

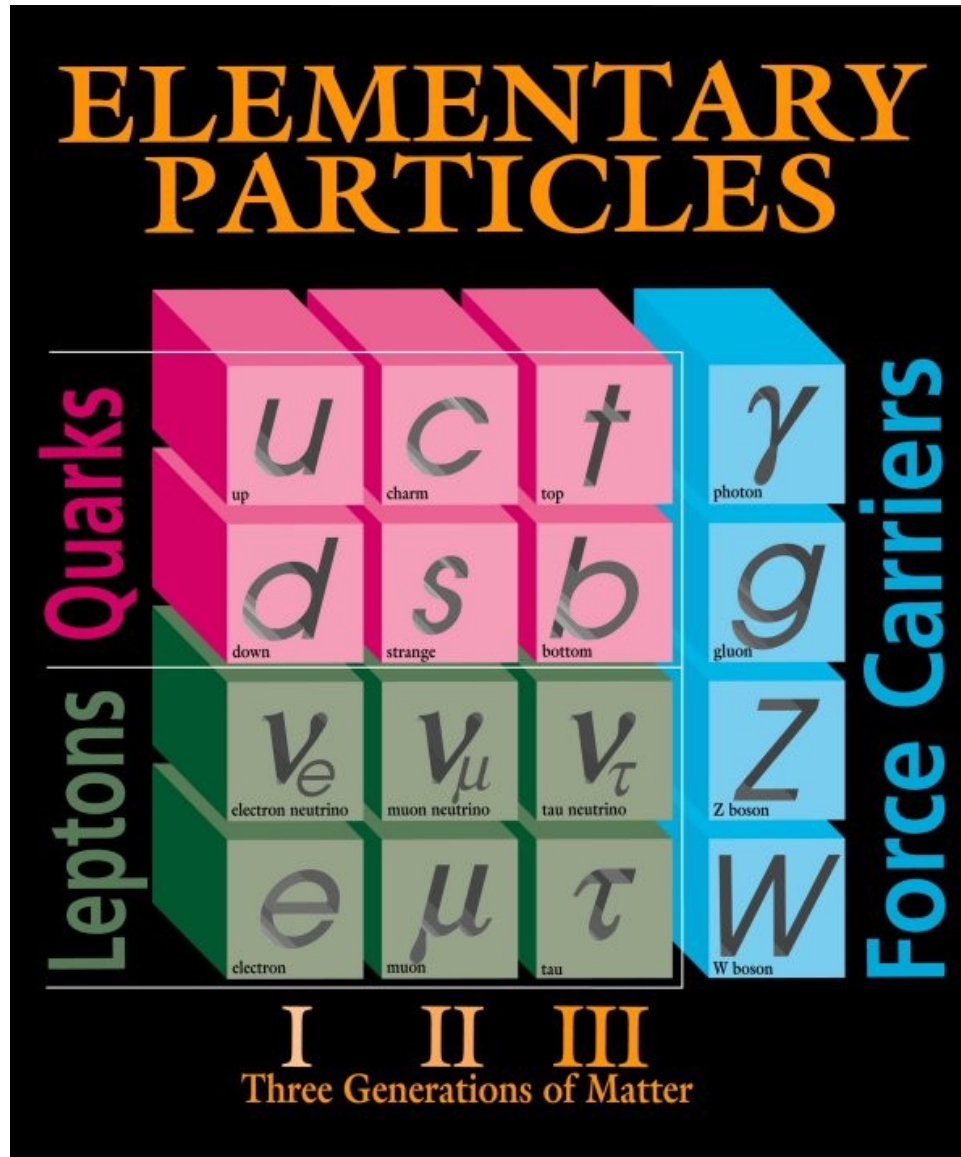


Recent Results of $\gamma + c + X$ and $\gamma + b + X$ Production Cross Sections at DØ

Dan Duggan
Florida State University



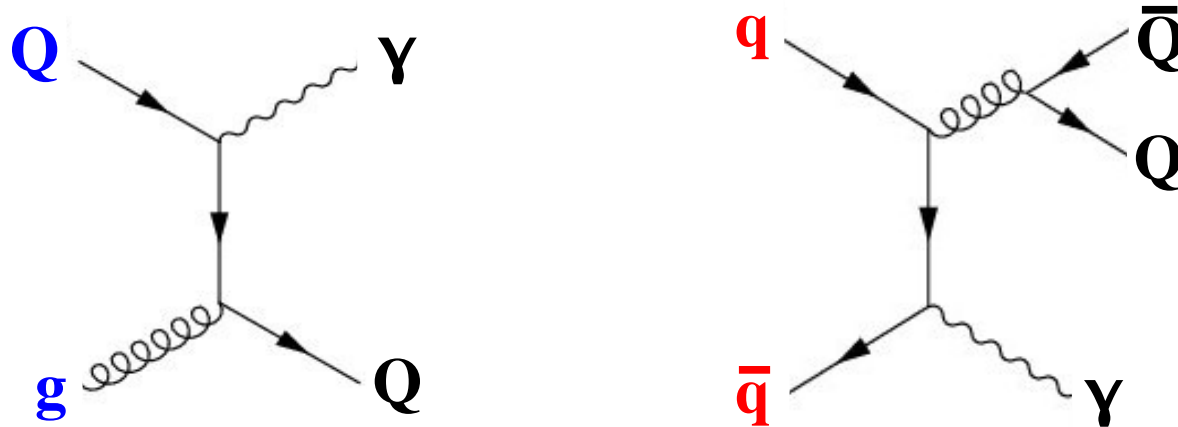
The Standard Model (SM)



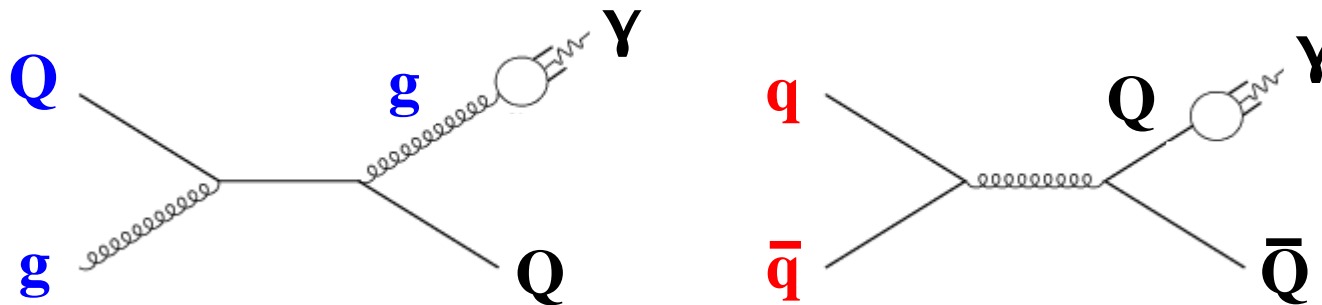
- The Standard Model (SM) describes the strong force
 - **Quantum Chromodynamics (QCD)**
- Three generations of particles (quarks and leptons)
- Bosons are the force carriers
 - **Photons $\Leftrightarrow$ Electromagnetism**
 - **Gluons $\Leftrightarrow$ Strong force**
- Charm and bottom are the heaviest flavors in the proton
 - **Sea quark contribution**

QCD Production

- What contributes to these cross sections?
- The final state is dominated by mainly two diagrams



- Additional leading order diagrams from fragmentation are **largely suppressed** by photon isolation requirements:

