

Fundamental Physics with Neutrons

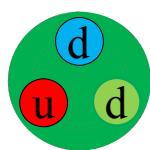


The physicist's view of a neutron

Different physicist's have different views:



For most experiments, it is a point
(with some properties: mass and spin).



For neutron beta decay, it has (at least) the structure given by its valence quarks.

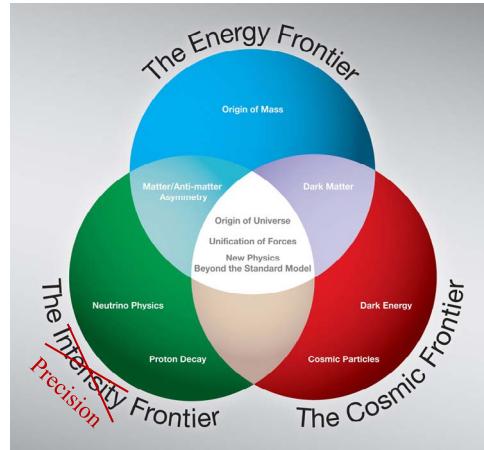


With more resolution, more structure appears

What is our interest?

Answer: We want to find the fundamental laws of physics .

How? Fermilab's view to this is:



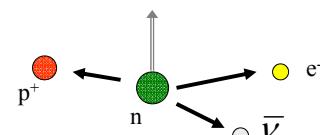
David MacFarlane, Director
of Particle Physics and
Astrophysics division, SLAC

“The Intensity Frontier involves many diverse lower-energy precision experiments; and its discovery potential, being less direct, is therefore harder to understand.”

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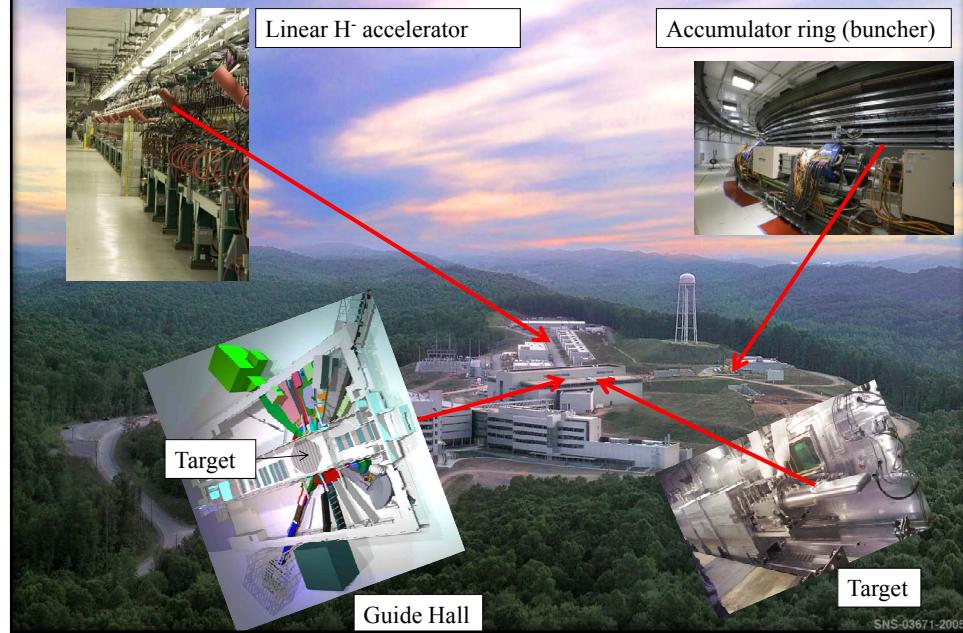
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1. Production of Low Energy Neutrons
2. Experiments with Low Energy Neutrons:
 - Neutron Beta Decay
 - Spectroscopy of gravitationally bound quantum states
 - Weak Hadronic Interaction in neutron capture on hydrogen
3. Future plans

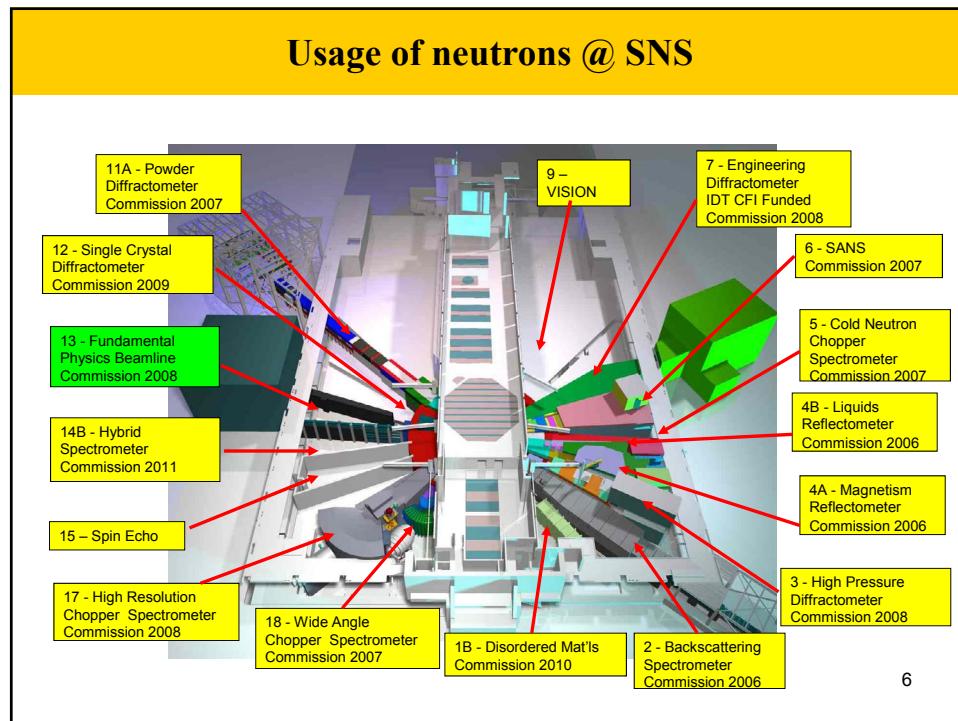


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The Spallation Neutron Source SNS in Oak Ridge, TN



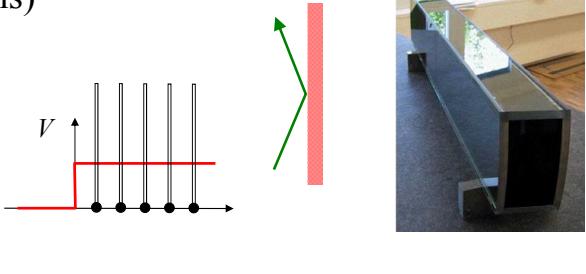
Usage of neutrons @ SNS



Interactions of low energy neutrons with matter

Transport (cold neutrons)

$$V_{\text{Fermi}} = \frac{2\pi\hbar^2}{m_n} \sum_i b_i \delta(x - x_i)$$

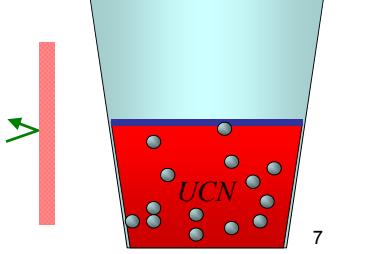
$$\lambda \text{ big: } V_{\text{Fermi}} \sim \frac{2\pi\hbar^2}{m_n} \langle nb \rangle$$


$\sim 100 \text{ neV}$

Storage (ultracold neutrons)

Typical properties:

- Energy: $E_{\text{UCN}} \sim 100 \text{ neV}$
- Velocity: $v_{\text{UCN}} \sim 5 \text{ m/s}$
- Height: $h_{\text{UCN}} \sim 1 \text{ m}$



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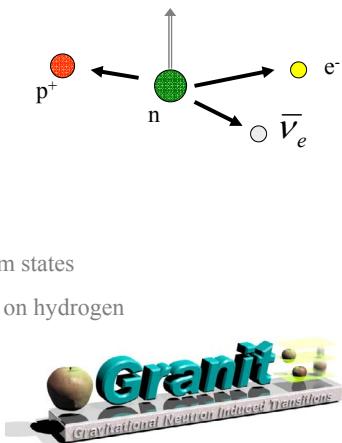
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Beta Decay in the Standard Model

Fermi's golden rule:

$$\text{decay probability } \Gamma_{i \rightarrow f} = \frac{2\pi}{\hbar} \left| \langle f | H_{\text{weak}} | i \rangle \right|^2 \rho$$

Parity Violation found by Wu et al, 1956

$H_{\text{weak}} = \frac{G_F V_{ud}}{\sqrt{2}} \langle p | 1 \cdot \gamma^\mu + \lambda \gamma^\mu \gamma^5 | n \rangle \langle e^- | \gamma_\mu - \gamma_\mu \gamma_5 | v_e \rangle + \text{h.c.}$

1. Quark mixing 2. Nucleon structure effects 3. Helicity

$g_V = G_F \cdot V_{ud} \cdot 1$
 $g_A = G_F \cdot V_{ud} \cdot \lambda$

(No nuclear structure effects)

... of elementary fermions: $-p/E$,
... of elementary anti-fermions: $+p/E$

\vec{p}_e

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Observables in Neutron Beta Decay

Jackson et al., PR 106, 517 (1957):

Observables in Neutron beta decay, as a function of generally possible coupling constants (assuming only Lorentz-Invariance)

$$d\Gamma \propto \rho(E_e) \cdot (1+3|\lambda|^2) \cdot \left\{ 1 + \color{red} a \frac{\vec{p}_e \cdot \vec{p}_\nu}{E_e E_\nu} + \color{red} b \frac{m_e}{E_e} \right.$$

+ $\vec{\sigma}_n \cdot \left(\color{red} A \frac{\vec{p}_e}{E_e} + \color{red} B \frac{\vec{p}_\nu}{E_\nu} + \color{blue} D \frac{\vec{p}_e \times \vec{p}_\nu}{E_e E_\nu} \right) \right\}$

