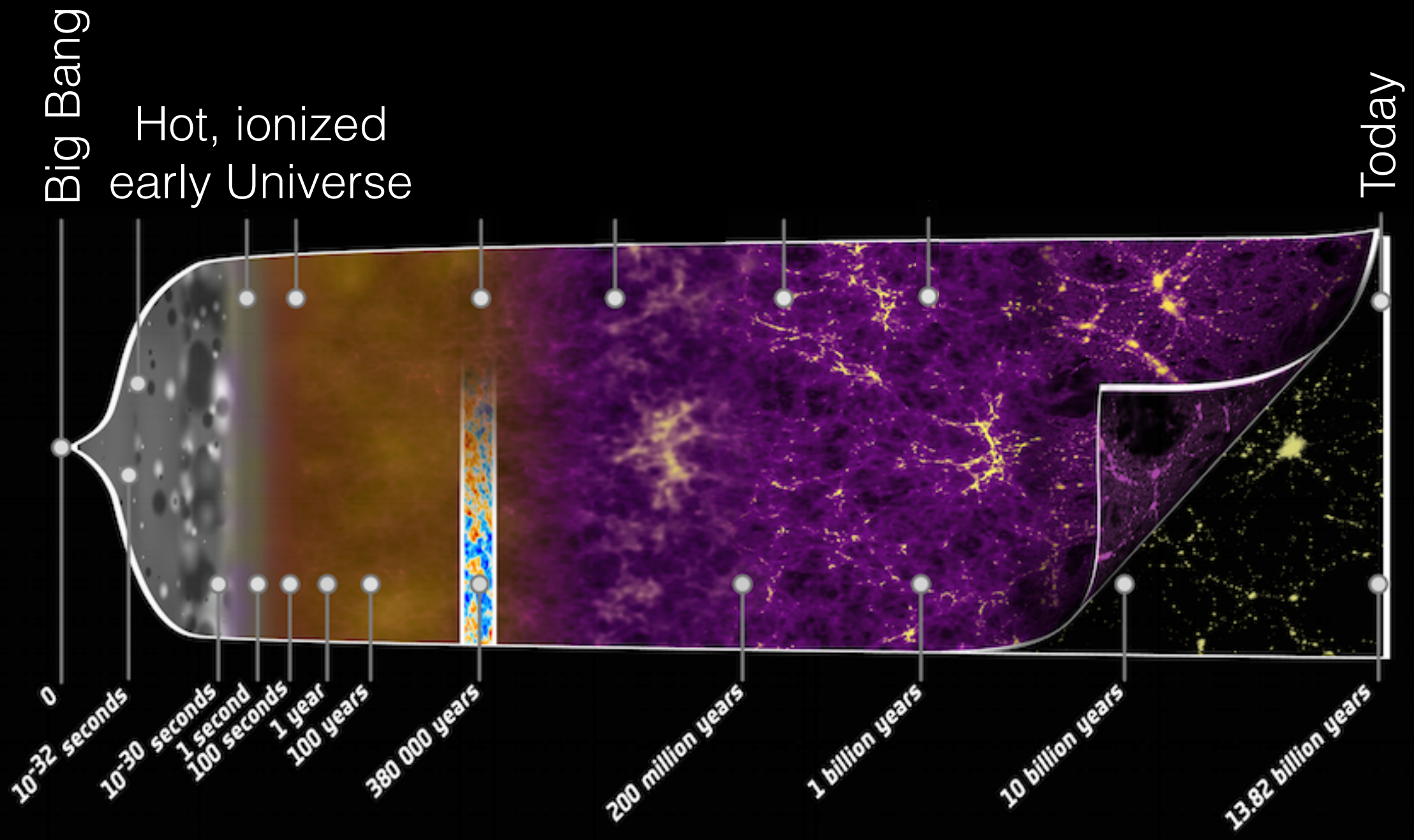
Today

# Early Universe:

- Hot, dense
- Plasma of tightly coupled photons and ions

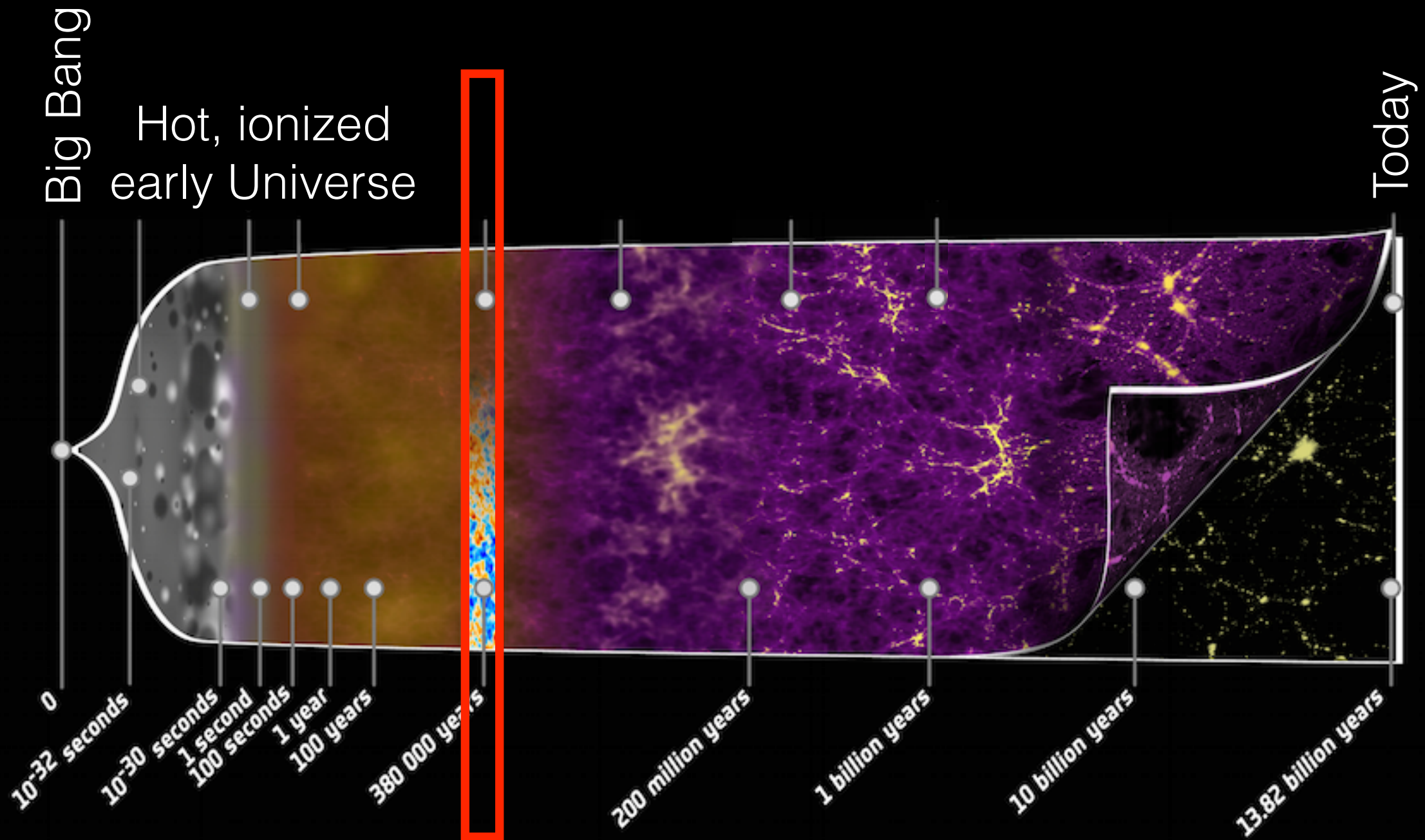




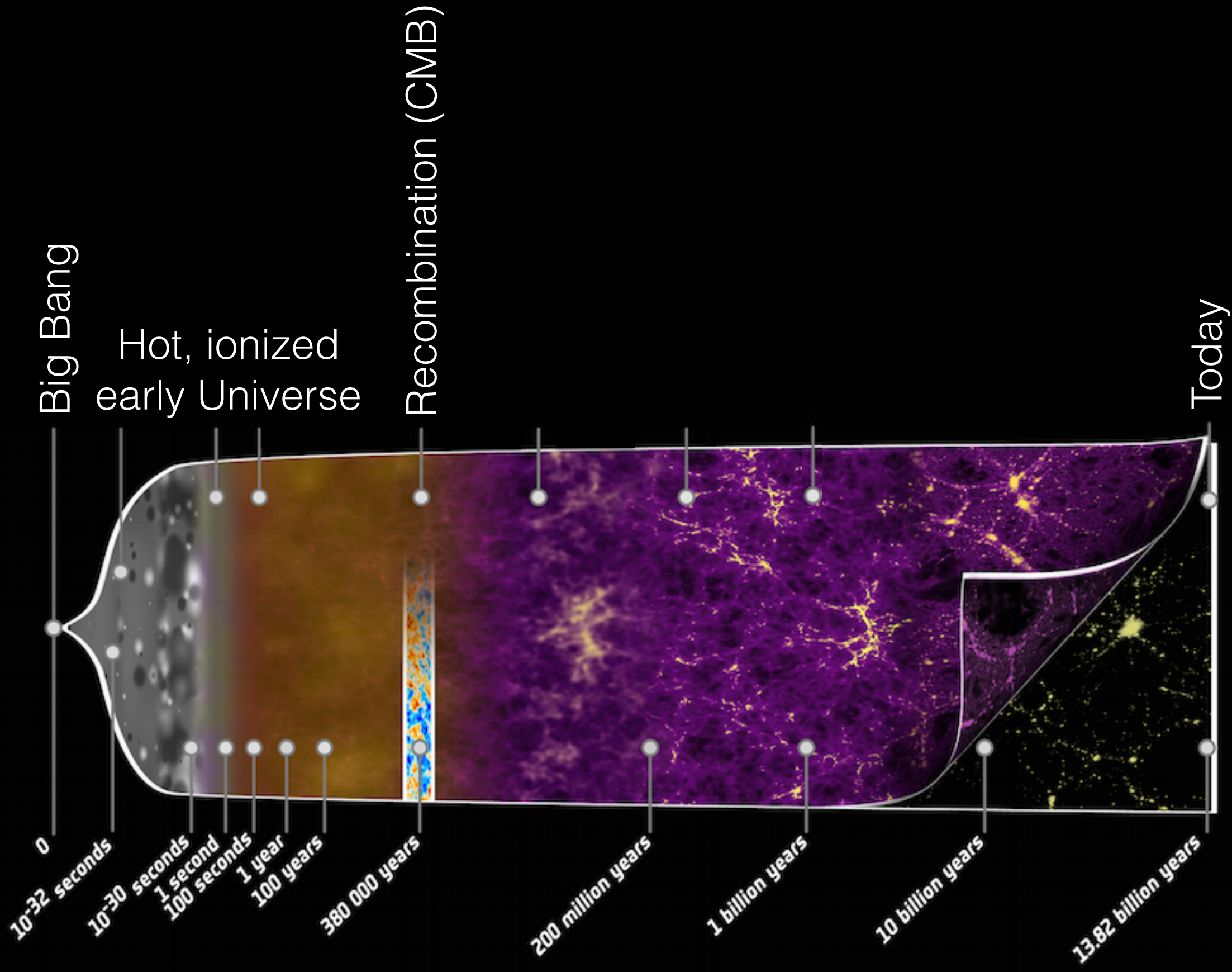


# Recombination:

- CMB released
- Universe becomes neutral

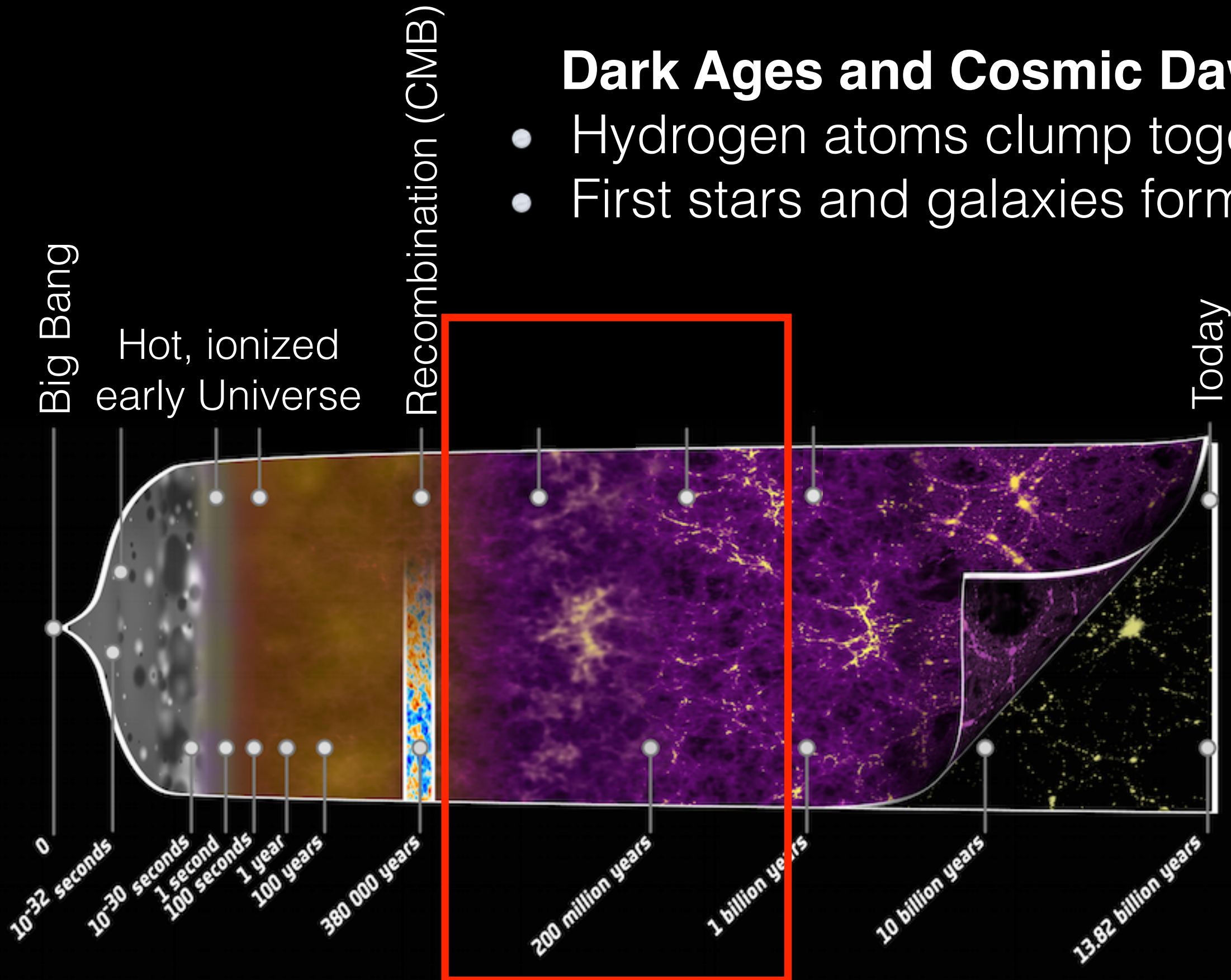




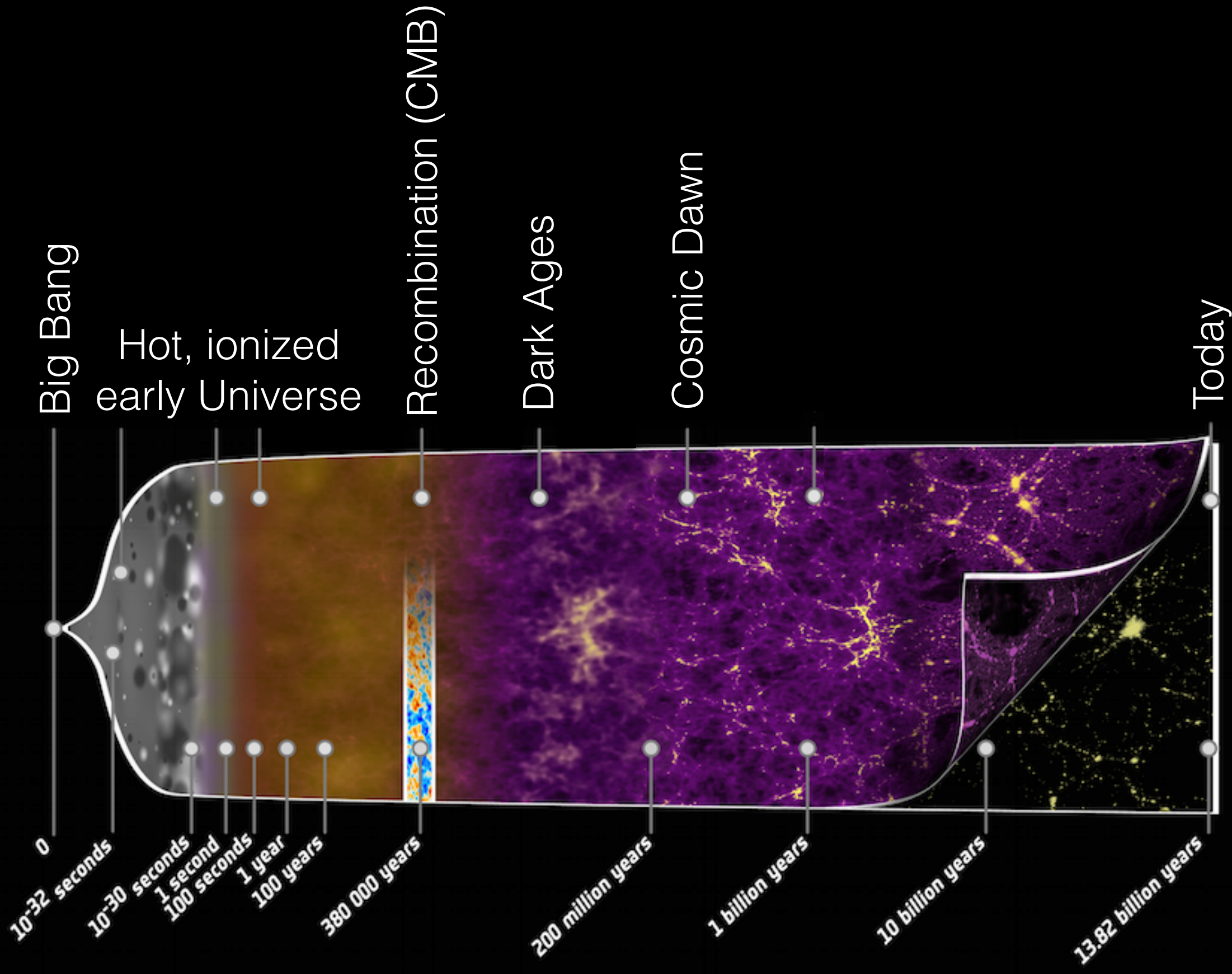


## Dark Ages and Cosmic Dawn:

- Hydrogen atoms clump together
- First stars and galaxies form



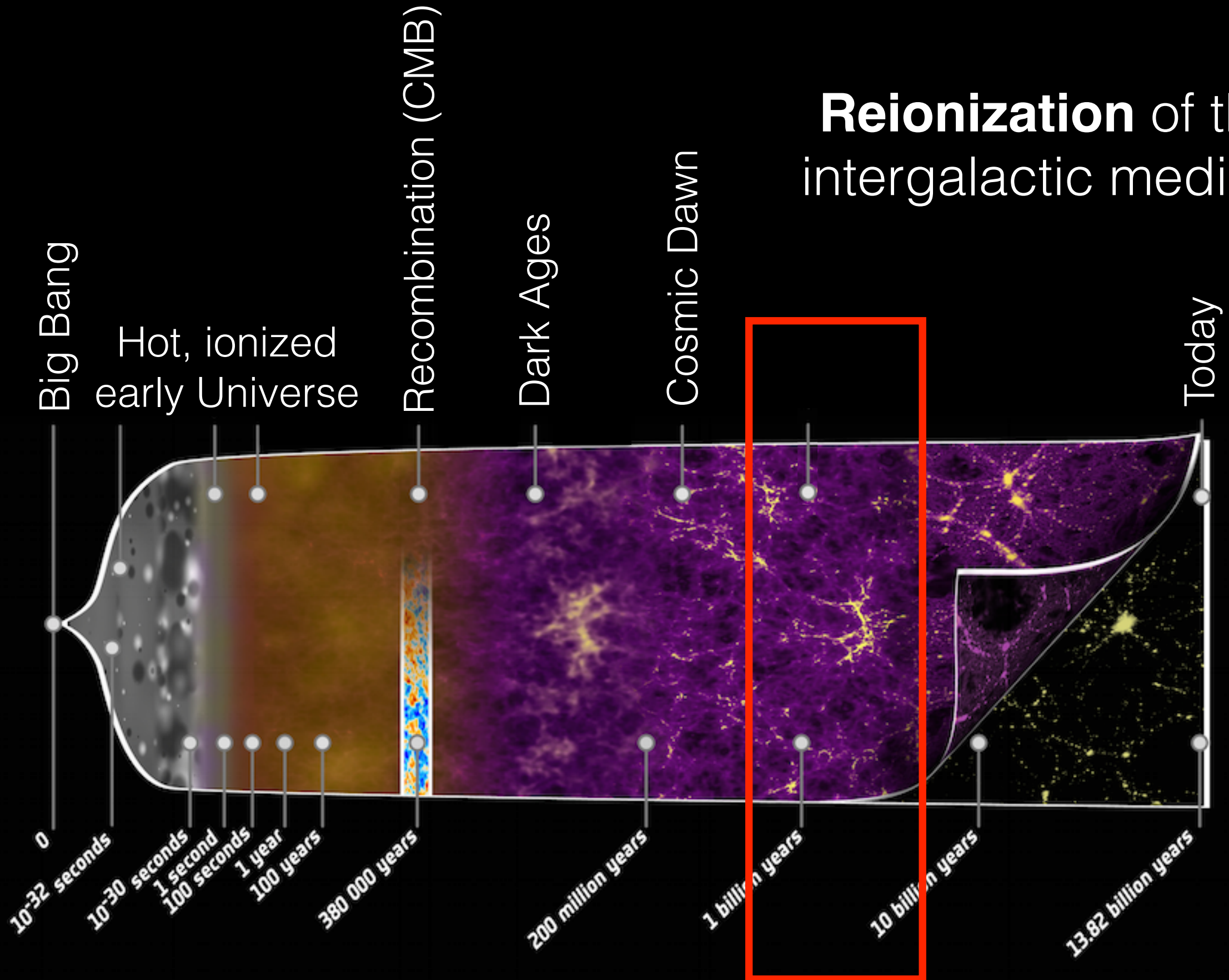




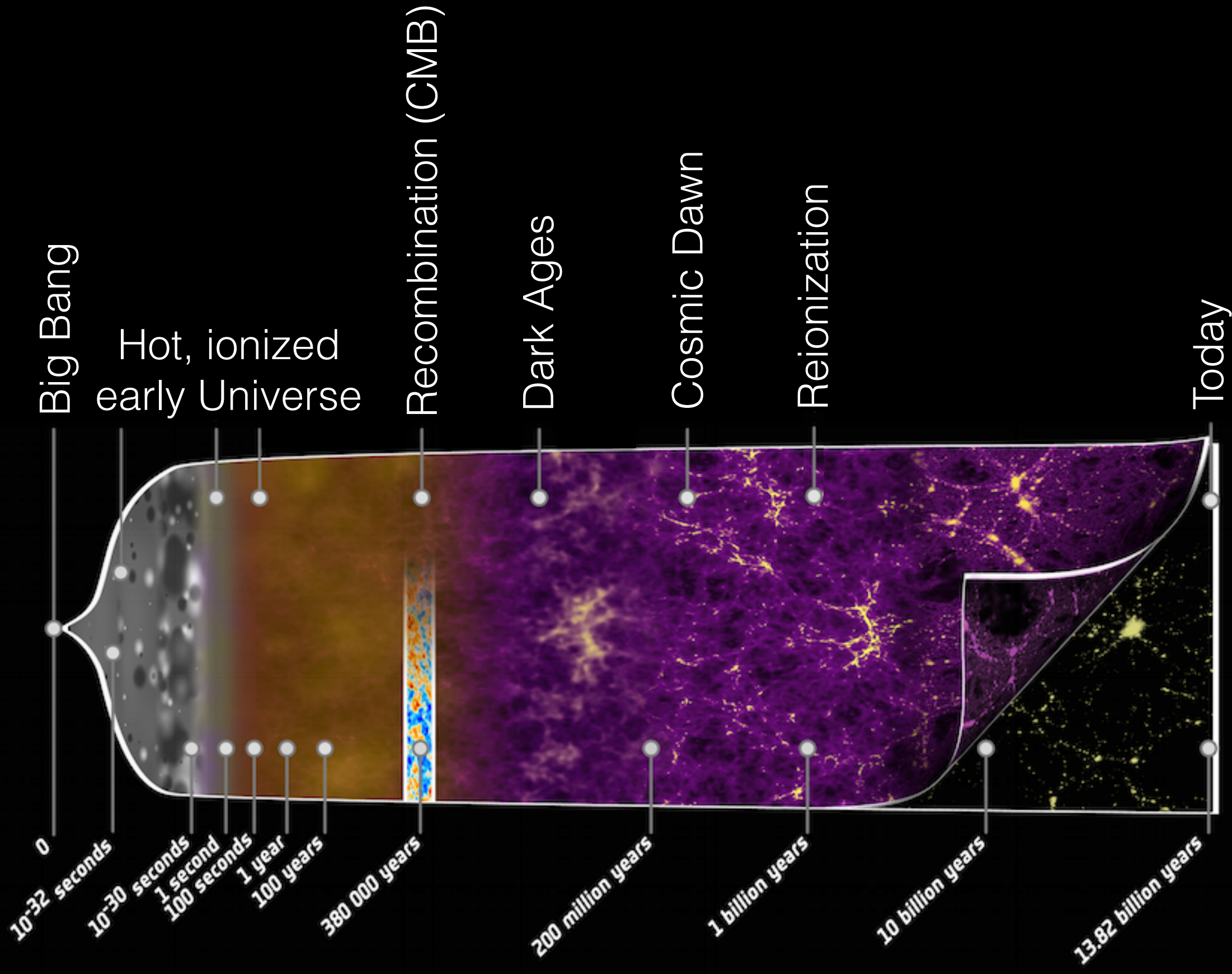


Alvarez et al. (2009)

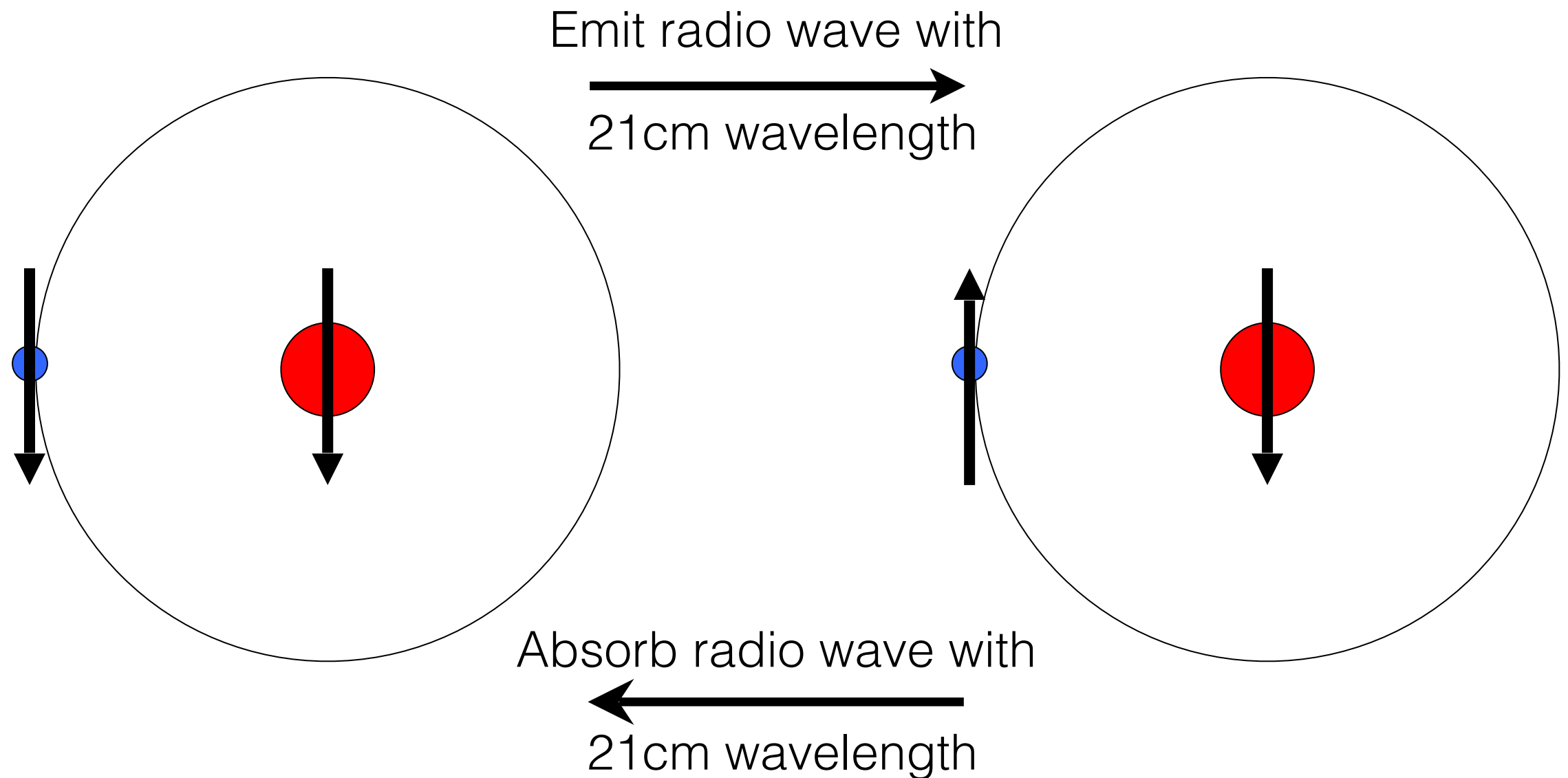
# Reionization of the intergalactic medium

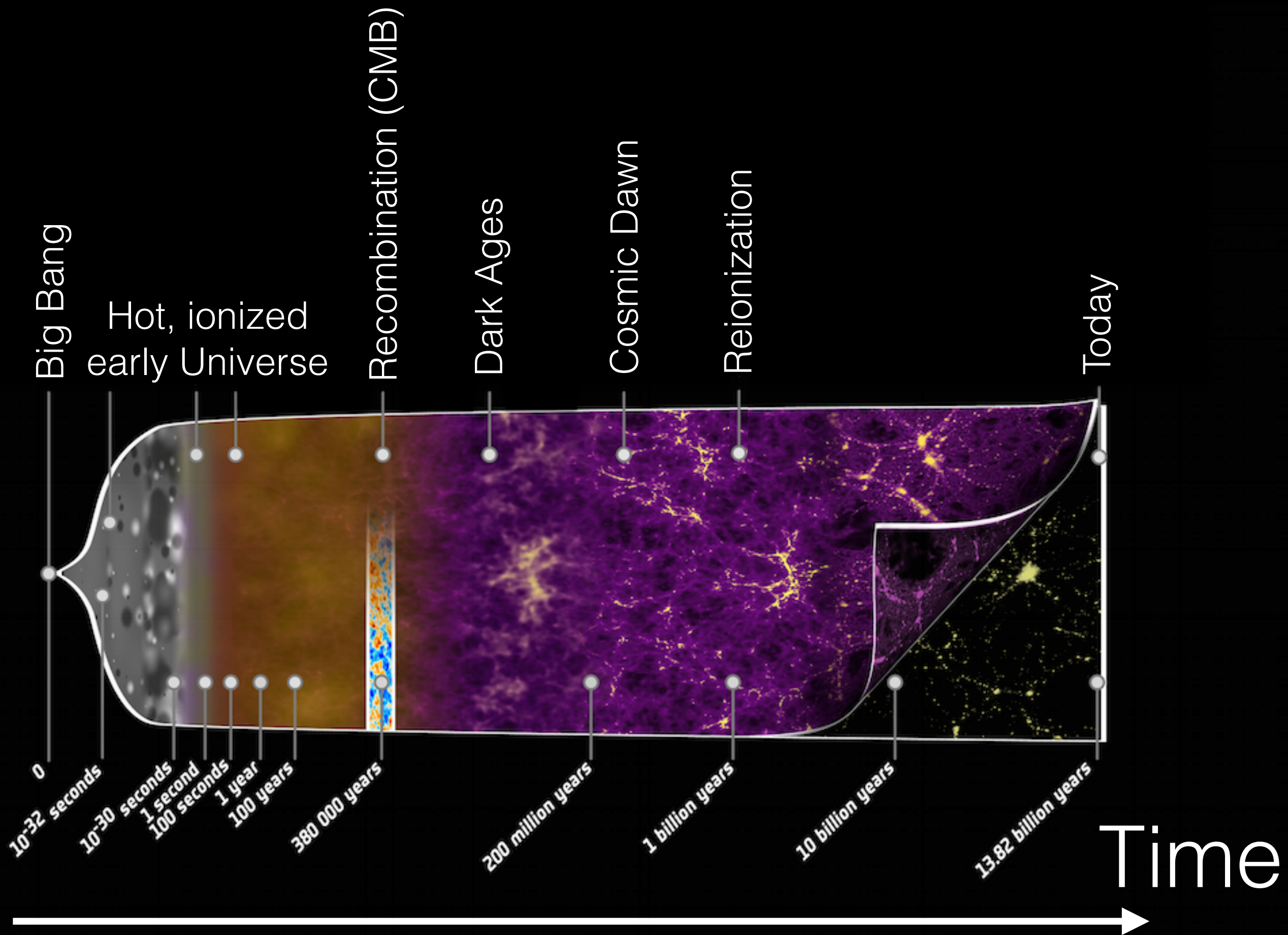




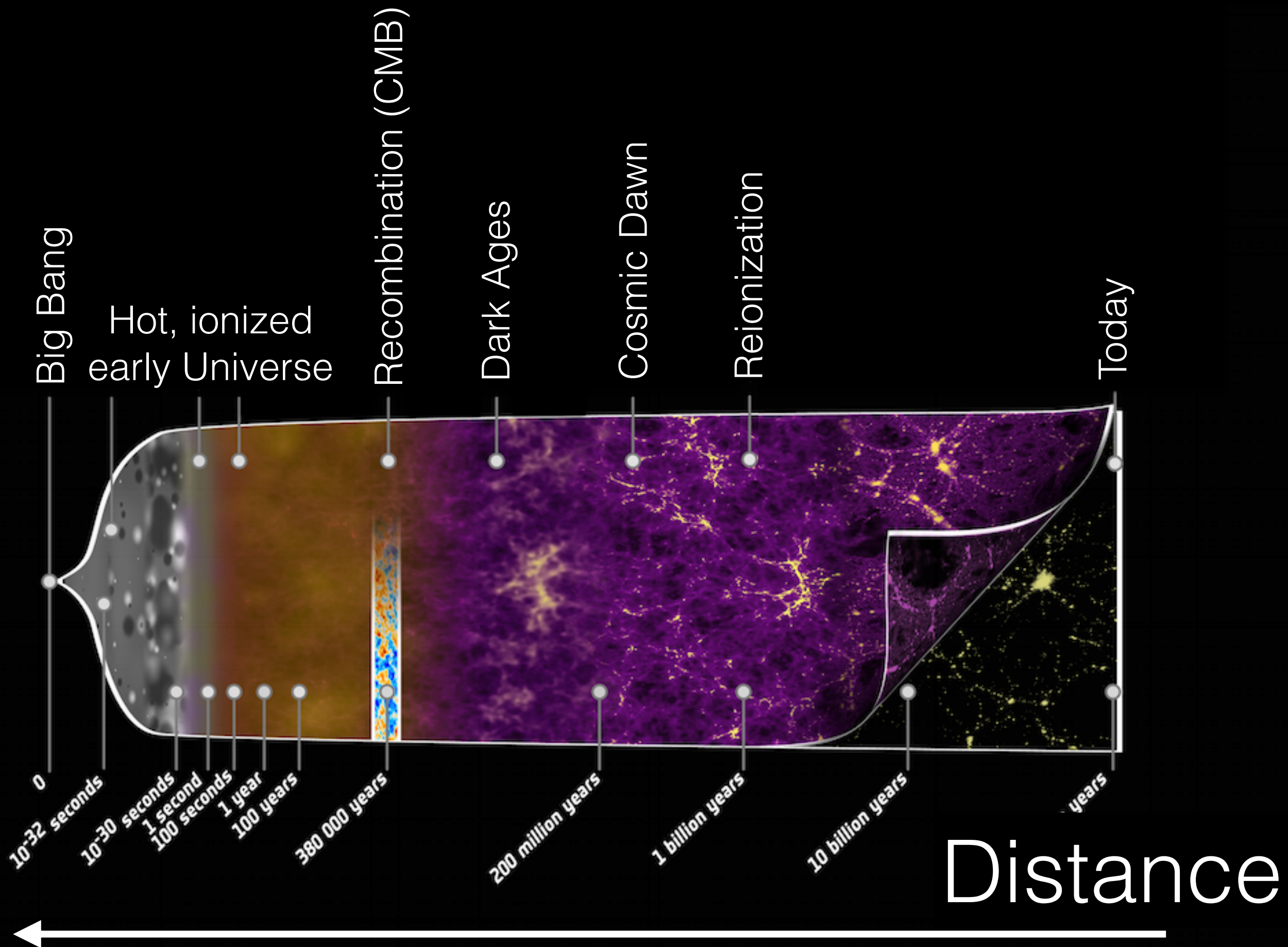


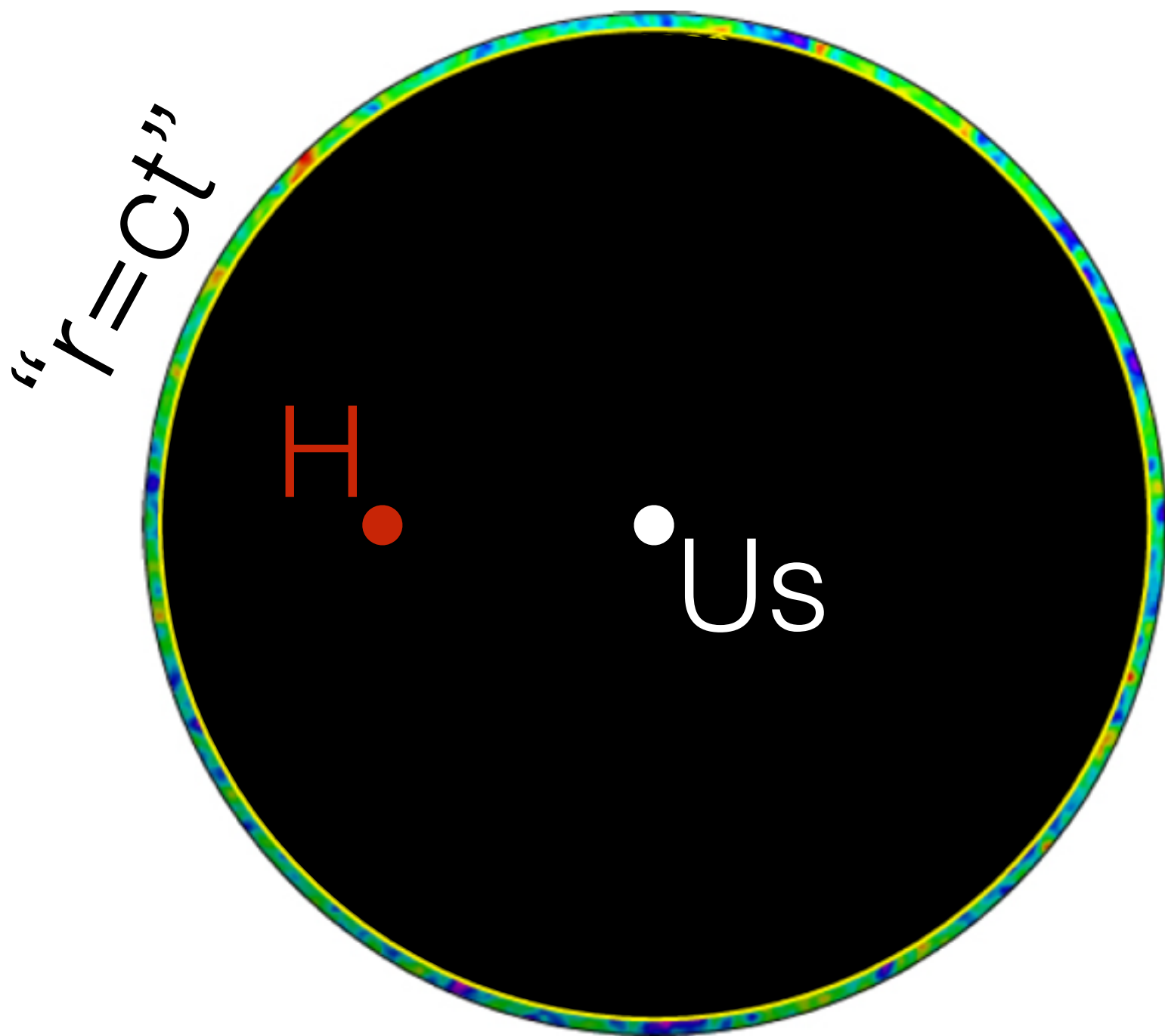
# Hydrogen is everywhere, and the 21cm line allows us to trace hydrogen