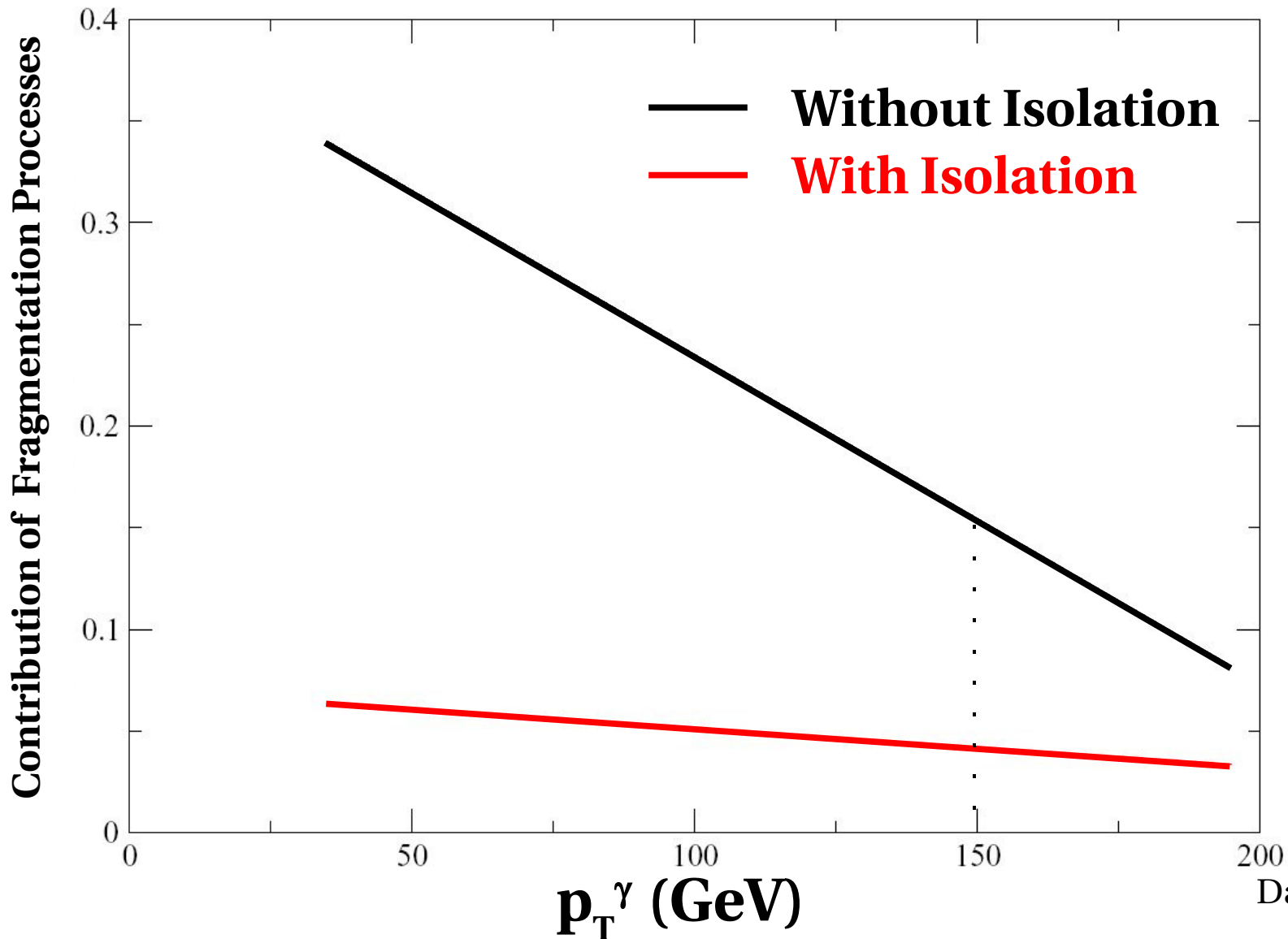




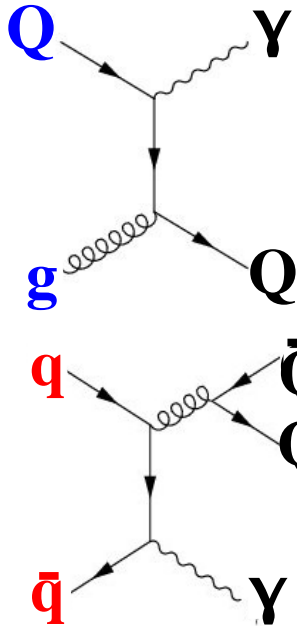
Factoring in Isolation

$$p + \bar{p} \rightarrow \gamma + b + X$$

$\sqrt{s} = 1.96 \text{ TeV}$

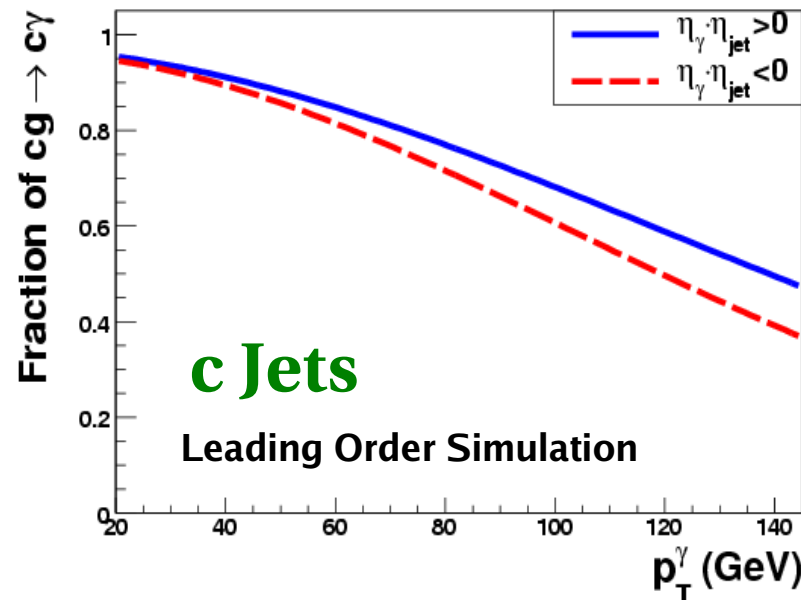
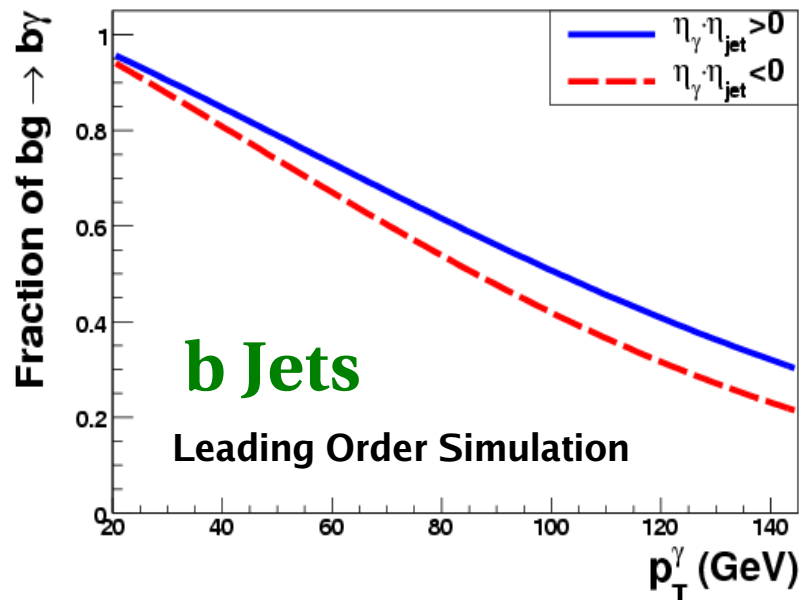


The Physics of QCD



- The Compton-like scattering diagram
 - **Heavy flavor quark** comes from the incident parton
 - **Provides possible important constraints to PDFs**
 - **Tests the evolution of pQCD as a function of p_T^γ**
- The quark-antiquark annihilation diagram
 - **Heavy flavor quark** comes from gluon splitting
 - **Dominates for p_T^γ larger than ~ 100 GeV**