Fierz interference term $b=0$

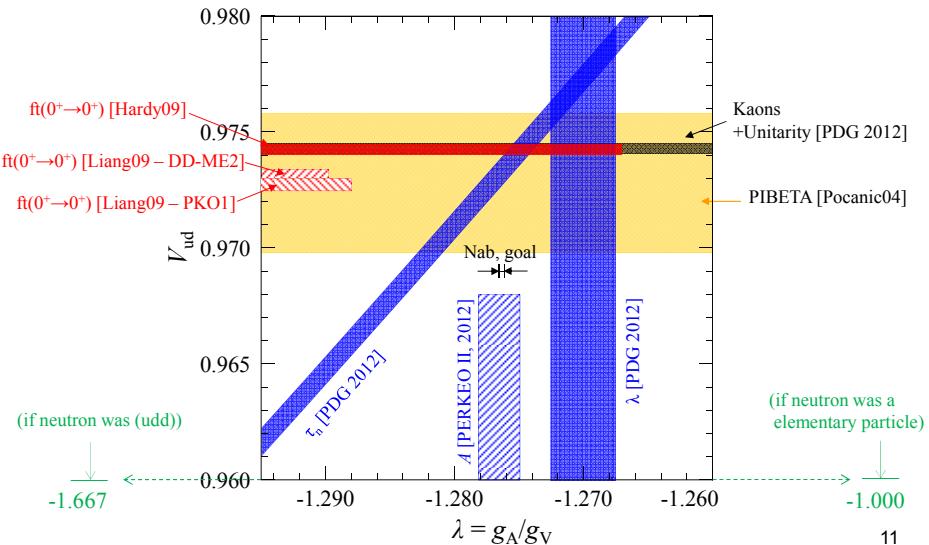
Beta-Asymmetry $\color{red} A = -2 \frac{|\lambda|^2 + \text{Re } \lambda}{1+3|\lambda|^2}$

Neutrino-Electron-Correlation $\color{red} a = \frac{1-|\lambda|^2}{1+3|\lambda|^2}$

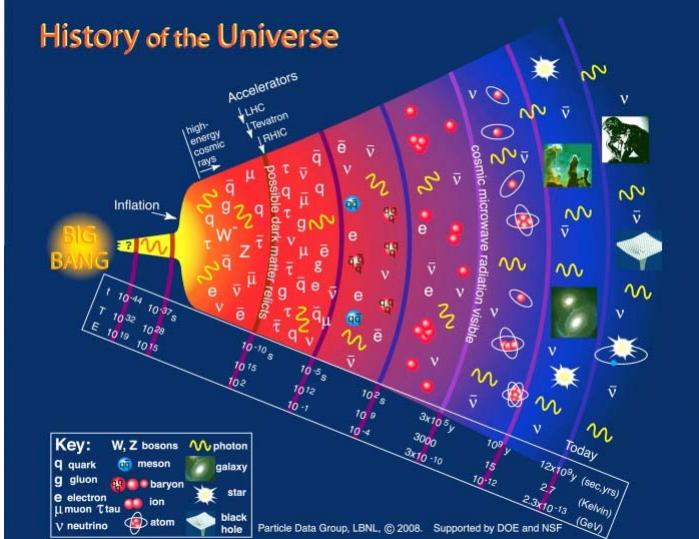
Neutron lifetime $\tau_n^{-1} = \frac{2\pi}{\hbar} G_F^2 V_{ud}^2 (1+3|\lambda|^2) \int \rho(E_e)$

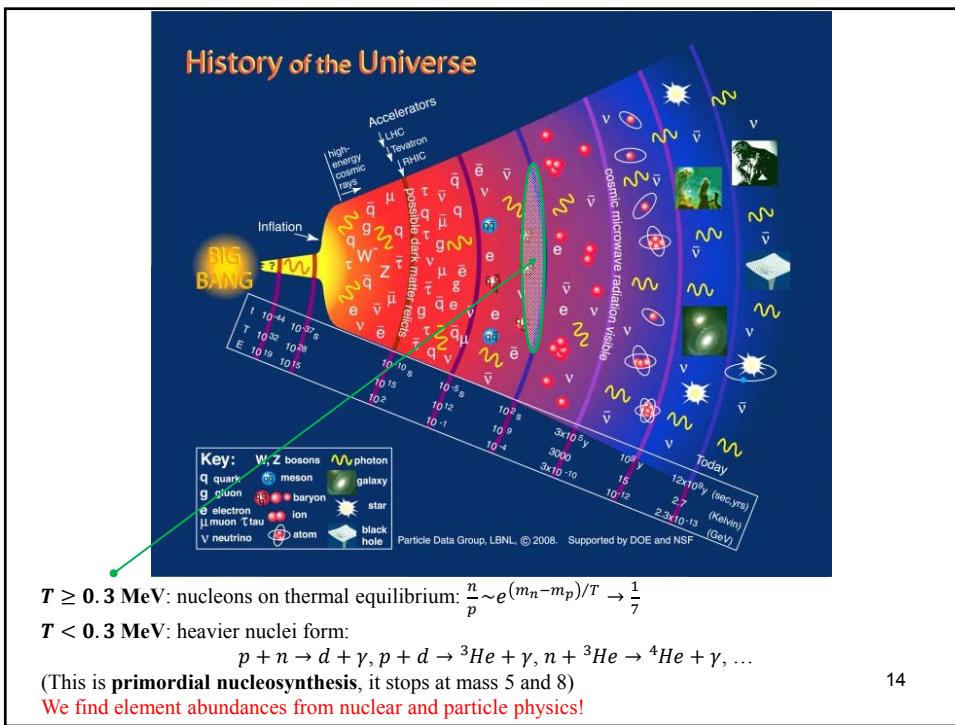
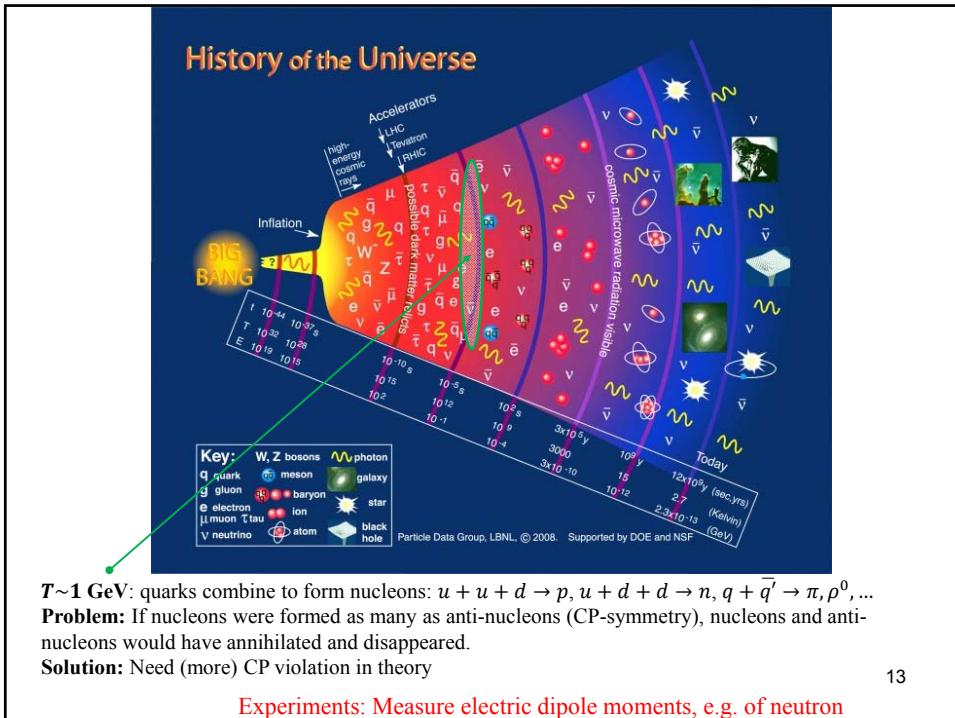
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Search for Standard Model Parameters

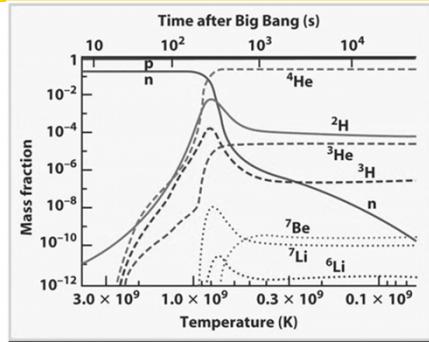


History of the Universe

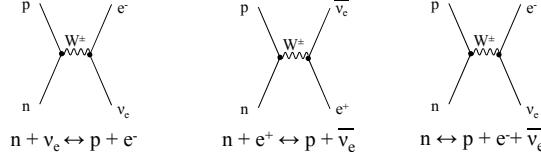




Neutron beta decay data in Primordial Nucleosynthesis



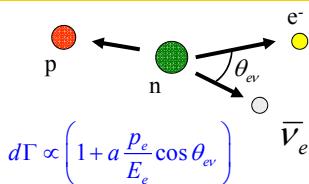
Reactions in equilibrium



Experimental input from fundamental physics with neutrons:

Stronger coupling constants in $n \leftrightarrow p$ reactions (as determined by neutron lifetime)
 \Rightarrow Phase transition later \Rightarrow nucleon density lower after phase transition \Rightarrow less ${}^4\text{He}$, more ${}^{15}\text{d}$