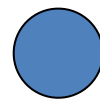
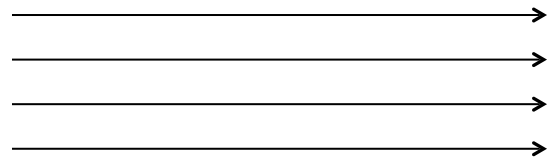




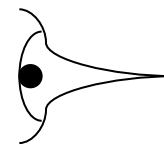
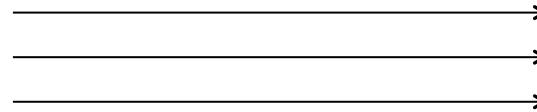


**CMB**

**CMB**



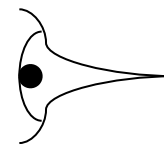
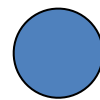
Hydrogen  
atom





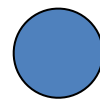
**CMB**

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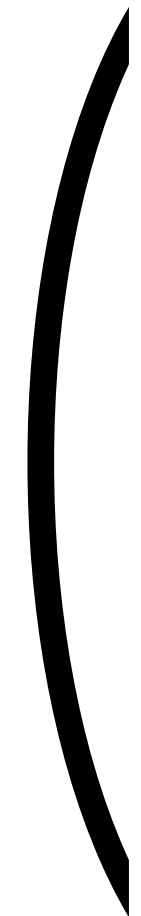
**CMB**

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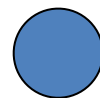
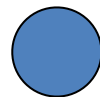




**CMB**

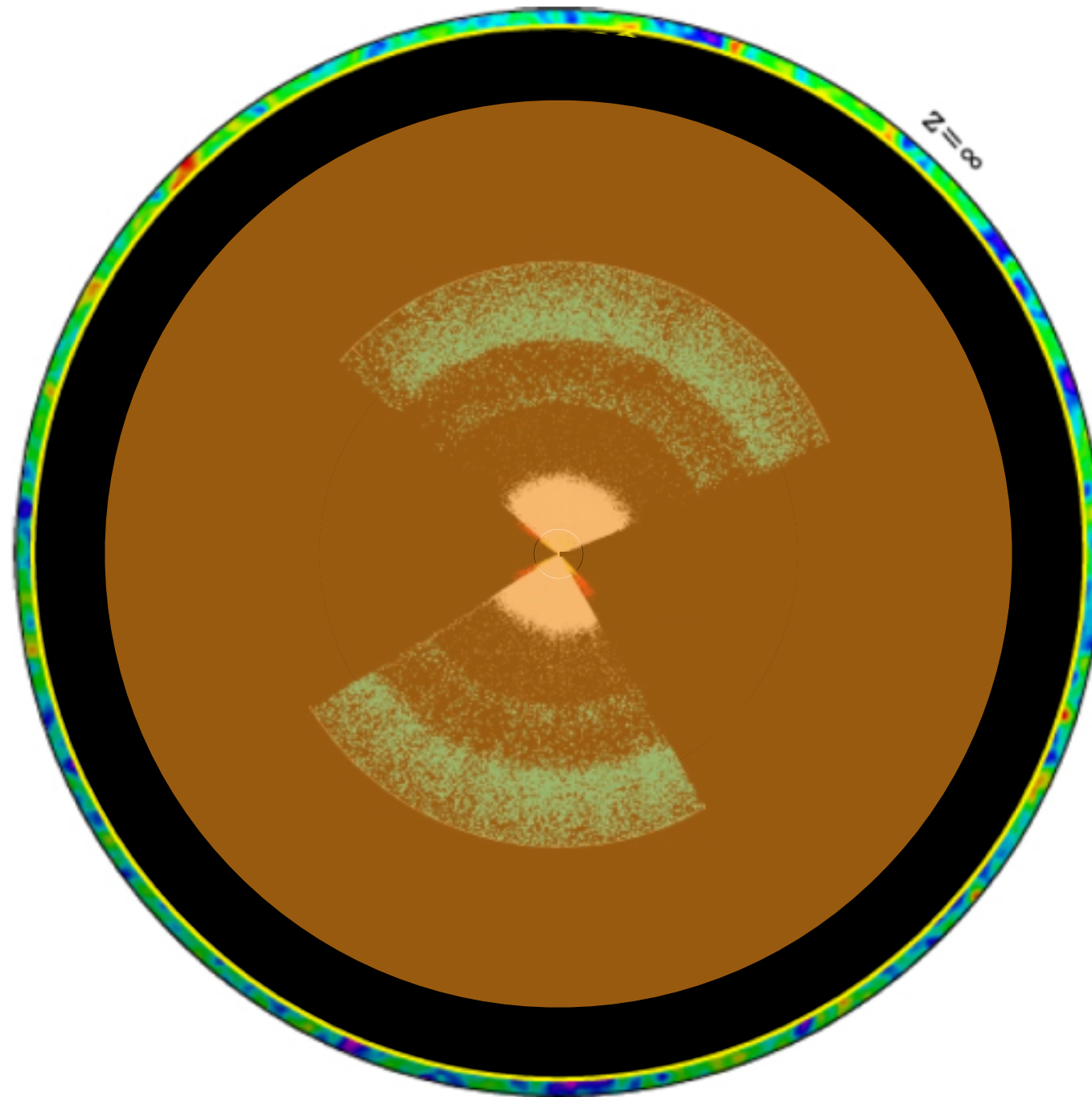


**CMB**

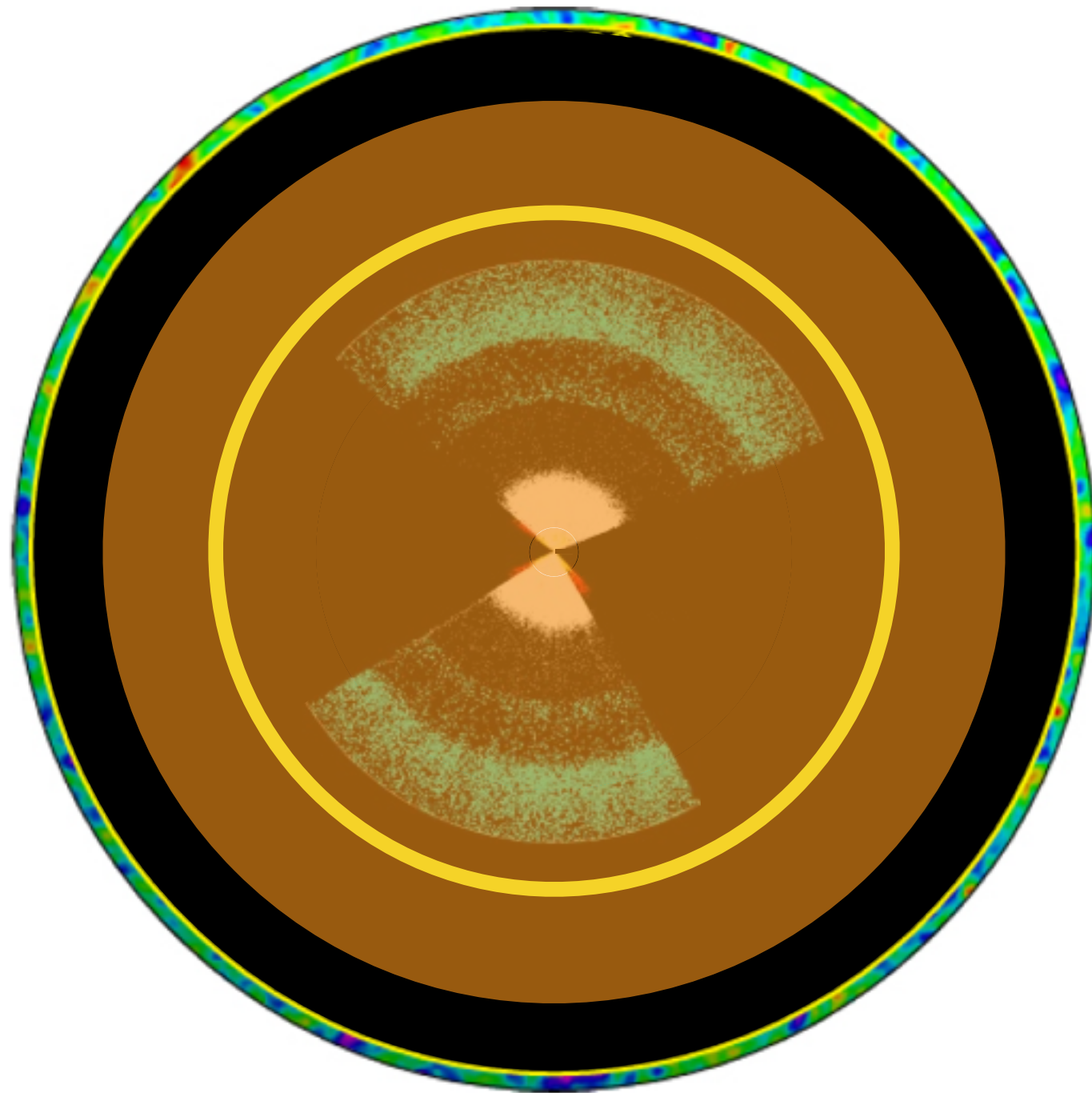


Depth perception comes from  
measuring the observed wavelength

21cm cosmology will allow gaps in the cosmic timeline to be filled by directly observing **radio absorption or emission from hydrogen atoms**



Current generation experiments are targeting the **Epoch of Reionization (EoR)**





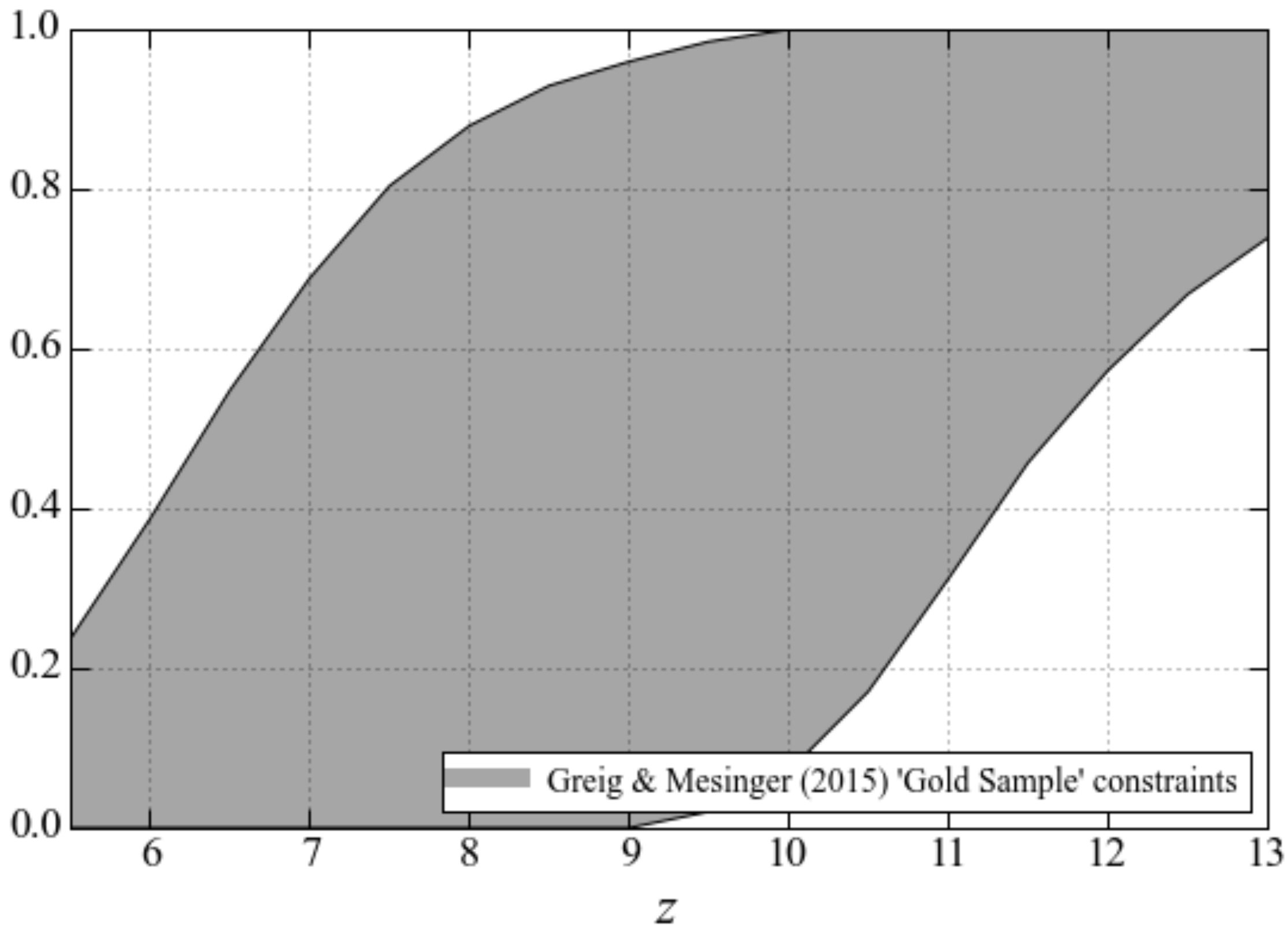
$\sim 1.0$  Gyr

time

$\sim 0.3$  Gyr



Neutral Fraction



# Take-home messages

- We're getting close to detecting the 21cm signal—close enough to start improving our understanding of reionization.
- 21cm cosmology is a data-intensive science where astrophysics and cosmology go hand-in-hand
- The HERA experiment is being built now, and promises to deliver qualitatively new constraints on astrophysics and cosmology.
- 21cm cosmology provides a window into fundamental physics with opportunities to push the time, sensitivity, and scale frontiers.

The promise of 21cm  
measurements

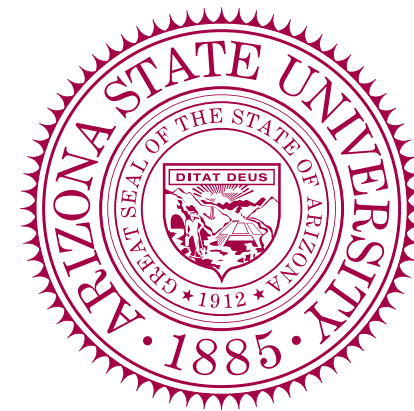
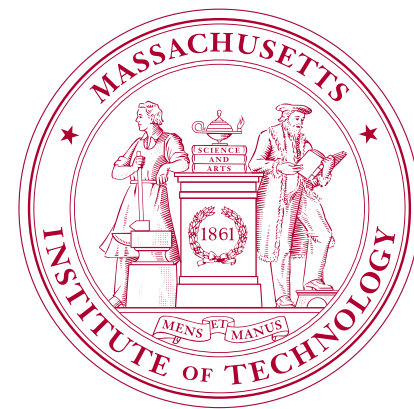


# Hydrogen Epoch of Reionization Array (HERA)

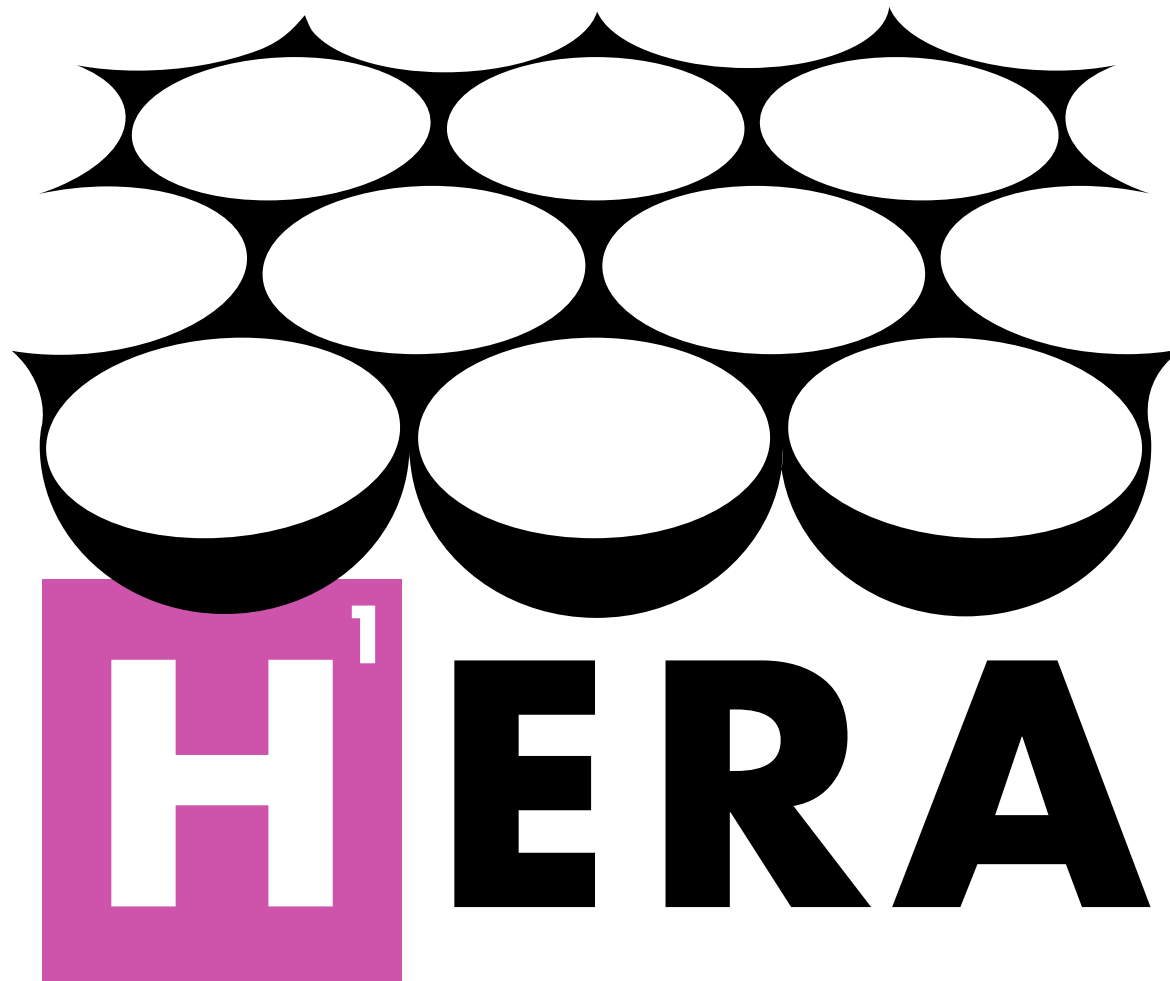


154 m





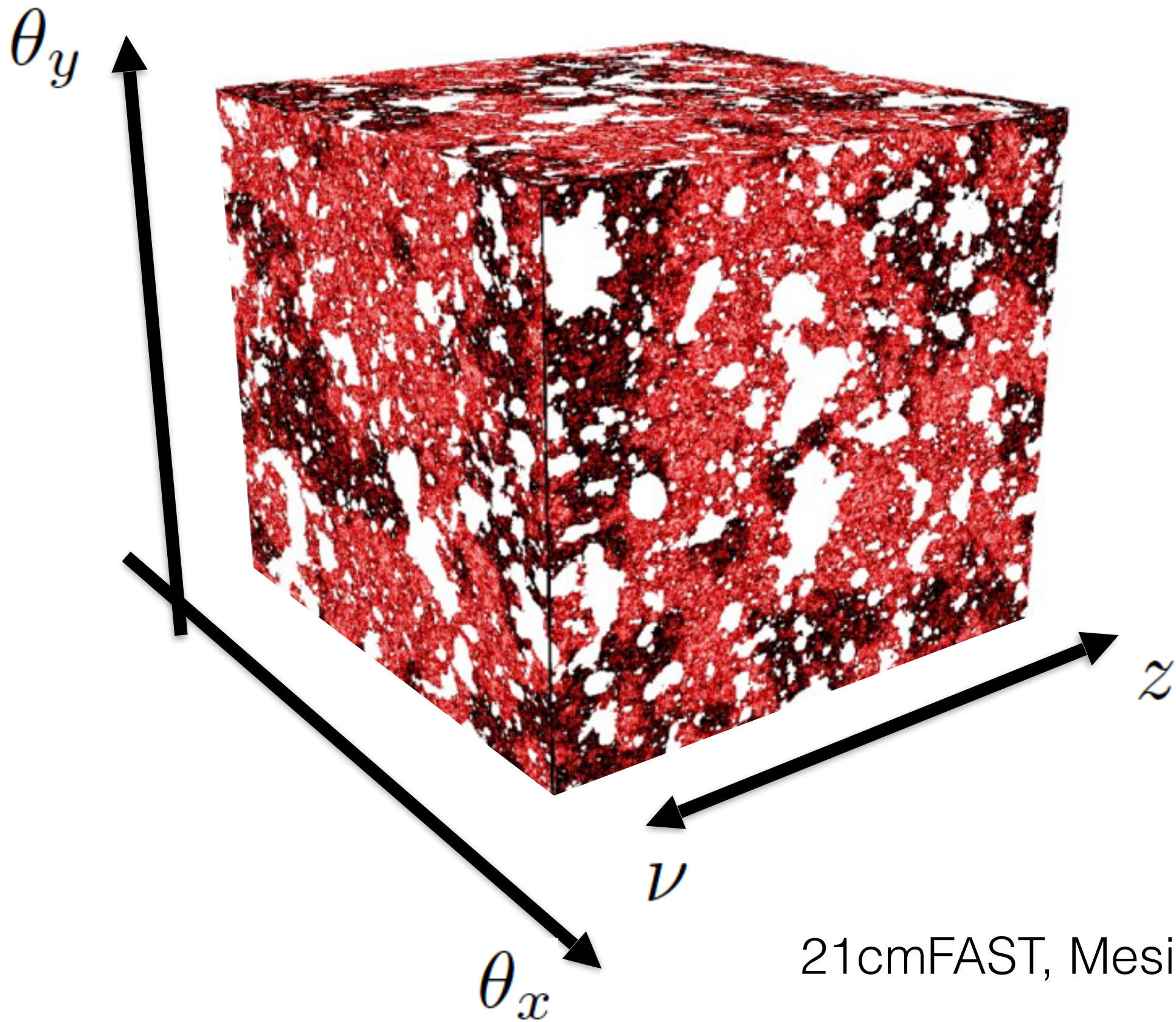
UNIVERSITY of the  
WESTERN CAPE



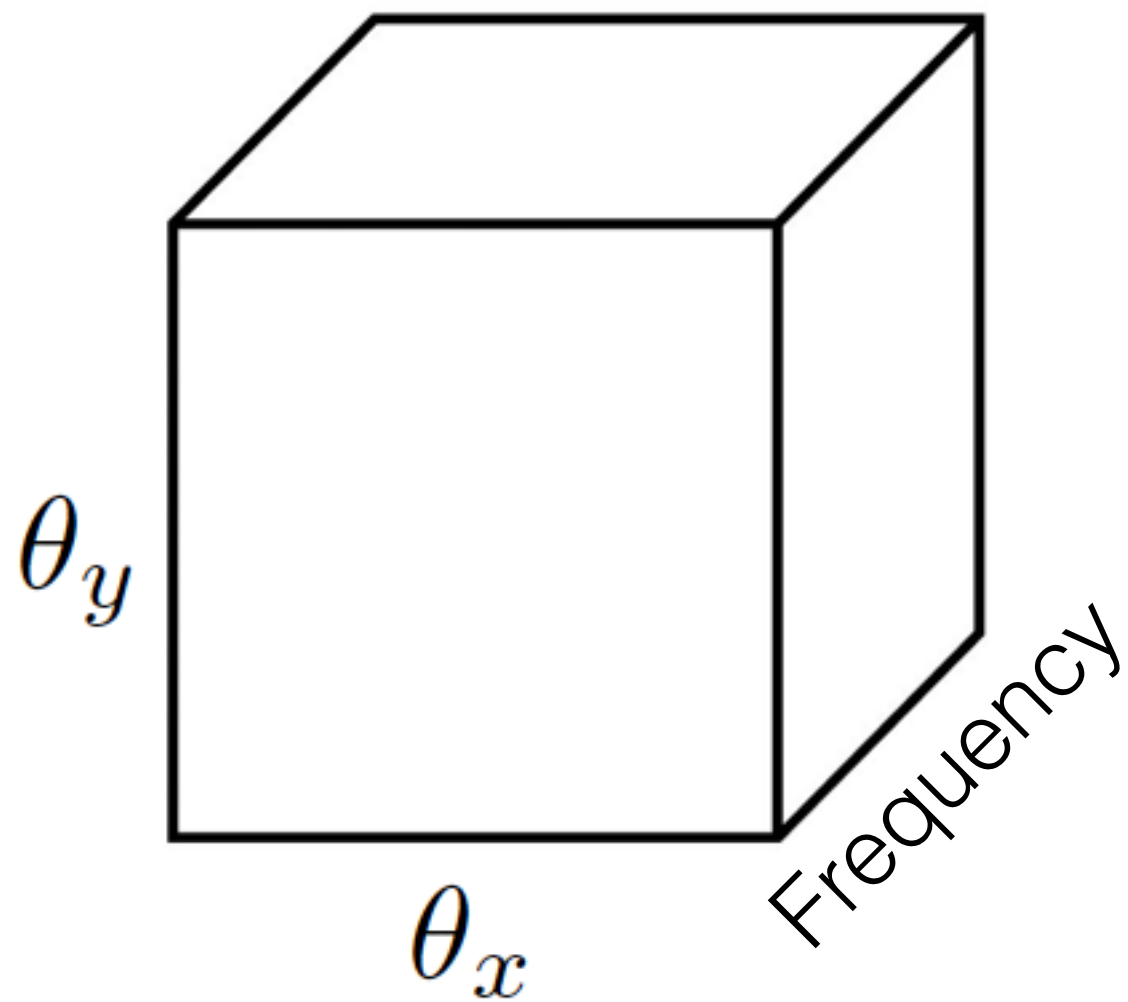


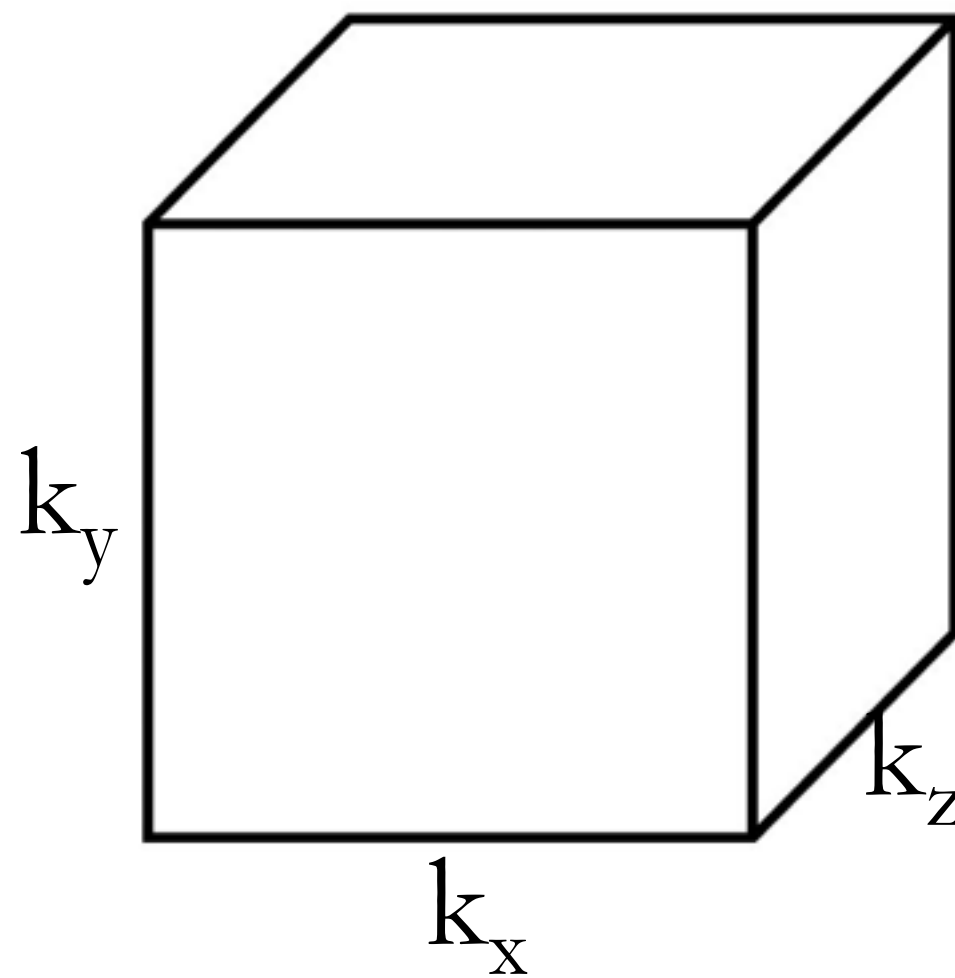
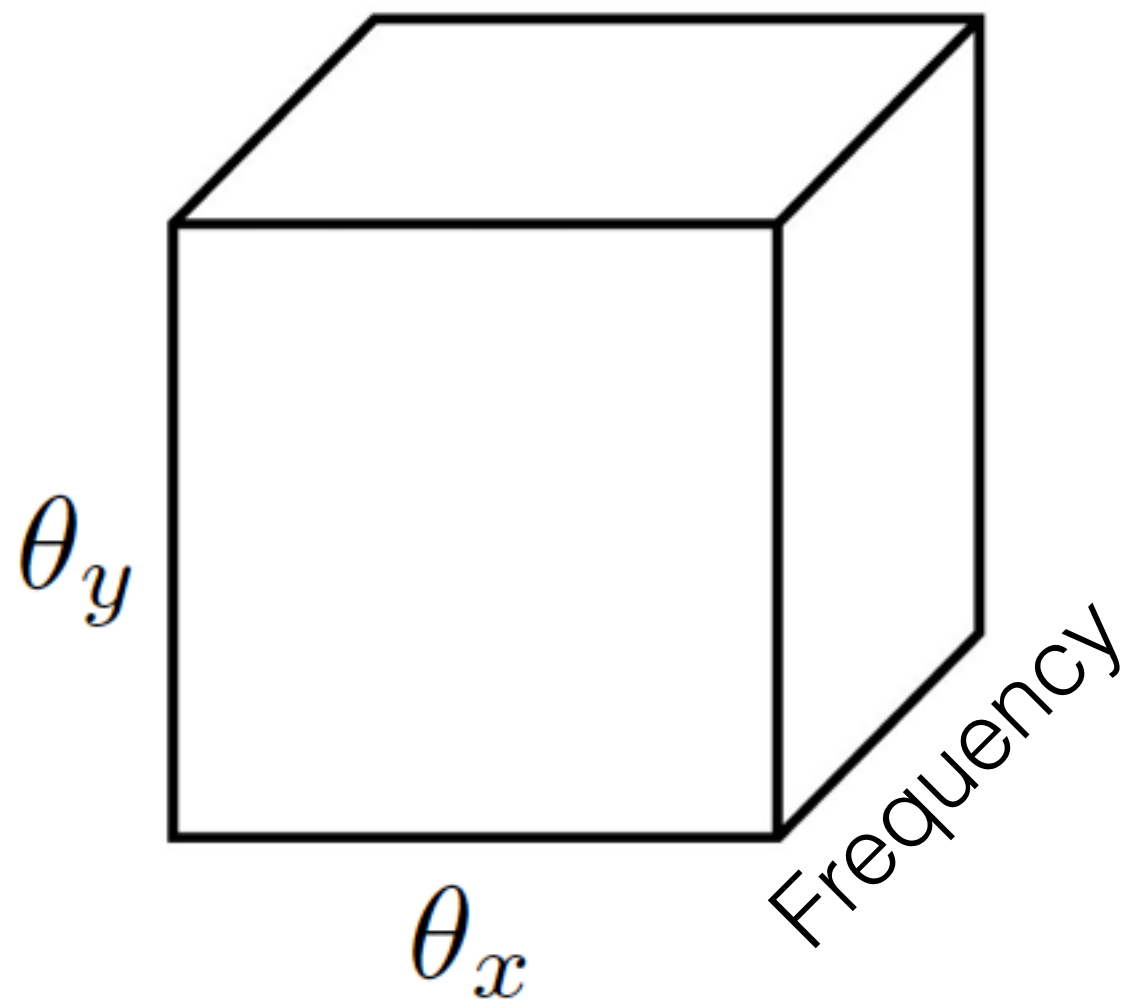




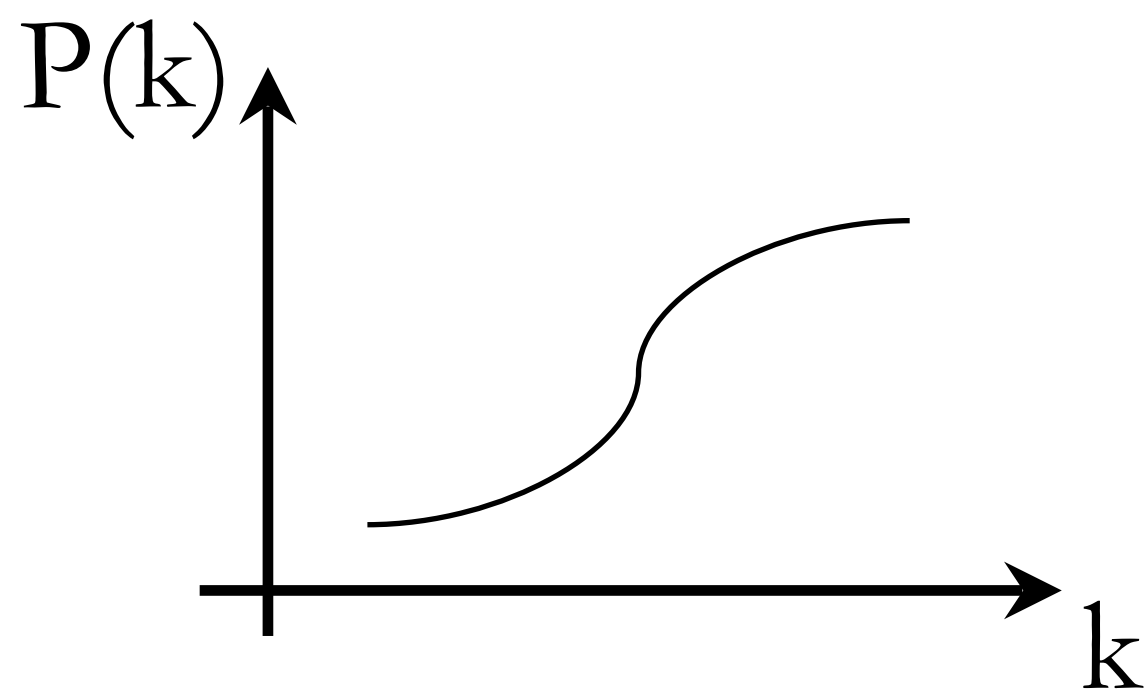
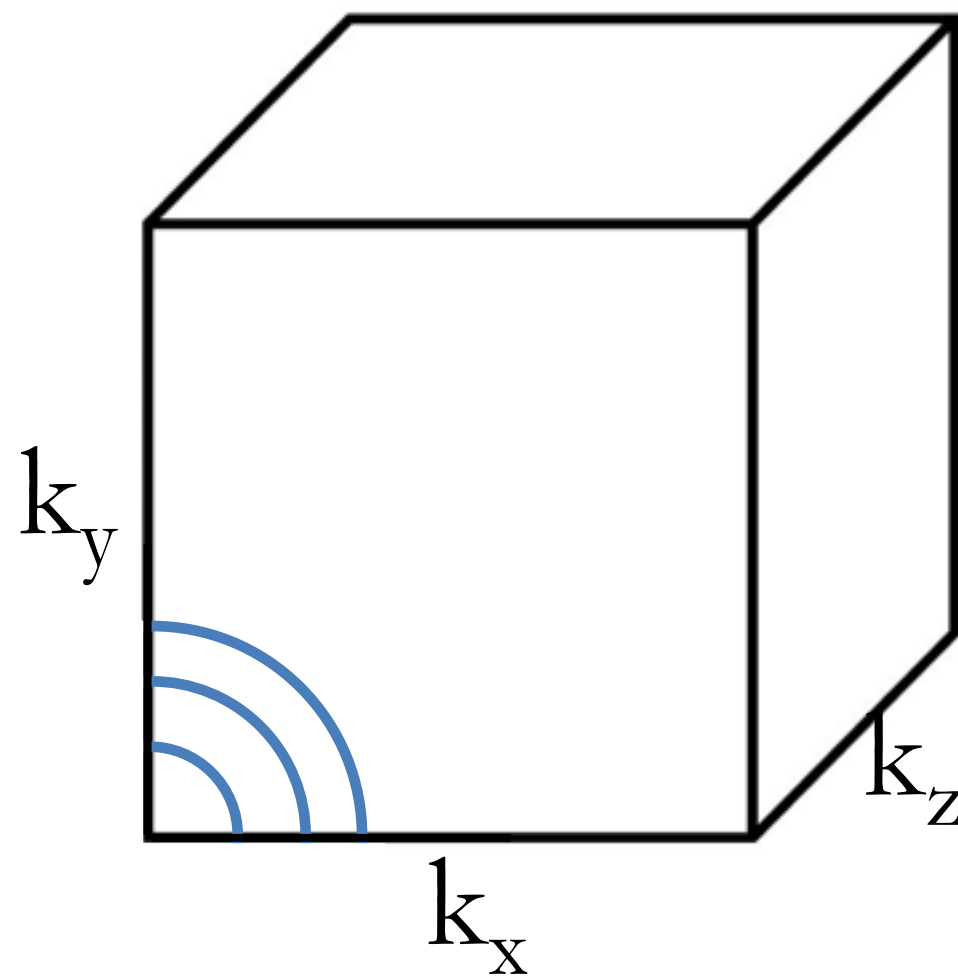
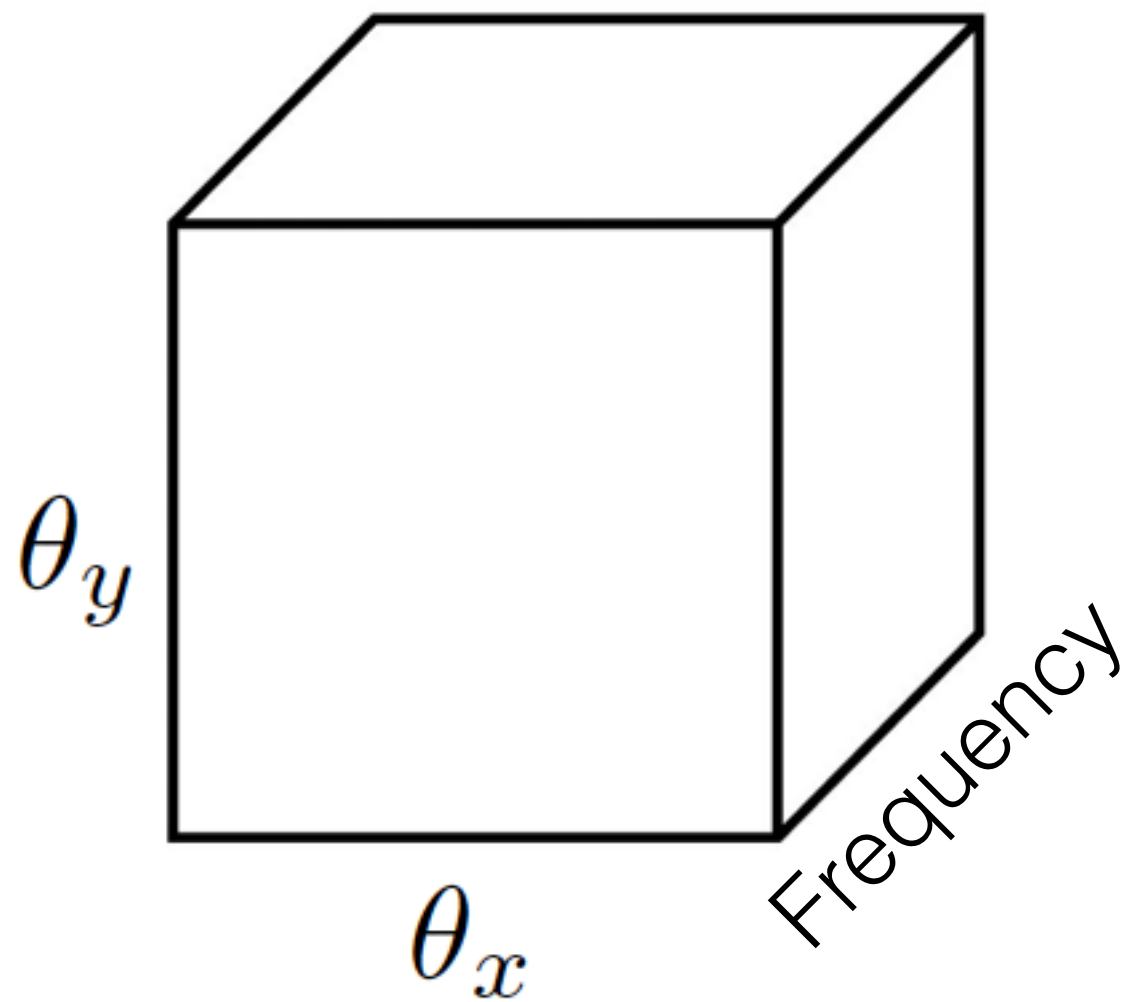