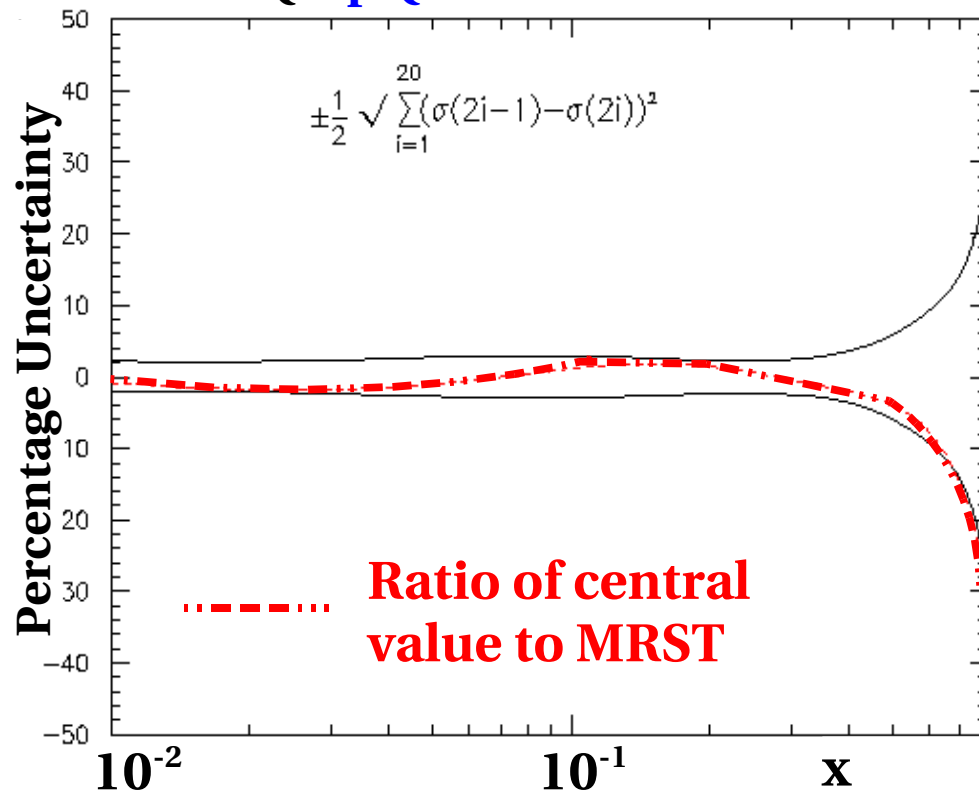
Fraction of Events from Compton-like scattering



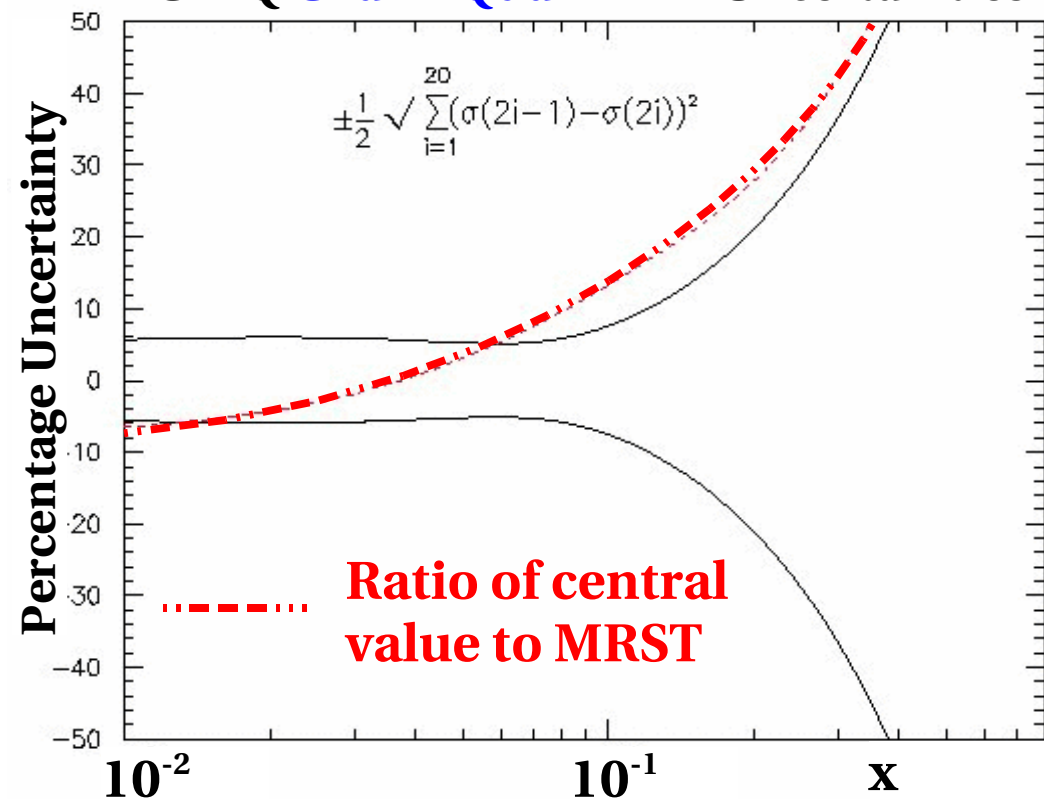
Current PDF Uncertainties

- **Sensitive** to the **charm, bottom, and gluon** content of the proton and antiproton
- These PDFs are **under-constrained** by experimental data

CTEQ Up Quark PDF Uncertainties



CTEQ Charm Quark PDF Uncertainties

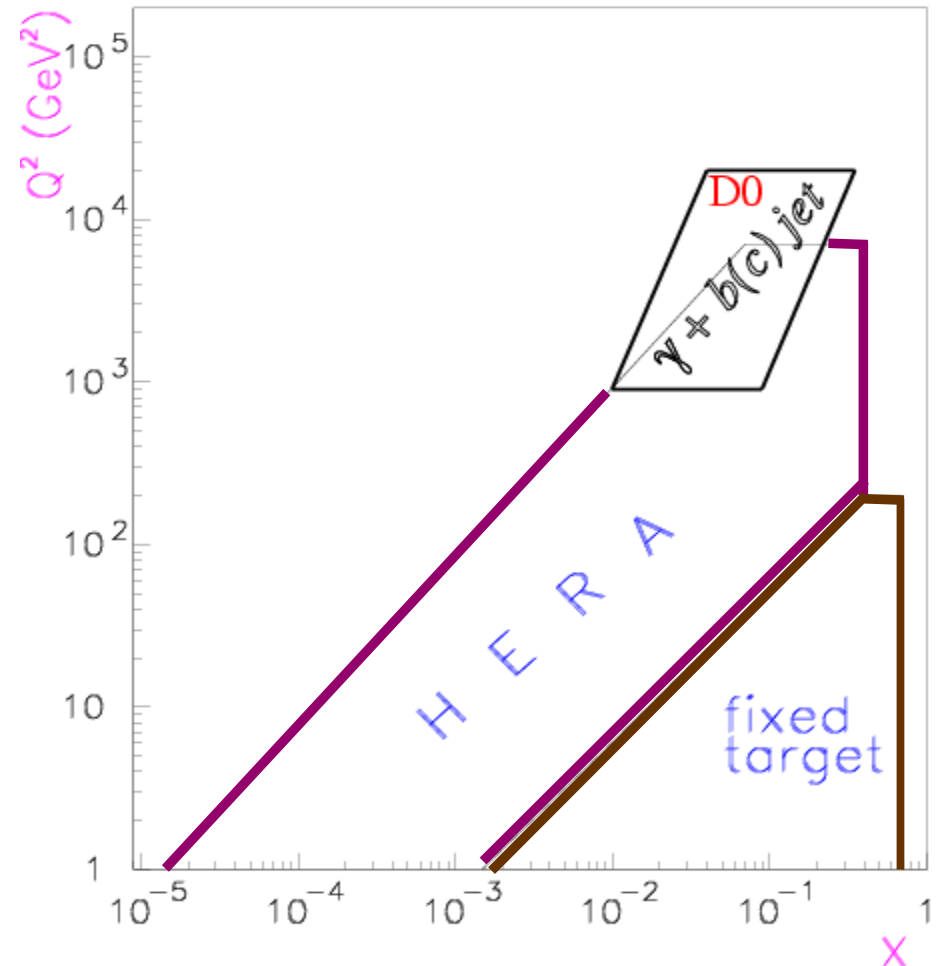


Uncharted Territories

- Sensitive to previously unexplored regions of x - Q^2 phase space

$$Q^2 \approx (p_T^\gamma)^2, \quad x = \frac{\text{parton } \bar{p}}{\text{proton } p}$$