Idea of the $\cos \theta_{ev}$ spectrometer Nab @ SNS

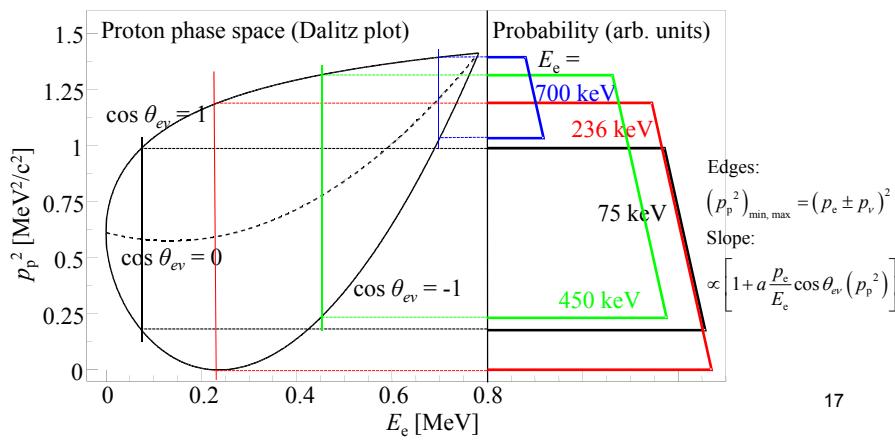


Kinematics in Infinite Nuclear Mass Approximation:

• Energy Conservation: $E_\nu = E_{e,\max} - E_e$

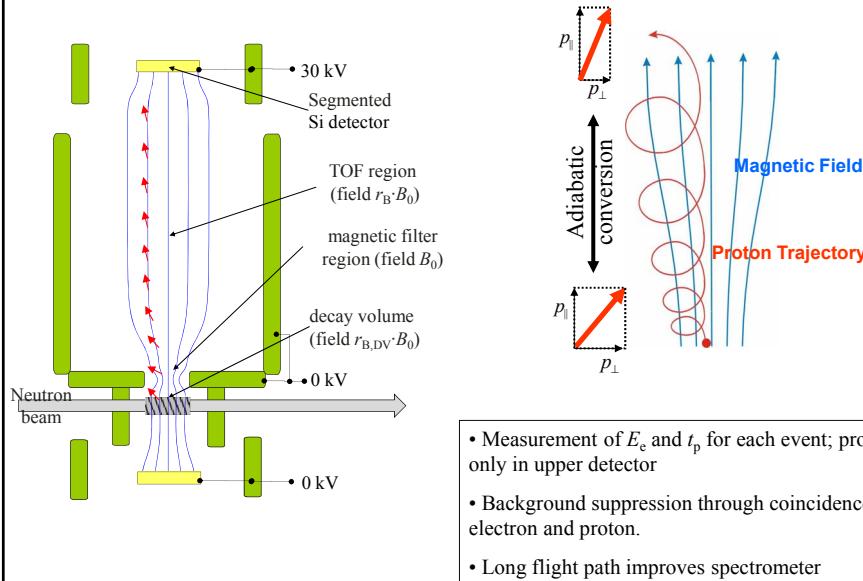
• Momentum Conservation

$$p_p^2 = p_e^2 + p_\nu^2 + 2 p_e p_\nu \cos \theta_{ev}$$

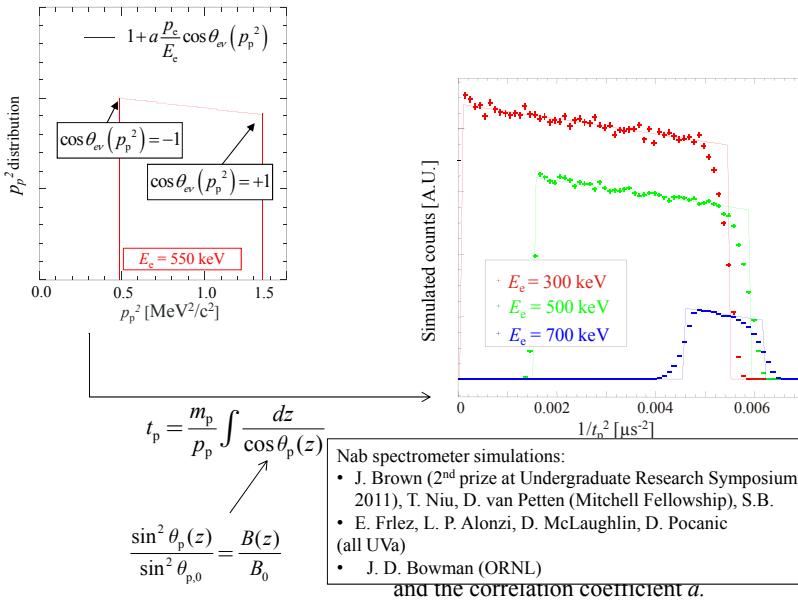


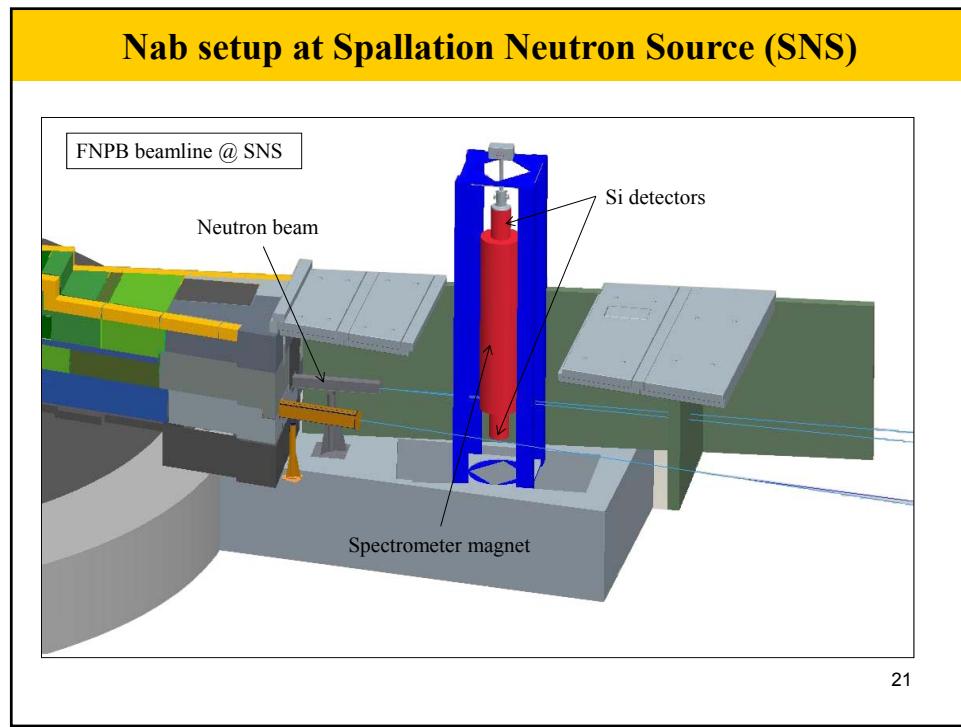
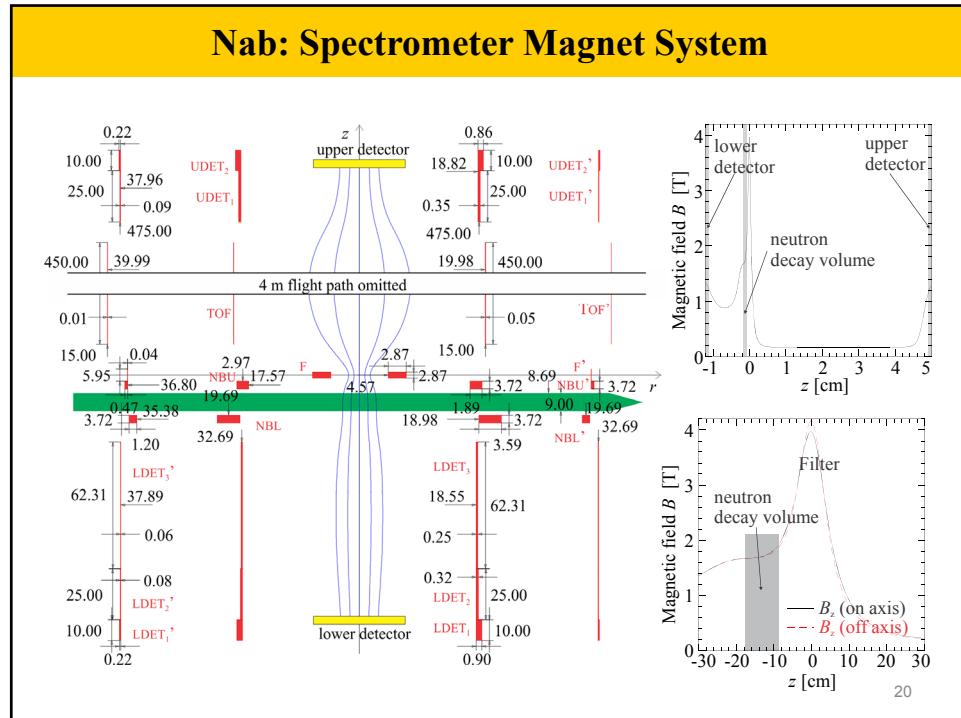
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Nab spectrometer principle: measurement of E_e and t_p