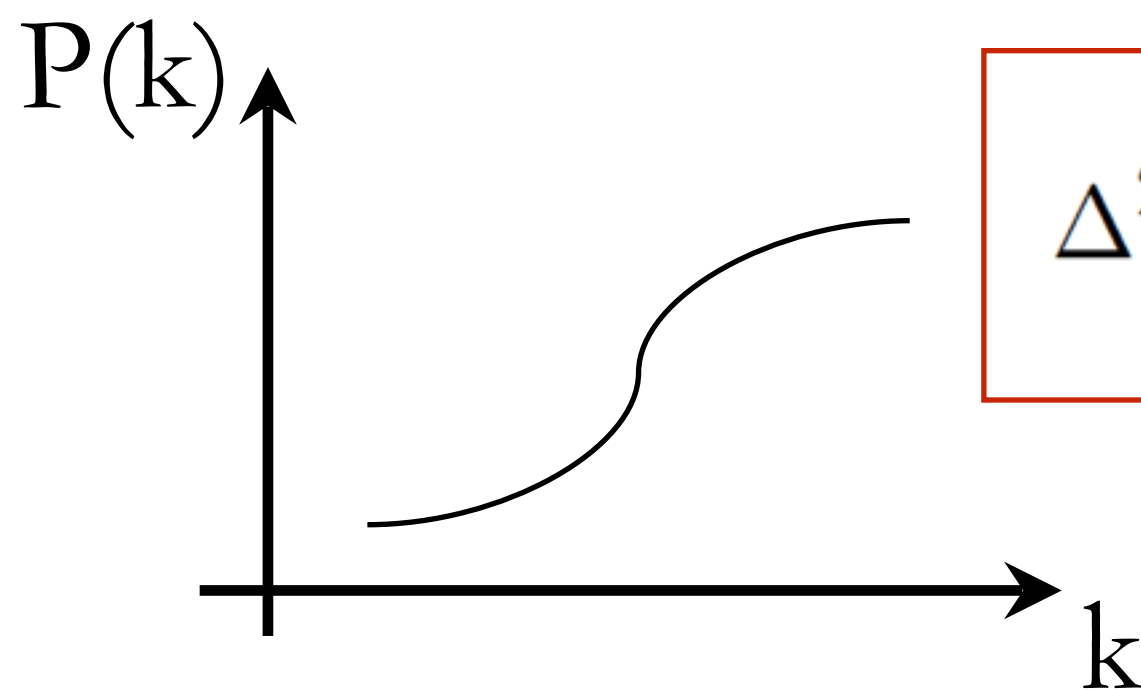
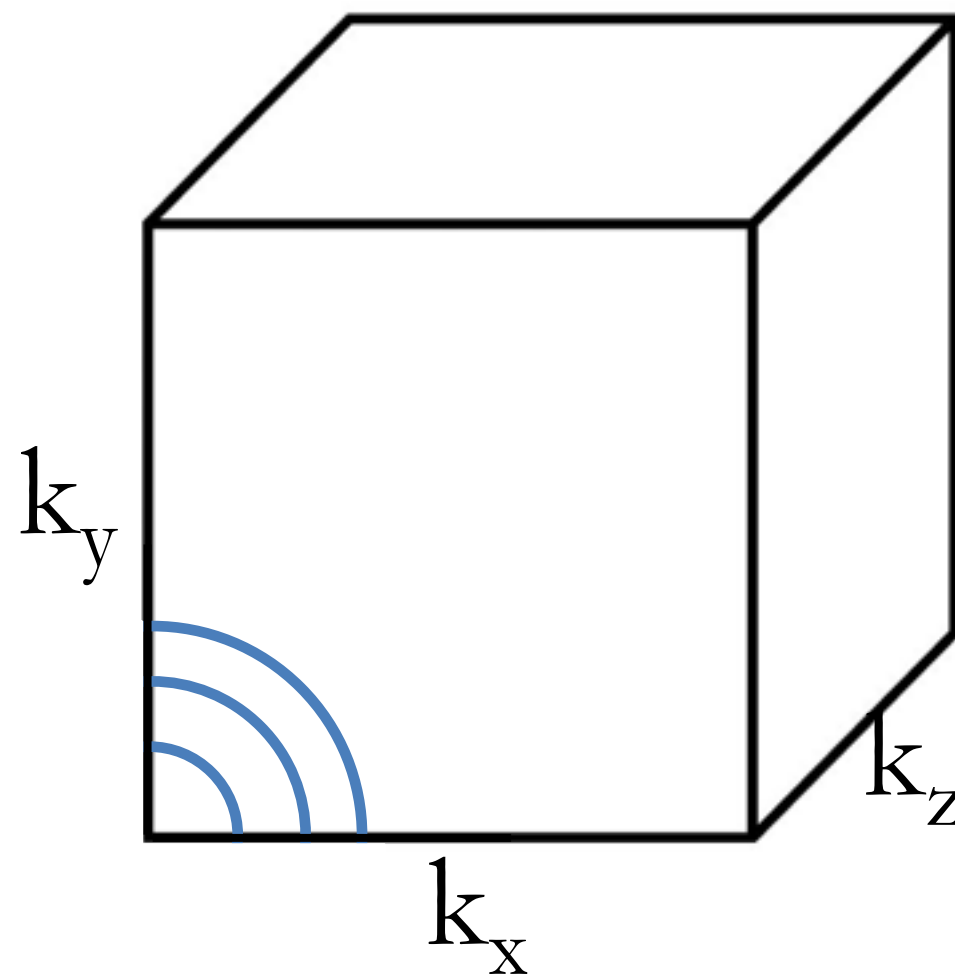
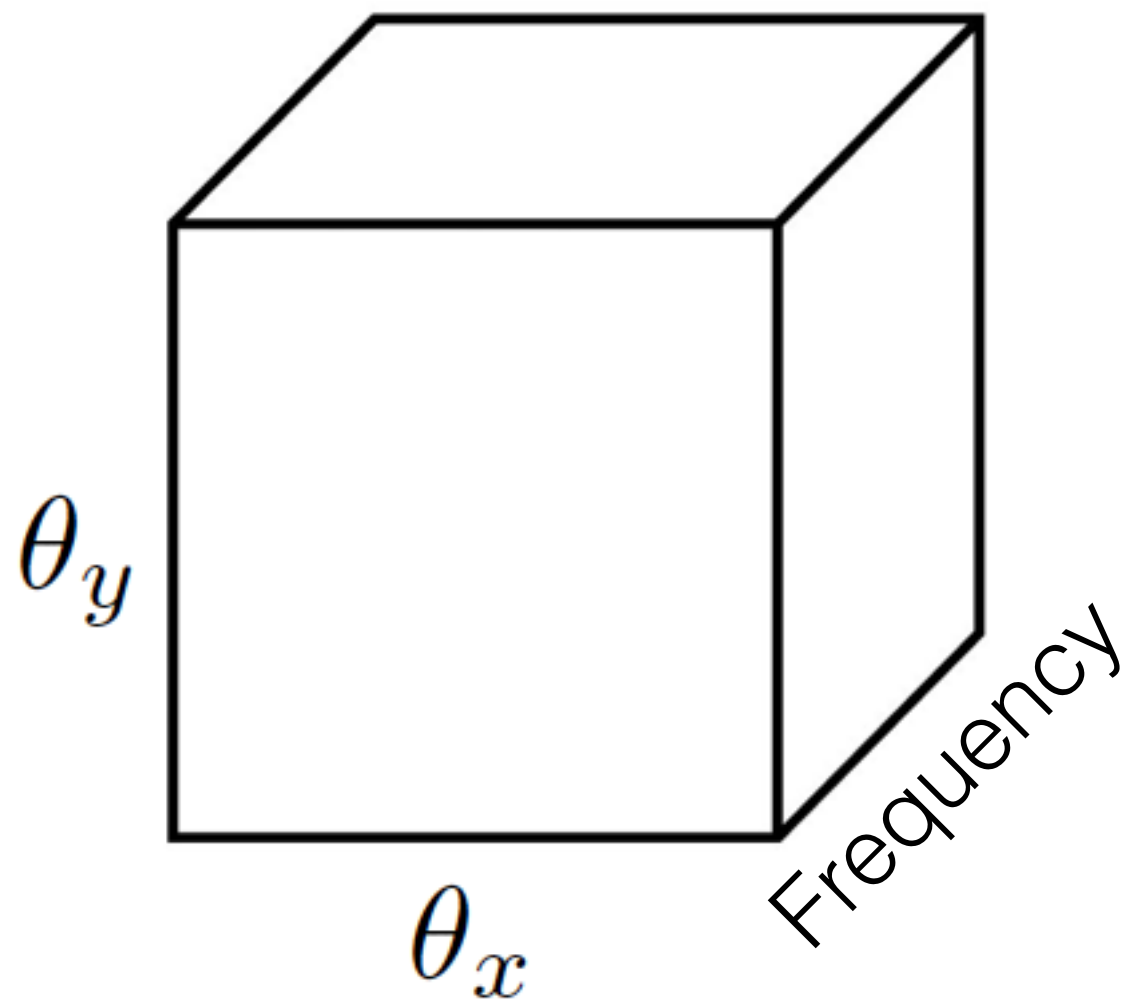
21cmFAST, Mesinger et al.



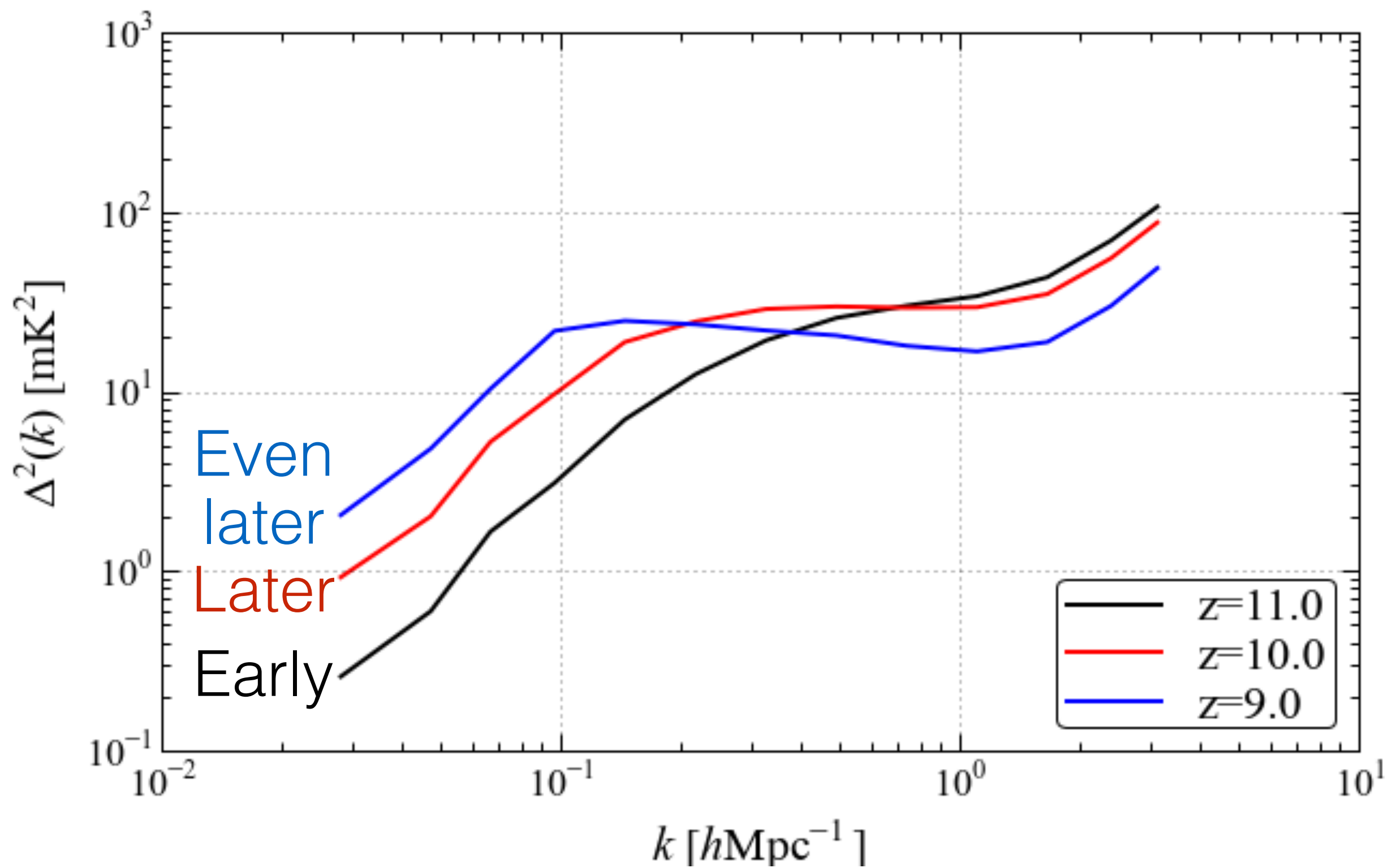


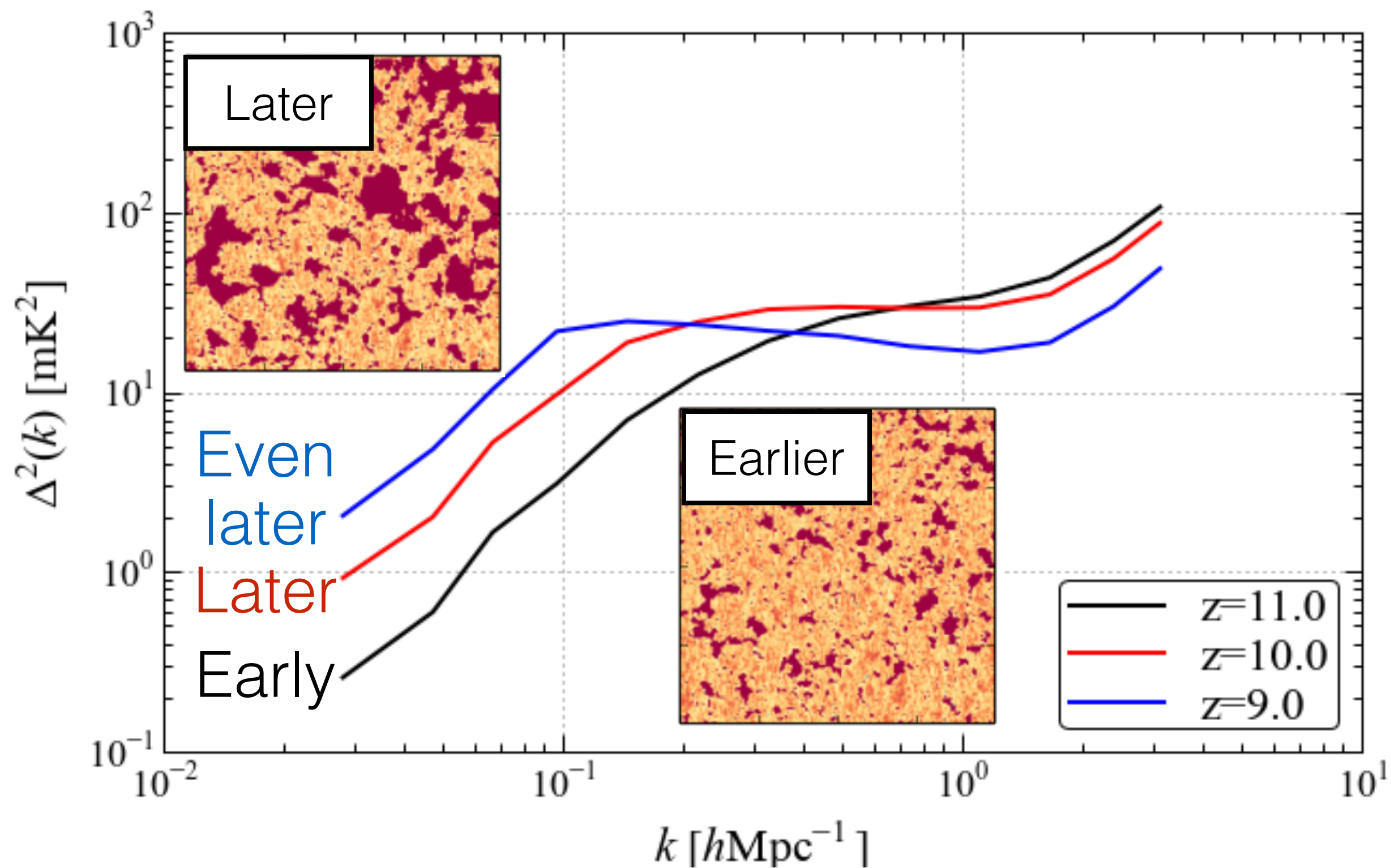






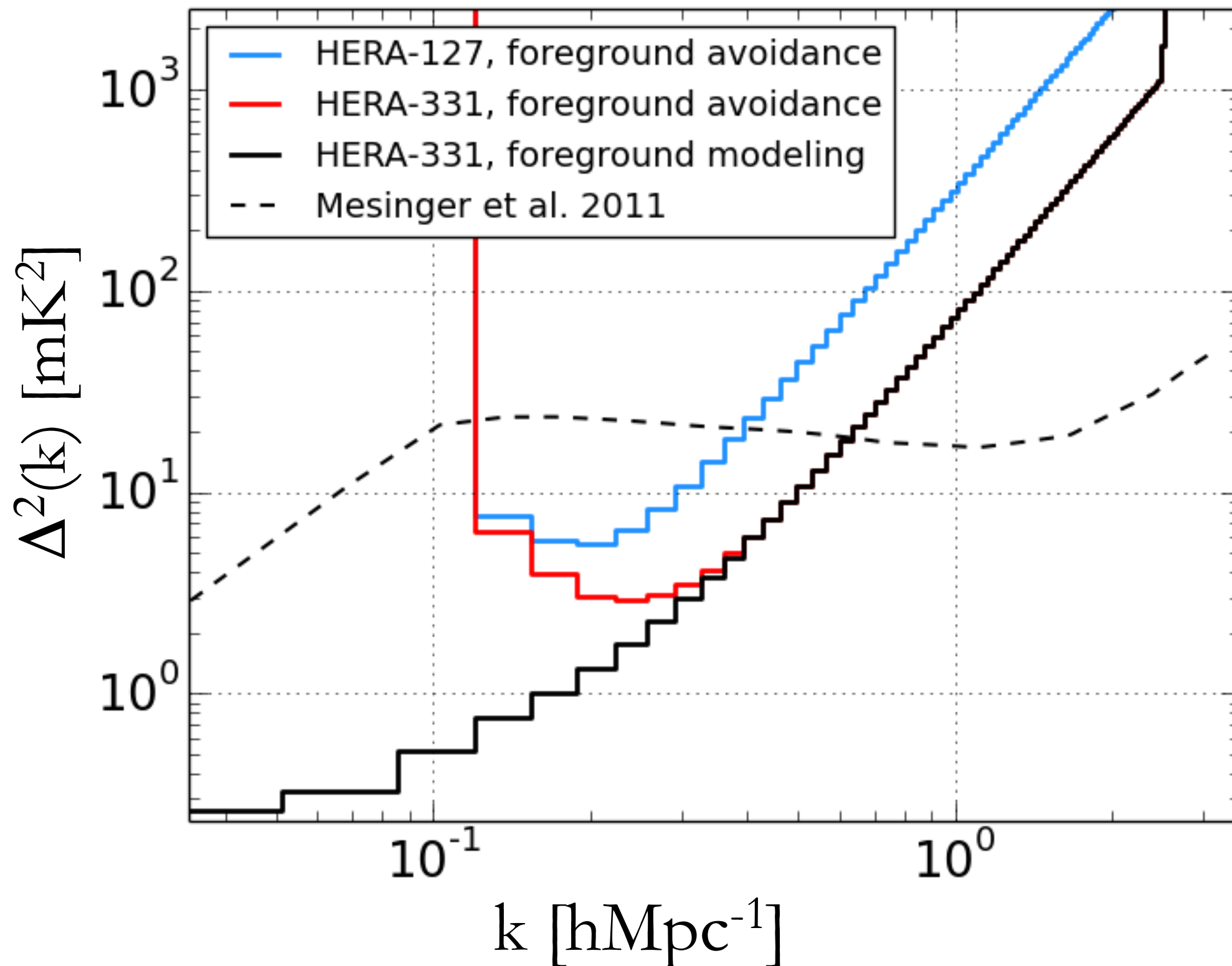
$$\Delta^2(k) \equiv \frac{k^3}{2\pi^2} P(k)$$



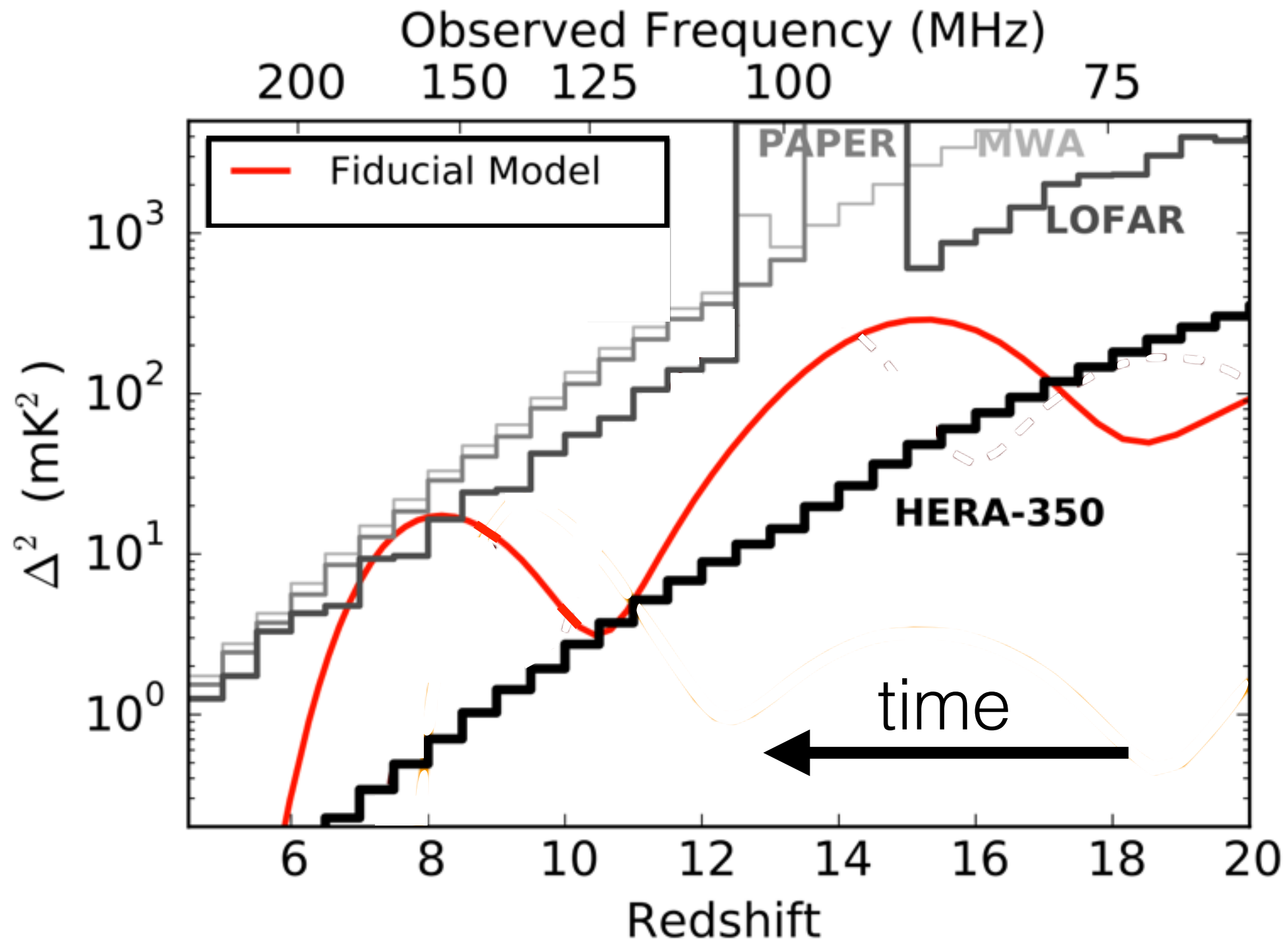




HERA will make a high significance measurement within  $\sim 5$  years



HERA will make a high significance measurement within ~5 years



# A three-parameter reionization model

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- $\zeta$ : ionizing efficiency of first galaxies

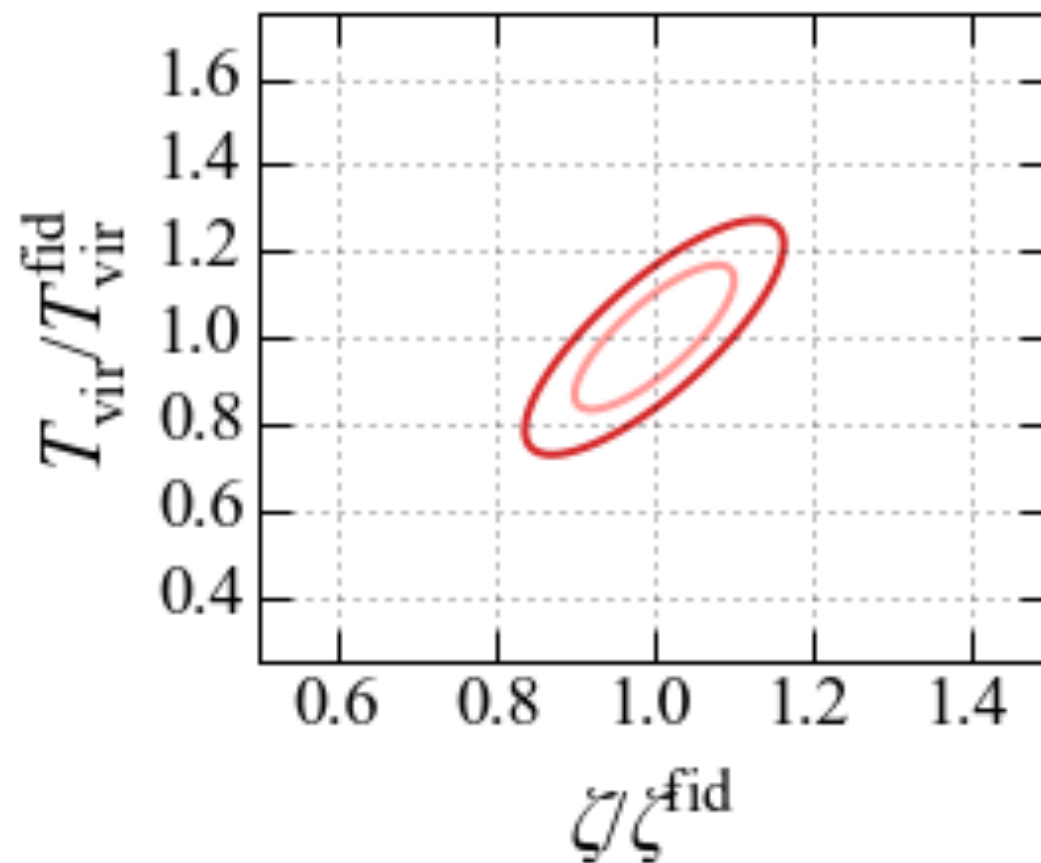
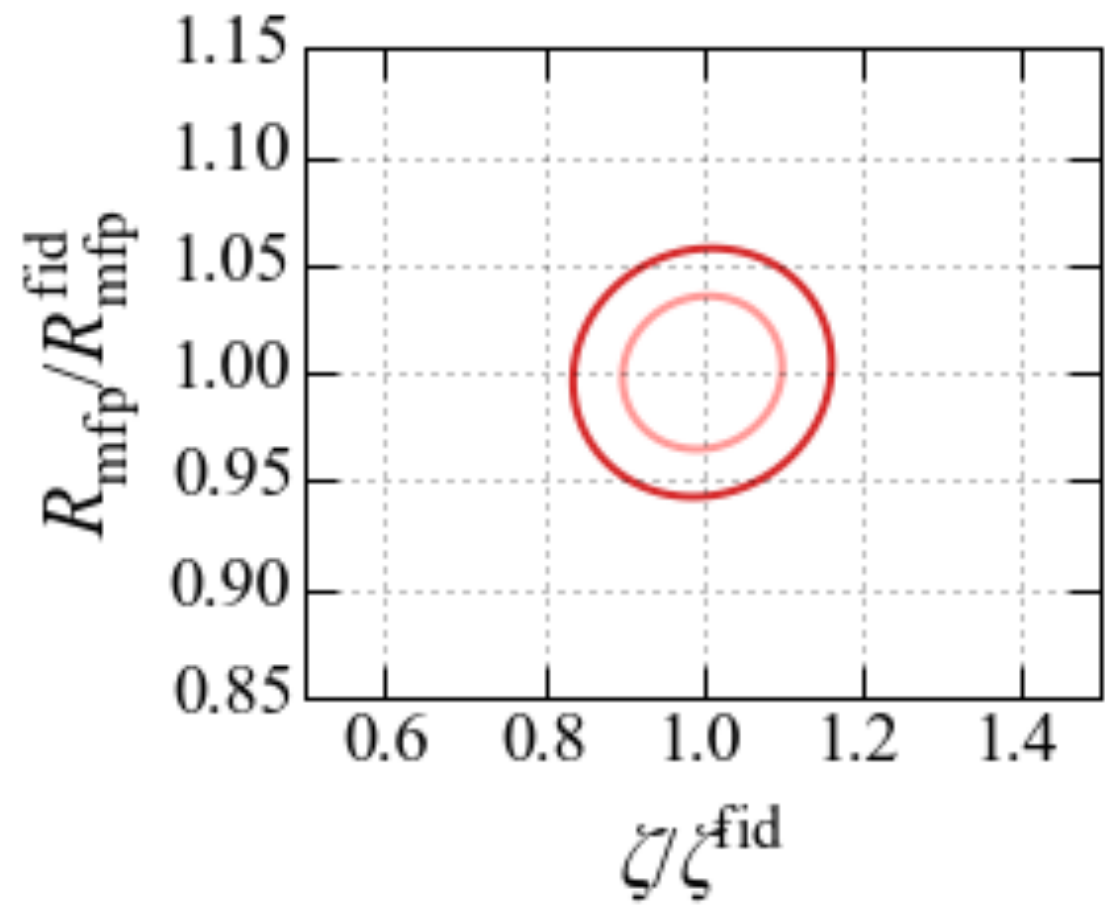
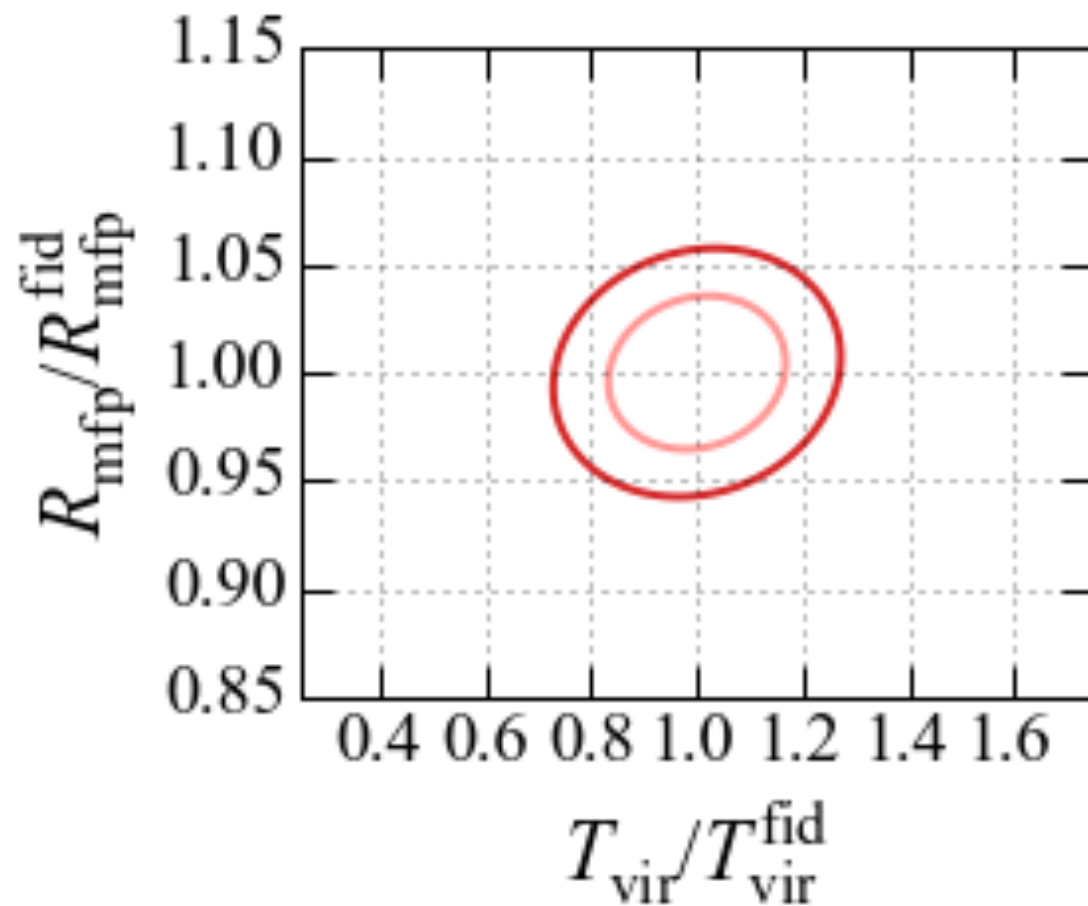


# A three-parameter reionization model

- $\zeta$ : ionizing efficiency of first galaxies
- $T_{\text{vir}}$ : minimum virial temperature (proxy for mass) of first ionizing galaxies

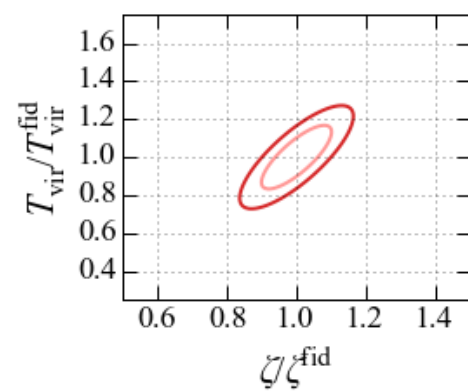
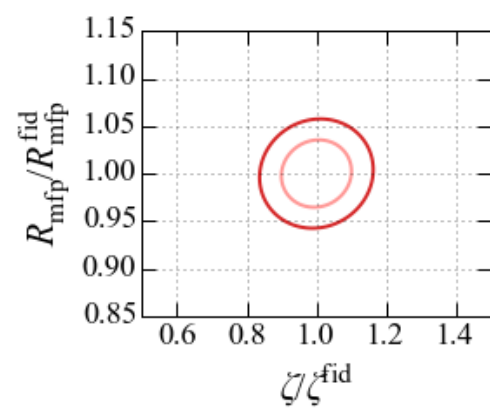
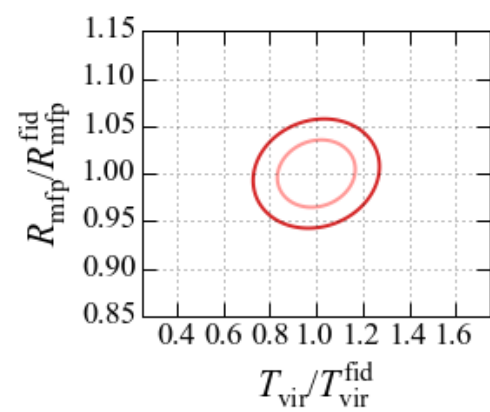
# A three-parameter reionization model

- $\zeta$ : ionizing efficiency of first galaxies
- $T_{\text{vir}}$ : minimum virial temperature (proxy for mass) of first ionizing galaxies
- $R_{\text{mfp}}$ : mean free path of ionizing photons

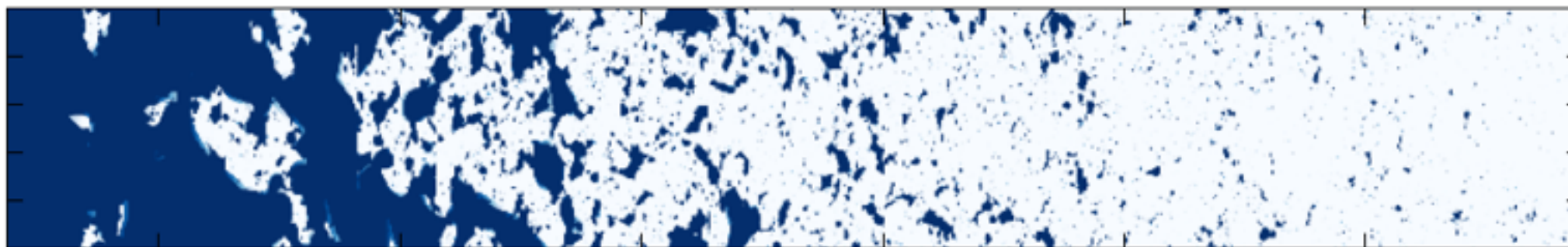


The recently commenced  
HERA experiment is  
forecasted to deliver  
~5% errors on  
astrophysical parameters

**AL** & Parsons (2015b)

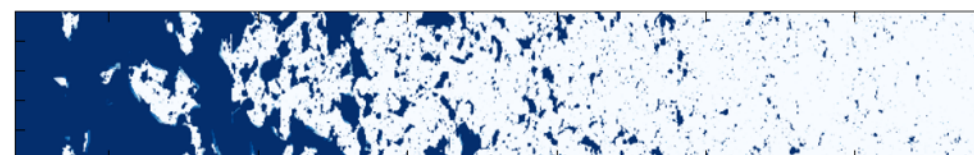
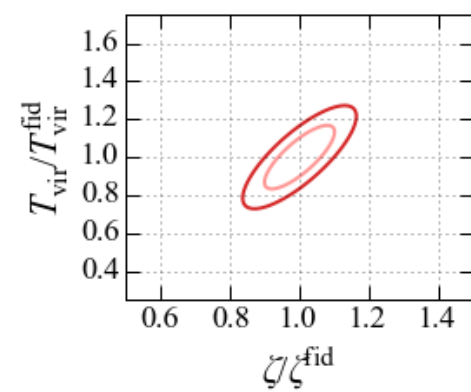
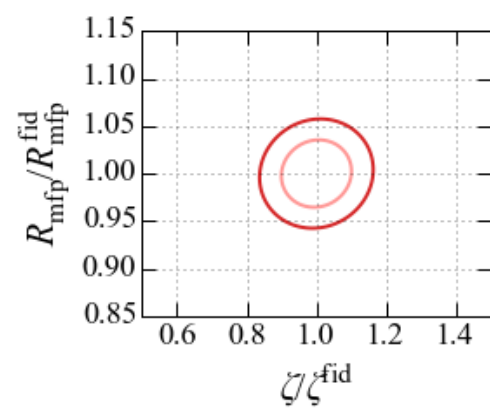
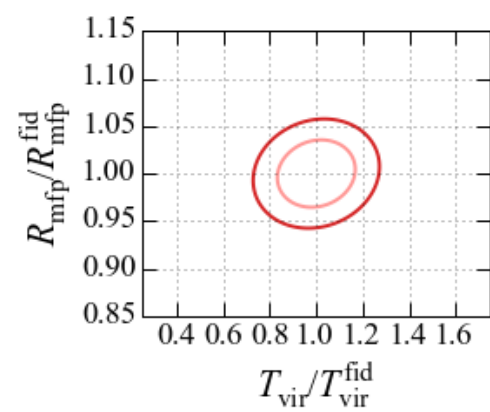


model



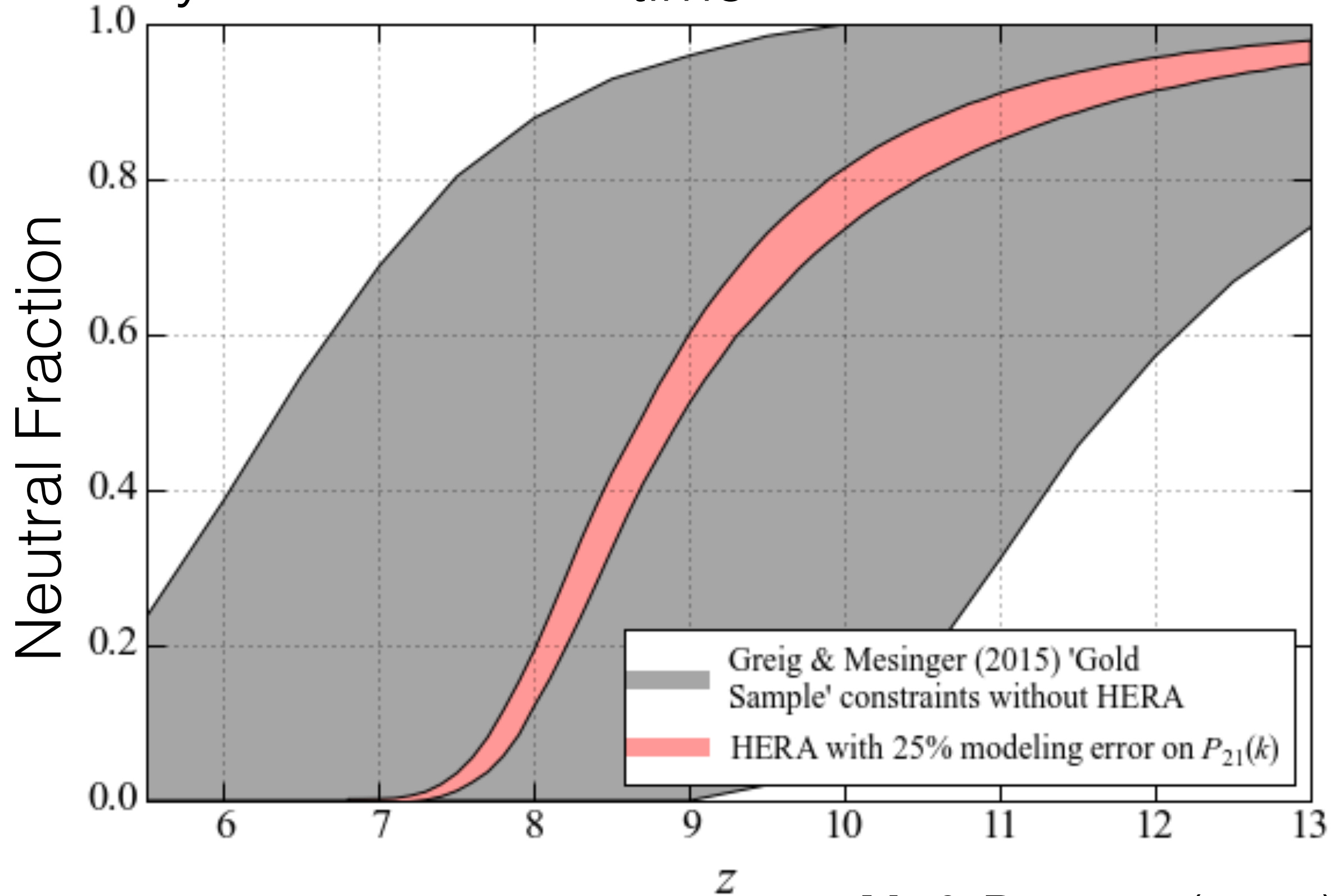
time





time

~1.0 Gyr ← time → ~0.3 Gyr



**AL** & Parsons (2015)  
Presley, **AL** et al. (ongoing)

# Questions we can now begin to ask

- How and when was the IGM heated?
- Were there any exotic mechanisms at play?
- What was the nature of the first stars and galaxies?
- Were galaxies solely responsible for reionization?