- For our measurement, we can probe the phase space:
 - $9 \times 10^2 < Q^2 < 2 \times 10^4 \text{ GeV}^2$
 - $0.01 < x < 0.3$

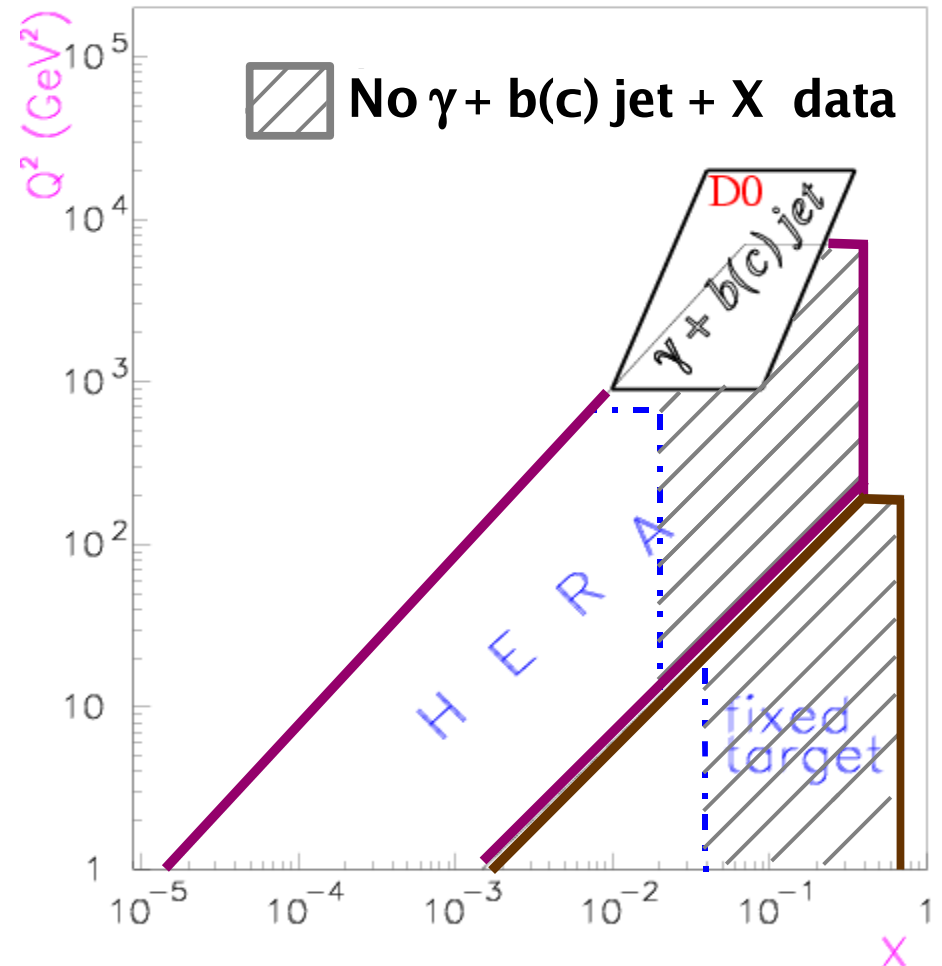


Uncharted Territories

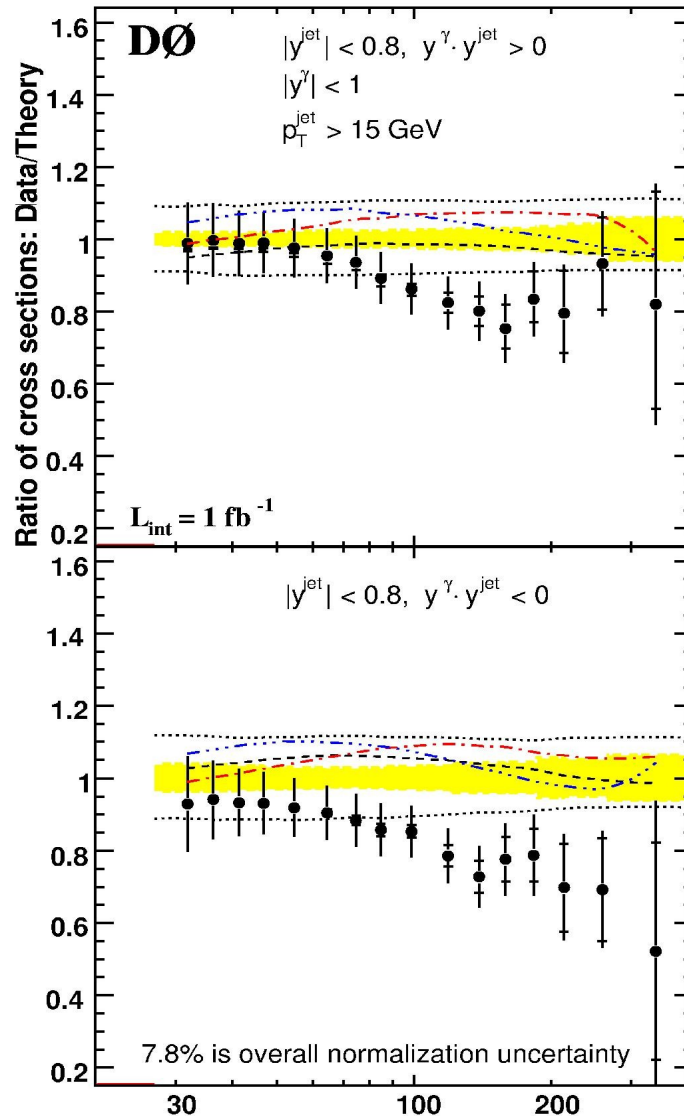
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- For our measurement, we can probe the phase space:
 - $9 \times 10^2 < Q^2 < 2 \times 10^4 \text{ GeV}^2$
 - $0.01 < x < 0.3$
- Compared to HF production at HERA:
 - Maximum Q^2 is $\sim 650 \text{ GeV}^2$
 - Maximum x value is ~ 0.02 (Different initial states)



Building on the Past



Photon + jet measurement

Regions derived from respective rapidities of the jet and photon

Data/theory disagreement

Disagreement varies as a function of **both** photon p_T and the rapidity of the photon-jet system

No change of scale in theory results in agreement across all four regions

Analogous study can be made using **b jet + photon**

Cross Section Calculation

The differential photon + heavy flavor (b, c) jet cross section equation:

$$\frac{d^3\sigma}{dp_T^\gamma dy^\gamma dy^{\text{jet}}} = \frac{N_{\text{Events}} \mathcal{P}_{b(c)} \mathcal{P}_\gamma}{\Delta y^{\text{jet}} \Delta y^\gamma \Delta p_T^\gamma \epsilon_t \epsilon_s^\gamma \epsilon_s^{\text{jet}} \epsilon_{pv} \epsilon_b^{\text{jet}} \epsilon_{E_T^{\text{miss}}} \mathcal{L} \mathcal{A}}$$

What information do we need to experimentally measure the cross section?