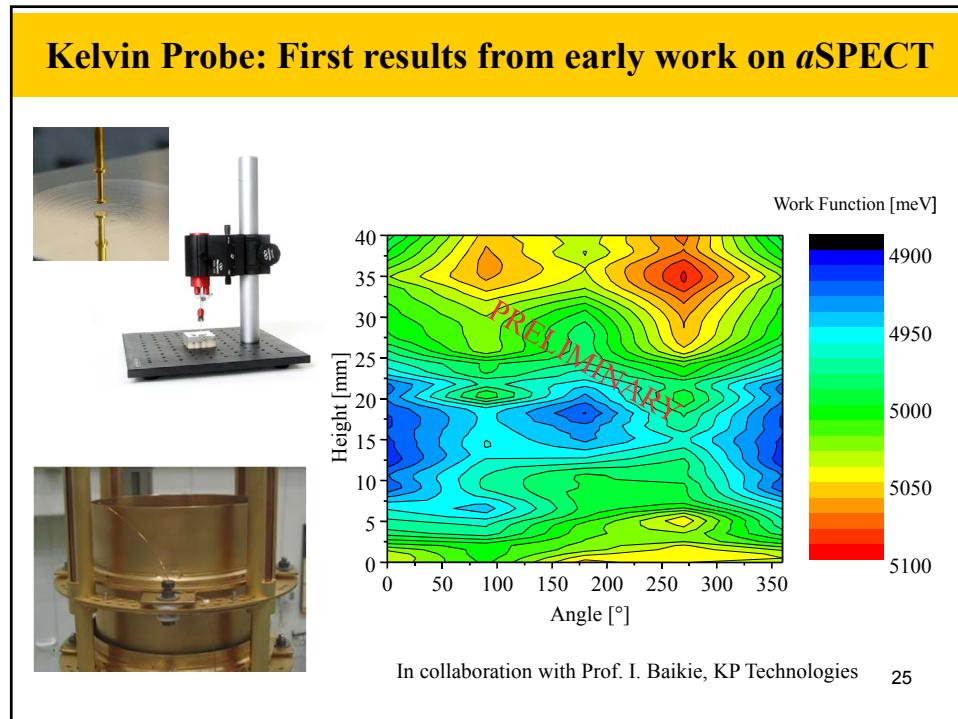


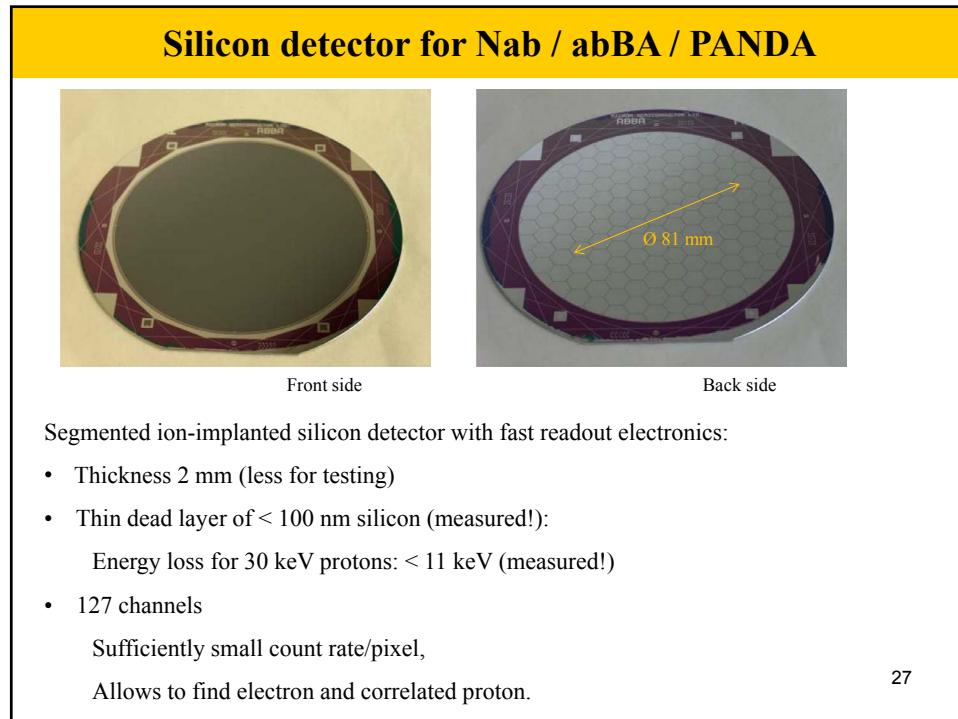
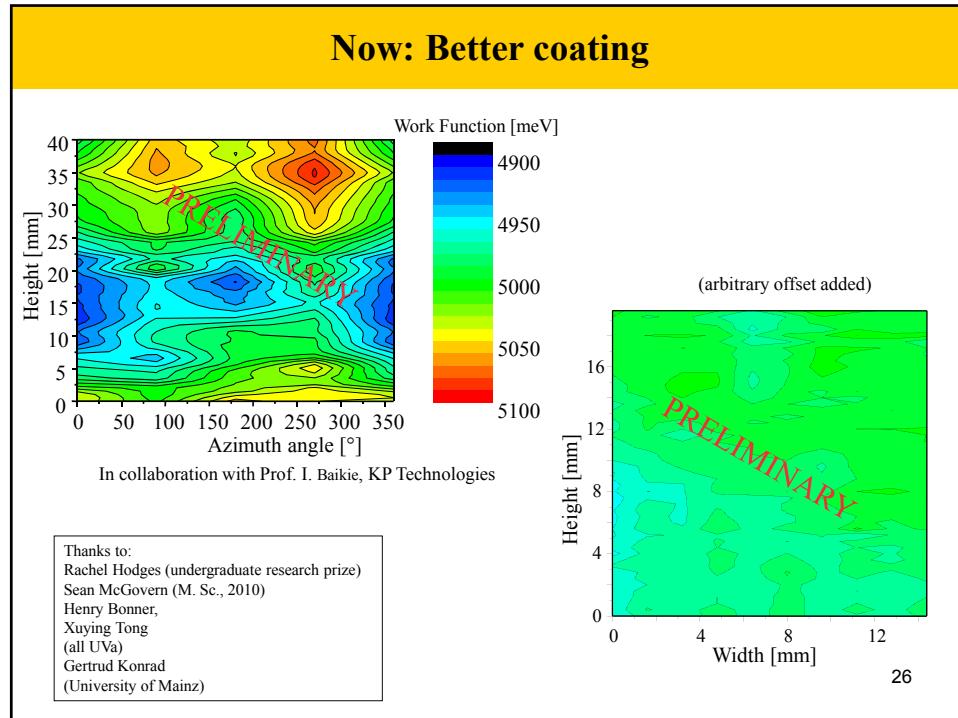
Extraction of a in Nab

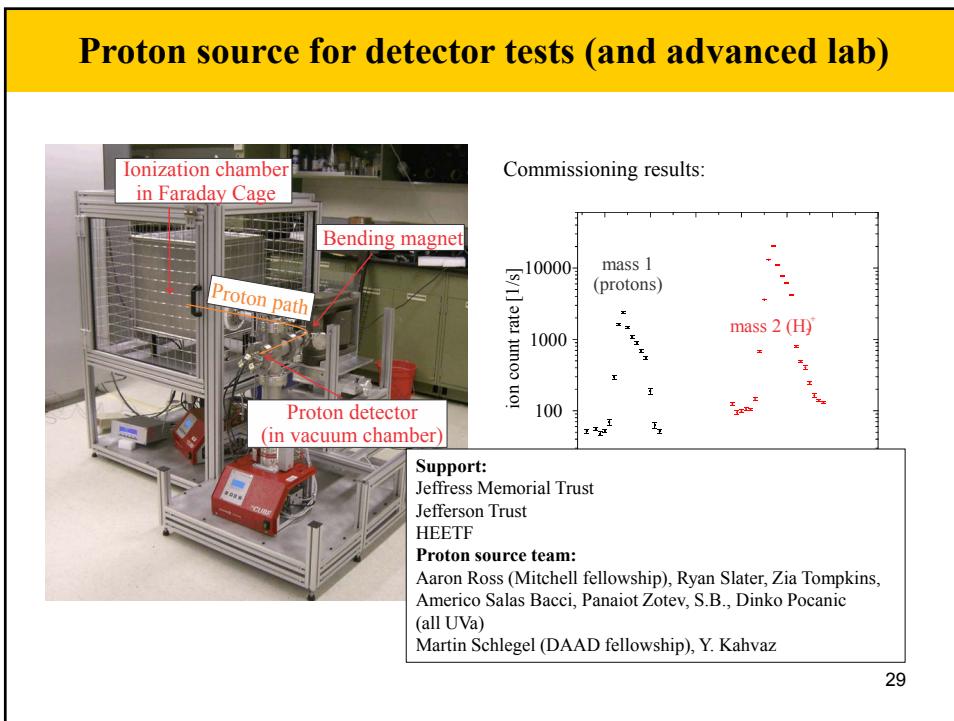
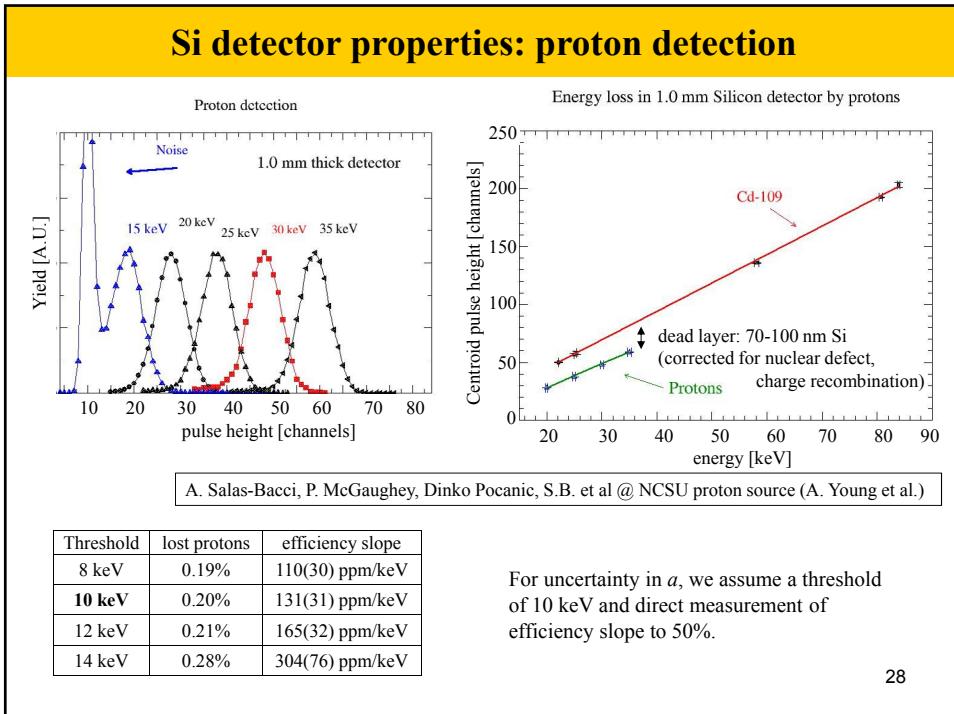