PAPER: state-of-the-art  
upper limits on the power  
spectrum



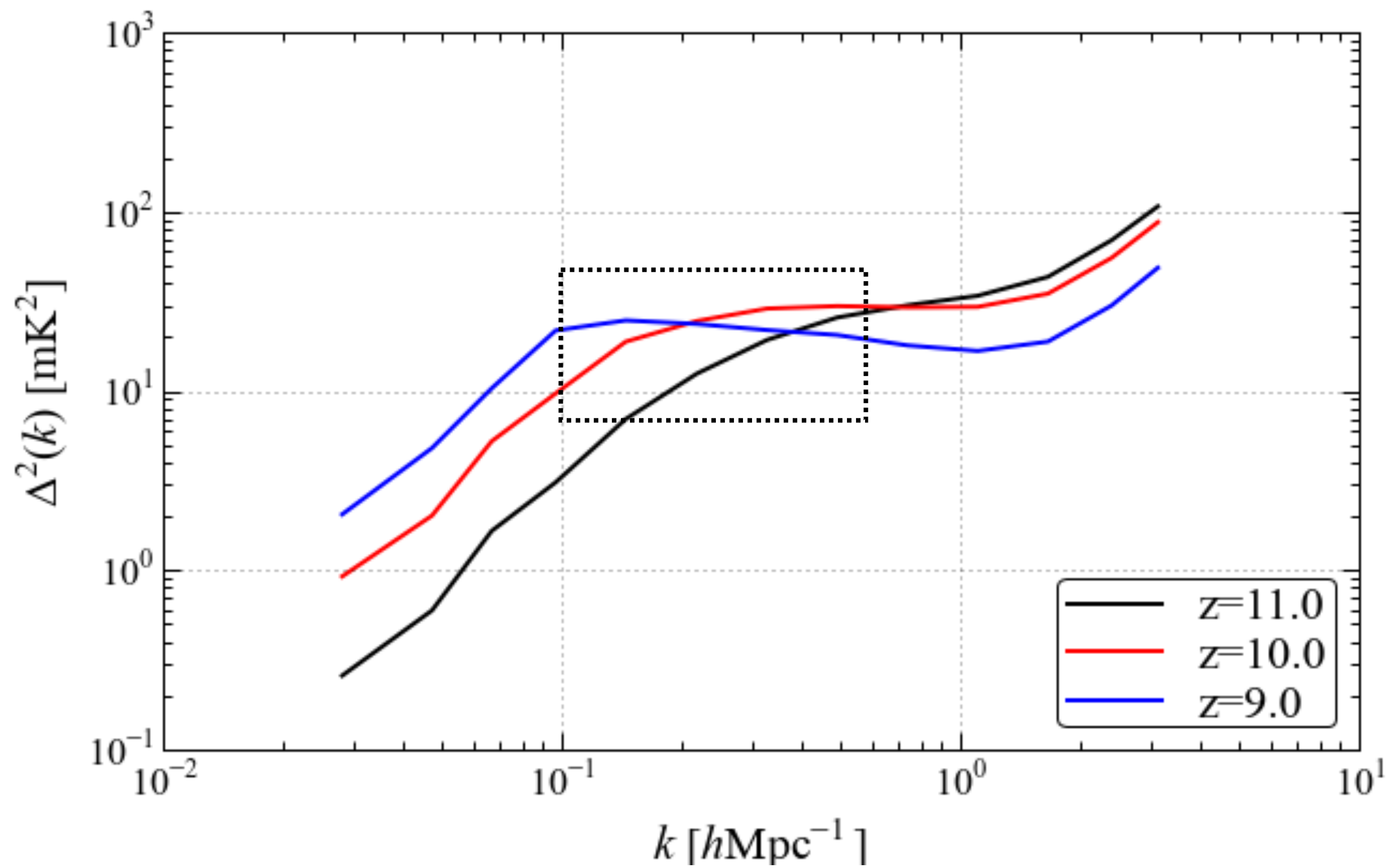
# Donald C. Backer Precision Array for Probing the Epoch of Reionization (PAPER)





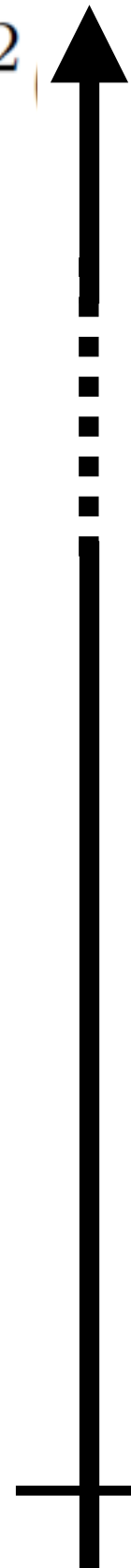




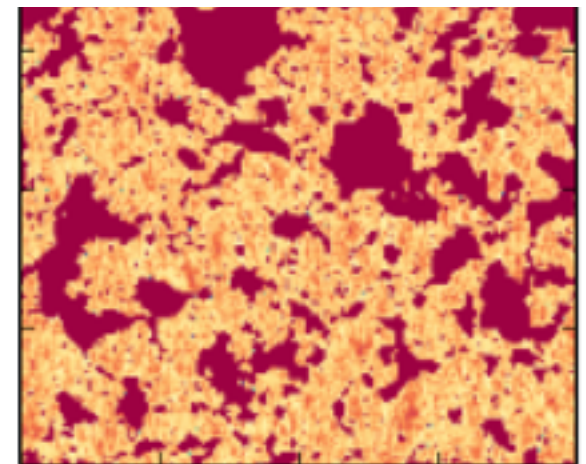


Upper limits for  $7.5 < z < 8.5$

$\Delta^2$

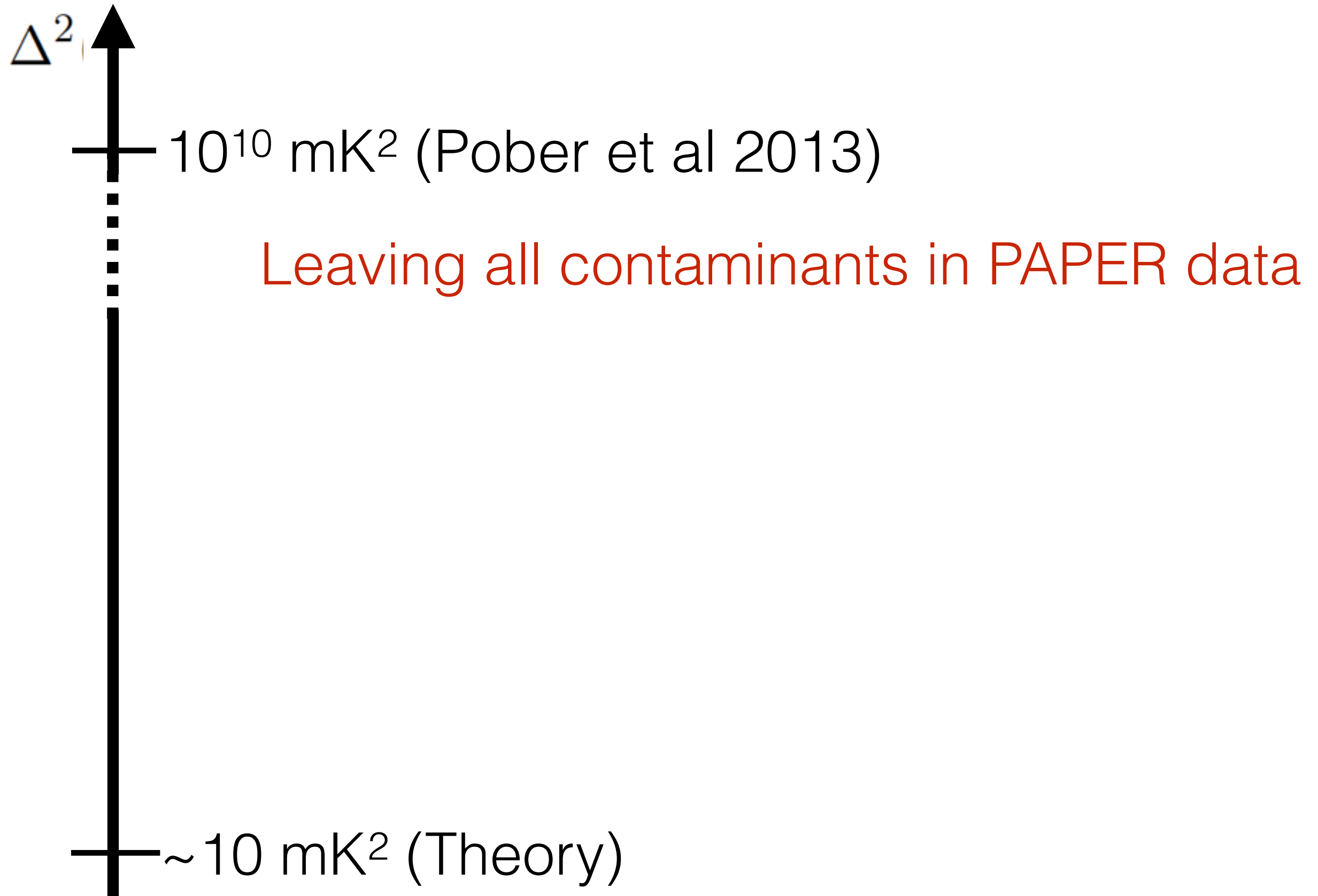


+  $\sim 10 \text{ mK}^2$  (Theory)

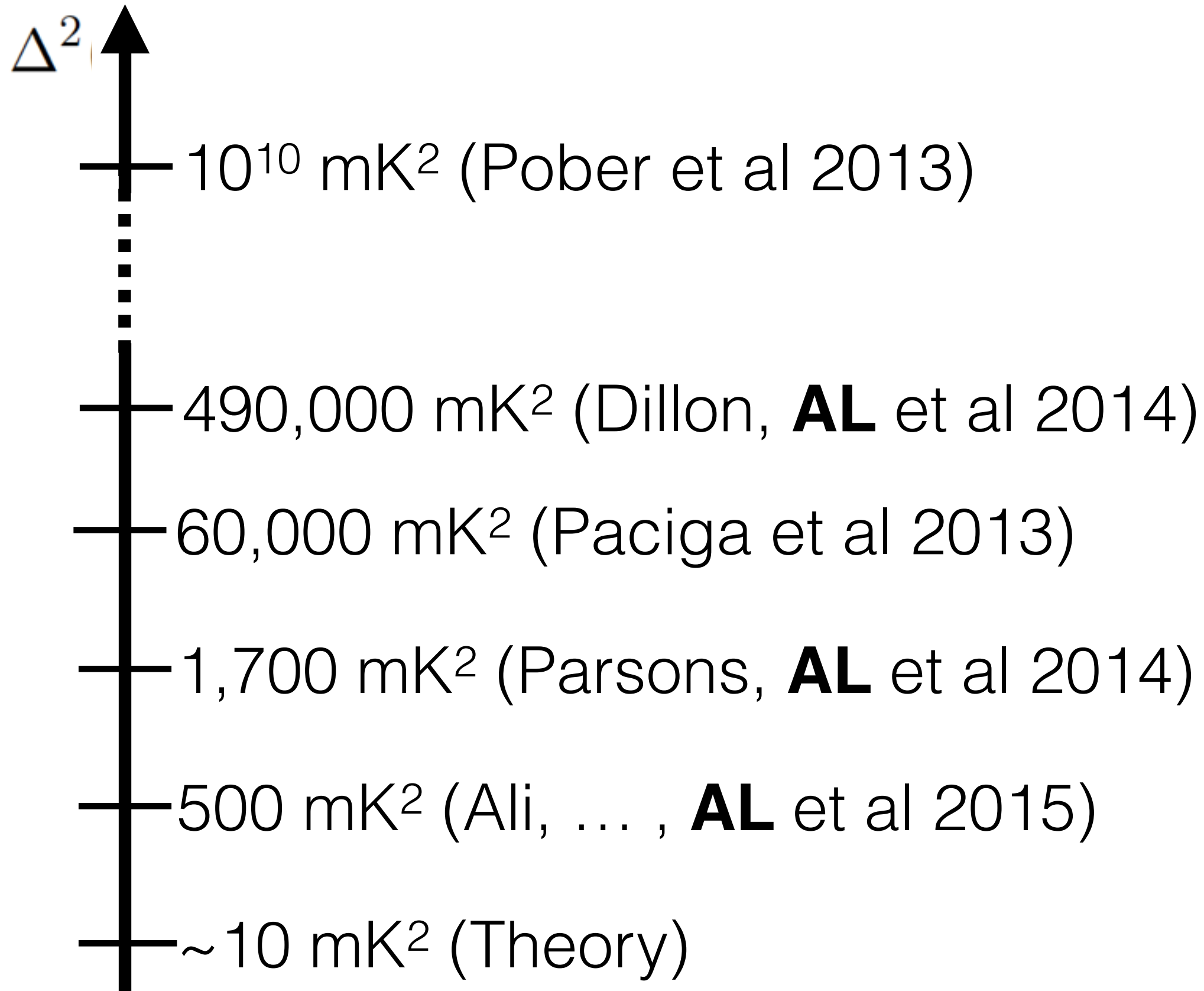




# Upper limits for $7.5 < z < 8.5$



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$\Delta^2$  ↑

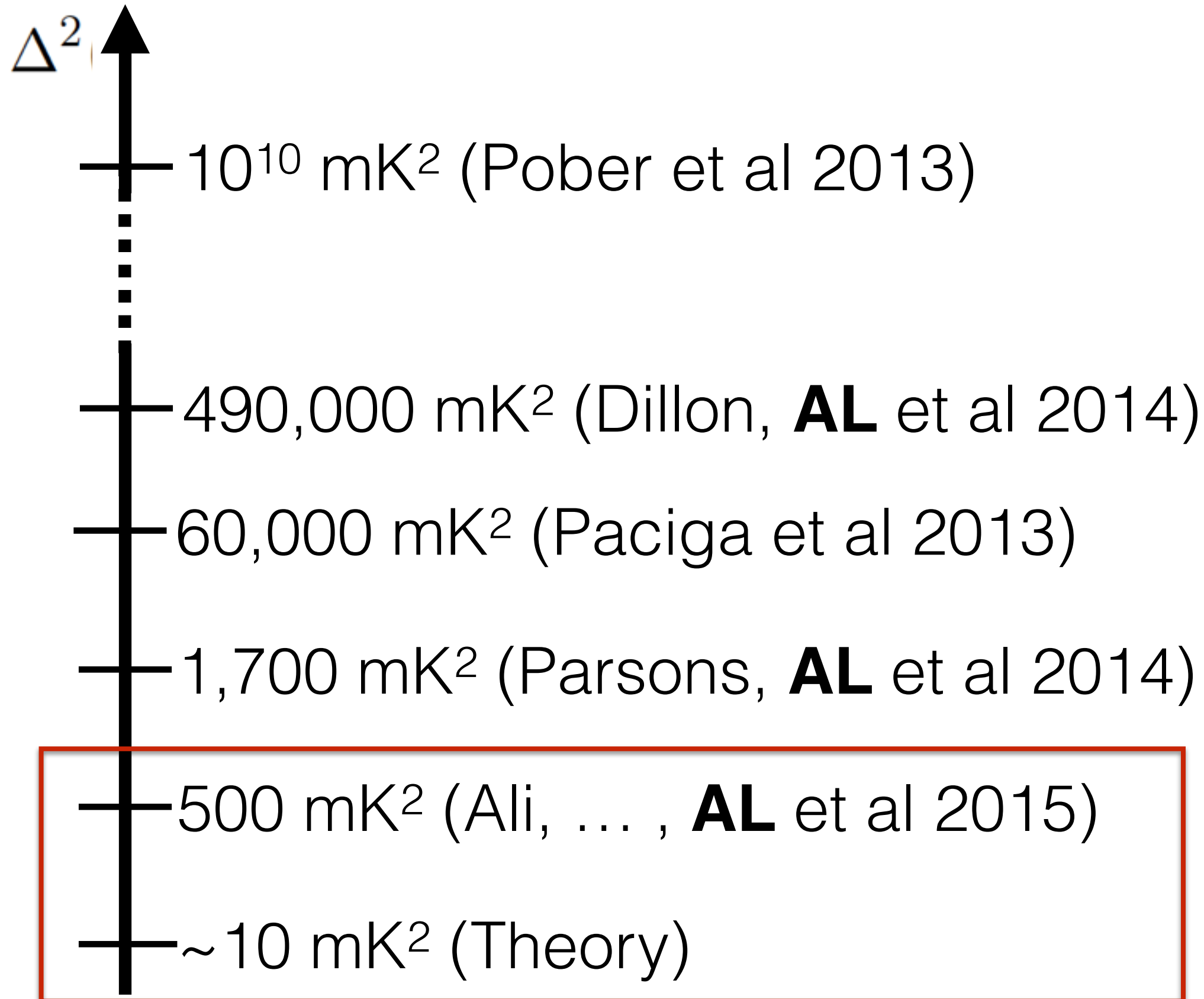
## “Software telescopes”

- Principal Component Analysis contamination mitigation (**AL** & Tegmark 2012, Switzer & **AL** 2014)
- Time-domain filtering (Parsons, **AL** et al. 2015)
- “Identical baseline calibration” (**AL** et al. 2010)
- Decorrelation techniques (**AL** et al. 2014b)
- Optimal estimators for 21cm cosmology (**AL** & Tegmark 2011; **AL** et al. 2014a)

— 500 mK<sup>2</sup> (Ali, ... , **AL** et al 2015)

— ~10 mK<sup>2</sup> (Theory)

# Upper limits for $7.5 < z < 8.5$

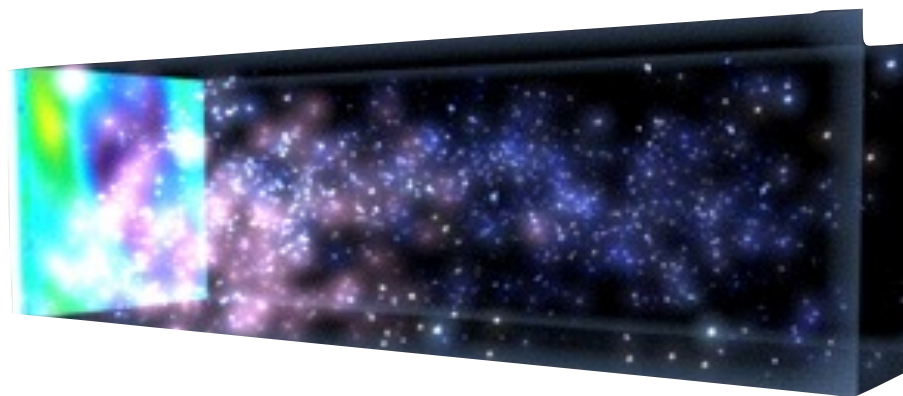




Current PAPER upper limits rule out  
the possibility of an extremely **cold**  
intergalactic medium at  $t = 0.6$  Gyr  
( $z \sim 8.4$ )



Cold hydrogen  
gas



(Relatively)  
hot CMB



Cold hydrogen  
gas





(Relatively)  
hot CMB



Cold hydrogen  
gas



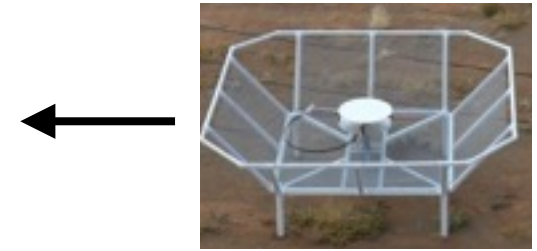
BIG  
contrast,  
large signal



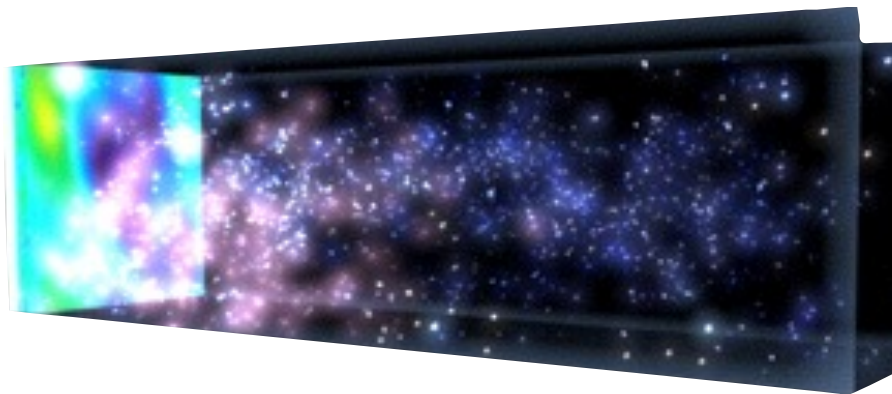


(Relatively)  
hot CMB

Cold hydrogen  
gas



BIG  
contrast,  
large signal



(Relatively)  
hot CMB

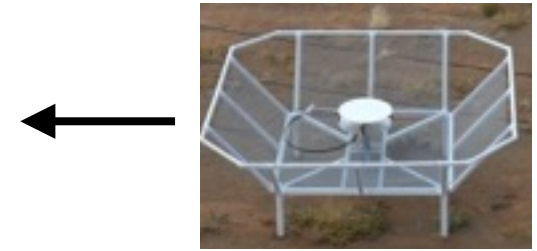
Warm  
hydrogen gas



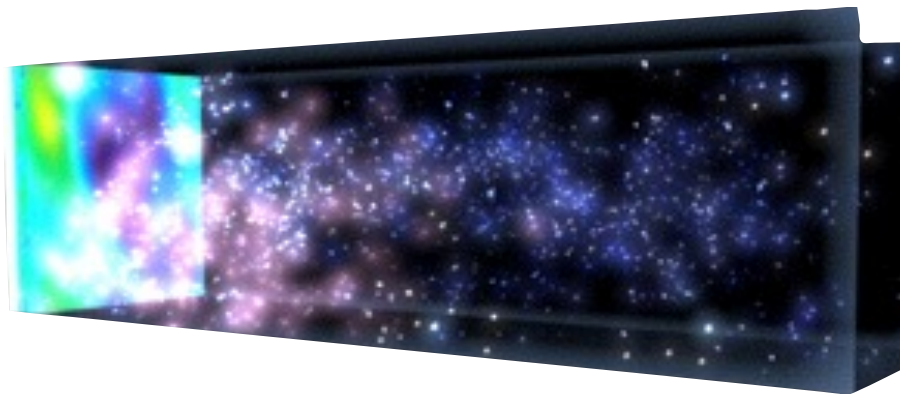


(Relatively)  
hot CMB

●  
Cold hydrogen  
gas



BIG  
contrast,  
large signal



(Relatively)  
hot CMB

●  
Warm  
hydrogen gas



Small contrast, small signal

If the intergalactic medium had cooled adiabatically, the hydrogen gas would be cold enough to produce a large signal—large enough to be seen by now, with PAPER's sensitivity

If the intergalactic medium had cooled adiabatically, the hydrogen gas would be cold enough to produce a large signal—large enough to be seen by now, with PAPER's sensitivity

***Some*** mechanism must have heated up the gas



For neutral fractions between 30% and 70%, PAPER observations imply  $T_{\text{gas}} > 10 \text{ K}$

In contrast,  $T_{\text{gas}} = 1.18 \text{ K}$  assuming  
adiabatic cooling

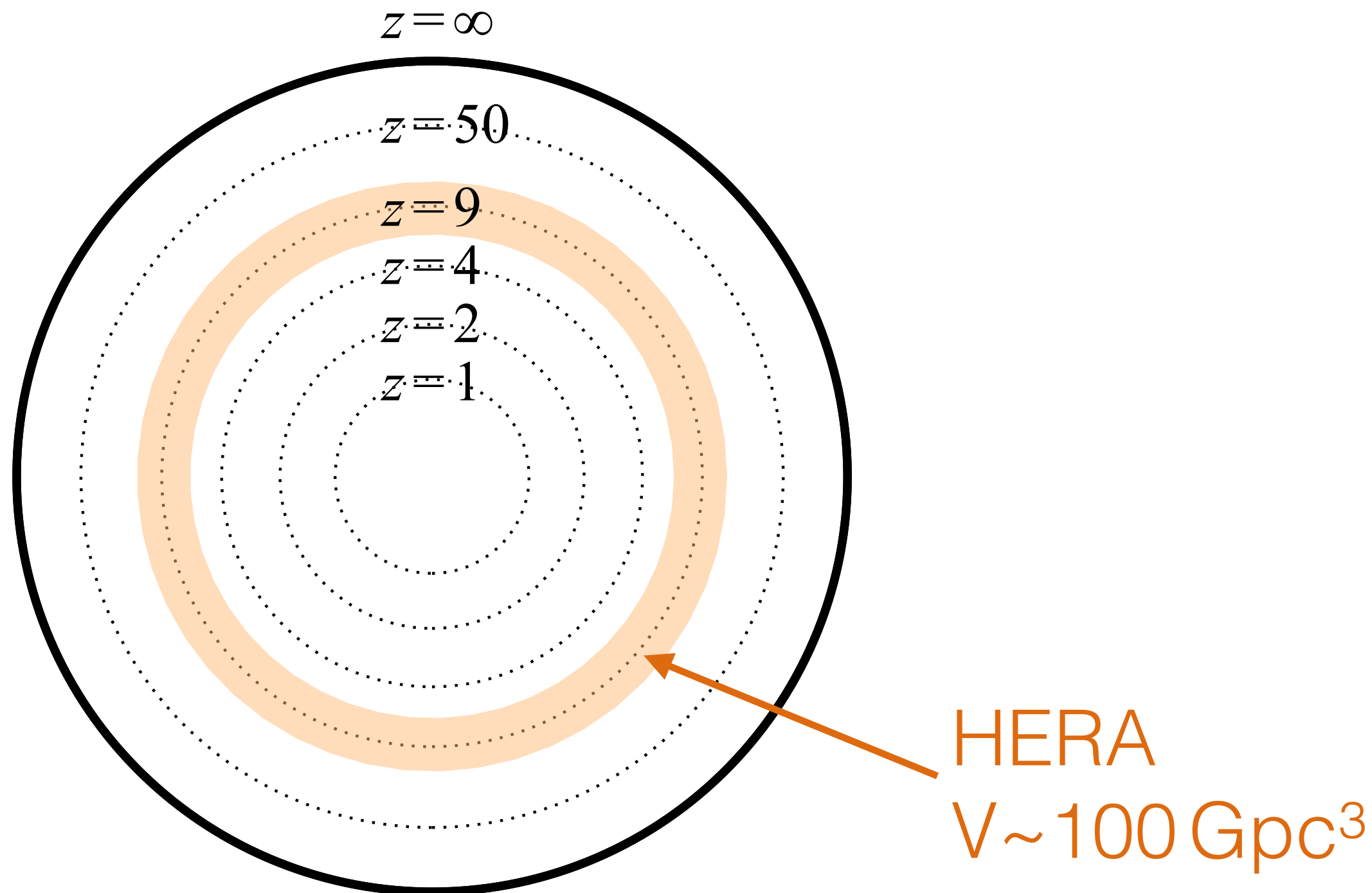
Thus, some sort of reheating must've taken  
place

Pober, Ali, ..., **AL** et al. 2015,  
ApJ 809, 62

What about  
cosmology?

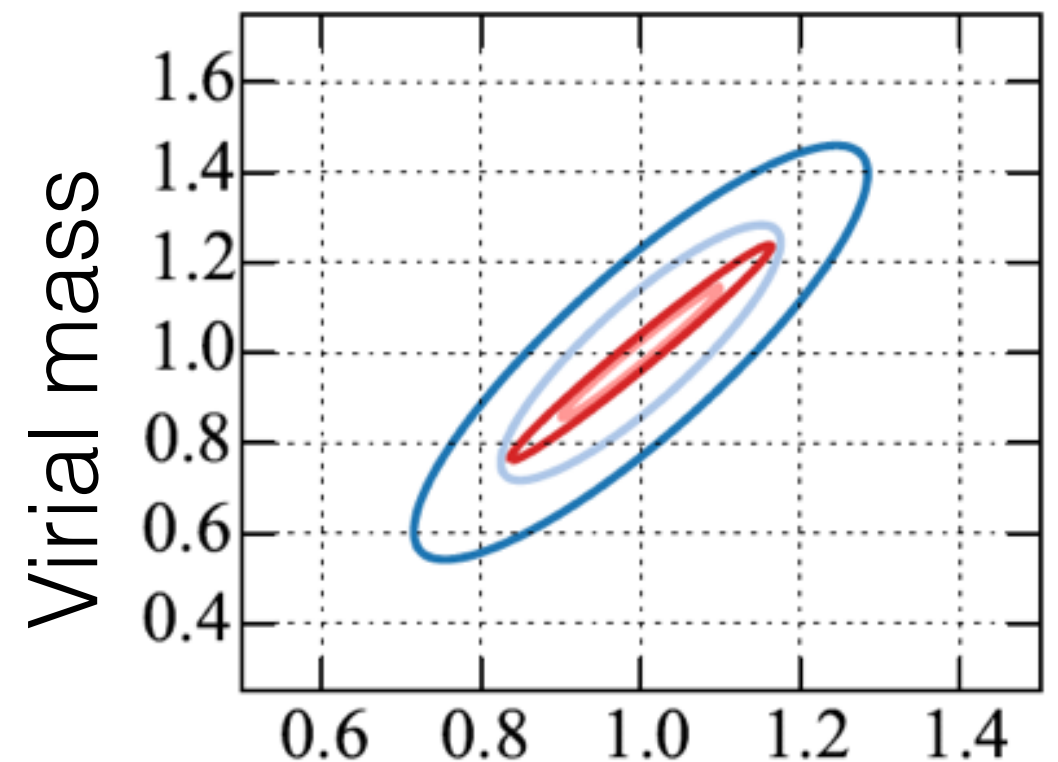
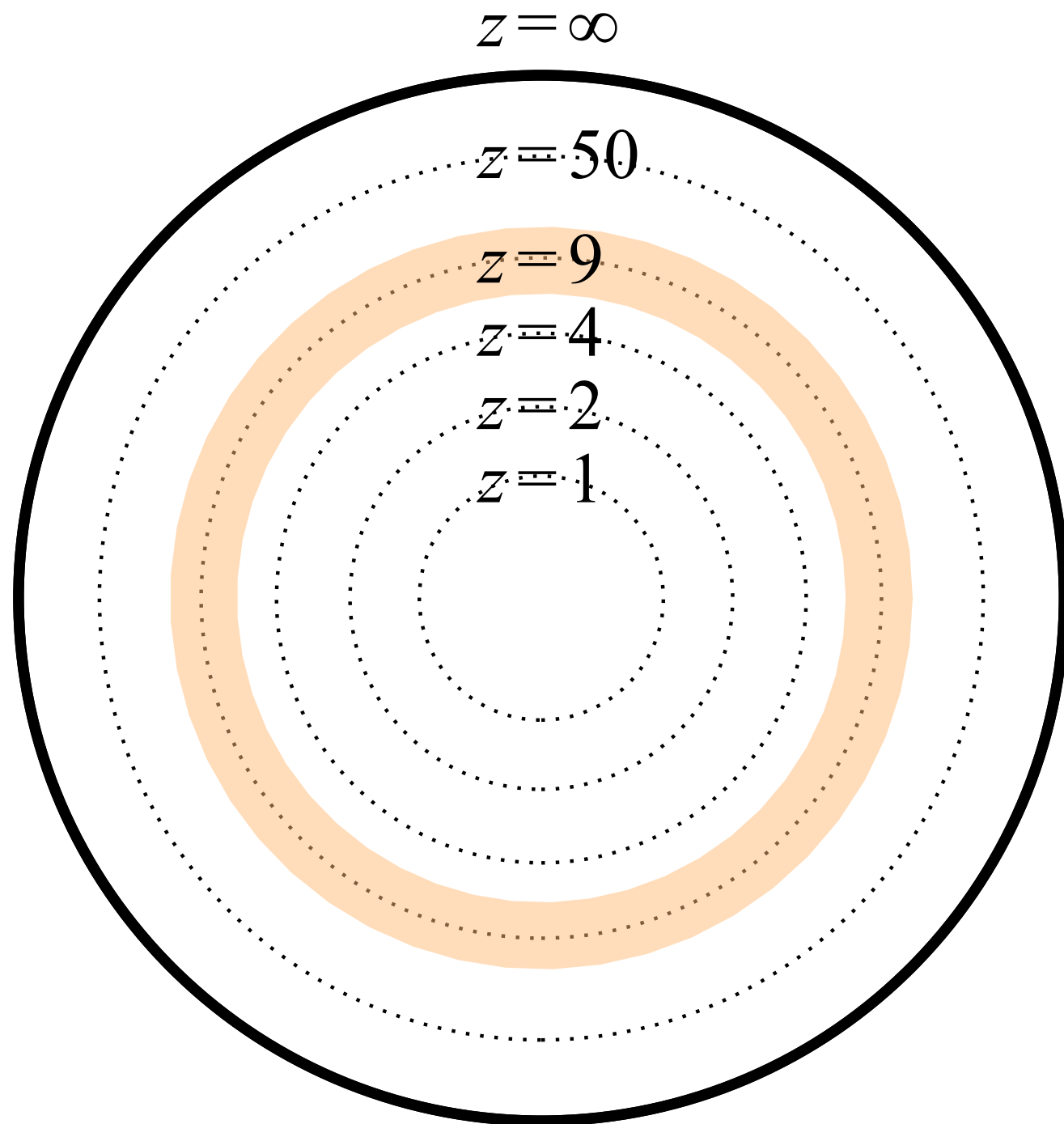
Astrophysics and  
cosmology are  
intertwined!

As we probe larger and larger portions of our Universe, theoretical models will inevitably have to incorporate cosmology





As we probe larger and larger portions of our Universe, theoretical models will inevitably have to incorporate cosmology



UV photon production

Cosmo params fixed

Cosmo params varied

**AL** & Parsons (2016)

# There are lots of parameters to vary in models of Cosmic Dawn

- $\Omega_b$  Baryon density
- $\Omega_m$  Matter density
- $\sigma_8$  Density fluctuation amplitude
- $H_0$  Hubble expansion
- $n_s$  Spectral index of density perturbations
- $T_{\text{vir}}$  Minimum virial temperature of first galaxies
- $R_{\text{mfp}}$  Mean free path of ionizing photons
- $\zeta$  UV ionizing efficiency
- $\zeta_x$  X-ray ionizing efficiency
- $\nu_c$  X-ray photon cut-off
- $\alpha$  X-ray spectral index

How do we adequately explore  
the parameter space when  
there are so many parameters?

The diagram illustrates the components of a Bayesian inference equation. The equation is  $p(\boldsymbol{\theta}|\mathbf{d}, \mathcal{M}) \propto \mathcal{L}(\mathbf{d}|\boldsymbol{\theta}, \mathcal{M})\pi(\boldsymbol{\theta}|\mathcal{M})$ . Red arrows point from the labels to the corresponding parts of the equation: 'Data' points to  $\mathbf{d}$ , 'Likelihood' points to  $\mathcal{L}$ , 'Parameters' points to  $\boldsymbol{\theta}$ , 'Model' points to  $\mathcal{M}$ , and 'Prior' points to  $\pi$ .