- Differential** $\Rightarrow$ bins of rapidity and photon momentum (p_T)
- Luminosity** $\Rightarrow$ Number of total events from data sample
- Acceptance** $\Rightarrow$ Correction factor due to detector geometry
- # of Events** $\Rightarrow$ Number of remaining events after all selections imposed
- Efficiencies** $\Rightarrow$ Fraction of signal events passing selection criteria
- Purities** $\Rightarrow$ Fraction of signal events in final data sample

Cross Section Calculation

The differential photon + heavy flavor (b, c) jet cross section equation:

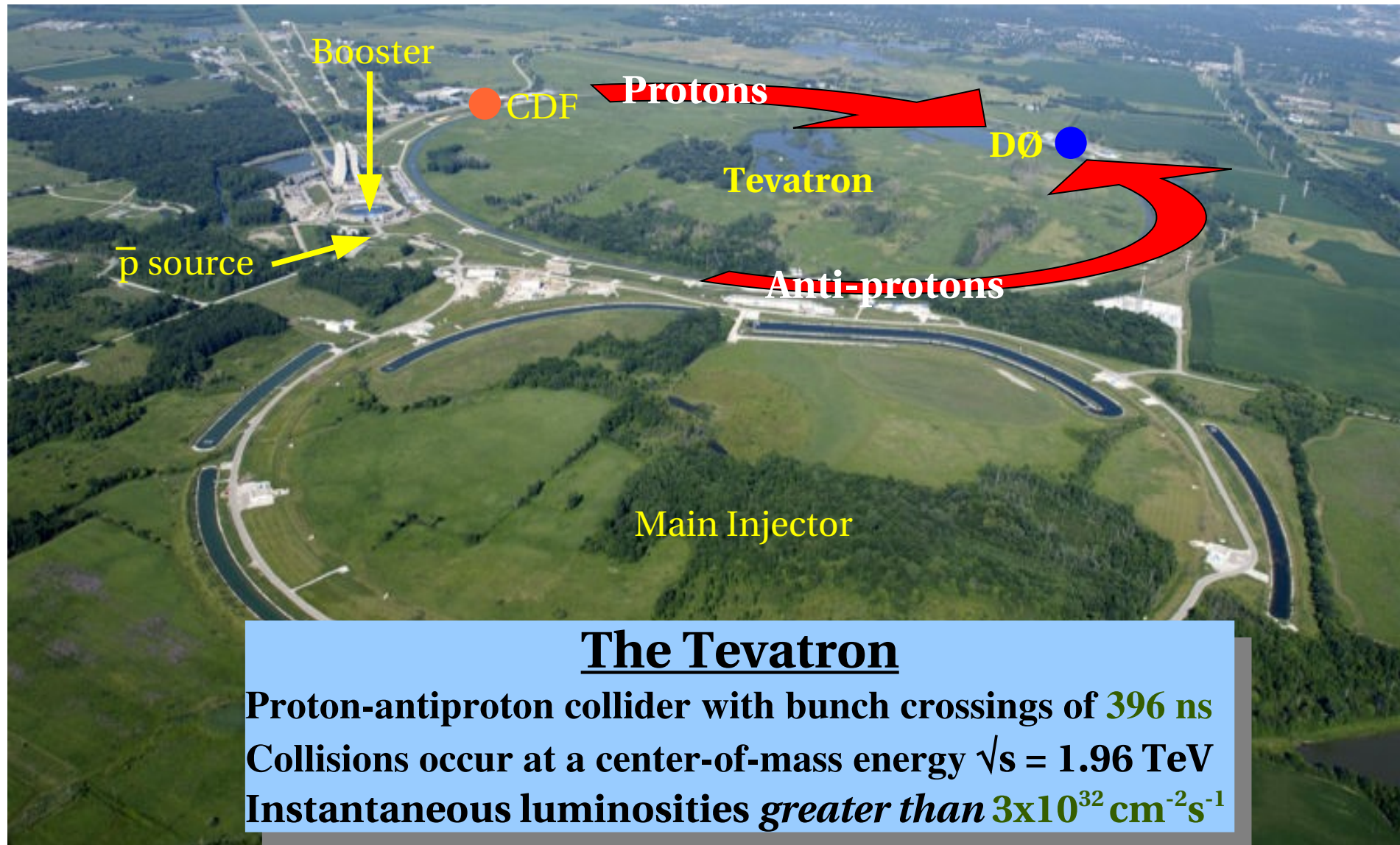
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Many studies have been done on all aspects of this measurement, but today I will focus on **object selection and purity estimation techniques**