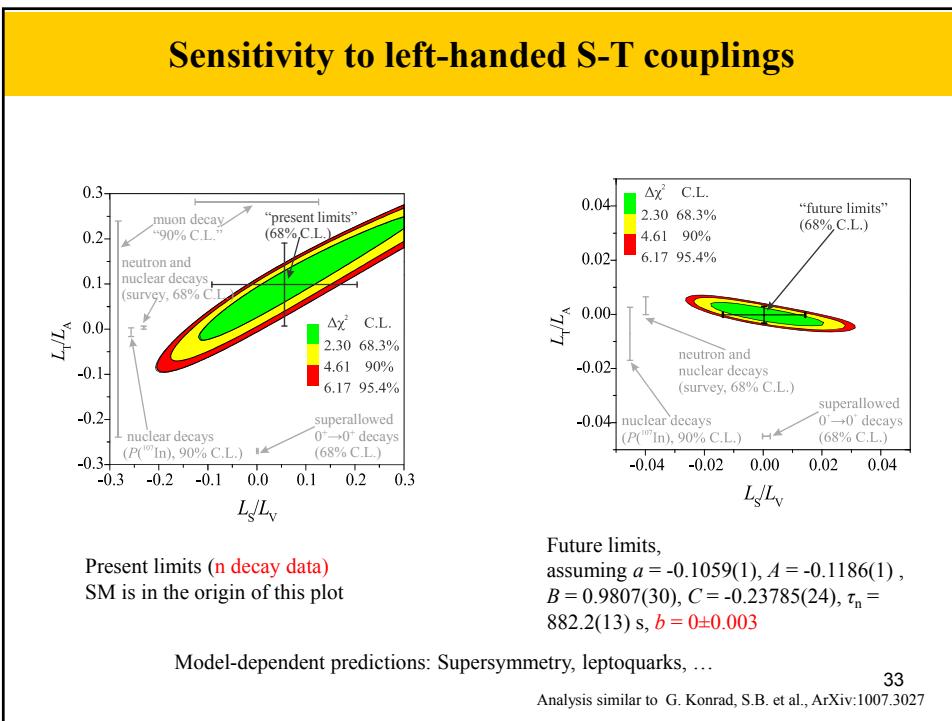
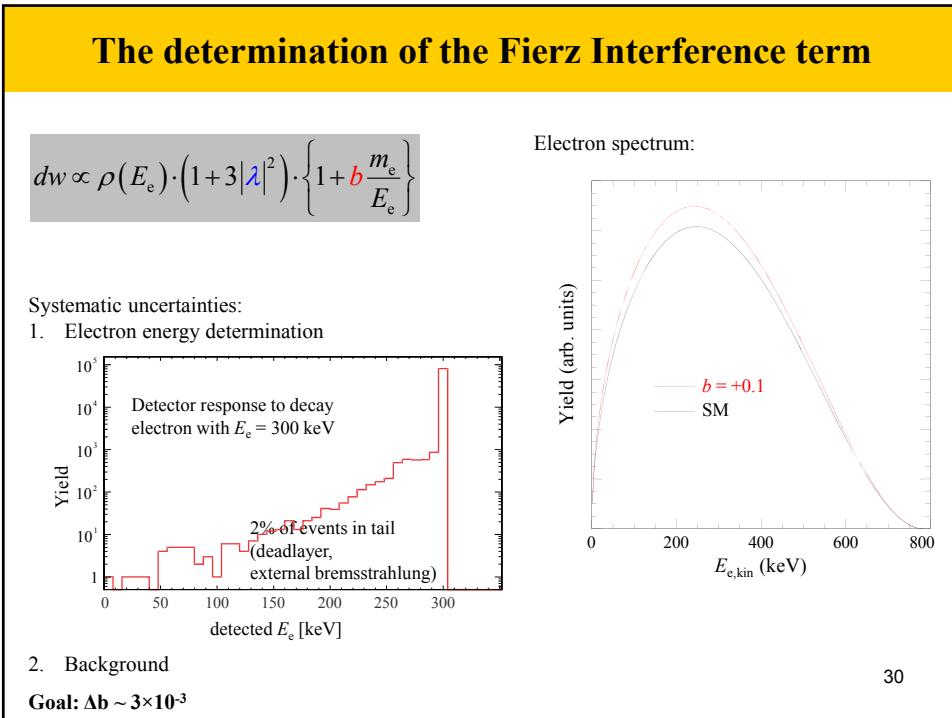


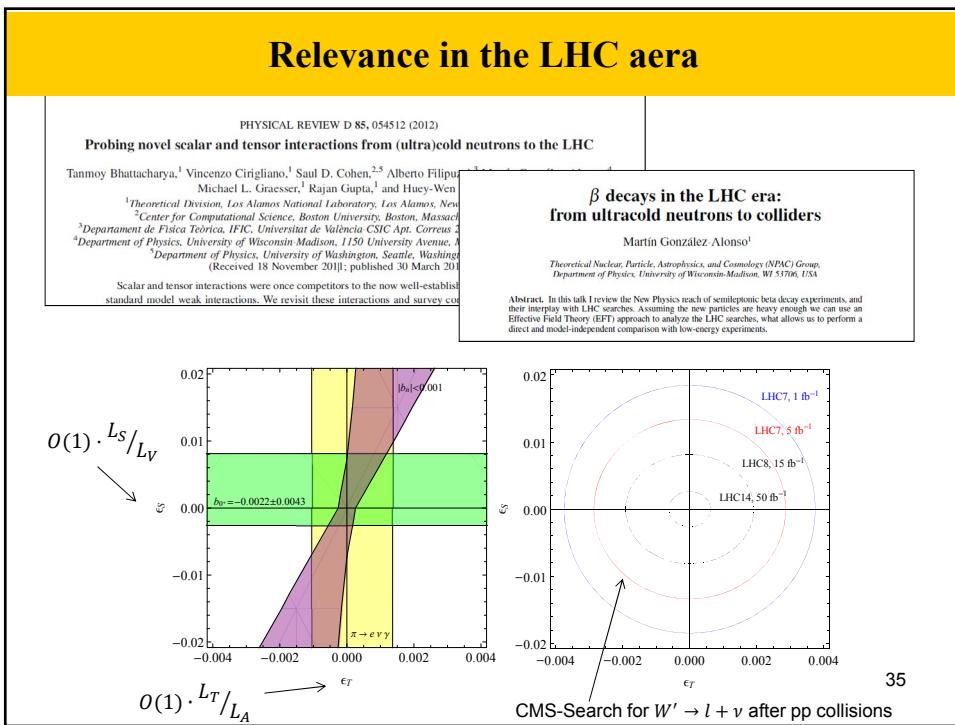
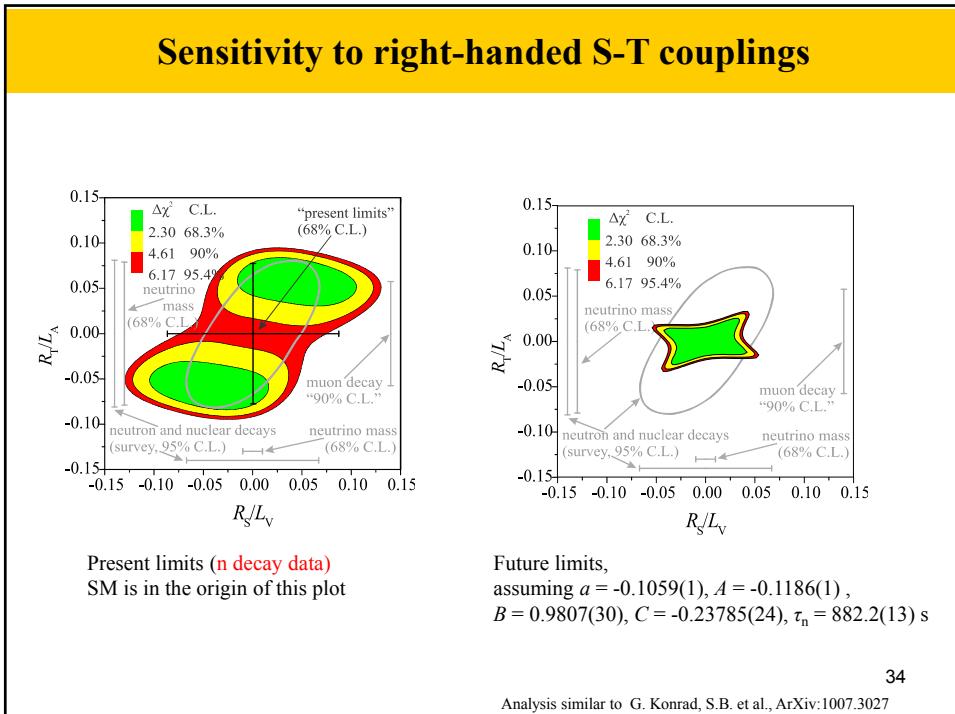
Uncertainty budget						
PLANNED statistical uncertainty budget:					PLANNED systematic uncertainty budget:	
lower E_e cutoff	none	100 keV	100 keV	300 keV	Experimental parameter	Systematic uncertainty $\Delta a/a$
upper t_p cutoff	none	none	40 μ s	40 μ s	Magnetic field	
Δ_a	2.4/ \sqrt{N}	2.5/ \sqrt{N}	2.5/ \sqrt{N}	2.6/ \sqrt{N}	... curvature at pinch	5·10 ⁻⁴
$\Delta_a (E_{\text{cal}}, I \text{ variable})$	2.5/ \sqrt{N}	2.6/ \sqrt{N}	2.7/ \sqrt{N}	2.7/ \sqrt{N}	... ratio $r_B = B_{\text{TOF}}/B_0$	2.5·10 ⁻⁴
$\Delta_a (E_{\text{cal}}, I \text{ variable, inner 70% of data})$	4.1/ \sqrt{N}	4.1/ \sqrt{N}	4.1/ \sqrt{N}	4.1/ \sqrt{N}	... ratio $r_{B,\text{DV}} = B_{\text{DV}}/B_0$	3·10 ⁻⁴
About 2×10 ⁹ events can be detected in 6 weeks (Decay volume $V = 246 \text{ cm}^3$, decay density $n_d = 20 \text{ cm}^{-3}$, 12.7 % of decay protons go to upper detector, 80% duty factor)					Length of the TOF region	(*)
$\rightarrow (\Delta a/a)_{\text{stat}} < 1 \times 10^{-3}$ can be reached					Electrical potential inhomogeneity:	
Compare to $\Delta a/a = 5 \%$ of existing experimental results					... in decay volume / filter region	5·10 ⁻⁴
					... in TOF region	1·10 ⁻⁴
					Neutron Beam:	
					... position	4·10 ⁻⁴
					... profile (including edge effect)	2.5·10 ⁻⁴
					... Doppler effect	small
					Unwanted beam polarization	can be made small
					Adiabaticity of proton motion	1·10 ⁻⁴
					Detector effects:	
					... Electron energy calibration	(*)
					... Electron energy resolution	5·10 ⁻⁴
					... Proton trigger efficiency	2.5·10 ⁻⁴
					Residual gas	small
					Background	small
					Accidental coincidences	small
					Sum	1·10⁻³