Data

Likelihood

$$p(\boldsymbol{\theta}|\mathbf{d}, \mathcal{M}) \propto \mathcal{L}(\mathbf{d}|\boldsymbol{\theta}, \mathcal{M})\pi(\boldsymbol{\theta}|\mathcal{M})$$

Parameters

Model

Prior




$$p(\boldsymbol{\theta}|\mathbf{d}, \mathcal{M}) \propto \mathcal{L}(\mathbf{d}|\boldsymbol{\theta}, \mathcal{M})\pi(\boldsymbol{\theta}|\mathcal{M})$$

$$\mathcal{L} \propto \exp\left(-\frac{1}{2}[\mathbf{d} - \mathbf{f}_{\mathcal{M}}(\boldsymbol{\theta})]^t \boldsymbol{\Sigma}^{-1} [\mathbf{d} - \mathbf{f}_{\mathcal{M}}(\boldsymbol{\theta})]\right)$$

Data



Theoretical  
prediction for  
observables

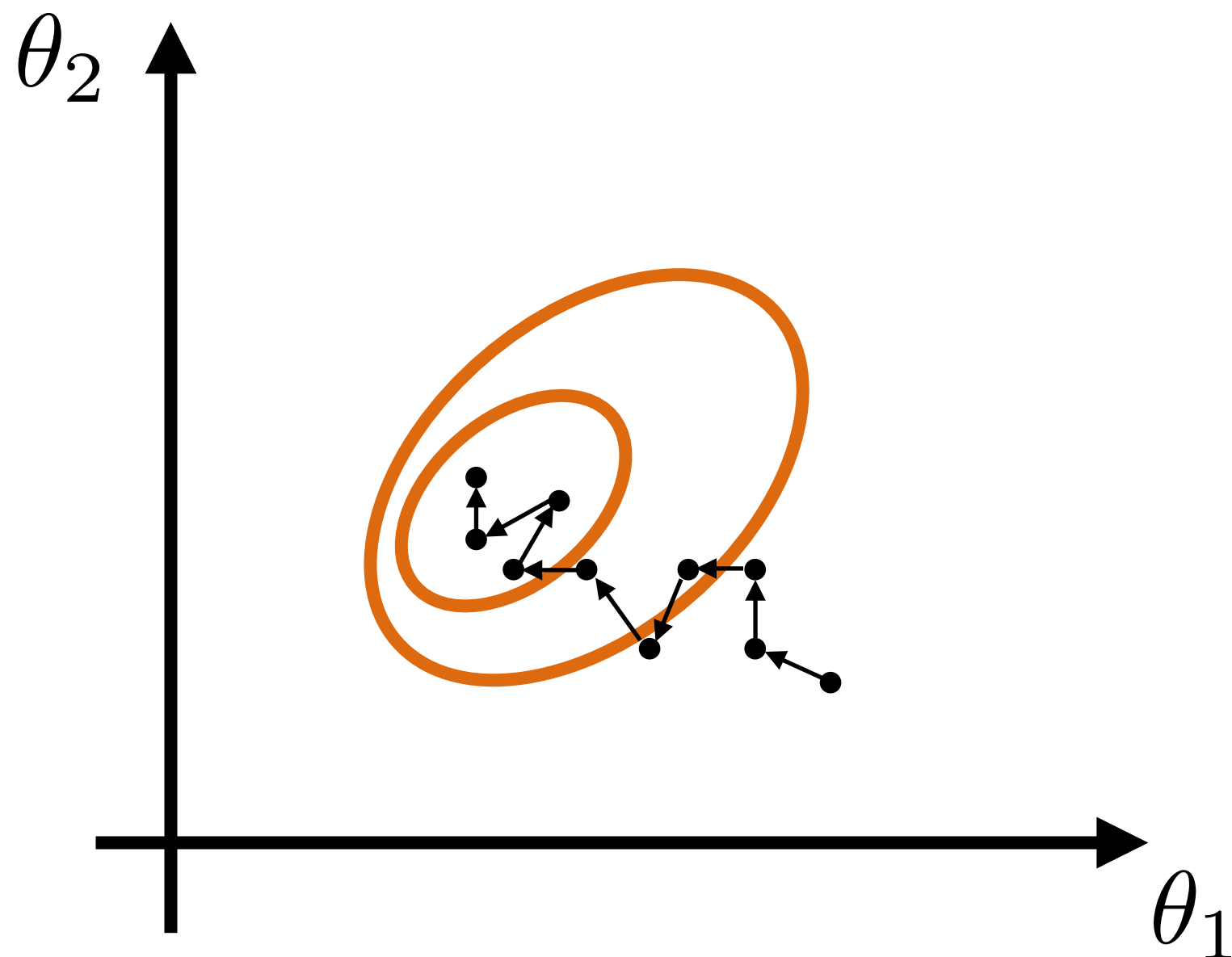


Error covariance



$$p(\boldsymbol{\theta}|\mathbf{d}, \mathcal{M}) \propto \mathcal{L}(\mathbf{d}|\boldsymbol{\theta}, \mathcal{M})\pi(\boldsymbol{\theta}|\mathcal{M})$$

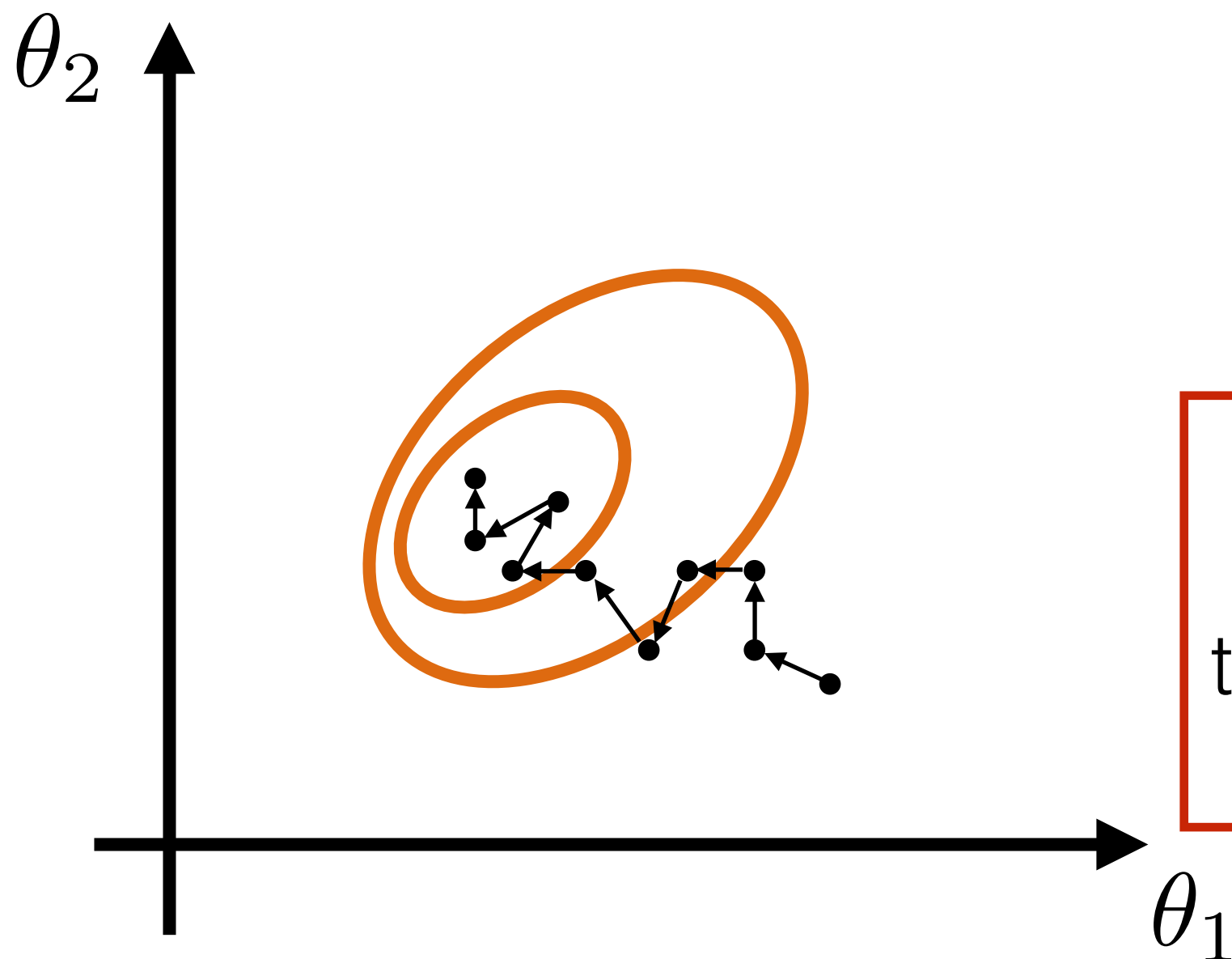
$$\mathcal{L} \propto \exp\left(-\frac{1}{2}[\mathbf{d} - \mathbf{f}_{\mathcal{M}}(\boldsymbol{\theta})]^t \boldsymbol{\Sigma}^{-1}[\mathbf{d} - \mathbf{f}_{\mathcal{M}}(\boldsymbol{\theta})]\right)$$



MCMC analysis:  
“Diffuse” through  
parameter space

$$p(\boldsymbol{\theta}|\mathbf{d}, \mathcal{M}) \propto \mathcal{L}(\mathbf{d}|\boldsymbol{\theta}, \mathcal{M})\pi(\boldsymbol{\theta}|\mathcal{M})$$

$$\mathcal{L} \propto \exp \left( -\frac{1}{2} [\mathbf{d} - \mathbf{f}_{\mathcal{M}}(\boldsymbol{\theta})]^t \boldsymbol{\Sigma}^{-1} [\mathbf{d} - \mathbf{f}_{\mathcal{M}}(\boldsymbol{\theta})] \right)$$

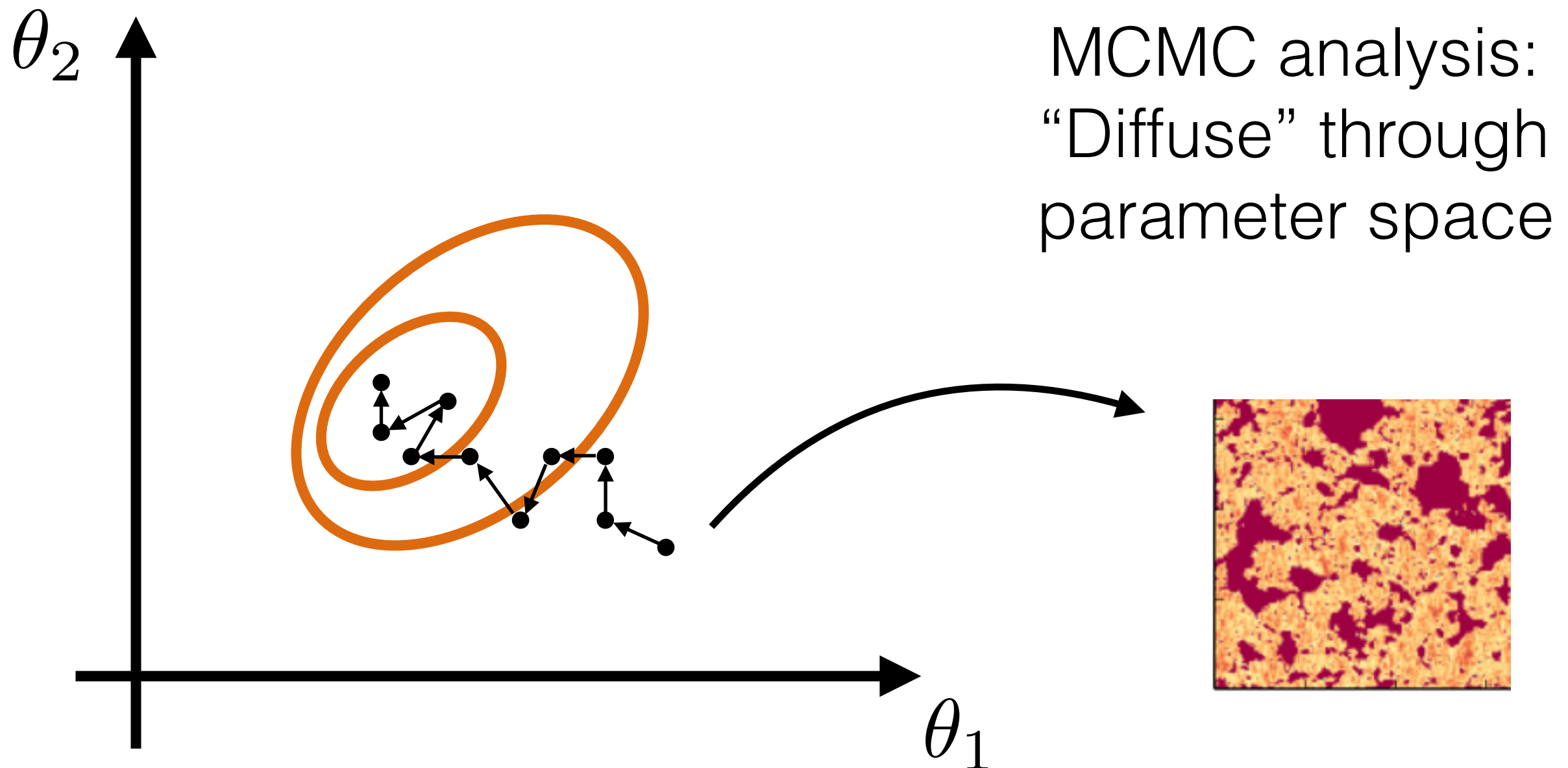


MCMC analysis:  
“Diffuse” through  
parameter space

Problem: each point  
may still take  $O(\text{a day})$   
to evaluate, and  $O(10^4)$   
may be required

$$p(\boldsymbol{\theta}|\mathbf{d}, \mathcal{M}) \propto \mathcal{L}(\mathbf{d}|\boldsymbol{\theta}, \mathcal{M})\pi(\boldsymbol{\theta}|\mathcal{M})$$

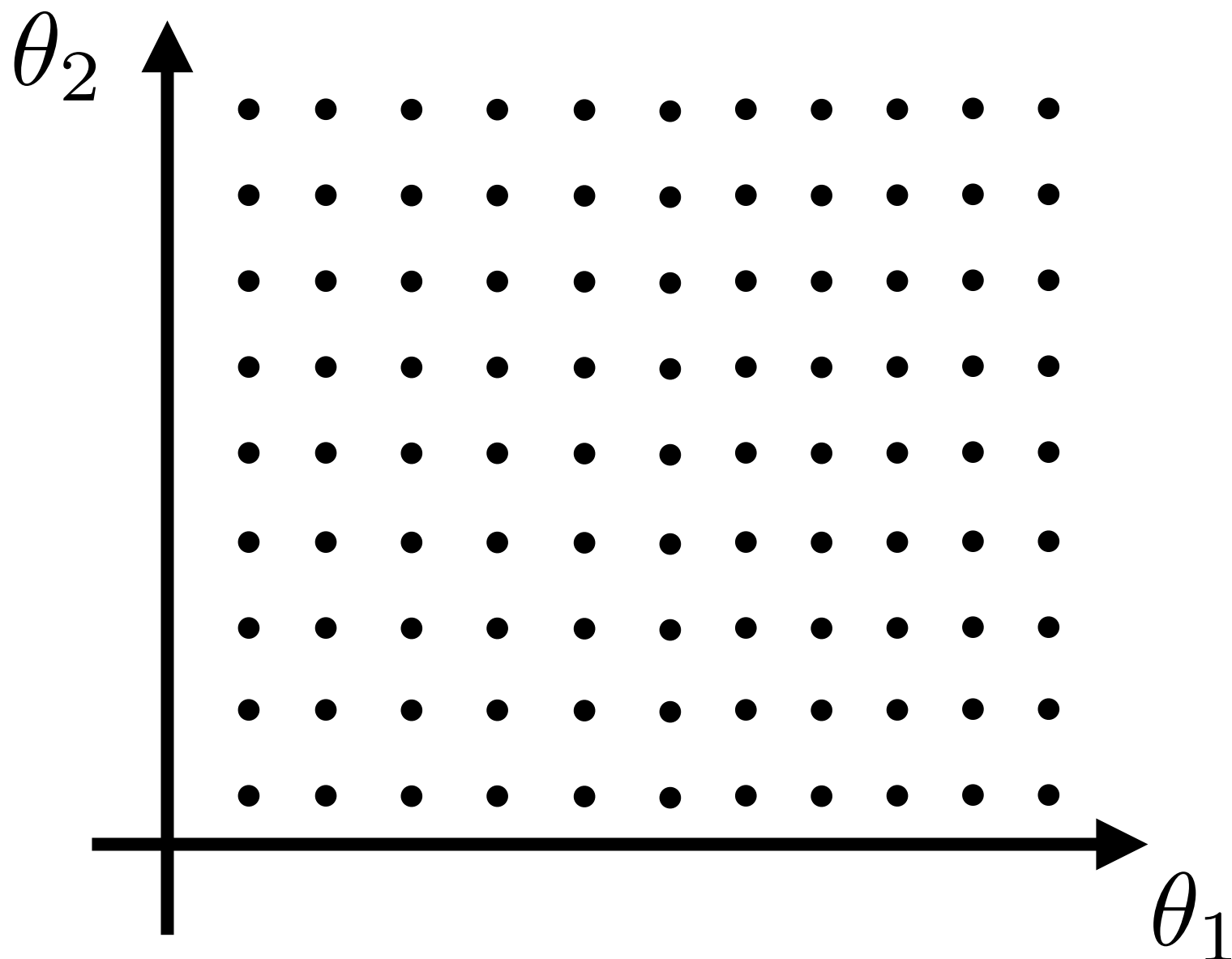
$$\mathcal{L} \propto \exp\left(-\frac{1}{2}[\mathbf{d} - \mathbf{f}_{\mathcal{M}}(\boldsymbol{\theta})]^t \boldsymbol{\Sigma}^{-1}[\mathbf{d} - \mathbf{f}_{\mathcal{M}}(\boldsymbol{\theta})]\right)$$





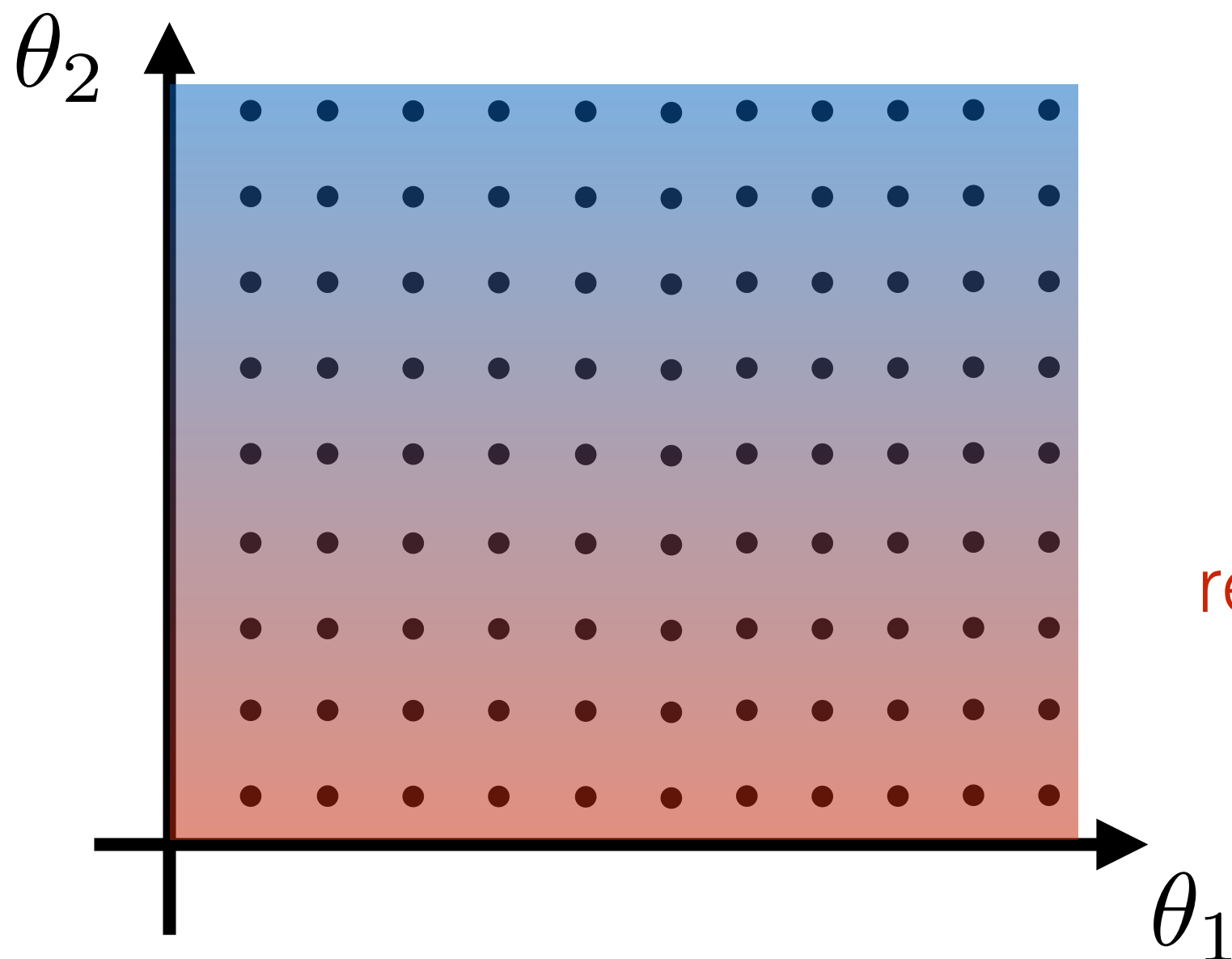
Solution: **emulate** the theoretical model

$$\mathcal{L} \propto \exp \left( -\frac{1}{2} [\mathbf{d} - \mathbf{f}_{\mathcal{M}}(\boldsymbol{\theta})]^t \boldsymbol{\Sigma}^{-1} [\mathbf{d} - \mathbf{f}_{\mathcal{M}}(\boldsymbol{\theta})] \right)$$



Solution: **emulate** the theoretical model

$$\mathcal{L} \propto \exp \left( -\frac{1}{2} [\mathbf{d} - \mathbf{f}_{\mathcal{M}}(\boldsymbol{\theta})]^t \boldsymbol{\Sigma}^{-1} [\mathbf{d} - \mathbf{f}_{\mathcal{M}}(\boldsymbol{\theta})] \right)$$



$\mathbf{f}_{\mathcal{M}}^{\text{approx}}(\boldsymbol{\theta})$

Interpolate over the  
results from pre-computed  
training samples

Case study: A fast  
emulator of semi-numeric  
cosmic dawn codes to  
allow MCMCs over a large  
number of parameters

**PYCAPE: PYthon toolbox for  
Cosmic dAwn Parameter Estimation**

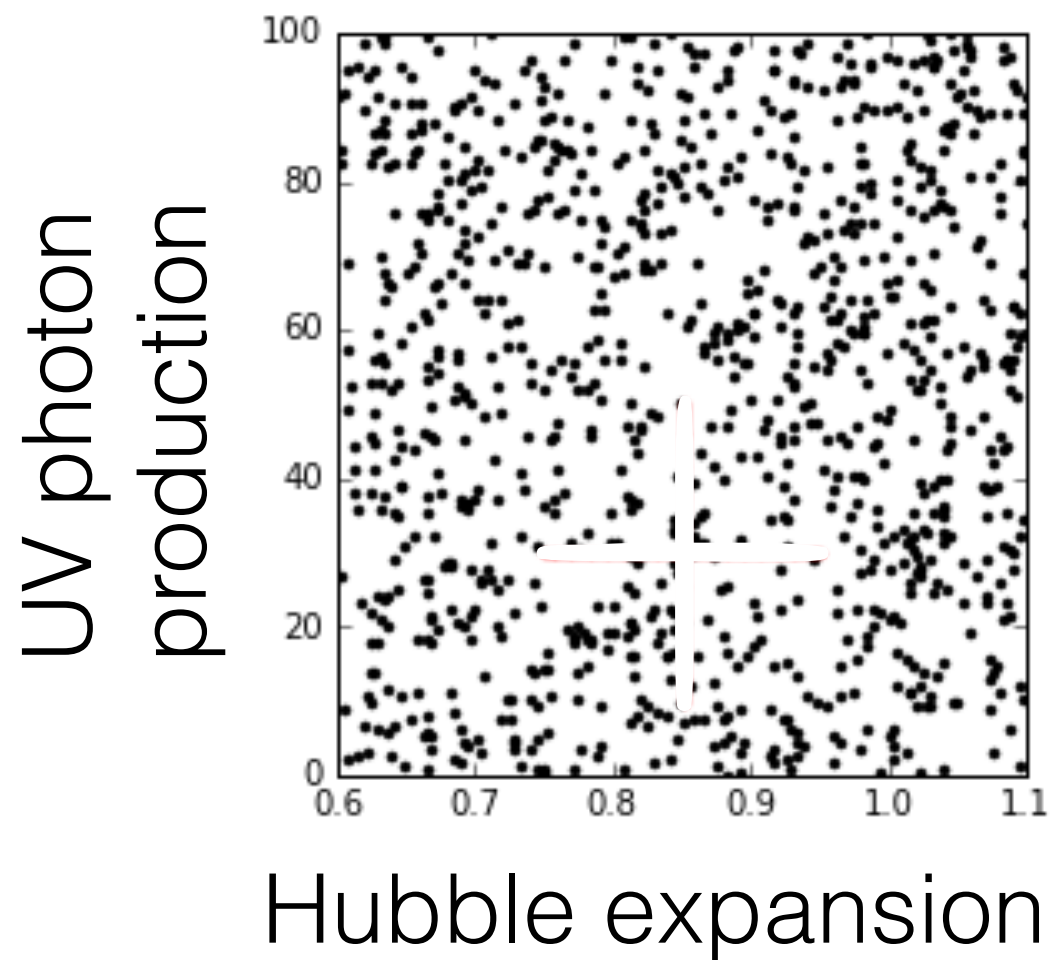
Kern, **AL** et al. (2017)

Sampling  $N$  points along each of  $M$  axes requires  $N^M$  runs of a simulation. For  $N=10$  points and  $M=11$  parameters, this would require  $10^{11}$  s  $\sim 3000$  years even if each simulation took just a single second!

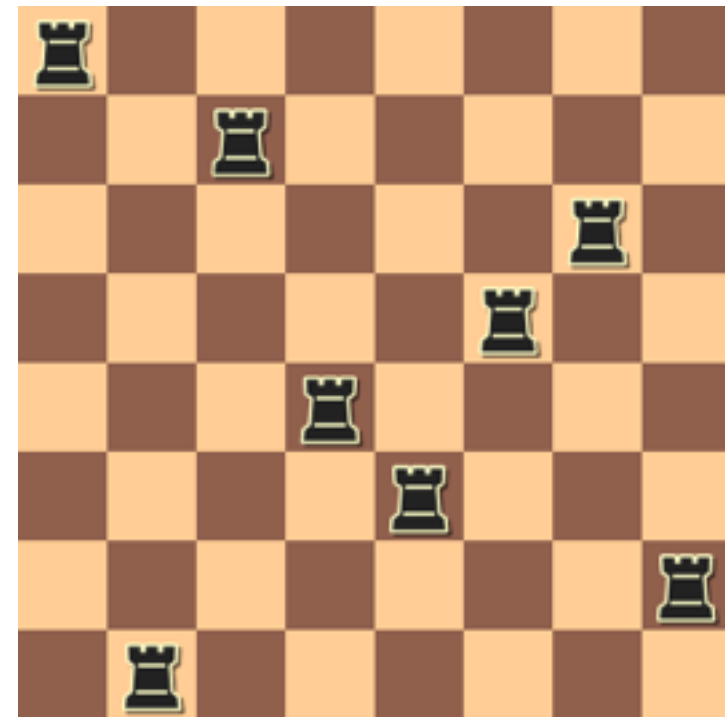
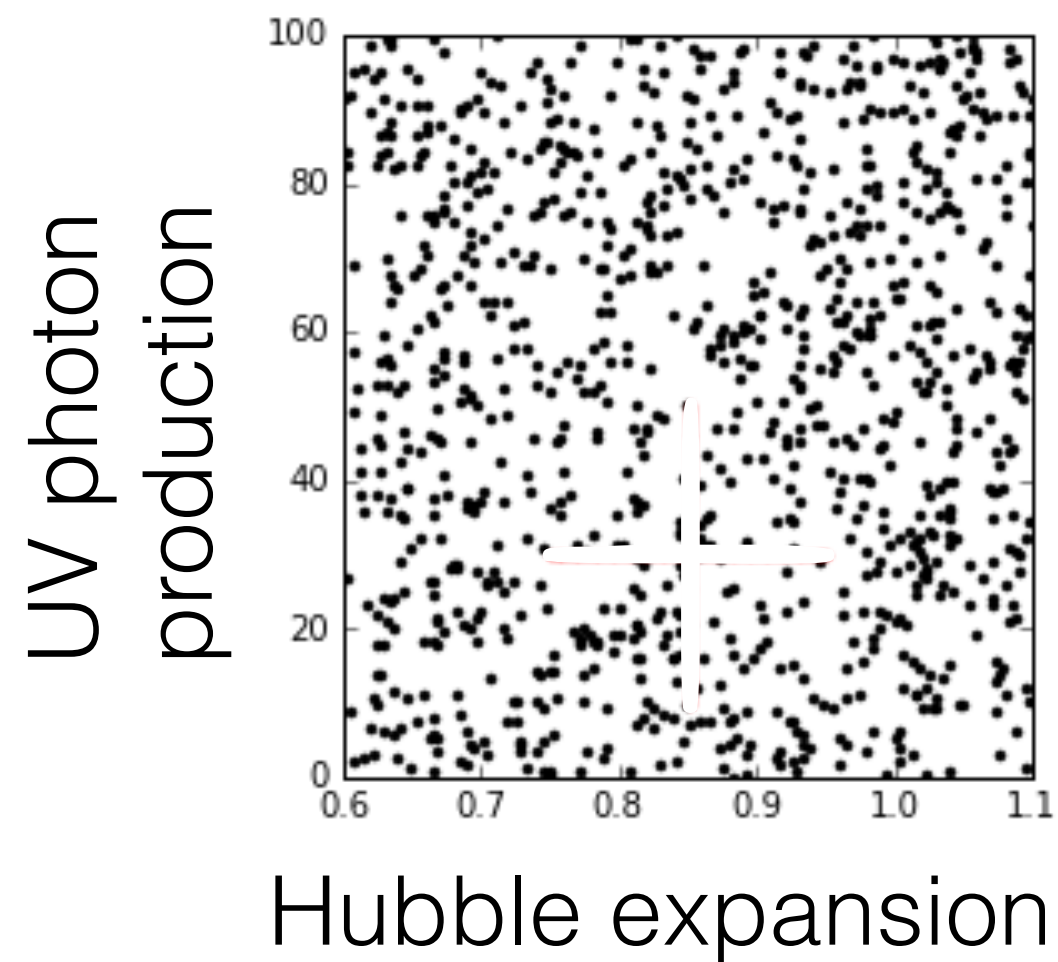
How do we sample the space efficiently and robustly?



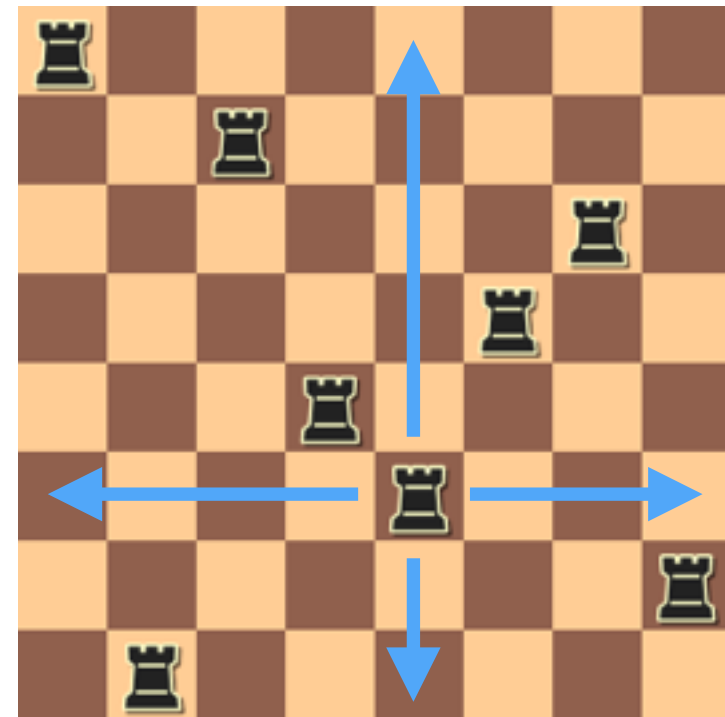
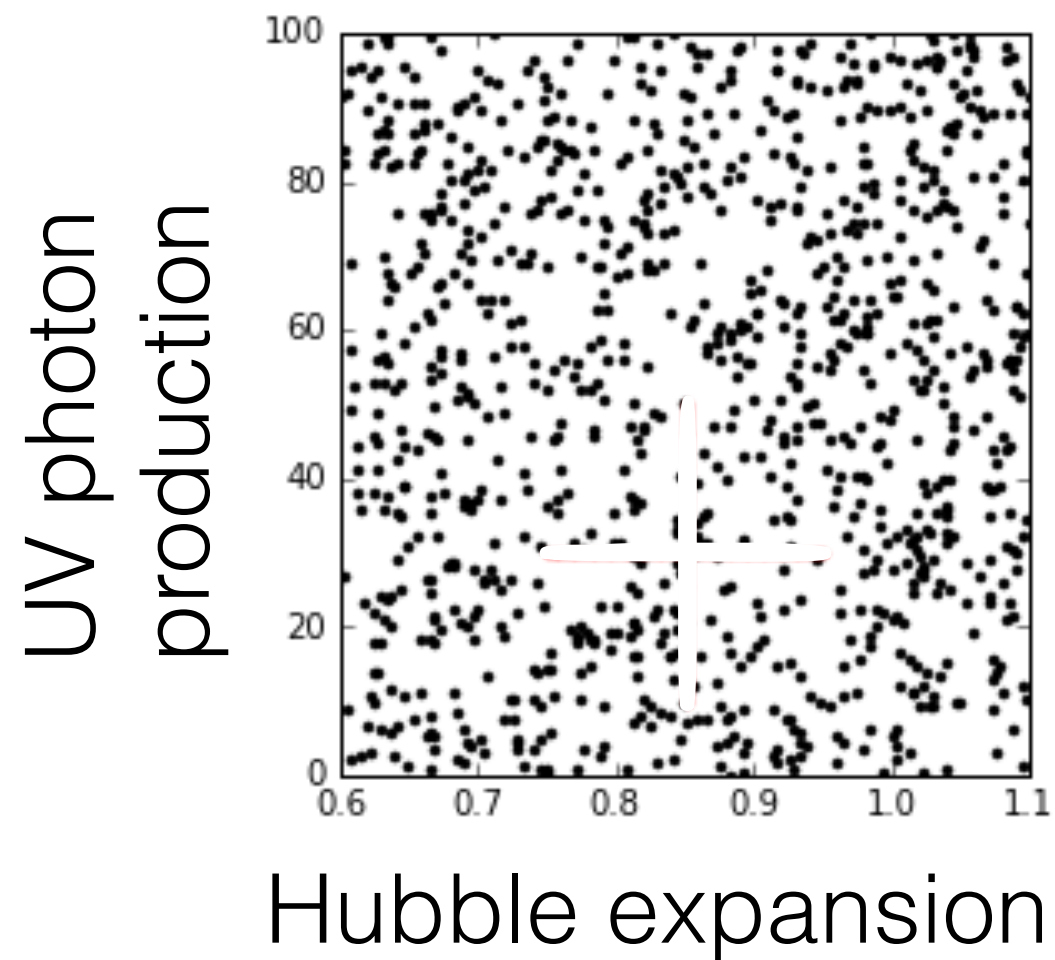
# Play multi-dimensional chess!



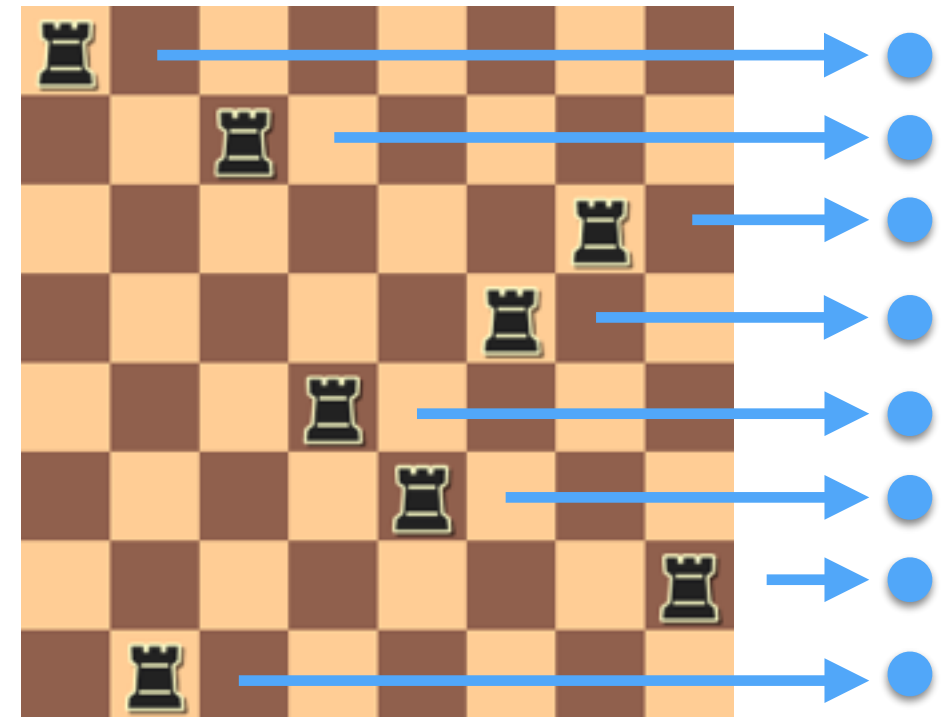
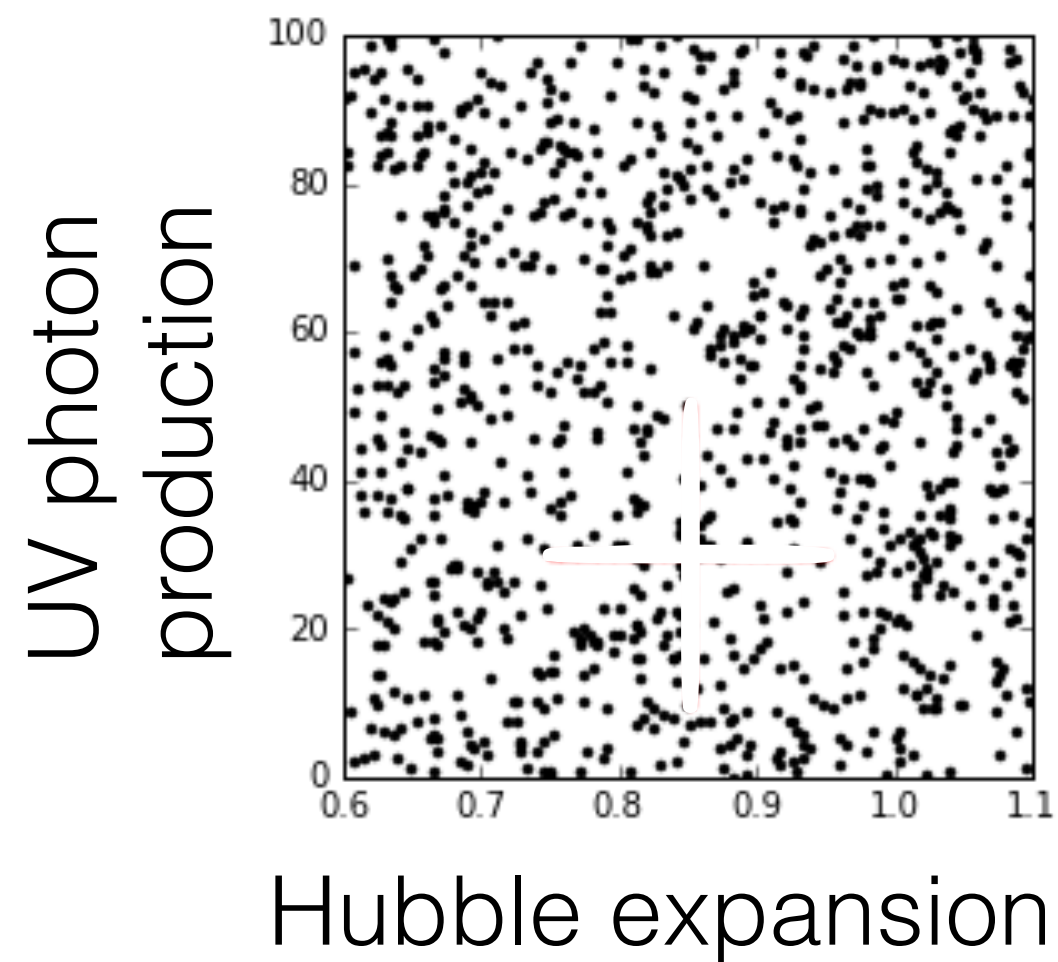
# Play multi-dimensional chess!



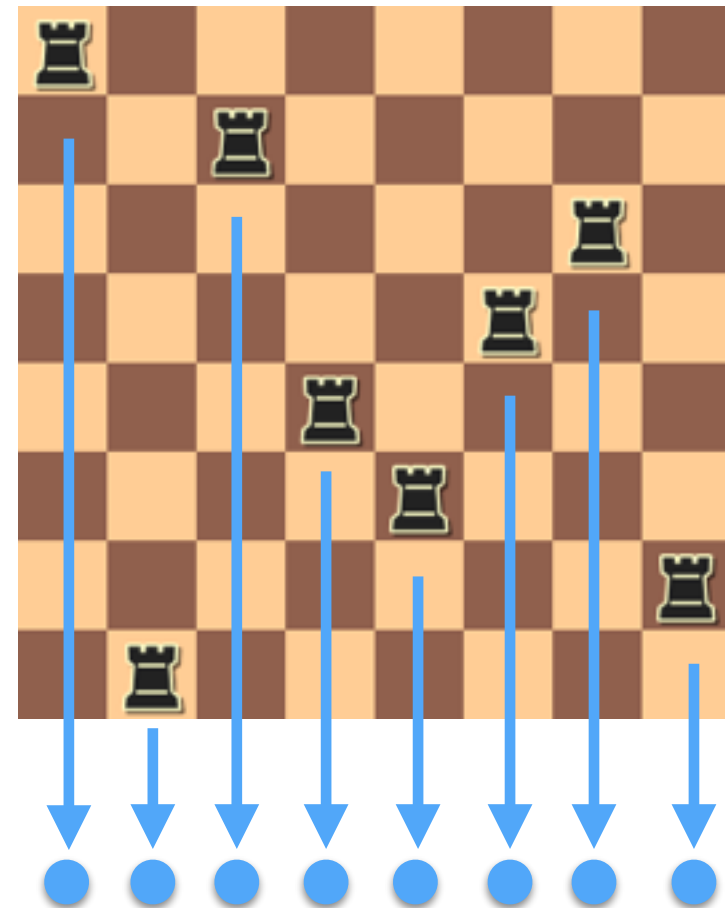
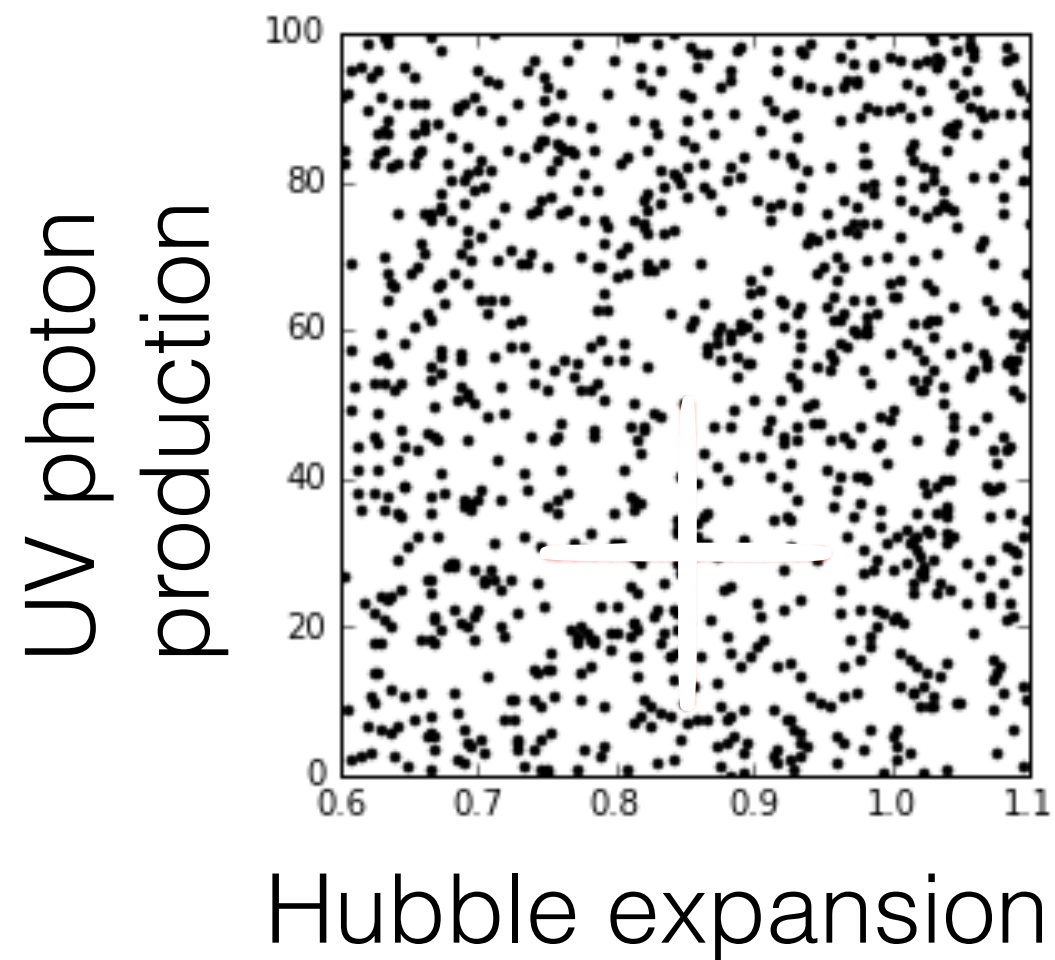
# Play multi-dimensional chess!