The Tevatron at Fermilab



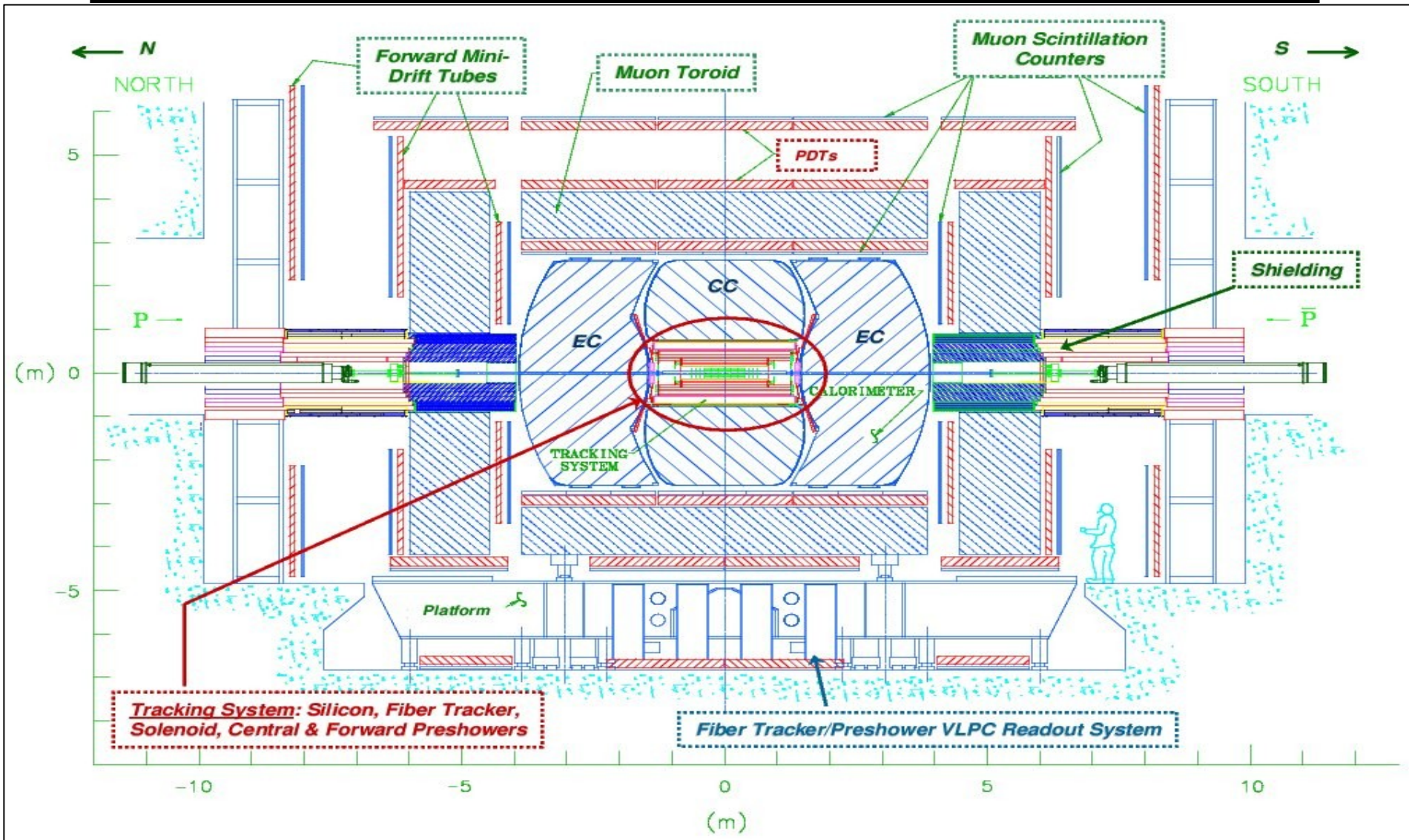
The Tevatron

Proton-antiproton collider with bunch crossings of **396 ns**

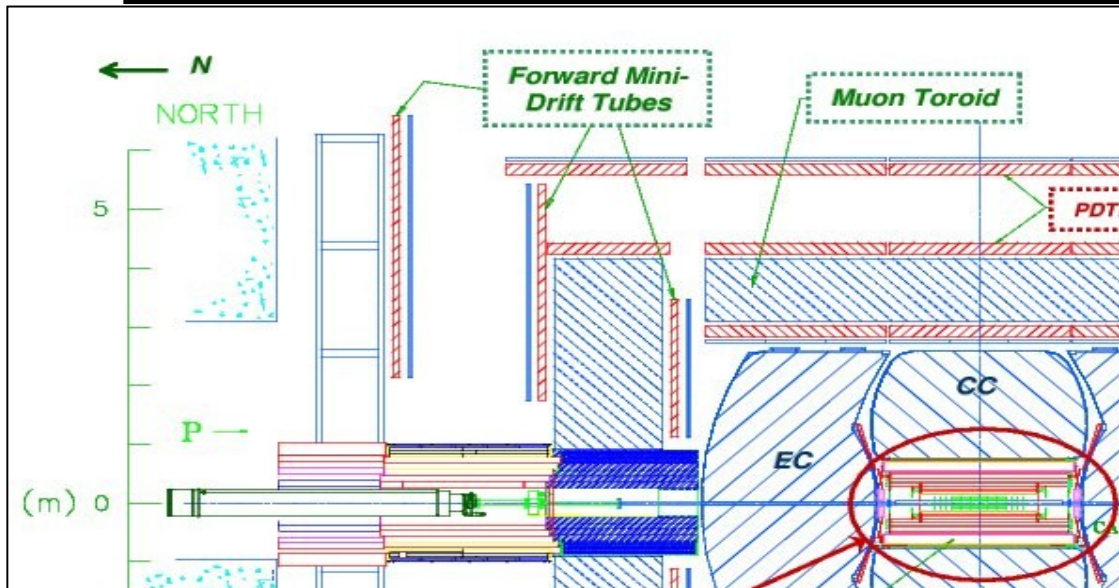
Collisions occur at a center-of-mass energy $\sqrt{s} = 1.96 \text{ TeV}$

Instantaneous luminosities *greater than* **$3 \times 10^{32} \text{ cm}^{-2} \text{ s}^{-1}$**

The DØ Detector



The DØ Tracking Systems



Silicon Microstrip Tracker

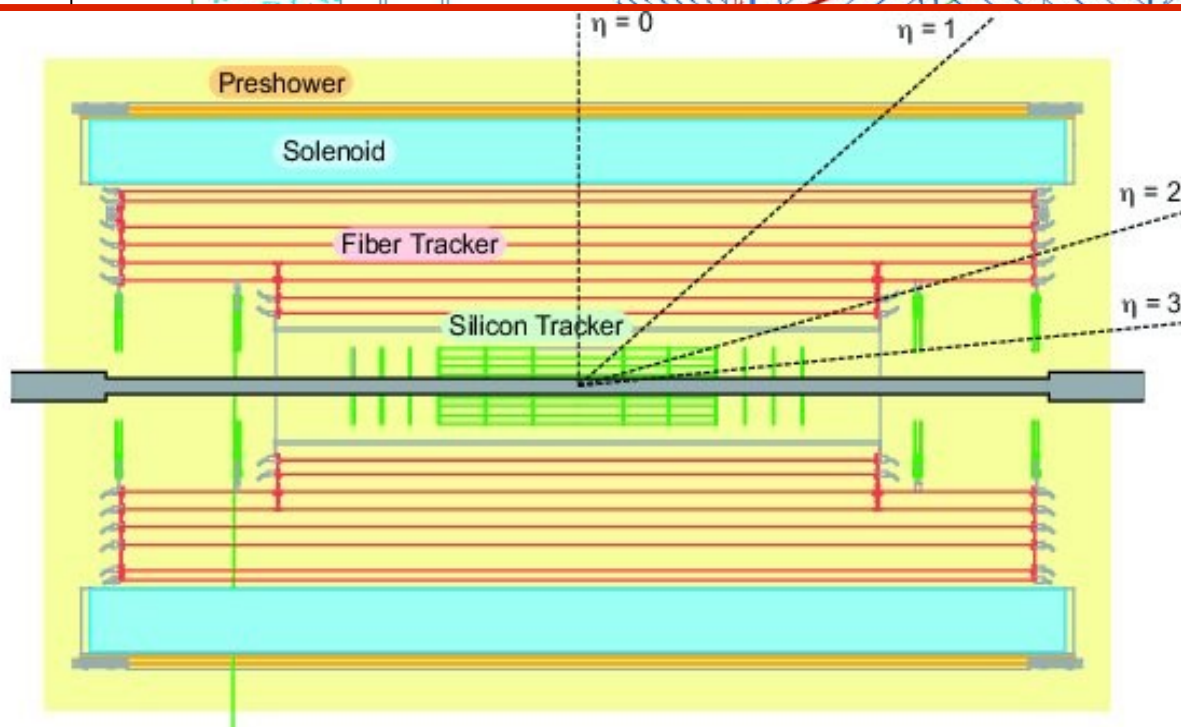
- ◆ ~800,000 readout channels
- ◆ 3-D track reconstruction near beam-pipe
- ◆ High η coverage ($\eta \sim 3$)

Central Fiber Tracker

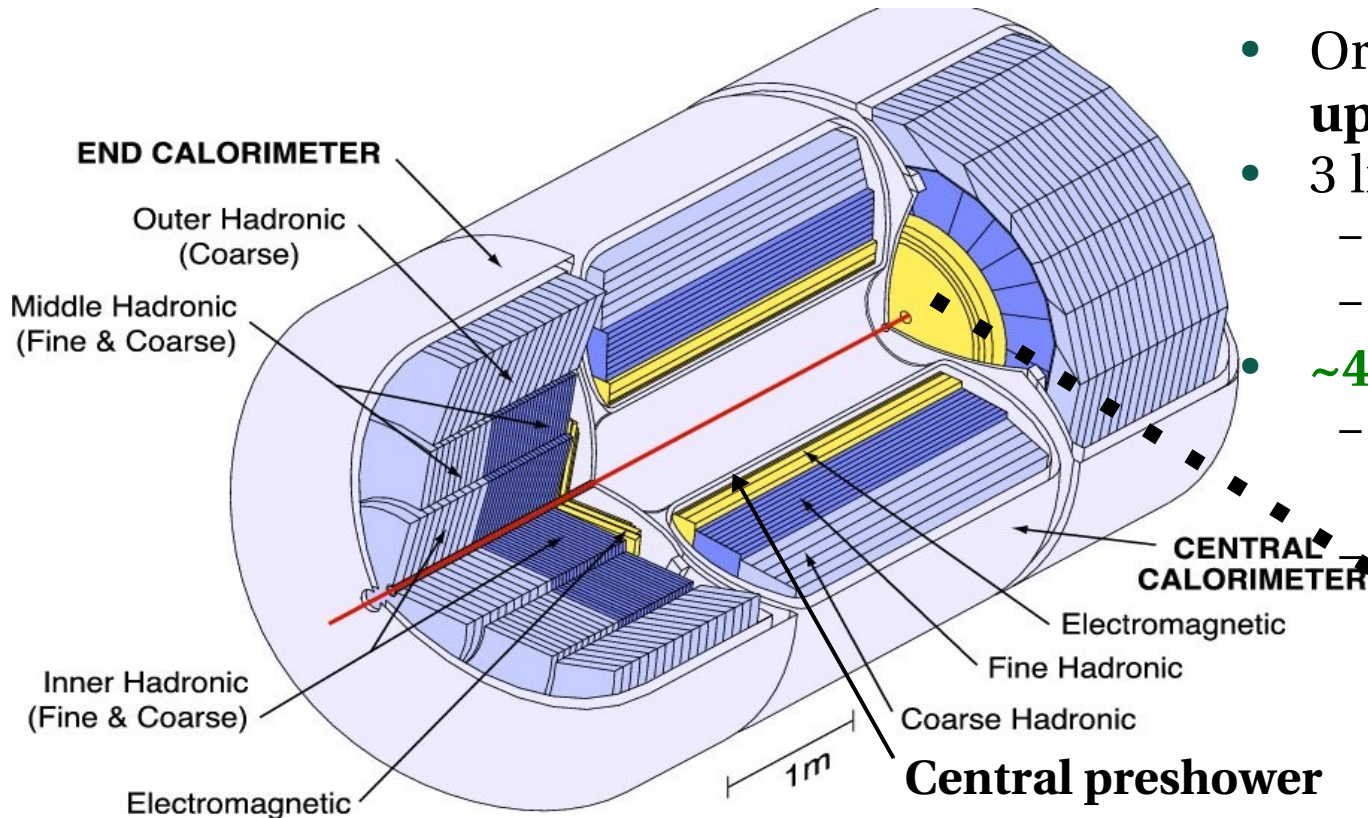
- ◆ 8 fiber superlayers each with 2 layers: 1 axial, 1 stereo
- ◆ Inside of 2 Tesla Solenoid