The Nab collaboration

R. Alarcon^a, L.P. Alonzi^b, S.B.^{b,c} (Project Manager), S. Balascuta^a, L. Barrón-Palosⁿ, J.D. Bowman^c (Co-Spokesmen), M.A. Bychkov^b, J. Byrne^d, J.R. Calarco^e, T. Chupp, T.V. Cianciolo^c, C. Crawford^f, E. Frlez^b, M.T. Gericke^g, F. Glück^b, G.L. Greene^{c,i}, R.K. Grzywaczⁱ, V. Gudkovⁱ, D. Harrison^g, F.W. Hersman^e, T. Ito^k, M. Makela^k, J. Martin^l, P.L. McGaughey^k, S. McGovern^b, S. Page^g, S.I. Penttilä^c (On-site Manager), D. Počanić^c (Co-Spokesmen), K.P. Rykaczewski^c, A. Salas-Bacci^b, Z. Tompkins^b, D. Wagner^f, W.S. Wilburn^k, A.R. Young^m

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Tasks of UVa group: Spectrometer design, Superconducting magnet, Electrodes, Magnetometry, Proton Source

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From the 2011 NSAC report about priorities in “Fundamental Physics with Neutrons”

Scientific Priorities

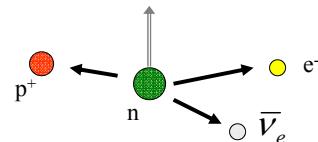
The principal *scientific* priorities found by the subcommittee, ranked in descending order, are:

- I. The search for a neutron electric dipole moment with the nEDM experiment.
- II. Continuation of the UCNA experiment to obtain improved precision on λ , the ratio of the weak axial-vector to vector coupling constants of the neutron.
- III. Completion of the NPDGamma experiment to obtain a precision measurement of the weak isovector nucleon-nucleon-pion coupling constant.
- IV. Investment in the Nab apparatus with the main goal to determine λ to unprecedented precision. **The only experiment that requires new funding**
- V. Continuation of the NIST experiment to perform the most precise cold beam-based measurement of the neutron lifetime.

We estimate that these five high priority initiatives might be accommodated within a scenario of funding at constant level of effort, though moderate additional funding may be required. The ranking indicates the priority with which each effort should be supported, in the event of funding below the constant level of effort. The priority of UCNA and NPDGamma should be considered comparable for this purpose.

(Constant effort is discussed in more detail on a later slide...)

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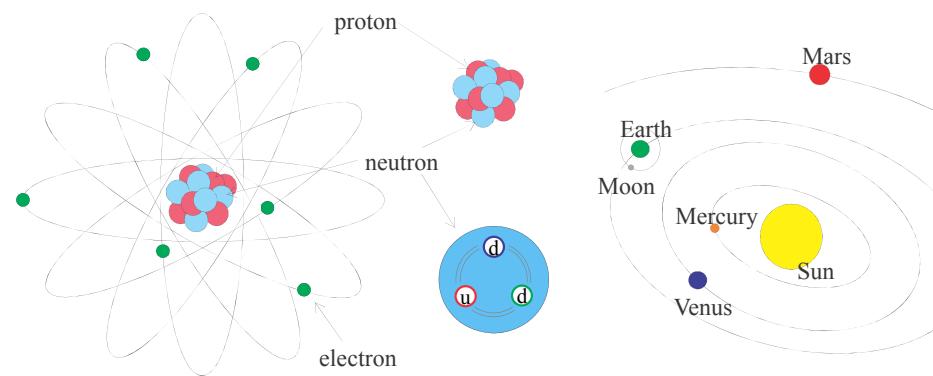


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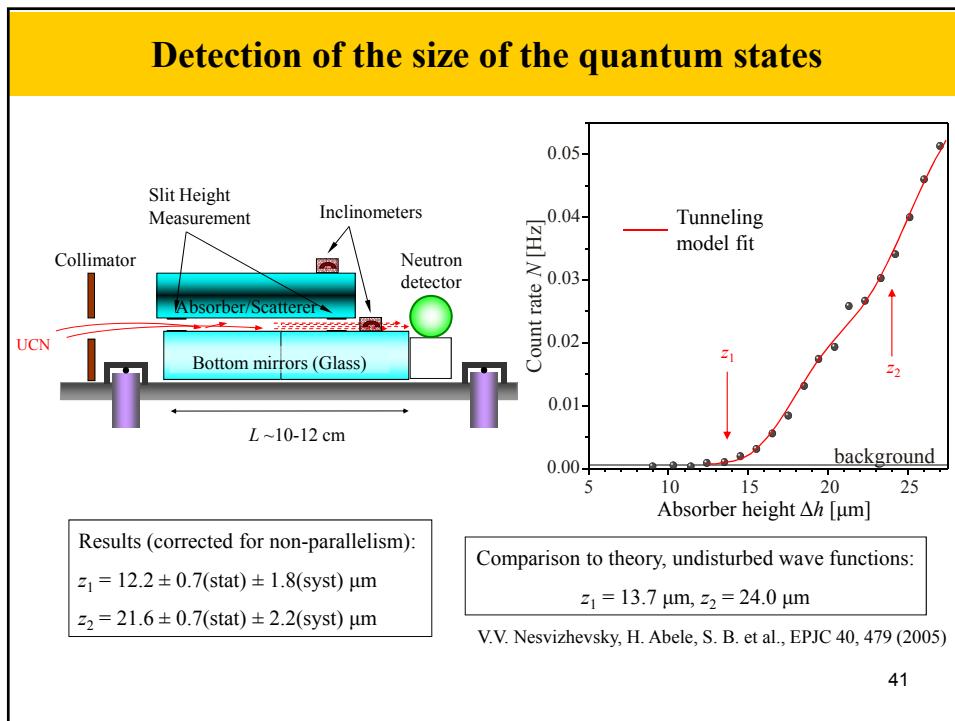
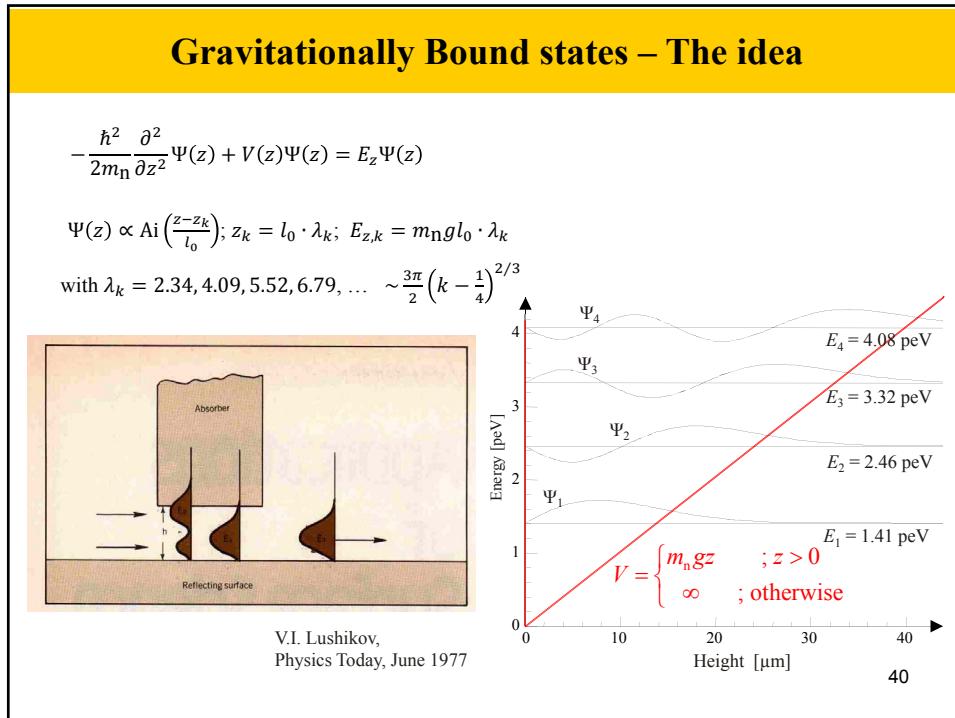
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Bound States in Physics