# Play multi-dimensional chess!



# Play multi-dimensional chess!



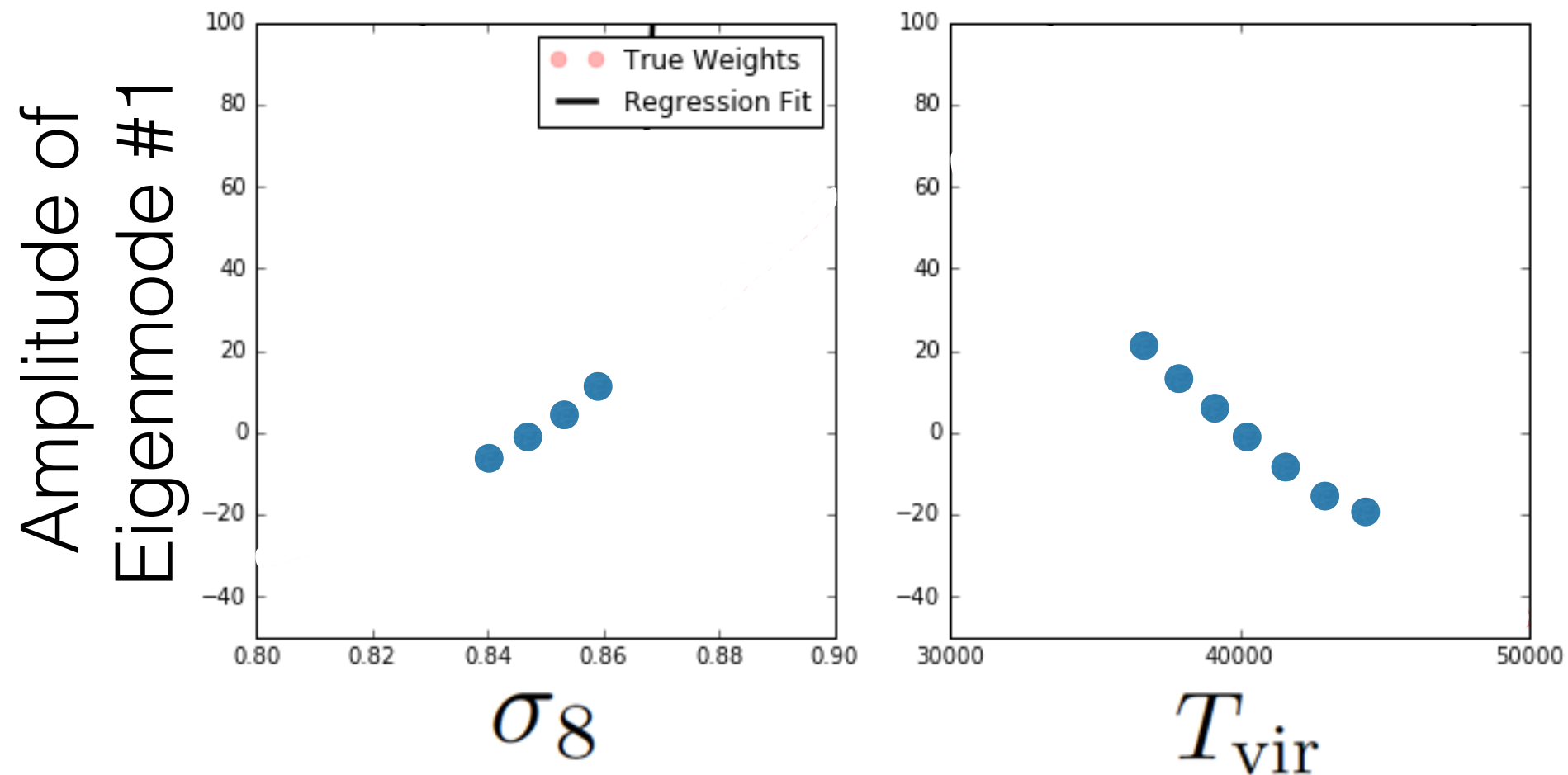


How should we  
perform the fit?

# How do we do the fit?

- Higher order polynomial

# How do we do the fit?



Training samples

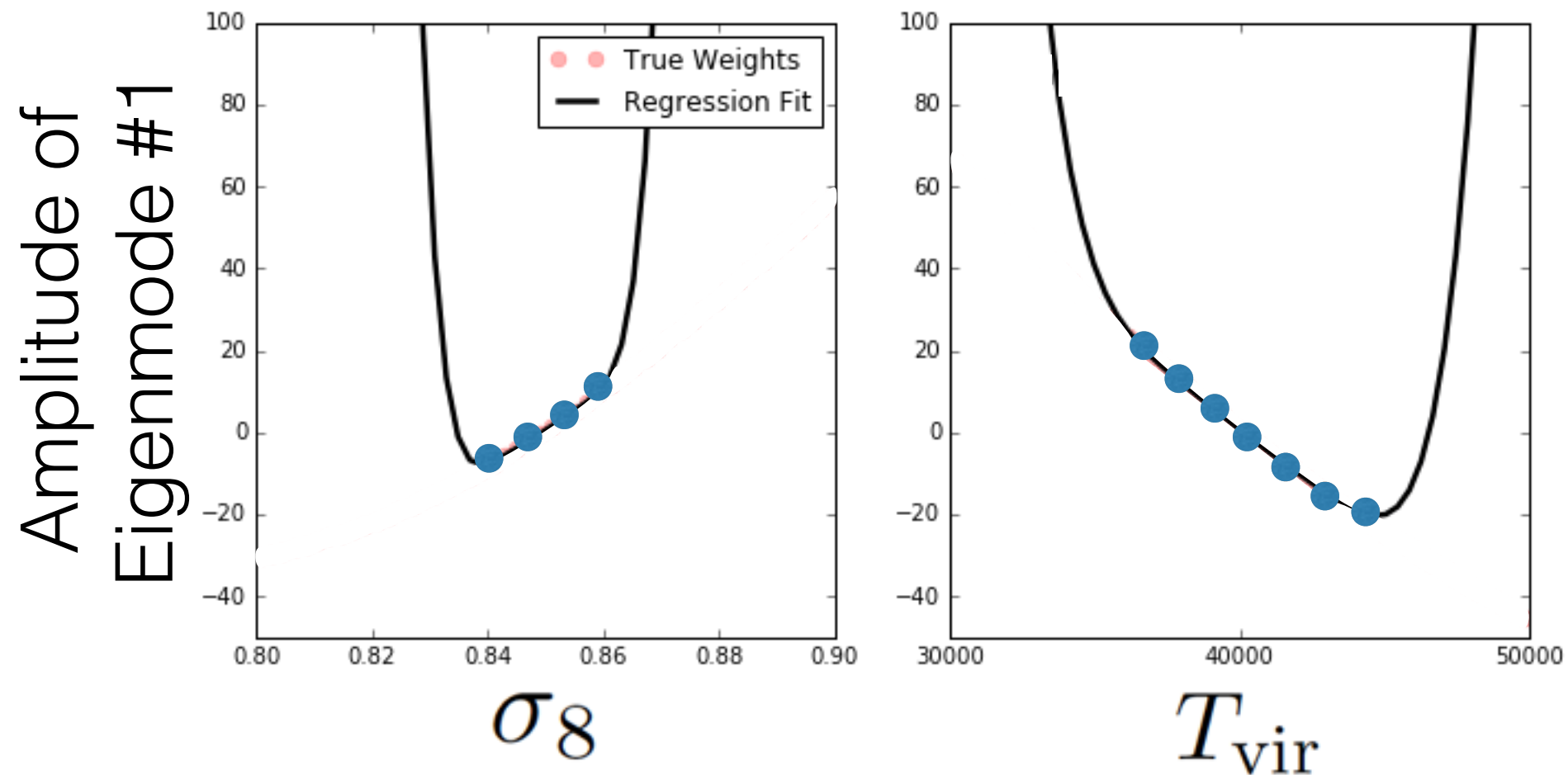


Cross-validation samples

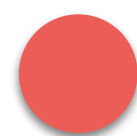


Regression fit

# How do we do the fit?



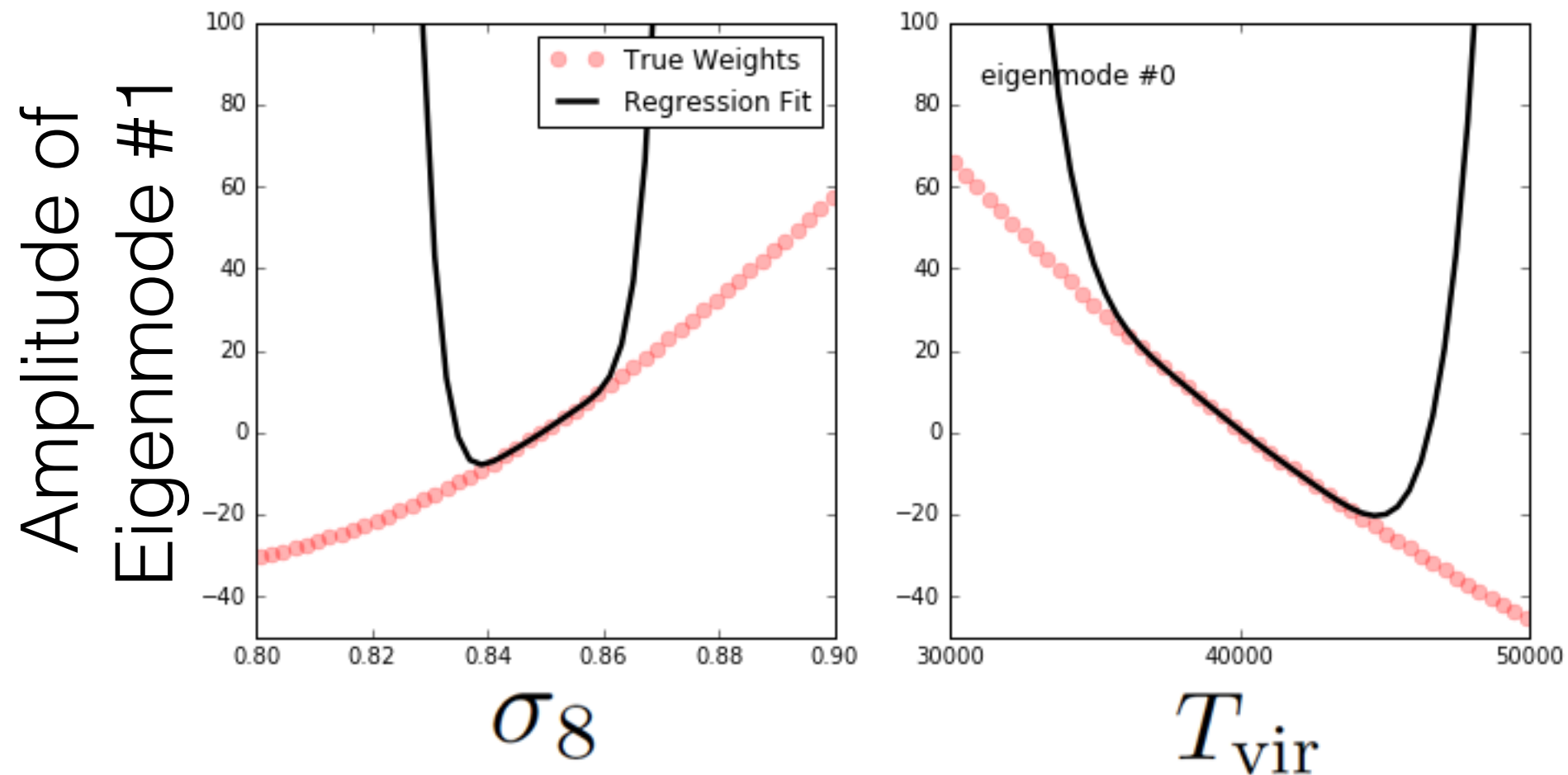
Training samples



Cross-validation samples

— Regression fit

# How do we do the fit?



Training samples



Cross-validation samples

— Regression fit



# How do we do the fit?

- Higher order polynomial
- Gaussian Process fitting

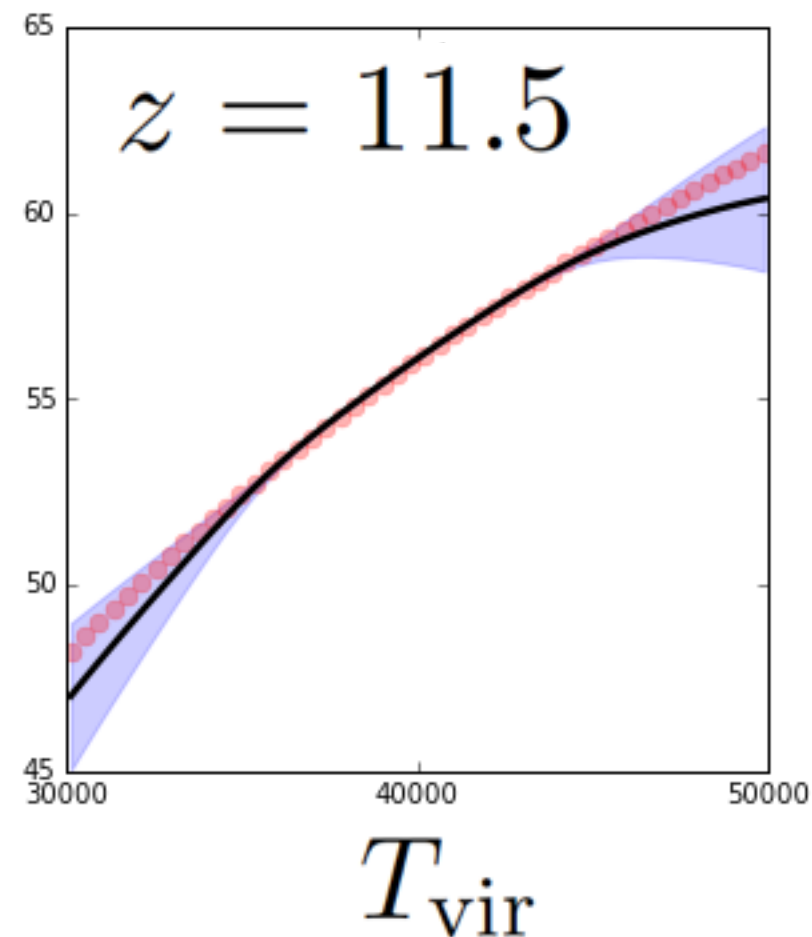
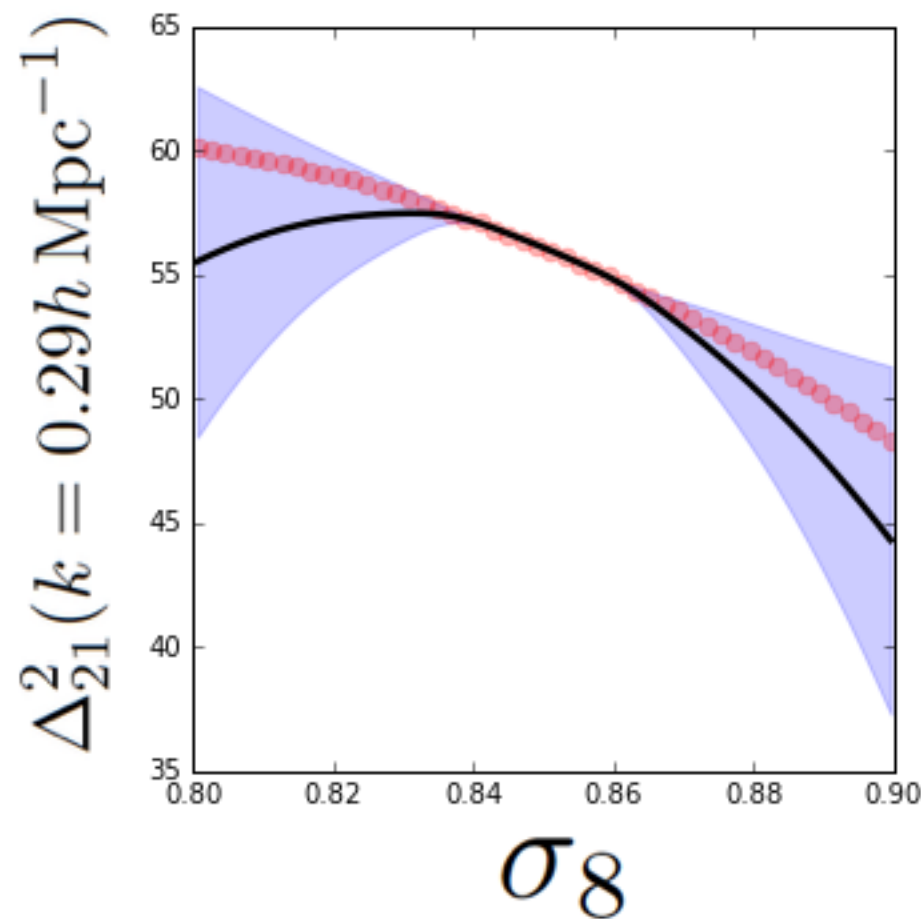
# How do we do the fit?

- Higher order polynomial
- Gaussian Process fitting: model every point along the curve as being drawn from an infinite-dimensional Gaussian

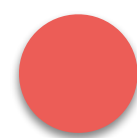
# How do we do the fit?

- Higher order polynomial
- Gaussian Process fitting: model every point along the curve as being drawn from an infinite-dimensional Gaussian...with (optionally) a covariance trained from the data.

# Power spectrum recovery with Gaussian Processes



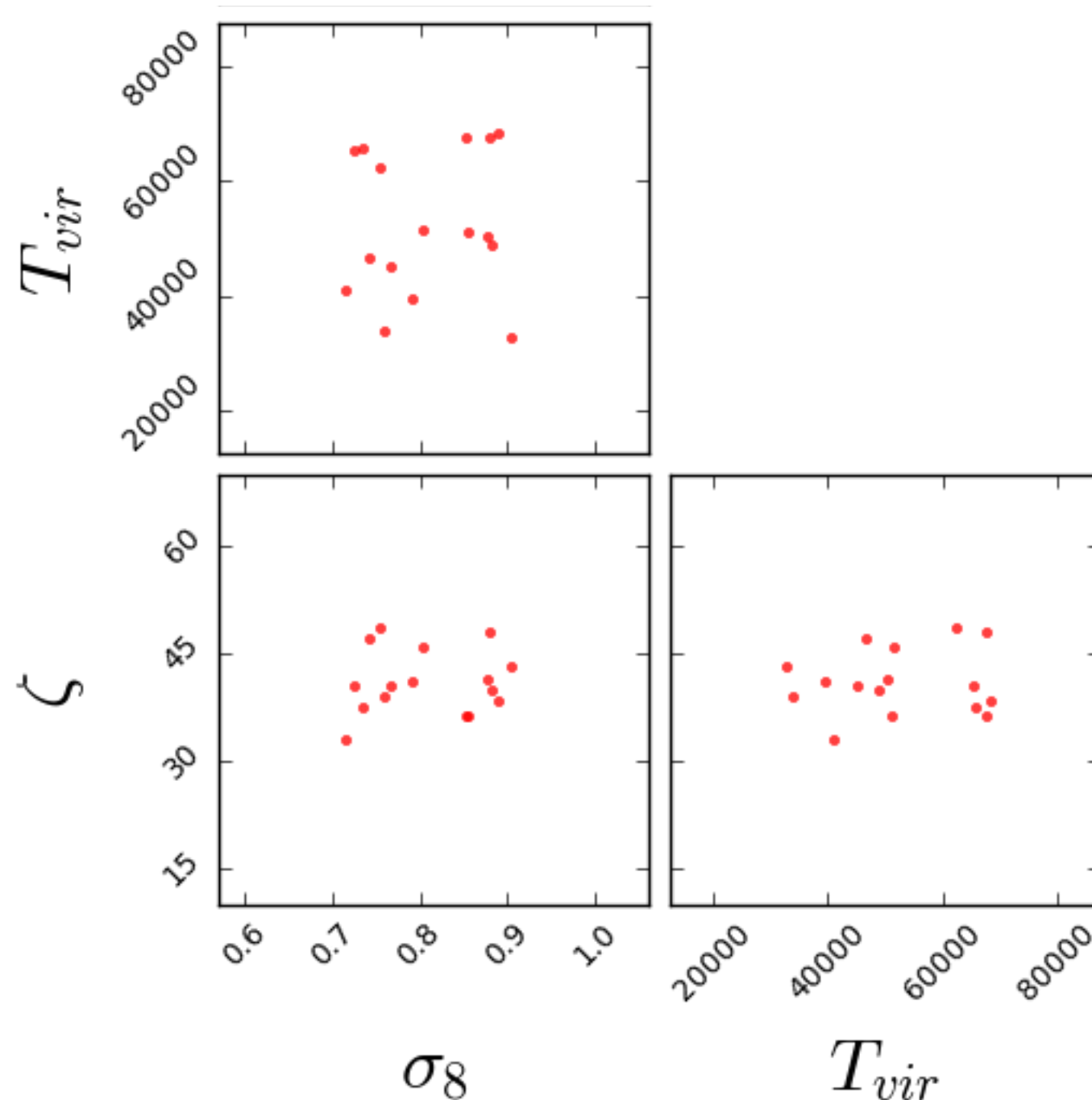
Error regions



Cross-validation samples

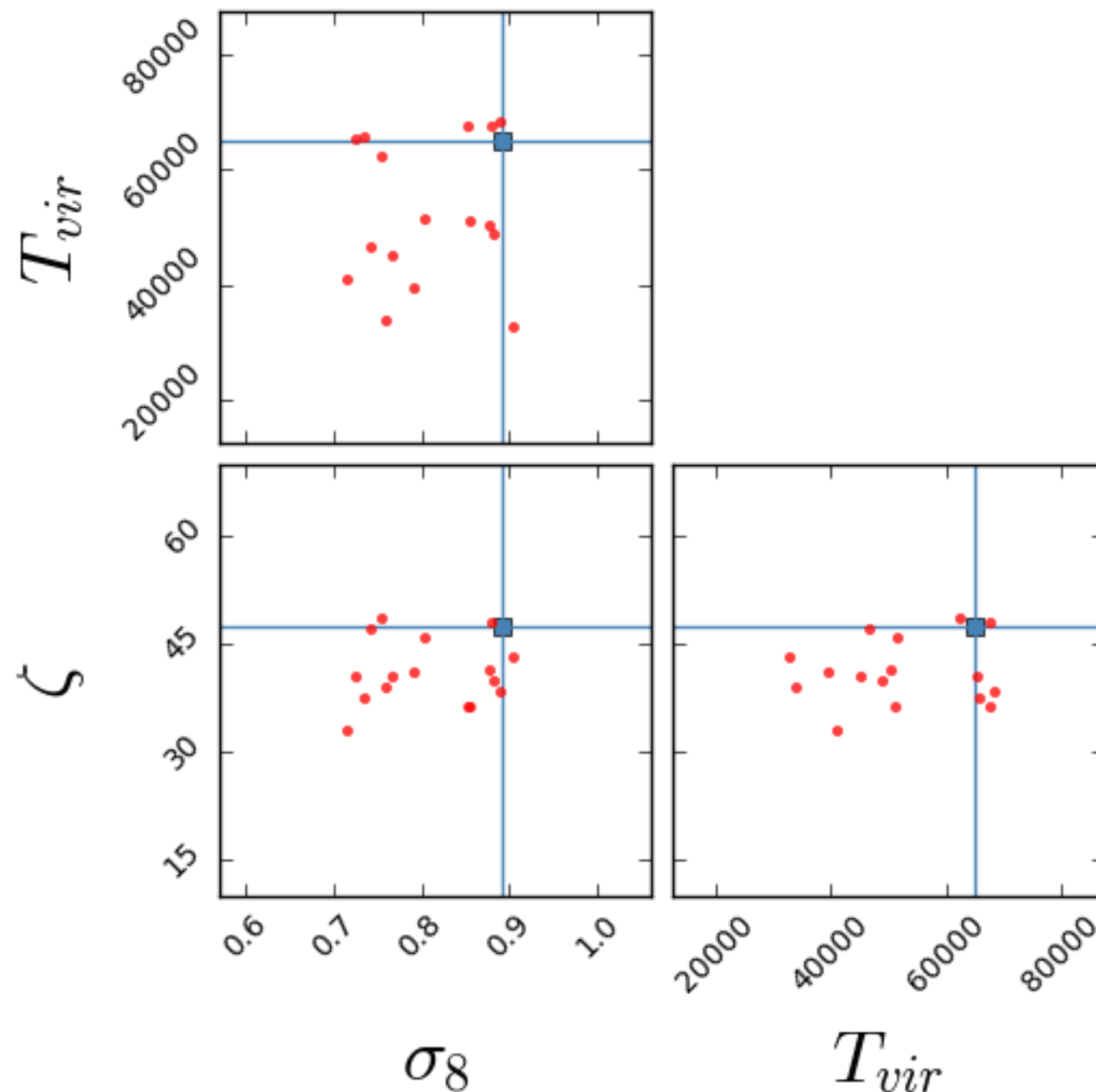
— Regression fit

Error bars now take into account the limitations of one's emulator, with errors naturally inflating away from training region

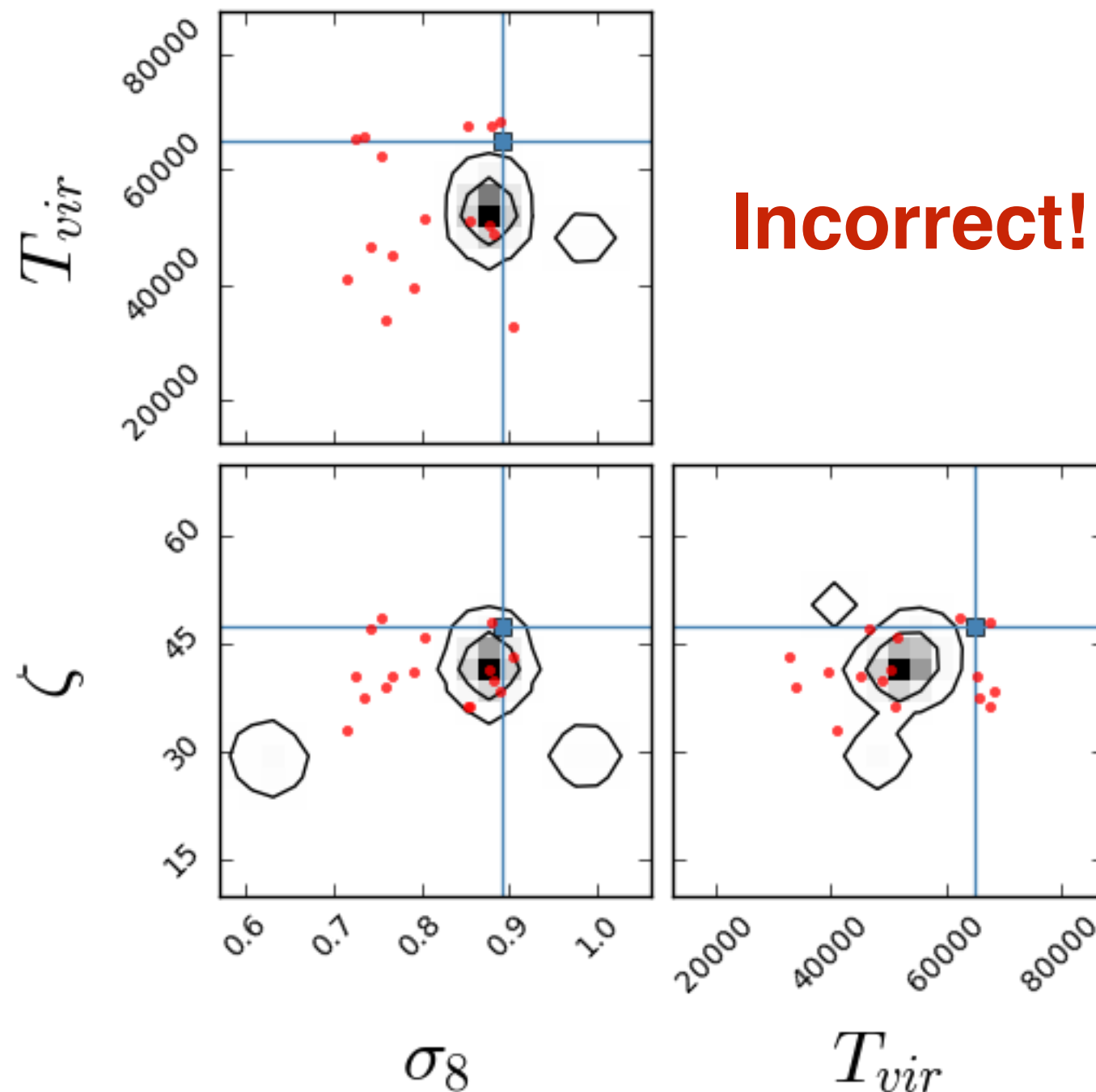




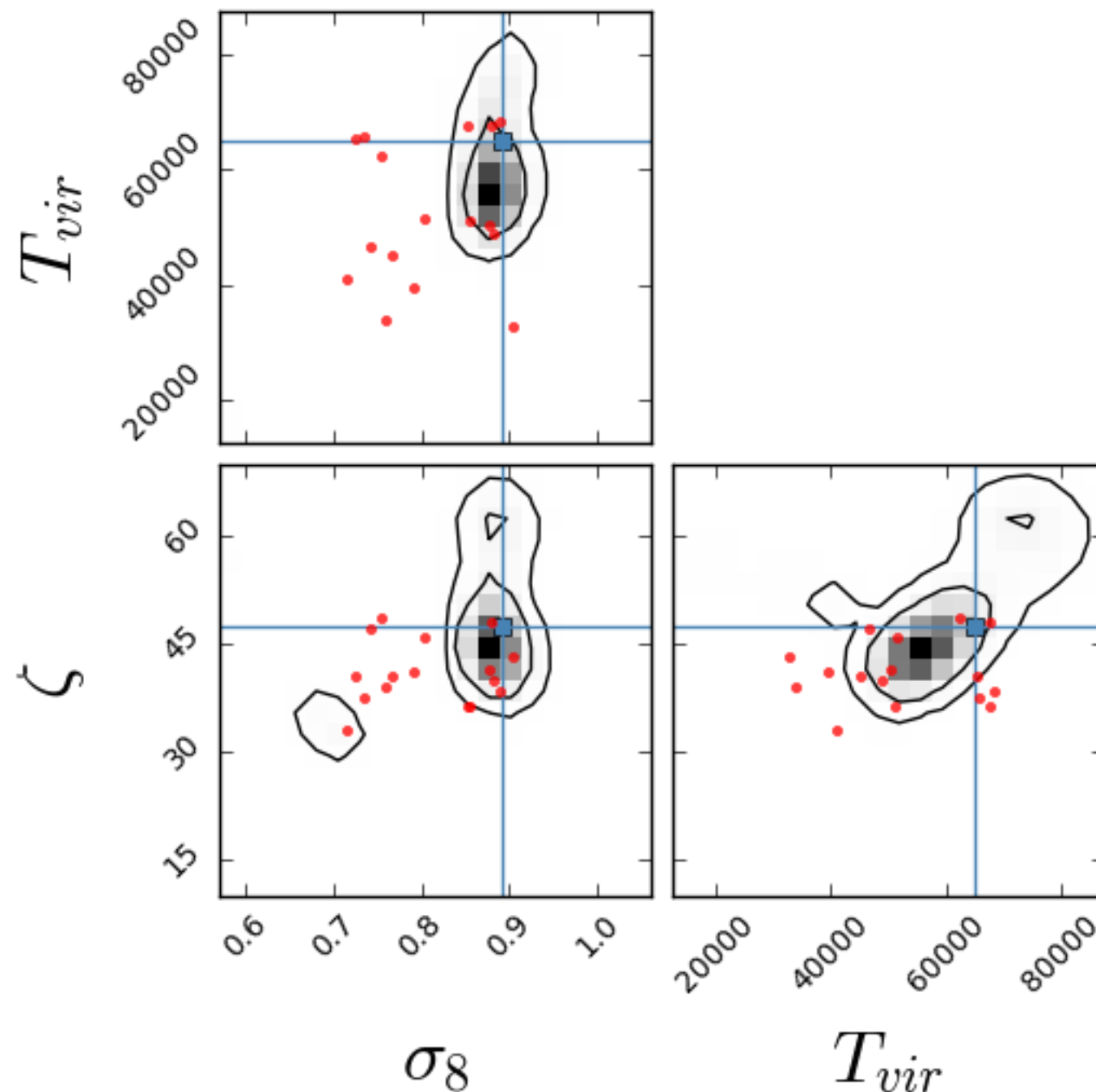
Error bars now take into account the limitations of one's emulator, with errors naturally inflating away from training region



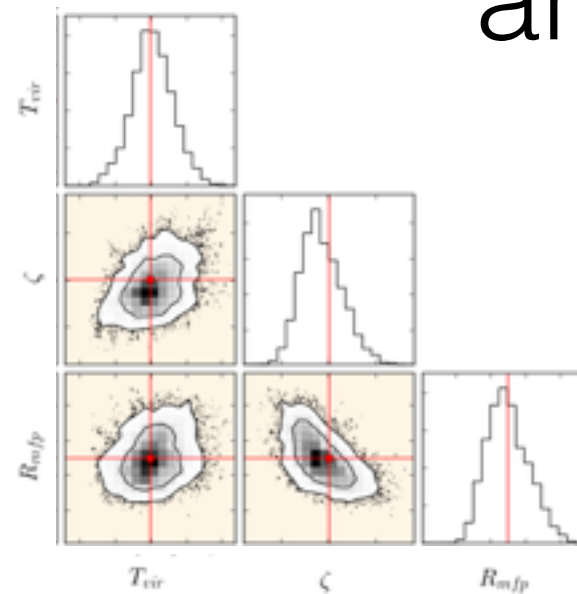
Error bars now take into account the limitations of one's emulator, with errors naturally inflating away from training region

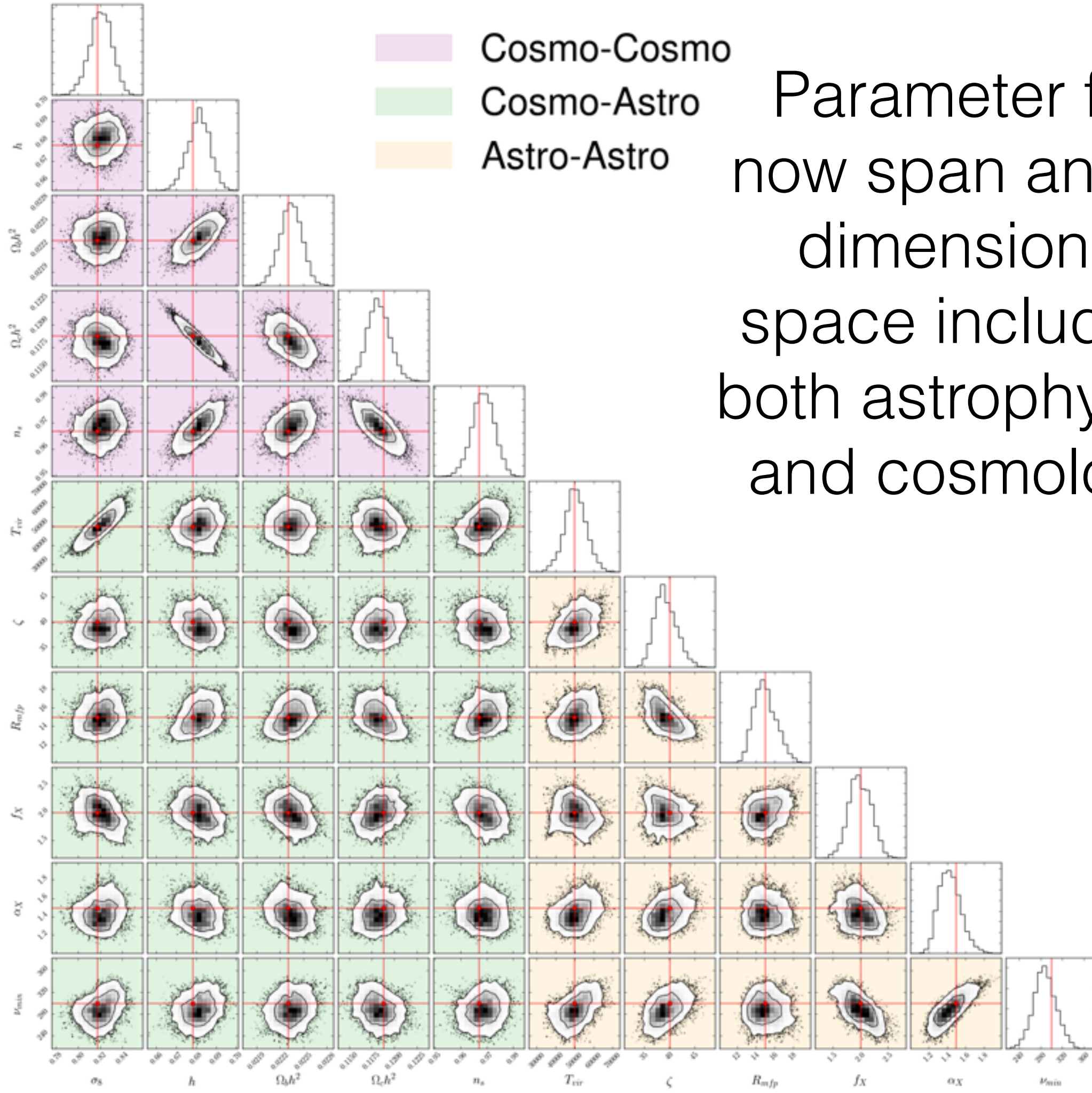


Error bars now take into account the limitations of one's emulator, with errors naturally inflating away from training region



Parameter fits  
now span an 11-  
dimensional  
space including  
both astrophysics  
and cosmology





Parameter fits  
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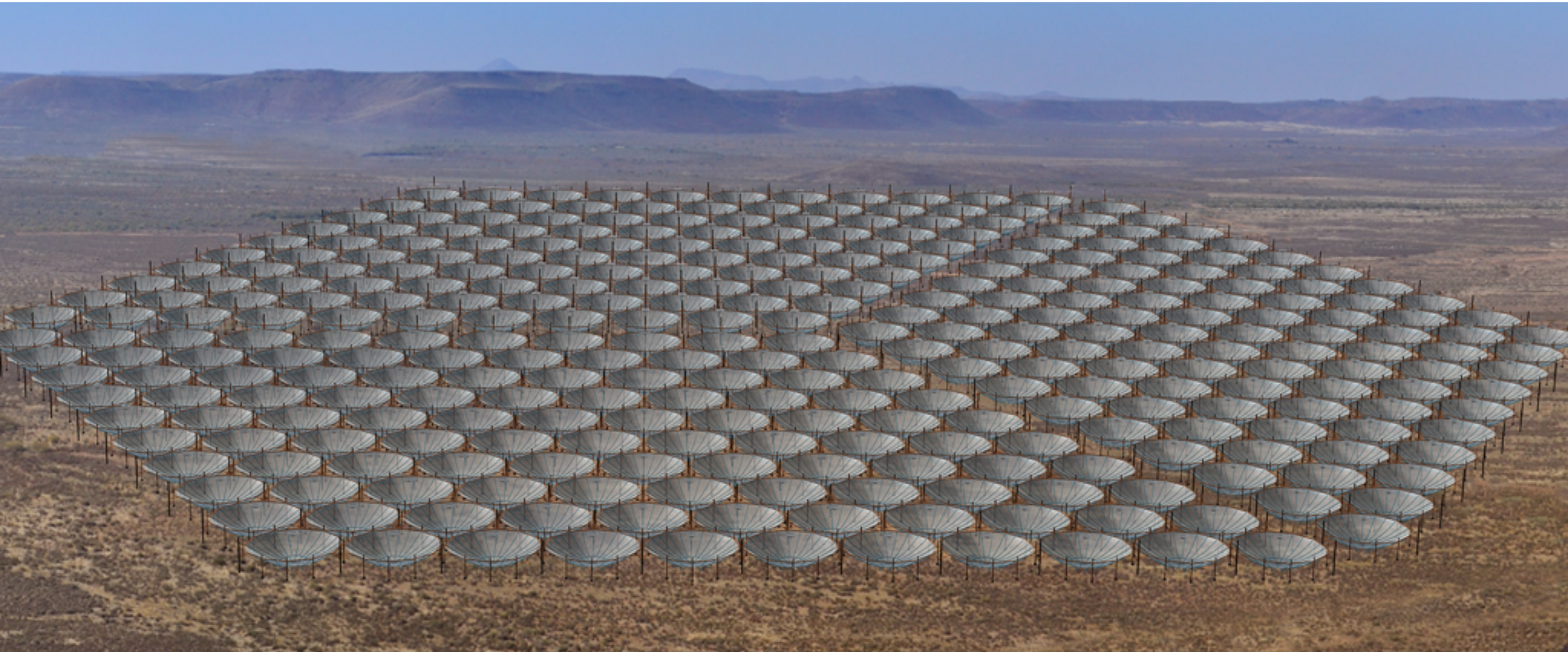


# Emulator software coming soon!

- Gaussian process regression with full error propagation
- Karhunen-Loève mode data compression
- Corner-cutting
- Latin Hypercube sampling
- Incorporation of emulator error into likelihood calculation

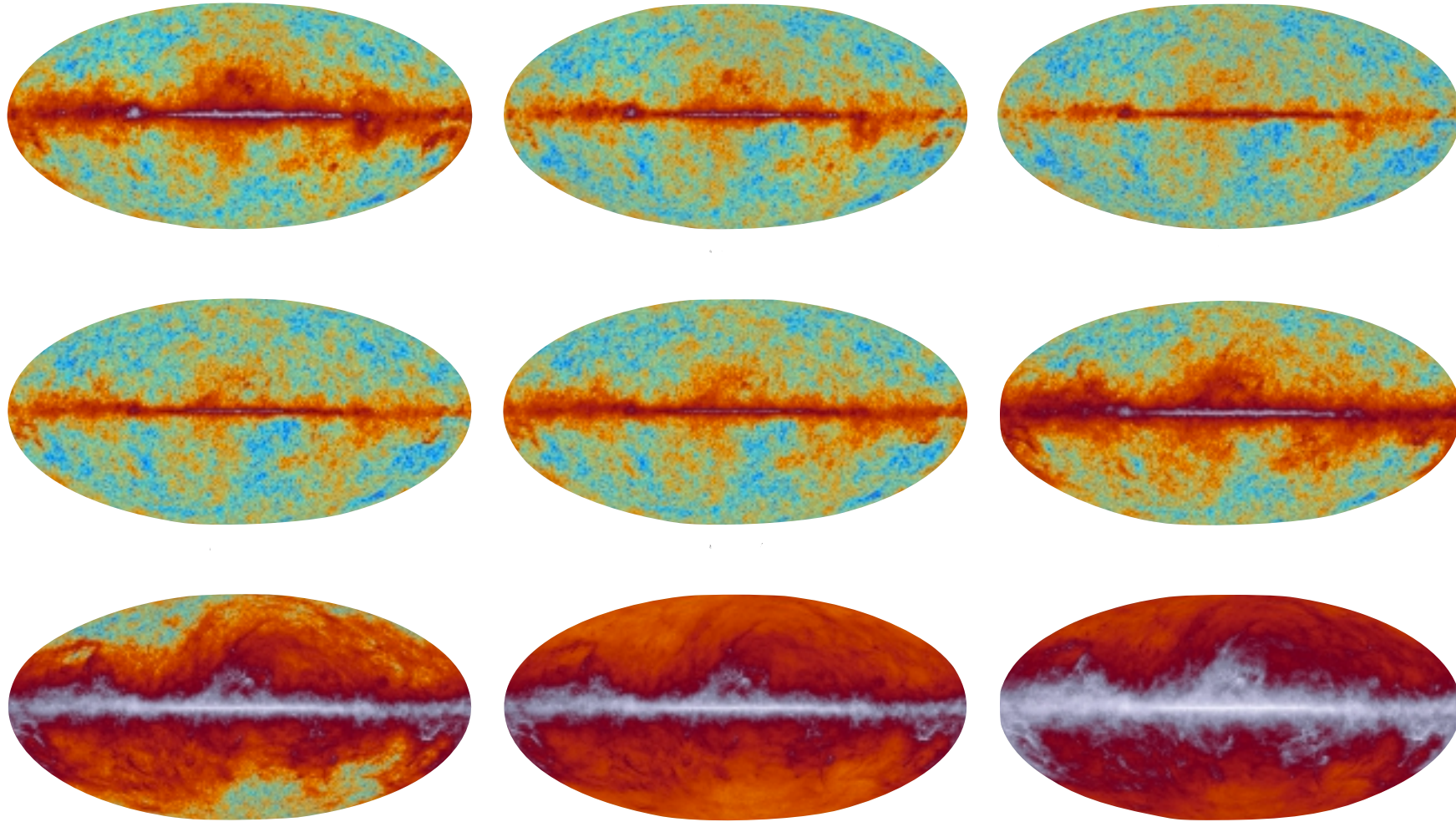
Kern, **AL** et al. (in prep.)