Central Preshower

- ◆ ~7700 readout channels
- ◆ 3 layers (1 axial, 2 stereo)

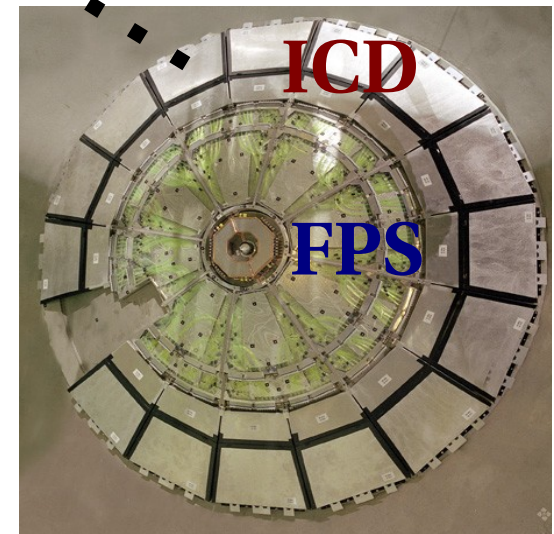


The DØ Calorimeter



- Original Run I detector **with upgraded electronics**
- 3 liquid argon cryostats
 - 1 central, 2 endcap
 - Hermetic coverage $|\eta| < 4.2$
- **~48,000 readout channels**
 - Longitudinal segmentation
 - 14 layers in total
- Up to 12 cells in a $(\eta-\phi)$ form pseudo-projective towers

- **Inter-Cryostat Detector (ICD)**
 - Provides scintillator-based coverage **between** central and endcap cryostats
- **Central(CPS) and Forward(FPS) Preshowers**
 - Additional particle position **and** energy measurements **before** calorimeter



Dan Duggan

Signature Selection

Photon candidate

$$p_T > 30 \text{ GeV}$$

$$|y^\gamma| < 1.0$$

Leading p_T jet

$$p_T > 15 \text{ GeV}$$

$$|y^{\text{jet}}| < 0.8$$

Differential $\Rightarrow$ Binning in p_T^γ , y^γ , and y^{jet} :

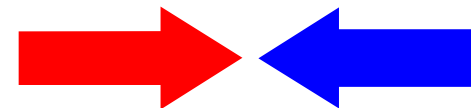
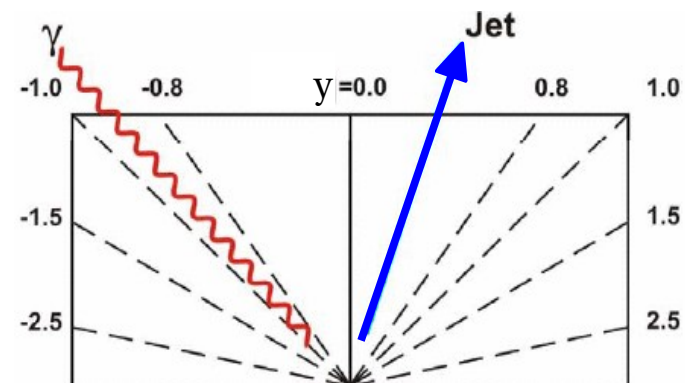
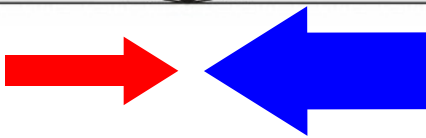
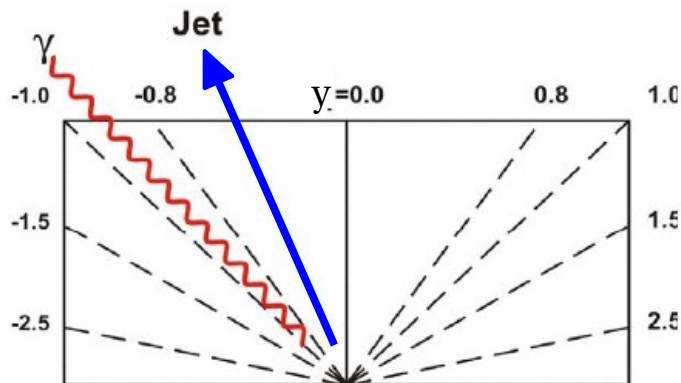
p_T^γ bins: 30 – 40, 40 – 50, 50 – 70, 70 – 90, 90 – 150 GeV

(No binning in jet p_T)