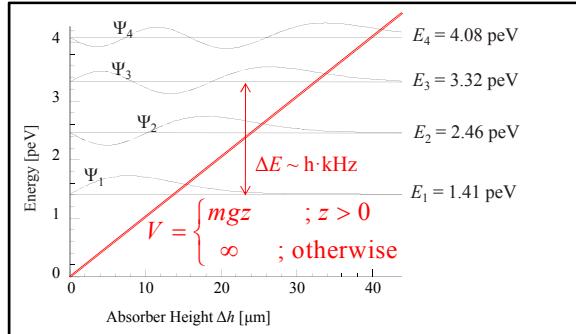


Responsible for binding:
 Electromagnetic interaction Strong interaction Gravitational interaction

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Development of gravity resonance spectroscopy



Accuracy of position-type observables: $\sim 10\%$

Improvement: do **spectroscopy**

Induce state transitions through:

- Oscillating magnetic field gradients
- Vibrations (\rightarrow QuBounce, H. Abele et al.)
- Oscillating Masses



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Resonance transitions = Rabi oscillations

Schroedinger equation: $H = \frac{\hbar^2}{2m_n} \frac{\partial^2}{\partial z^2} + m_n g z + V(z) \cdot \cos \omega t$
 H_0 , defines $|N\rangle, E_N = \hbar \omega_N$

Ansatz: $|\psi(t)\rangle = \sum_{N=1} \mathbf{a}_N(t) e^{-i\omega_N t} |N\rangle$ with $H_0 |N\rangle = \hbar \omega_N |N\rangle$

Insert in Schroedinger equation, restrict to 2 states "1" and "3":

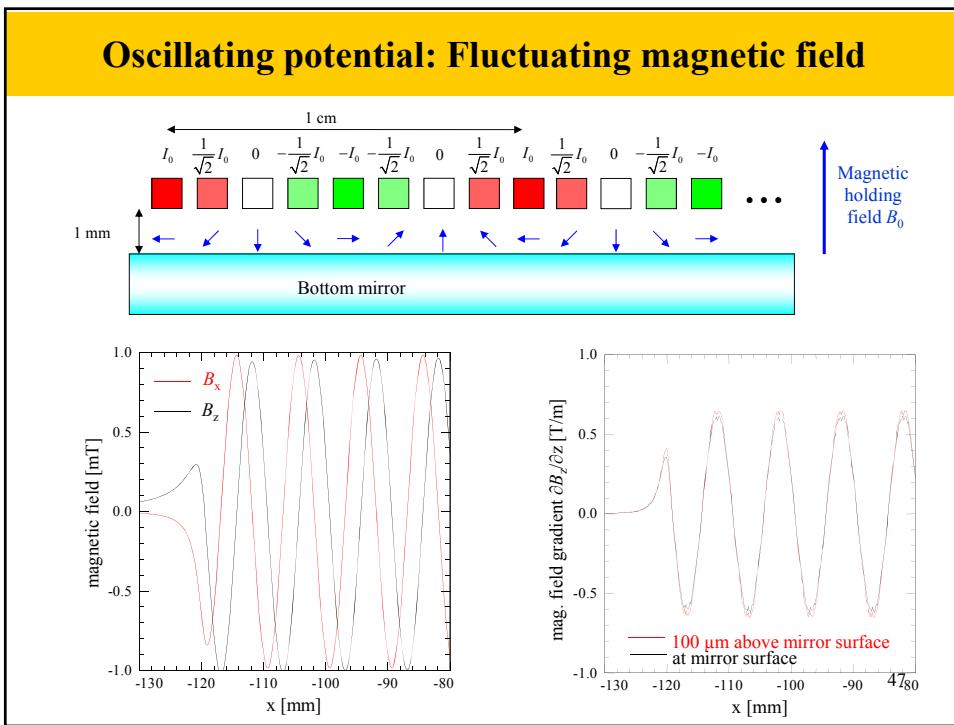
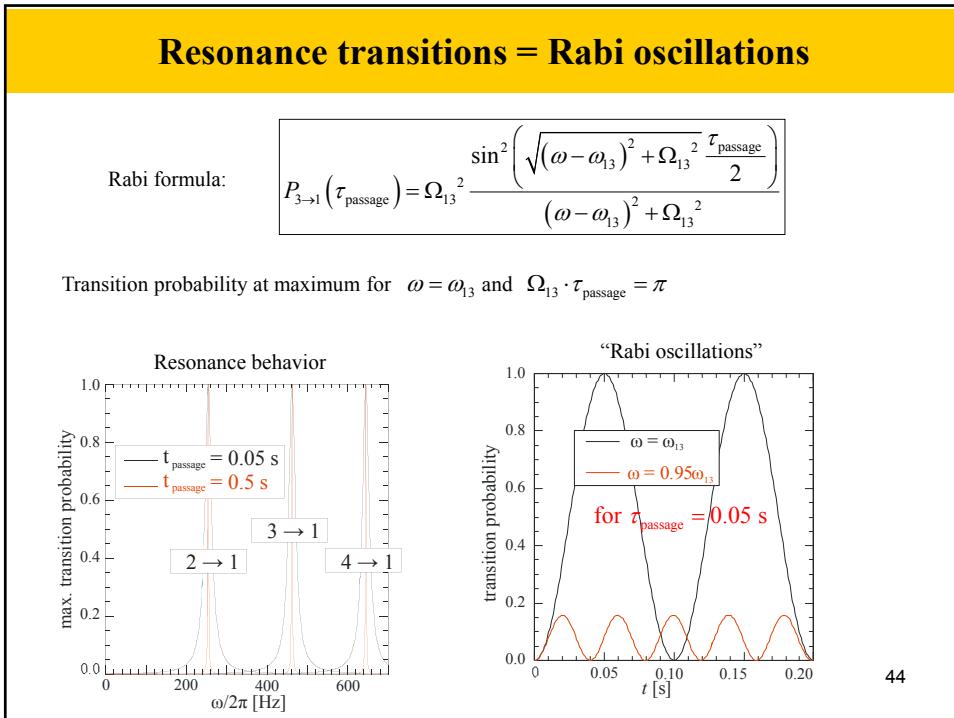
$$\begin{aligned} \hbar \Omega_{13} &= \langle 1 | V(z) | 3 \rangle & \omega_{13} &= \omega_3 - \omega_1 & \hbar \Omega_{11} &= \langle 1 | V(z) | 1 \rangle \\ i\hbar \frac{d\mathbf{a}_3(t)}{dt} &= \Omega_{13} \mathbf{a}_1(t) e^{-i\omega_{13} t} \cos \omega t + \Omega_{33} \mathbf{a}_3(t) \cos \omega t & & & & \\ i\hbar \frac{d\mathbf{a}_1(t)}{dt} &= \Omega_{13} \mathbf{a}_3(t) e^{+i\omega_{13} t} \cos \omega t + \Omega_{11} \mathbf{a}_1(t) \cos \omega t & & & & \hbar \Omega_{33} = \langle 3 | V(z) | 3 \rangle \end{aligned}$$

Neglect fast self coupling and fast oscillating terms:

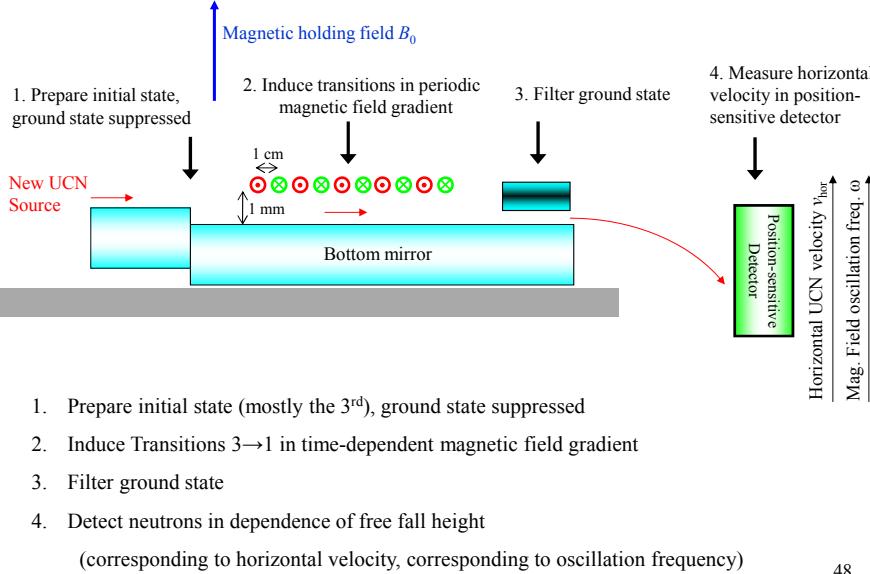
Rabi formula:

$$P_{3 \rightarrow 1}(\tau_{\text{passage}}) = \Omega_{13}^2 \frac{\sin^2 \left(\sqrt{(\omega - \omega_{13})^2 + \Omega_{13}^2} \frac{\tau_{\text{passage}}}{2} \right)}{(\omega - \omega_{13})^2 + \Omega_{13}^2}$$

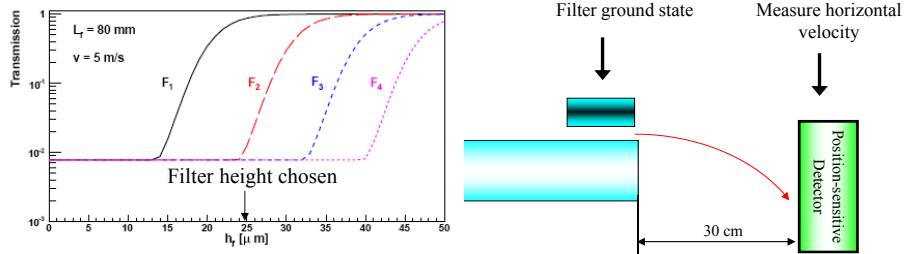
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First setup to detect magnetically induced resonance transitions in flow-through mode



Velocity-selective detection

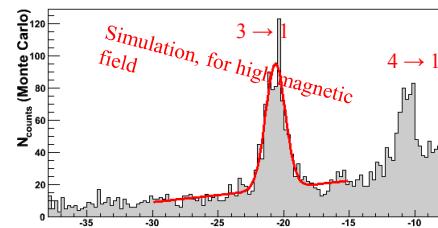


Monte-Carlo-Simulation, takes into account:

- 10000 incoming neutrons per incoming state
- Background: 10% in ground state
- Filter: 80 mm long, slit height: 25 μm
- Wave function evolves in free fall
- Detector resolution: 0.2 mm

Not simulated: Interference effects, Stern-Gerlach shift

Main systematic effect: Geometry



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G. Pignol et al., Thesis UJF Grenoble, 2009

Systematic effects

- **3D description**

The previous discussion assumes time-dependent fields (so: reference frame of the incoming neutron). In reality, loss of energy in the vertical component is transferred into gain of energy in the horizontal component. We have proven that at estimated precision of $\Delta\omega_{13}/\omega_{13} \sim 10^{-3}$, both descriptions are equivalent.