# Hydrogen Epoch of Reionization Array (HERA) targeting $6 < z < 25$

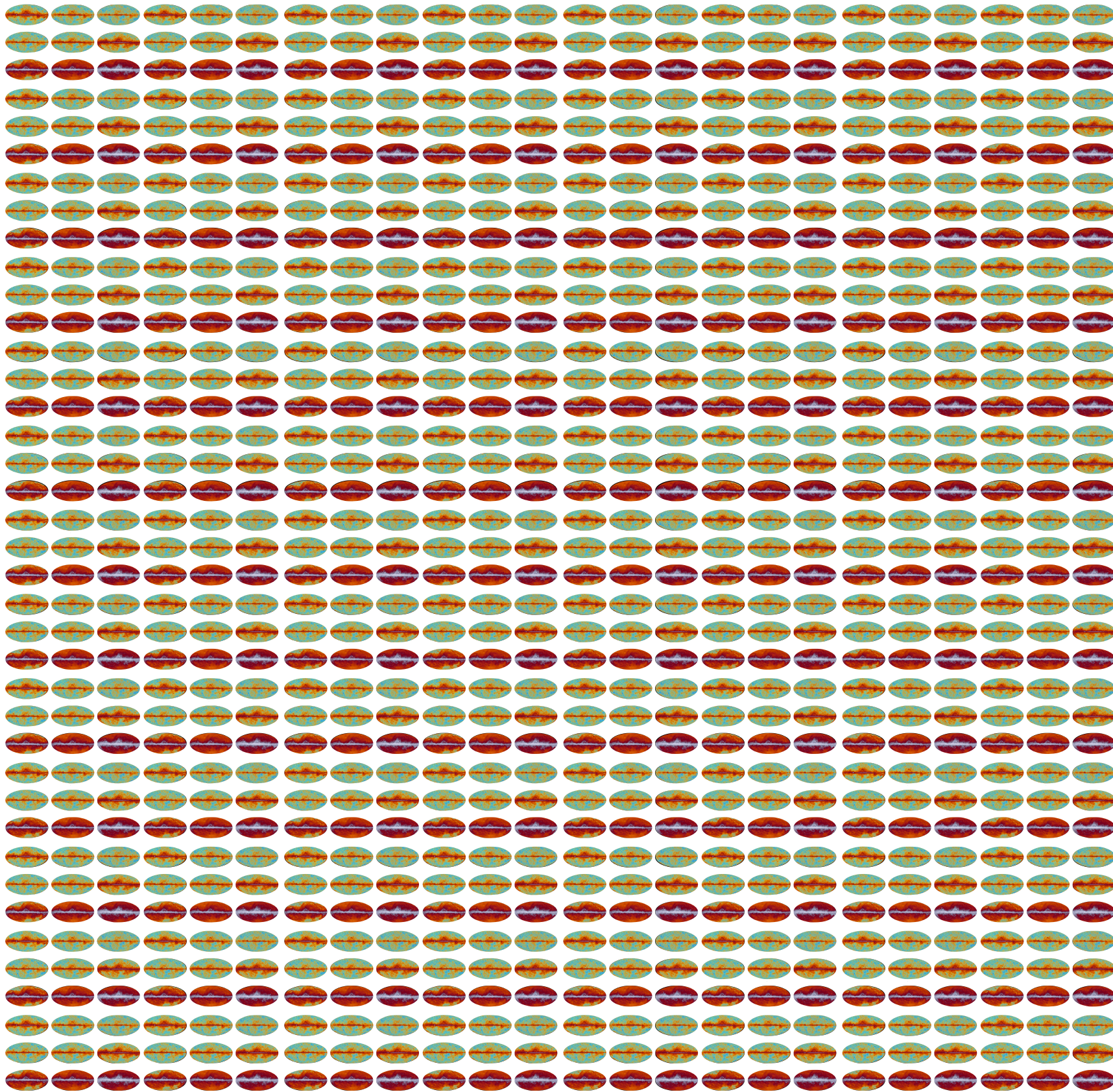


$\sim 0.2$  Tb (after compression) per day of observing





*Planck* satellite: maps at 9 frequencies  
with  $\sim$ several arcmin resolution



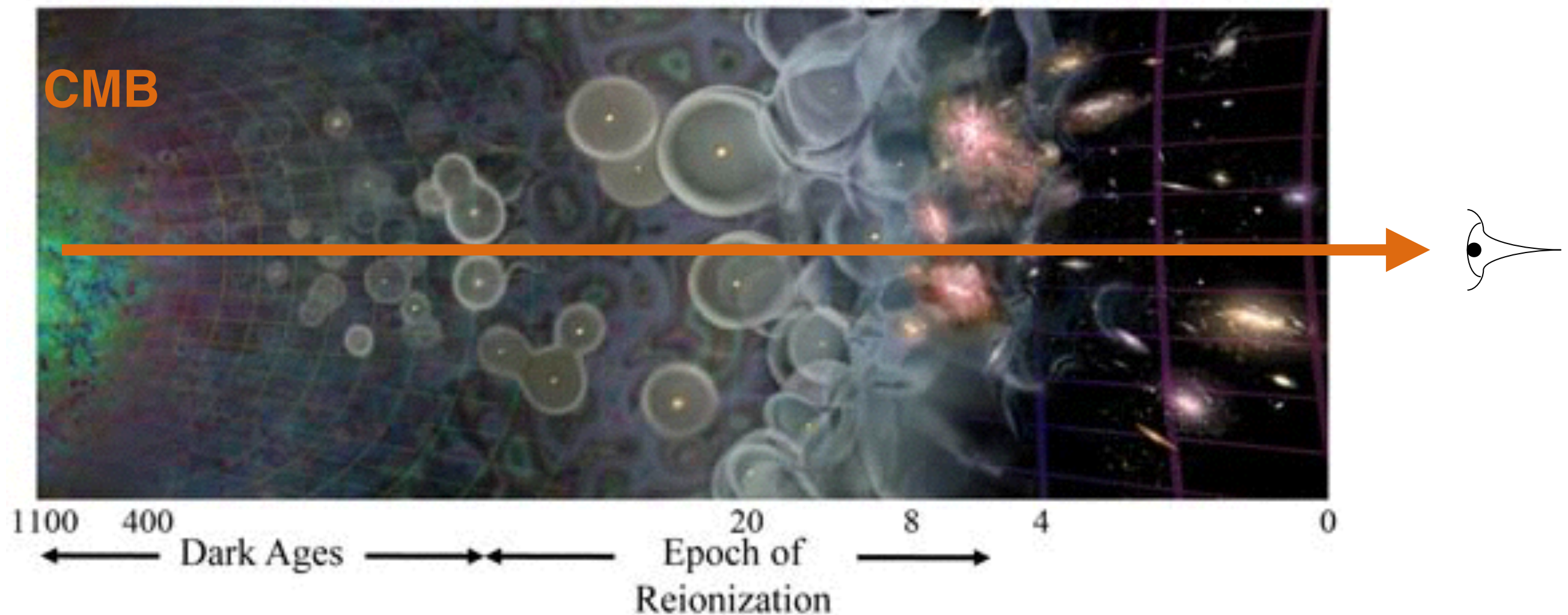
HERA:  
roughly the  
same  
resolution,  
but with  
~2000  
frequencies



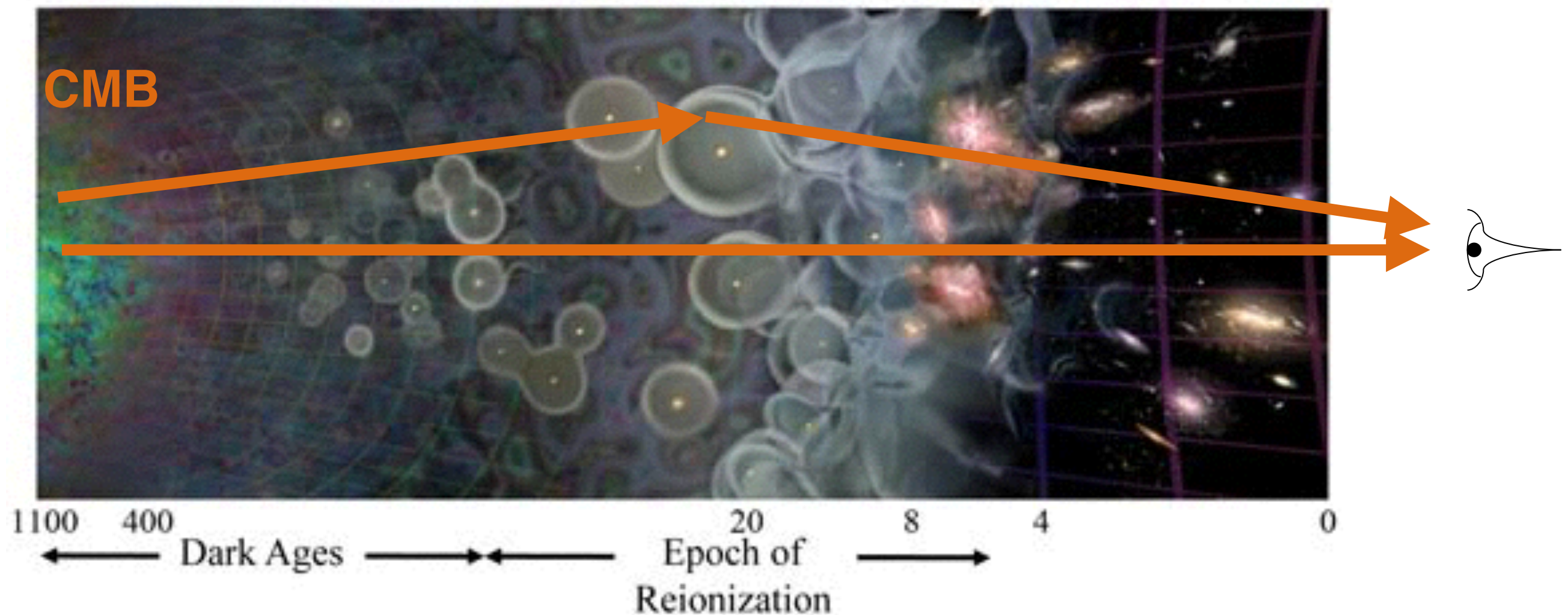
Doing better cosmology  
through astrophysics



# Reionization is a nuisance for CMB measurements

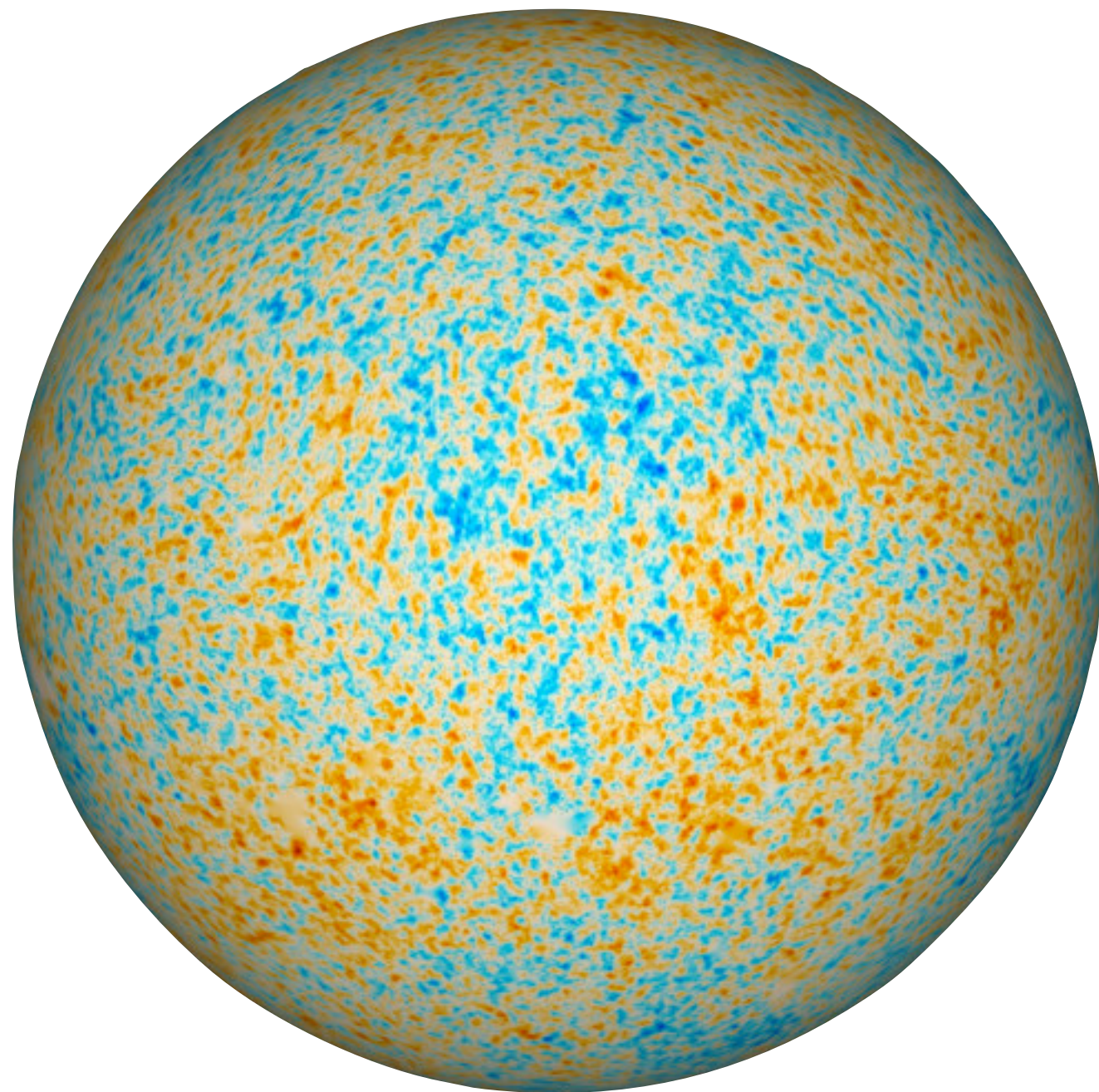


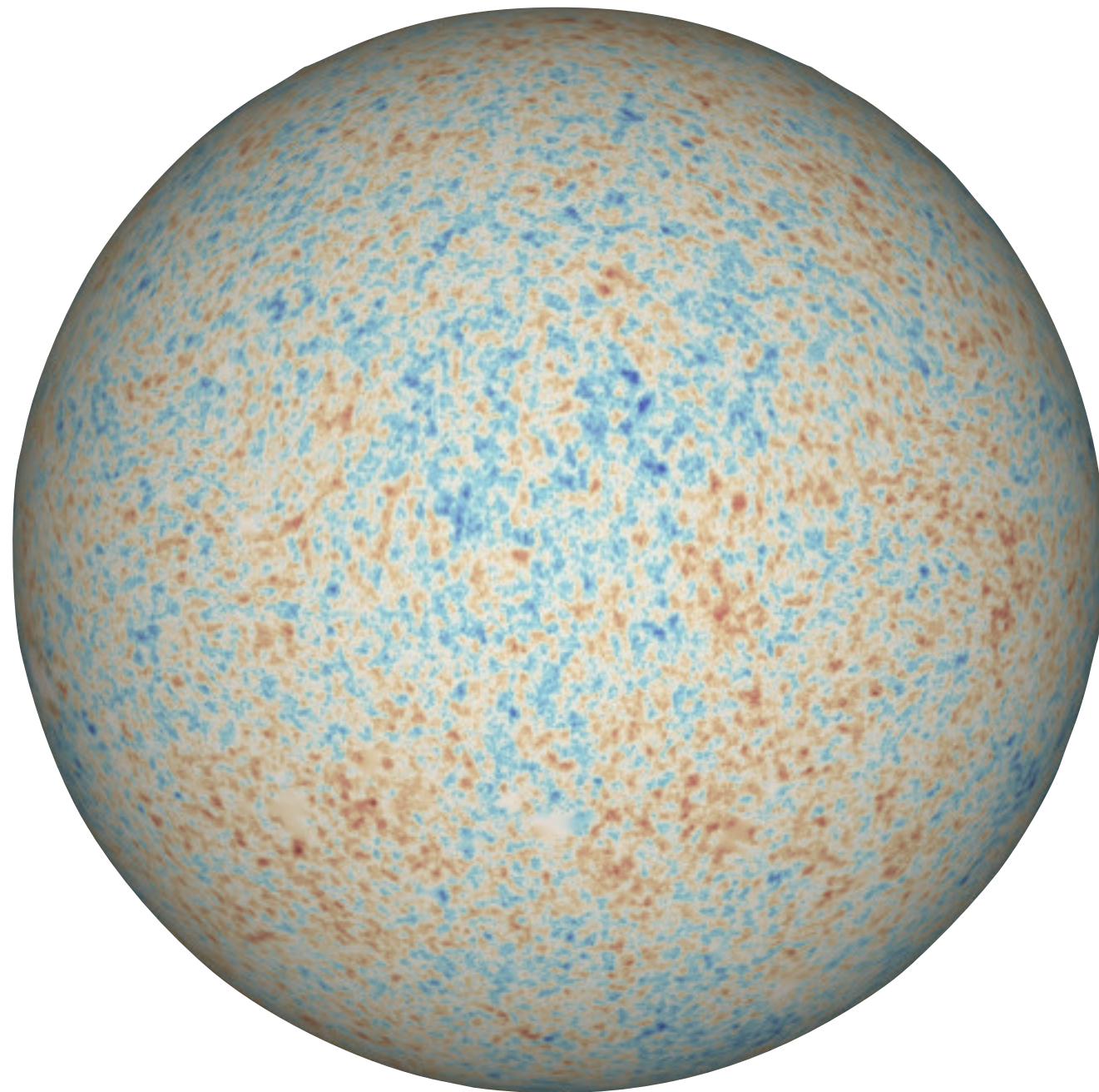
# Reionization is a nuisance for CMB measurements



Extra optical depth parameter:  $\tau \propto \int \langle x_i \rho_b \rangle dz$







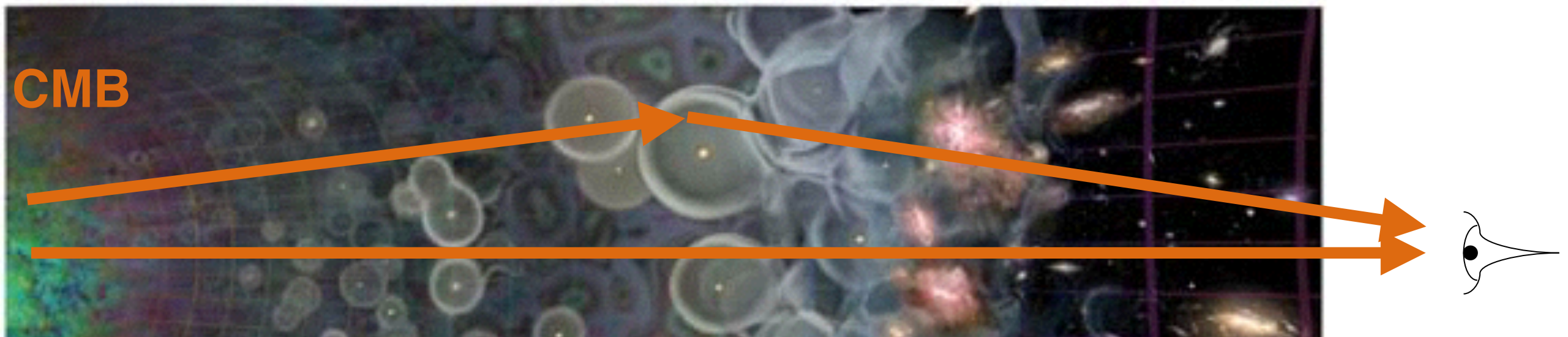
Scattering  $\longrightarrow$  Reduces amplitude of density fluctuations



- Early reionization (higher optical depth)  
+ Large primordial fluctuations  $A_s$

VS

- Late reionization (lower optical depth)  
+ Small primordial fluctuations  $A_s$





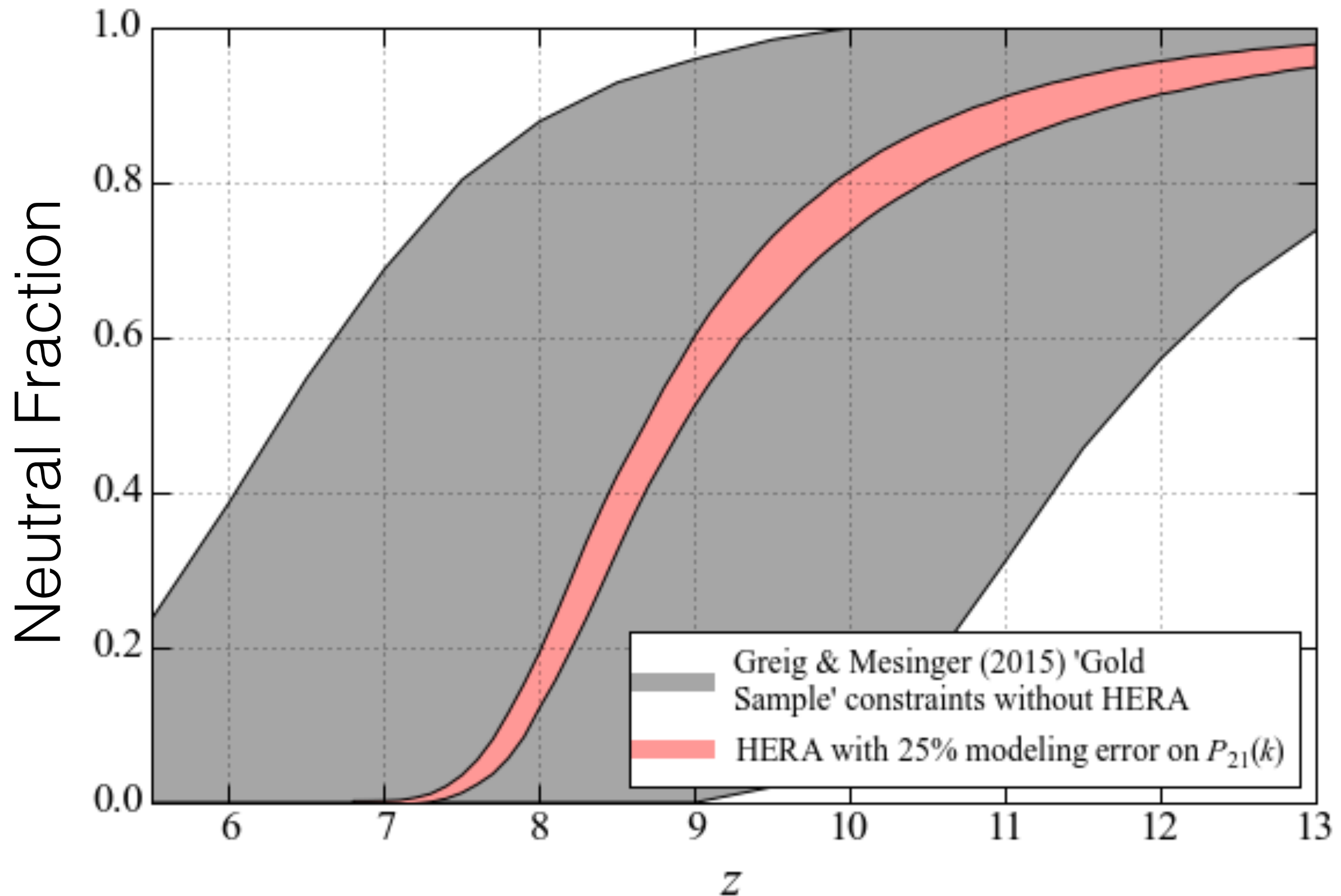
- Early reionization (higher optical depth)  
+ Large primordial fluctuations  $A_s$

VS

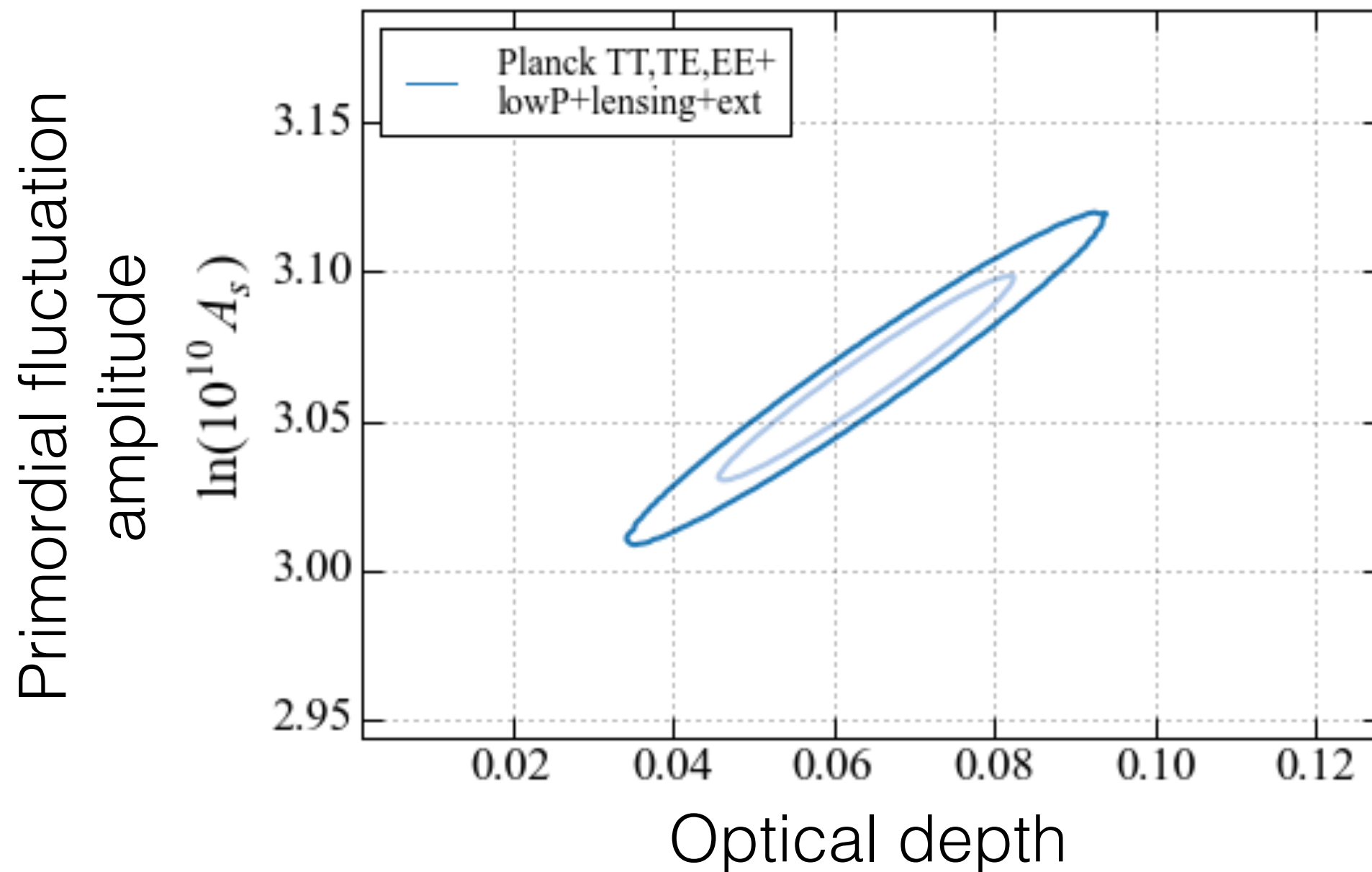
- Late reionization (lower optical depth)  
+ Small primordial fluctuations  $A_s$

Understanding reionization (especially the CMB optical depth) can improve constraints on other cosmological parameters

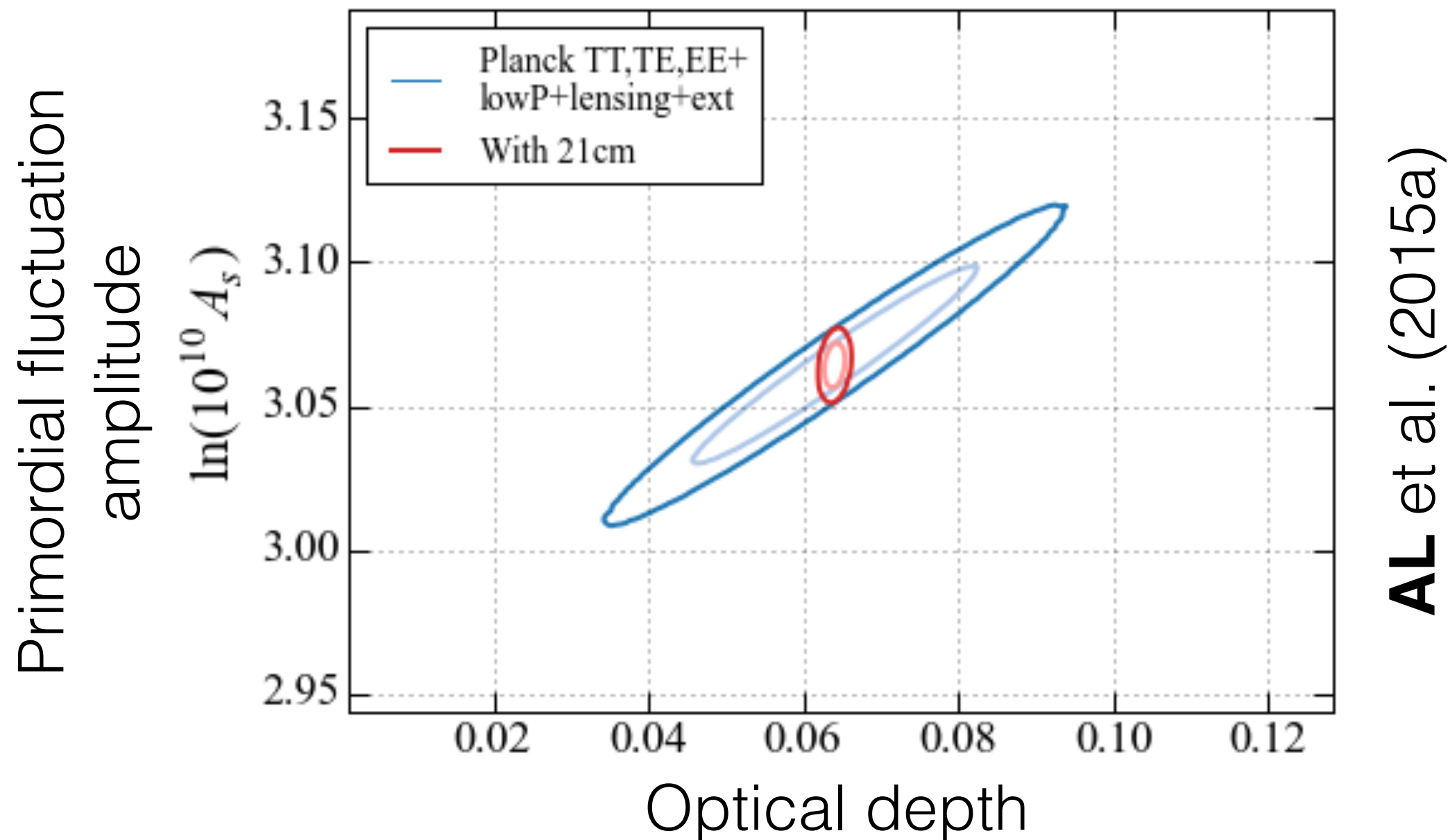
HERA provides us with exactly what we need



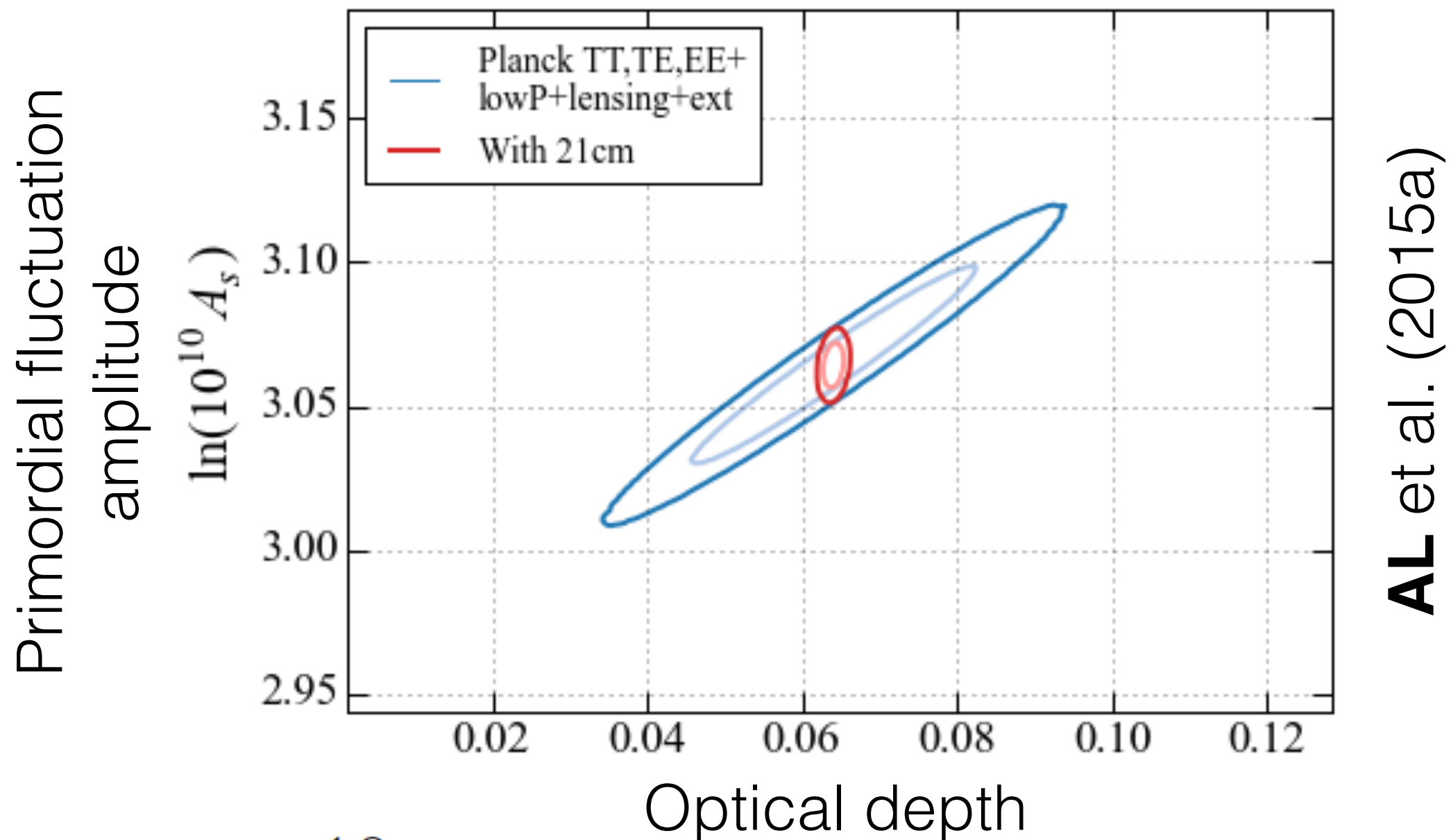
21cm information breaks the degeneracy between the amplitude of fluctuations and the optical depth



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21cm information breaks the degeneracy between the amplitude of fluctuations and the optical depth

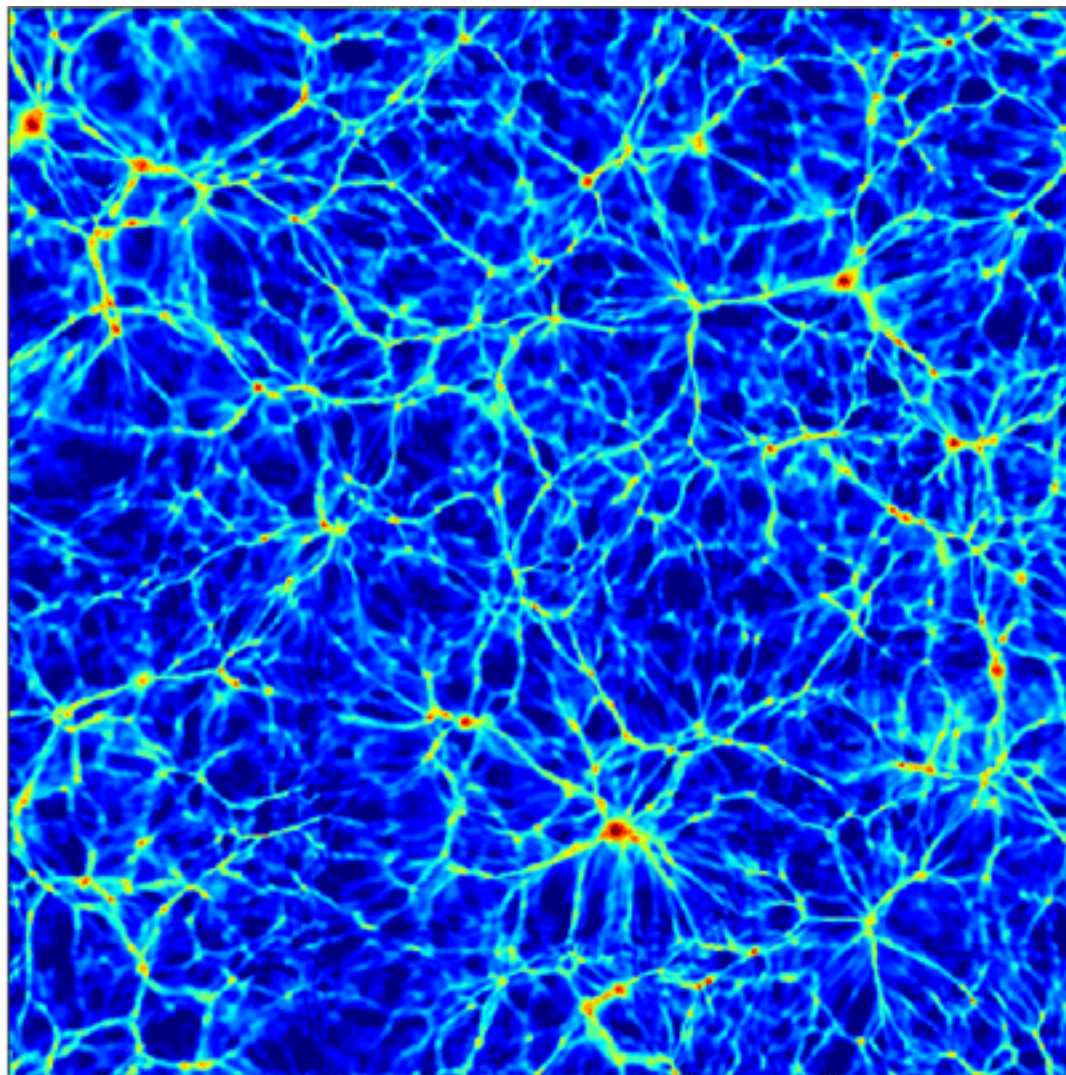


$$\Delta \ln(10^{10} A_s) = \pm 0.023 \longrightarrow \pm 0.0053$$



# Futuristic cosmology experiments targeting the neutrino mass also benefit

- Neutrinos free-stream out of over-densities and dampen structure formation

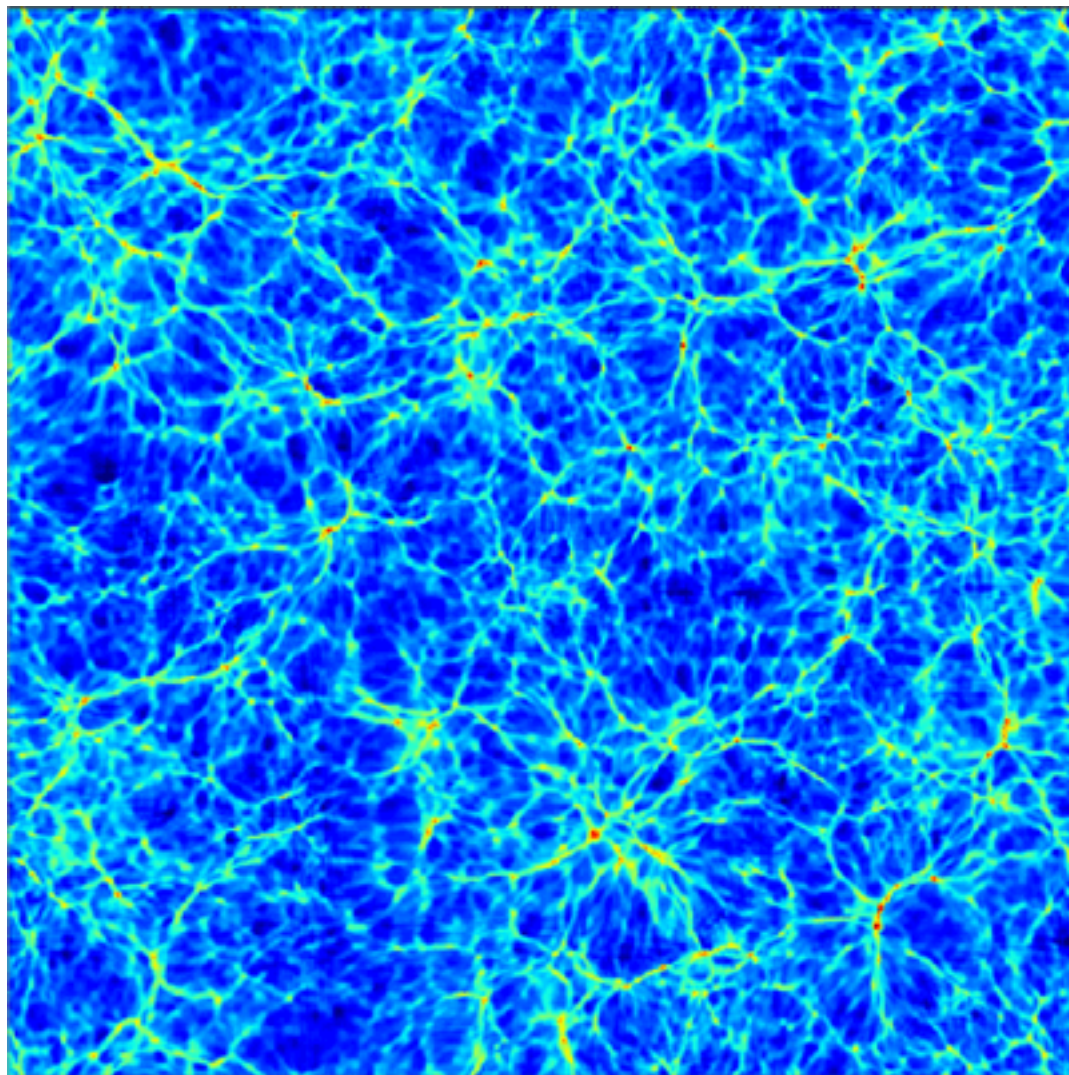


Without  
neutrinos

Agarwal &  
Feldman 2011

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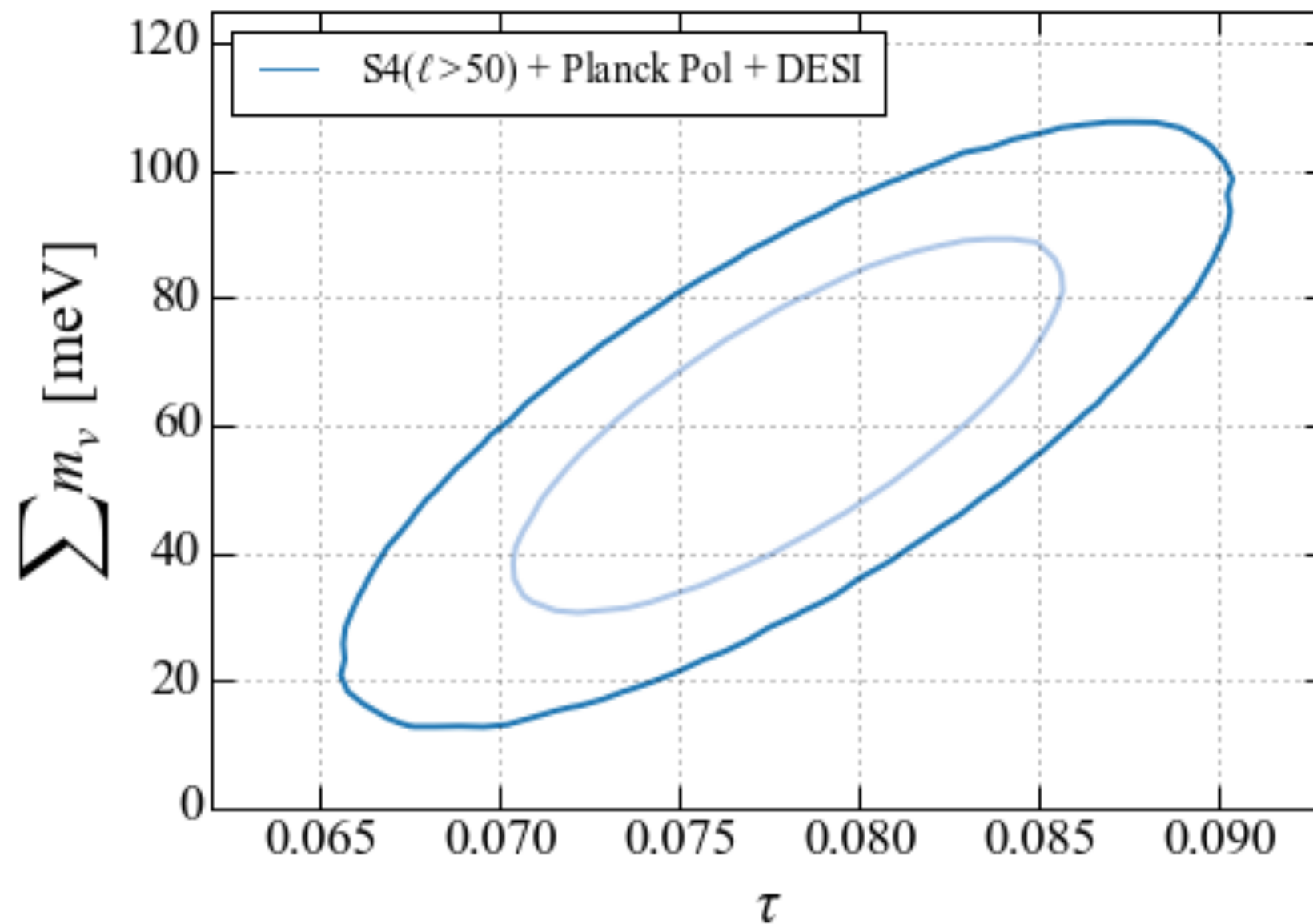


With  
neutrinos

Agarwal &  
Feldman 2011

Both the neutrino mass and the optical depth  
can affect the observed amount of small  
scale structure, leading to degeneracies

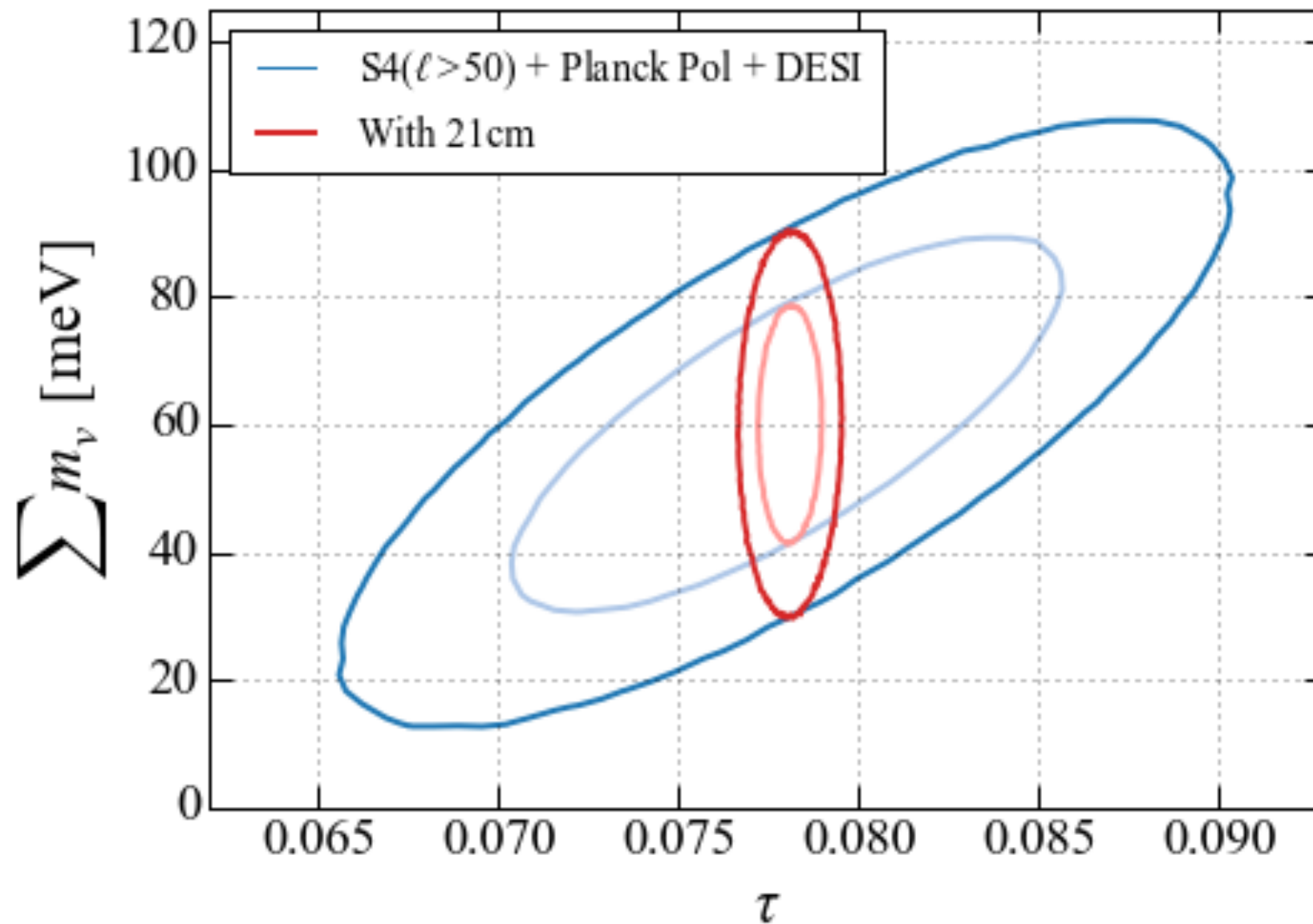
Both the neutrino mass and the optical depth can affect the observed amount of small scale structure, leading to degeneracies



Allison et al. (2015)



Both the neutrino mass and the optical depth can affect the observed amount of small scale structure, leading to degeneracies



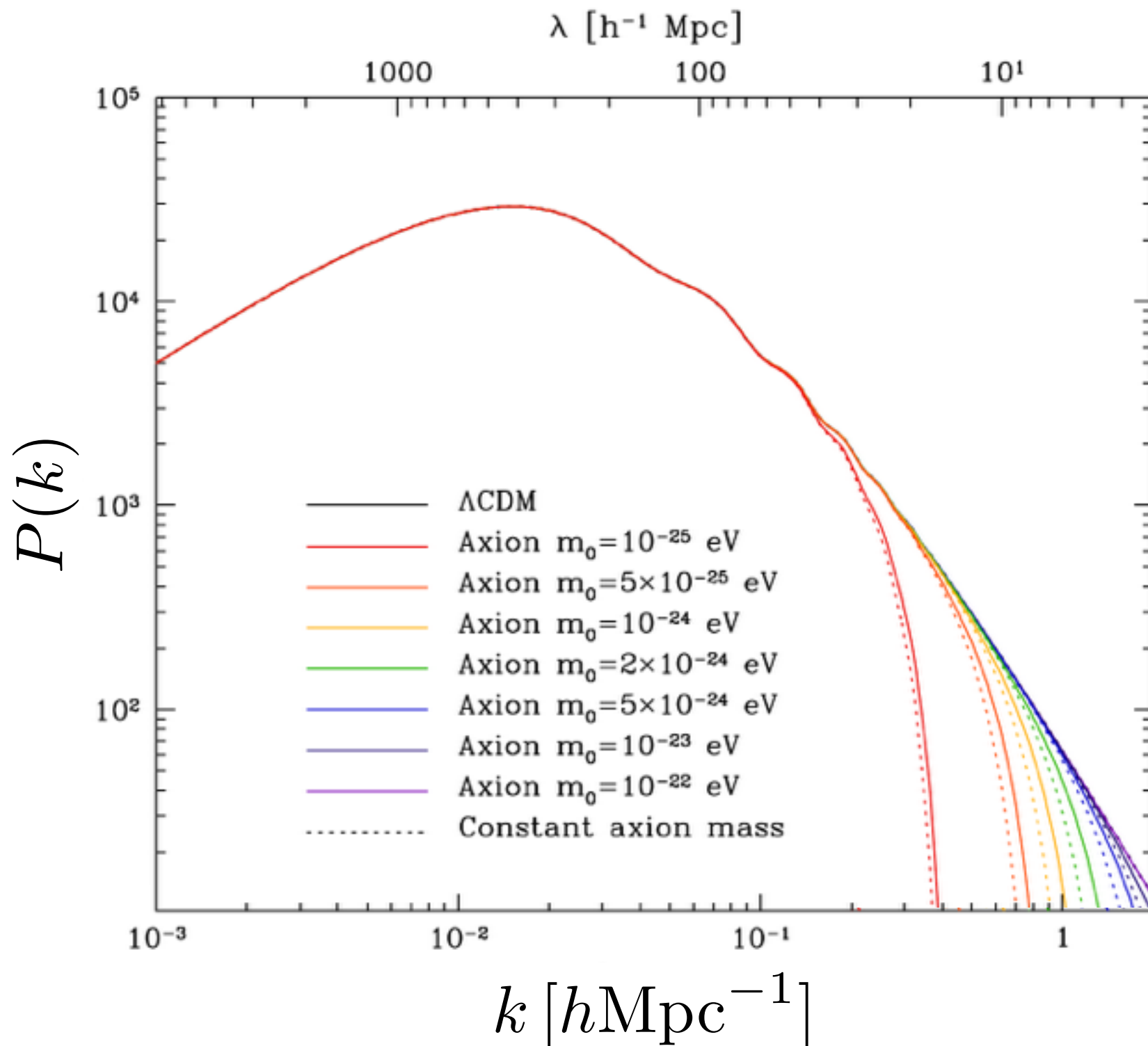
Allison et al. (2015)

**AL** et al. (2015a)

$$\sum m_\nu = 60 \pm 19 \text{ meV} \longrightarrow \pm 12 \text{ meV}$$



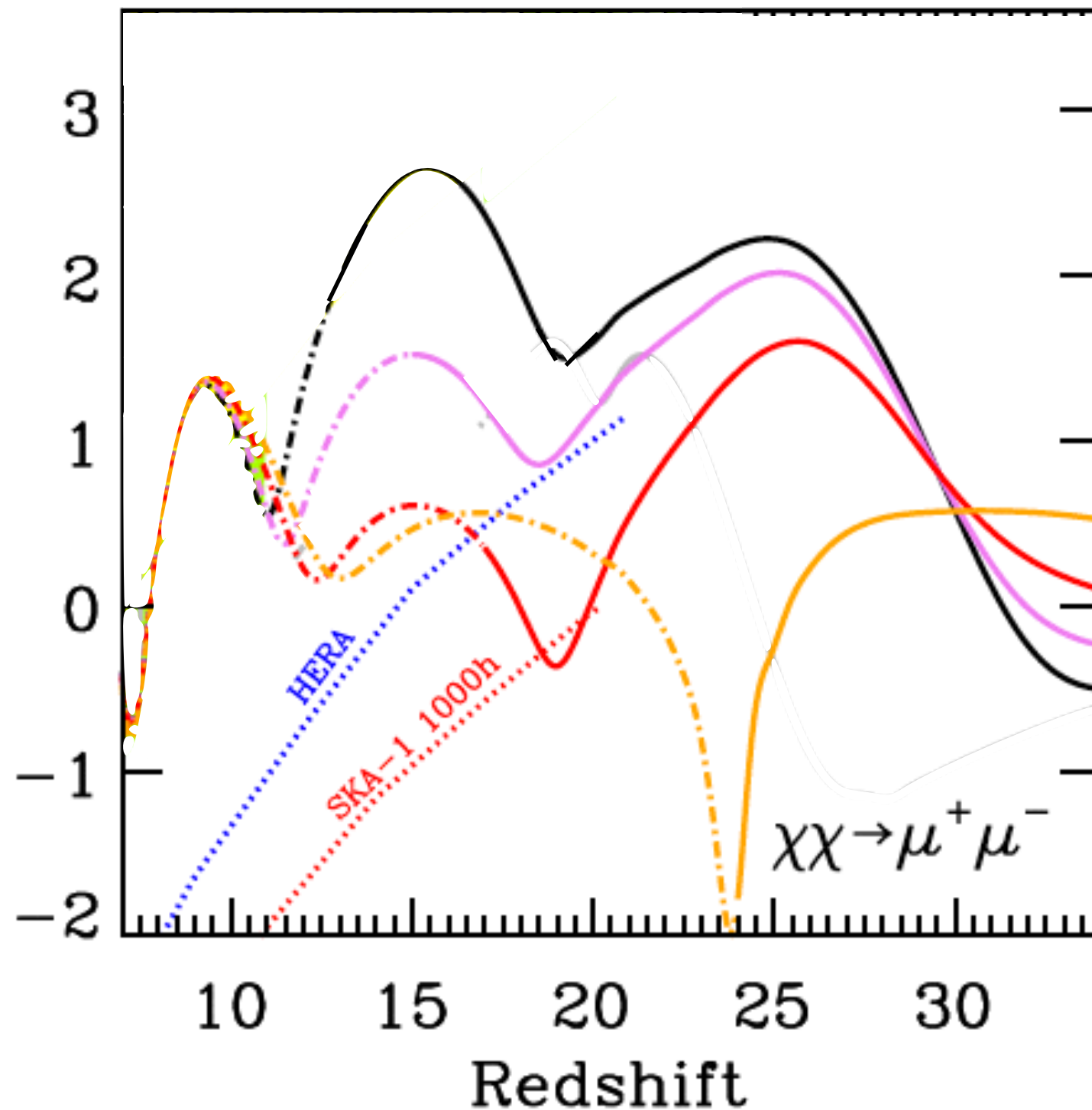
Extremely small scale modes may be accessible to futuristic 21cm cosmology experiments



# Heating from DM annihilation

Amplitude of  
fluctuations

$\text{Log } \delta T_b^2 \Delta_{21}^2 (\text{mK}^2)$



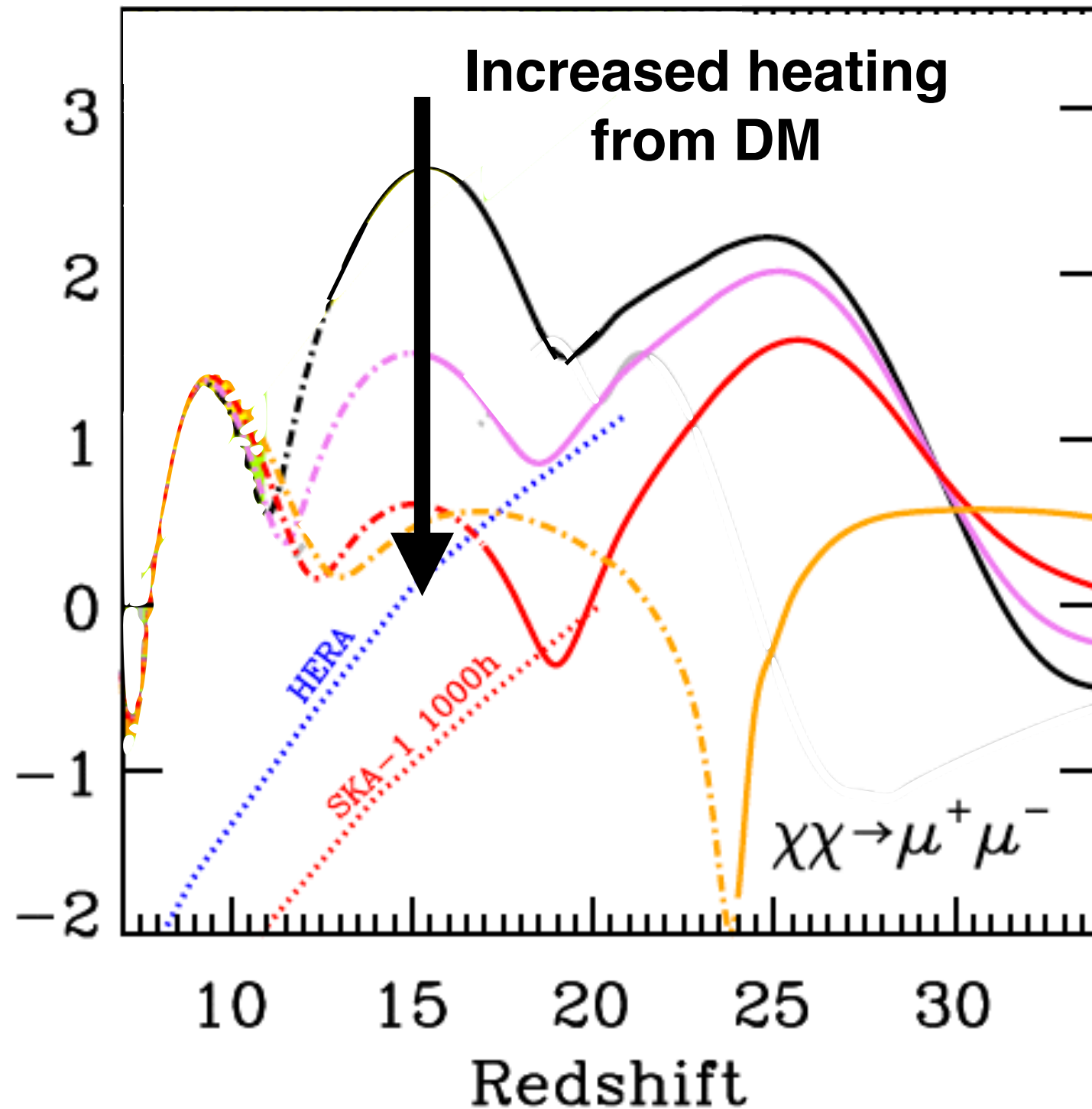
Evoli et al. 2014

← time

# Heating from DM annihilation

Amplitude of  
fluctuations

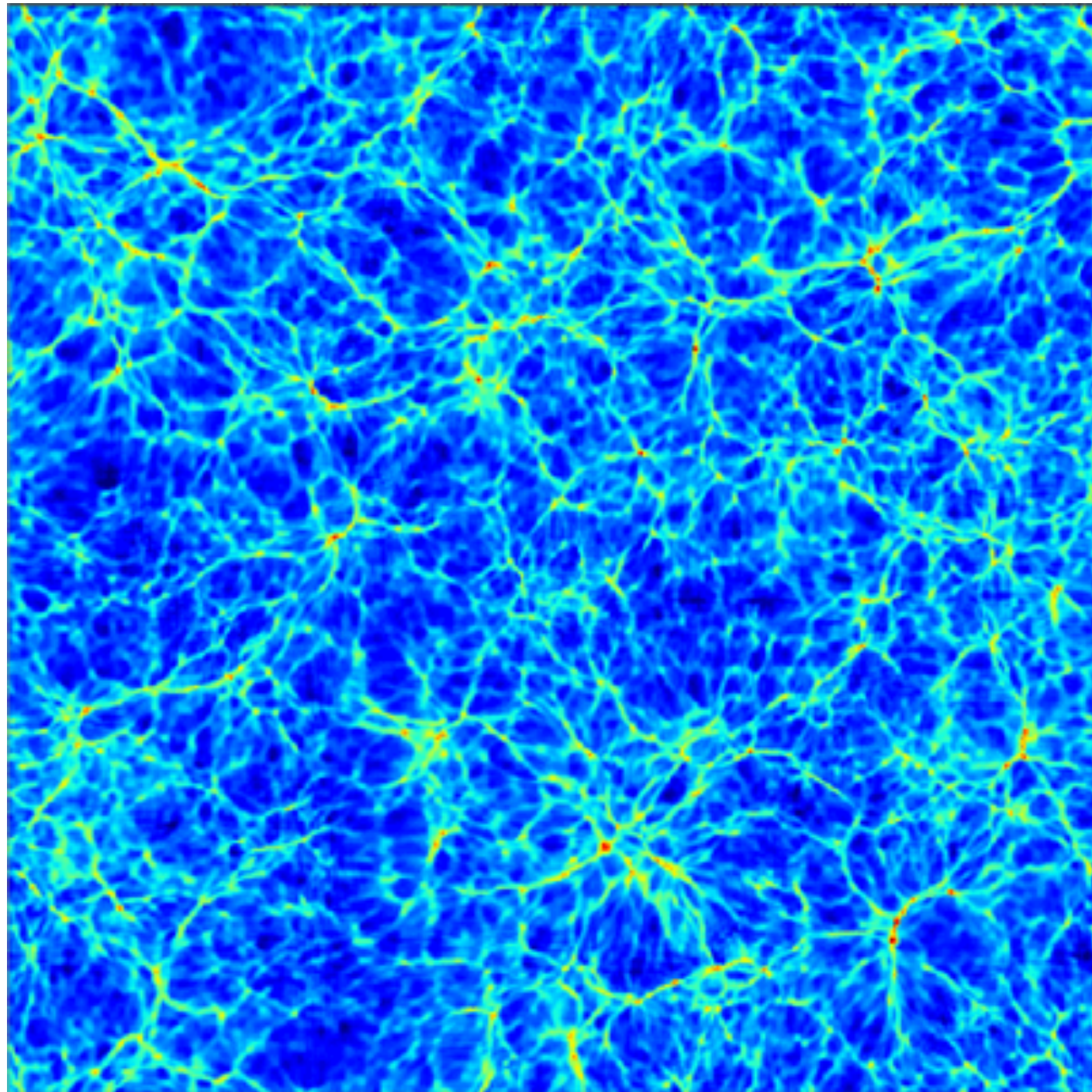
$\text{Log } \delta T_b^2 \Delta_{21}^2 (\text{mK}^2)$



Evoli et al. 2014

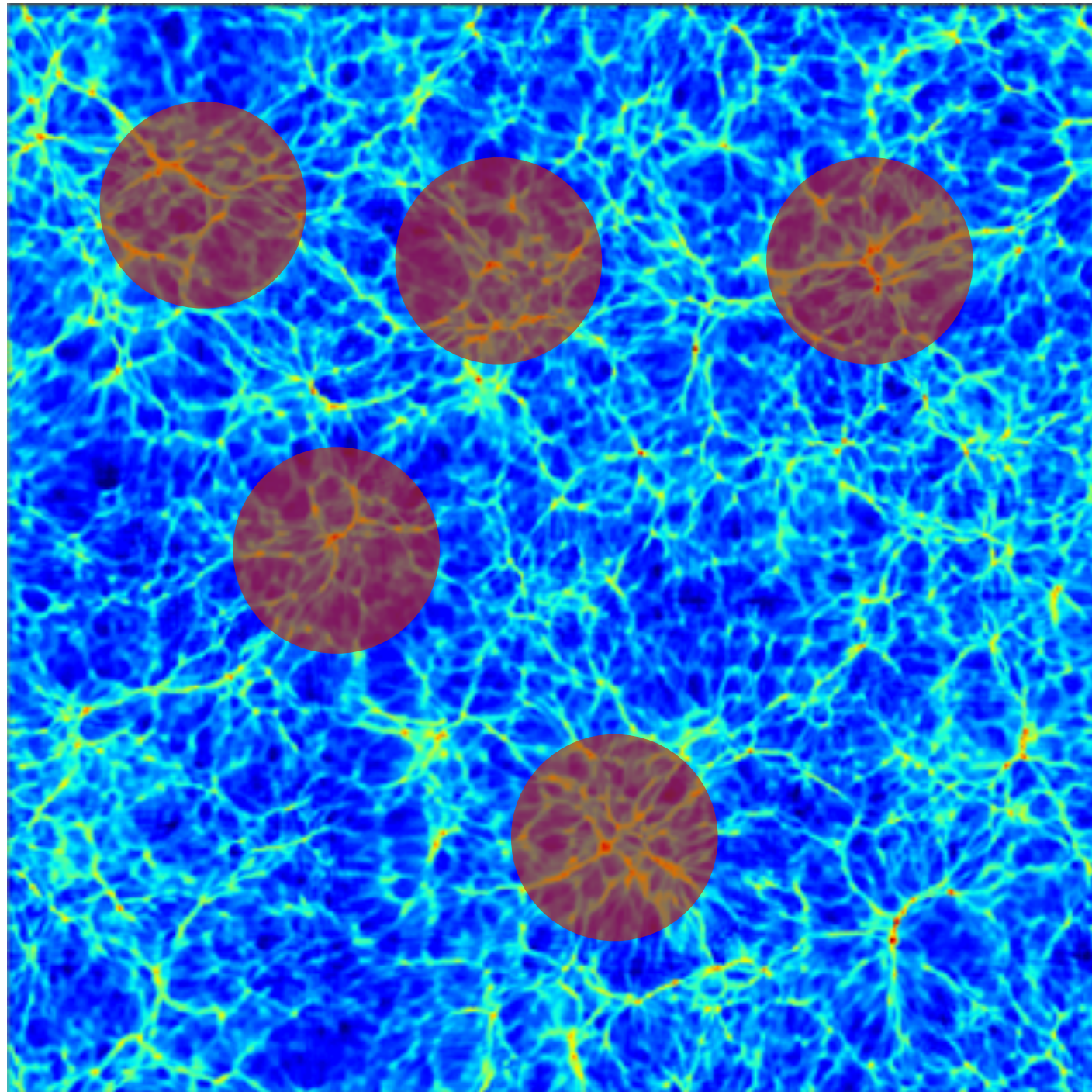
← time

Conventional heating  
sources are more localized



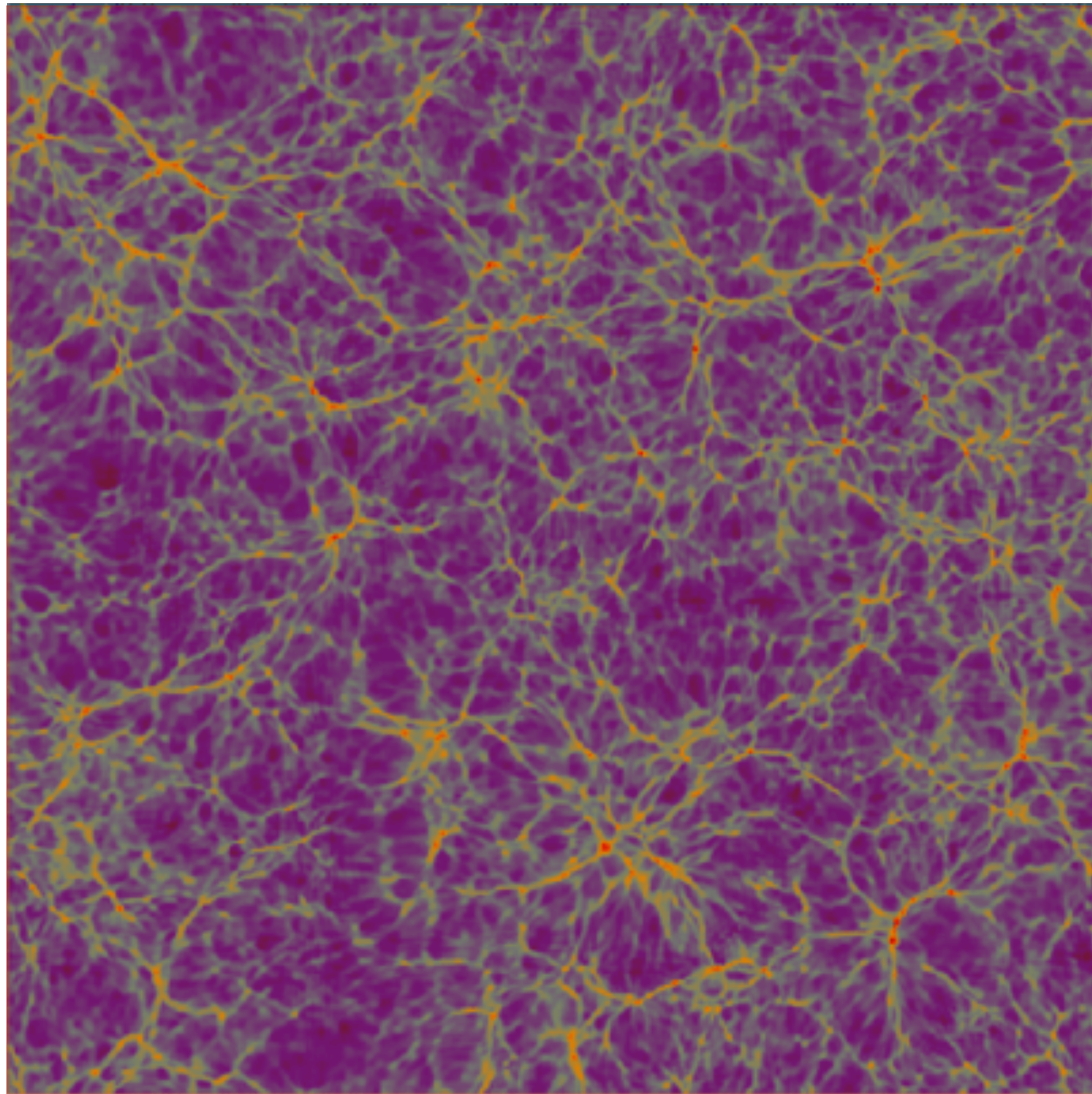


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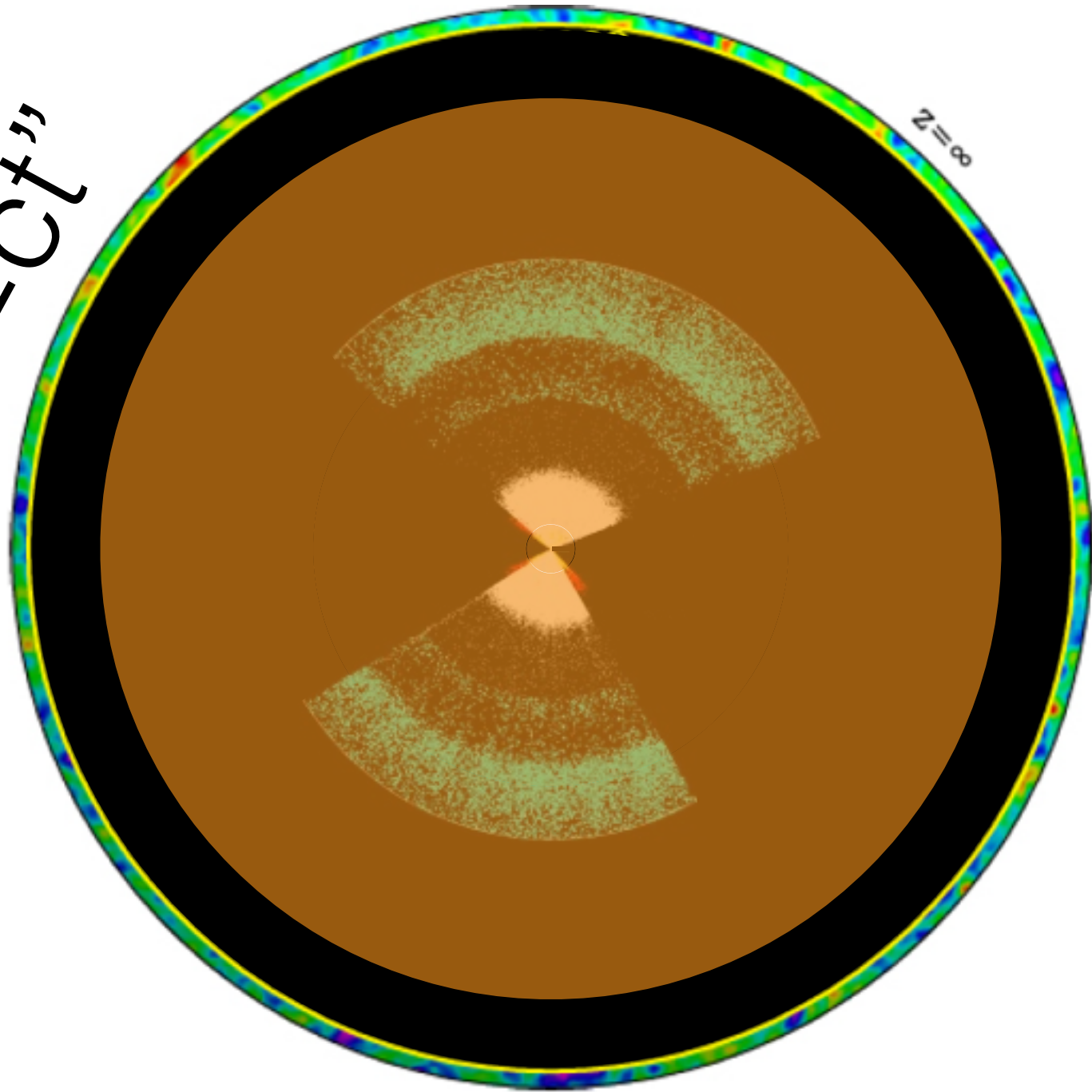




Heating from dark matter annihilations  
would be more uniform, reducing the  
**fluctuation** amplitude



“ $r=Ct$ ”



- Time frontier
  - Unique access to the pre-reionization epochs
- Sensitivity frontier
  - Large volume resolution in small errors
- Scale frontier
  - Small scale modes are easy to model using linear theory

# Exciting times are ahead!

- We're getting close to detecting the 21cm signal—close enough to start improving our understanding of reionization.
- 21cm cosmology is a data-intensive science where astrophysics and cosmology go hand-in-hand
- The HERA experiment is being built now, and promises to deliver qualitatively new constraints on astrophysics and cosmology.
- 21cm cosmology provides a window into fundamental physics with opportunities to push the time, sensitivity, and scale frontiers.