S.B. et al., CRP 12, 707 (2011)

- **Depolarization:**

Need magnetic holding field of $B_0 = 13$ Gauss in order to stabilize spin.

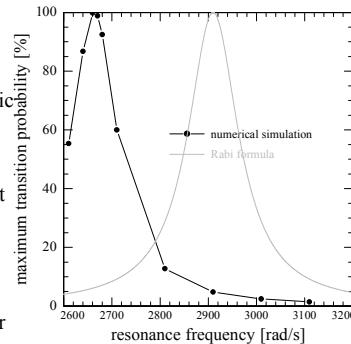
- **Stern-Gerlach shift:**

At moderate magnetic field, interplay between magnetic holding field \vec{B}_0 and rotating field with amplitude $|\vec{B}|$ and associated field gradient $\frac{\partial B_x}{\partial x}$ with amplitude β_x leads to spin-dependent frequency shift, that to the first non-vanishing order is given as

$$\Delta\omega_{13}/\omega_{13} \sim \pm \frac{\hbar\gamma_n}{6m_ng} \beta_x \cdot \frac{B}{B_0} + \dots$$

The sign of this term depends on the spin state, and our system can act as a UCN polarizer.

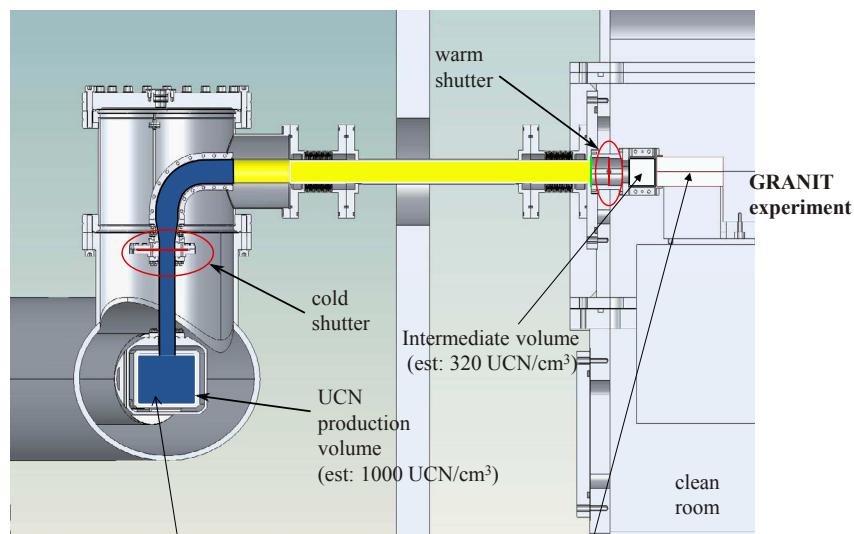
In addition, there is a slowing down of the transition frequency.



S.B. et al., to be published

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Installation of GRANIT: New UCN Source



O. Zimmer et al, arXiv:0708.1373v2

O. Zimmer et al, PRL 107, 134801 (2011)

Collimator channel optimization:

A. Mietke, V. Nesvizhevsky, S.B., et al.,
CRP 12, 729 (2012)

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Installation of GRANIT: In the clean room

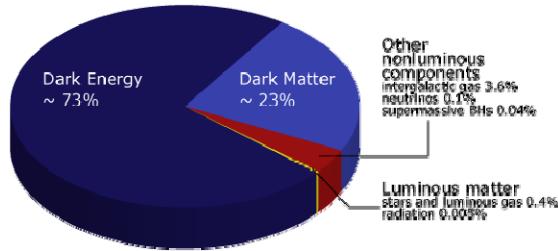


UVa contributors:
J. Prince, A. Mietke (DAAD fellowship), D. Morton, S.B. (vice spokesperson)

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probably dual use, interest for a UCN reflectometer

Search for Chameleon fields



Quintessence: Hypothetical scalar field φ that explains the accelerated expansion of the universe.

E.g., Potential density $V(\varphi) = \text{const} + \frac{\Lambda^{4+n}}{\varphi^n} + \dots$ with $\Lambda = 2.4 \text{ meV}$, $\varphi = \varphi(t)$

Chameleon field: Scalar field of the type above, position dependent, with a hypothetical coupling to matter (density ρ) of the type:

$$V(\varphi) = \text{const} + \frac{\Lambda^{4+n}}{\varphi^n} + \frac{\beta}{M_{Pl}} \rho \varphi \quad \text{with } \varphi = \varphi(t, \vec{x})$$

Relevant properties:

- Non-linear interaction, no superposition principle
- Self-shielding of macroscopic bodies: only outer shell of macroscopic bodies contributes to the force between macroscopic bodies (this evades constraints from torsion balance experiments)

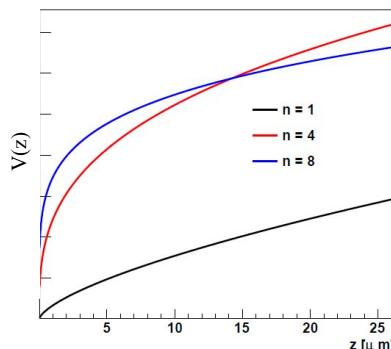
Search for Chameleon fields

Chameleon field above mirror, for high β :

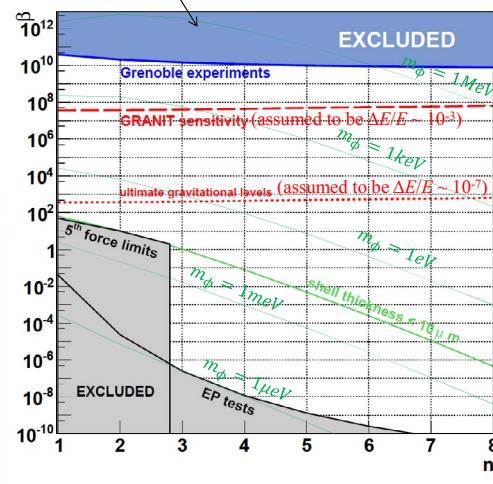
$$\varphi(z) = \Lambda \left(\frac{\Lambda z}{\hbar c} \right)^{2/2+n}$$

Consequence:

$$V(z) = \frac{\beta}{M_{\text{Pl}}} m \varphi$$



Excluded, high β would cause extra quantum state of UCN

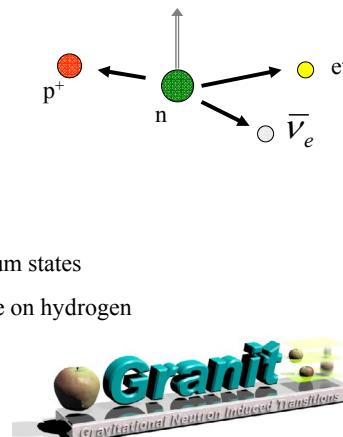


P. Brax, G. Pignol, PRL 107, 111301 (2011)

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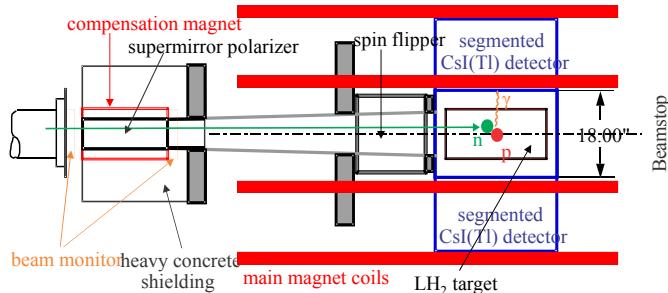
1. Production of Low Energy Neutrons
 2. Experiments with Low Energy Neutrons:
 - Neutron Beta Decay
 - Spectroscopy of gravitationally bound quantum states
 - Weak Hadronic Interaction in neutron capture on hydrogen
 3. Future plans



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npdgamma

Weak Hadronic Interaction in neutron capture on hydrogen:

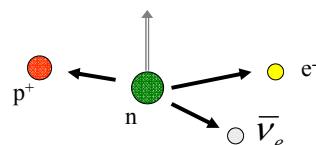


UVa contribution:

- A. Mietke, J. Schaedler, S. Schroeder (DAAD fellowships), J. Prince, S.B. (EC member and magnetic field subsystem manager)
- E. Askanazi, J. Hall, E. Frlez, D. Pocanic

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1. Production of Low Energy Neutrons
2. Experiments with Low Energy Neutrons:
 - Neutron Beta Decay
 - Spectroscopy of gravitationally bound quantum states
 - Weak Hadronic Interaction in neutron capture on hydrogen
3. Future research plans:
 - G-2: Responsibility for trolley magnetic field measurement in g-2 at Fermilab
 - nEDM: Purification of Helium, PULSTAR
 - Nab: can be used with polarized neutron beam (abBA, PANDA), ~2020
 - GRANIT: Use trapping mode to achieve ultimate accuracy

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Summary

- Fundamental physics with neutrons has many ways to make important discoveries
- Precision measurements take time
- Nab experiment promises to determine the coupling constants of weak interaction with high precision, allowing for Standard Model Tests and Searches for “Beyond the Standard Model”-physics
- GRANIT looks for new short-range interactions.

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