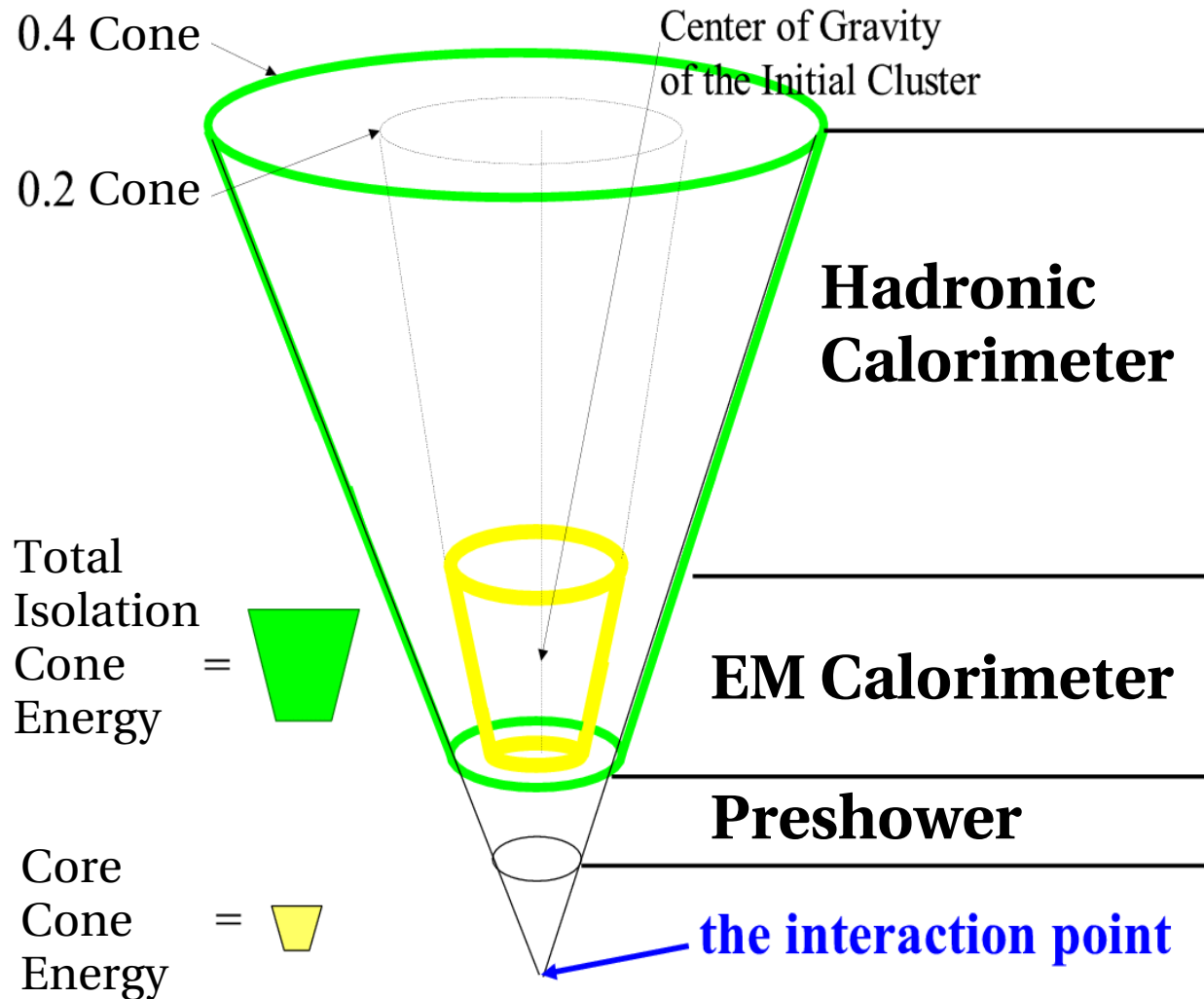
Two rapidity regions:

Region 1: $y^\gamma \cdot y^{\text{jet}} > 0$

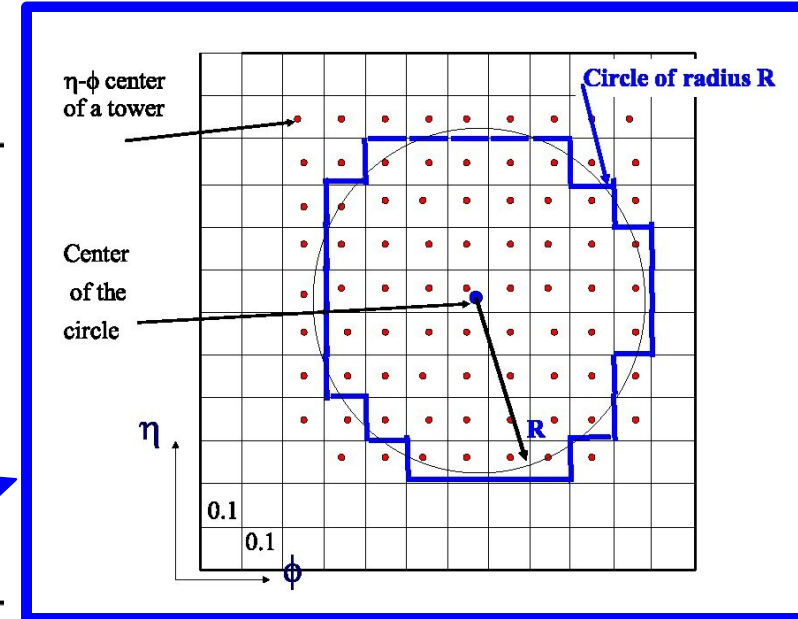
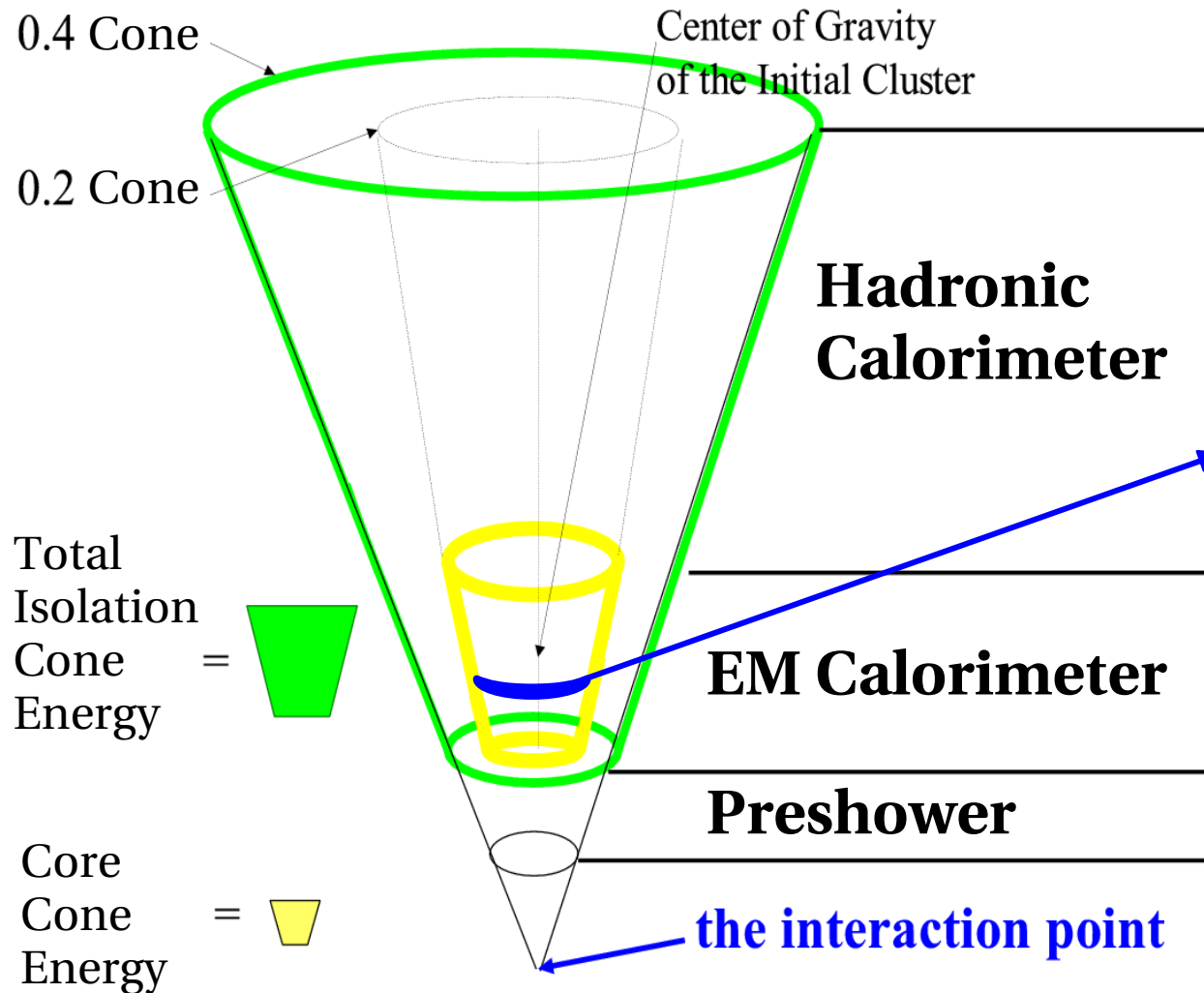
Region 2: $y^\gamma \cdot y^{\text{jet}} < 0$



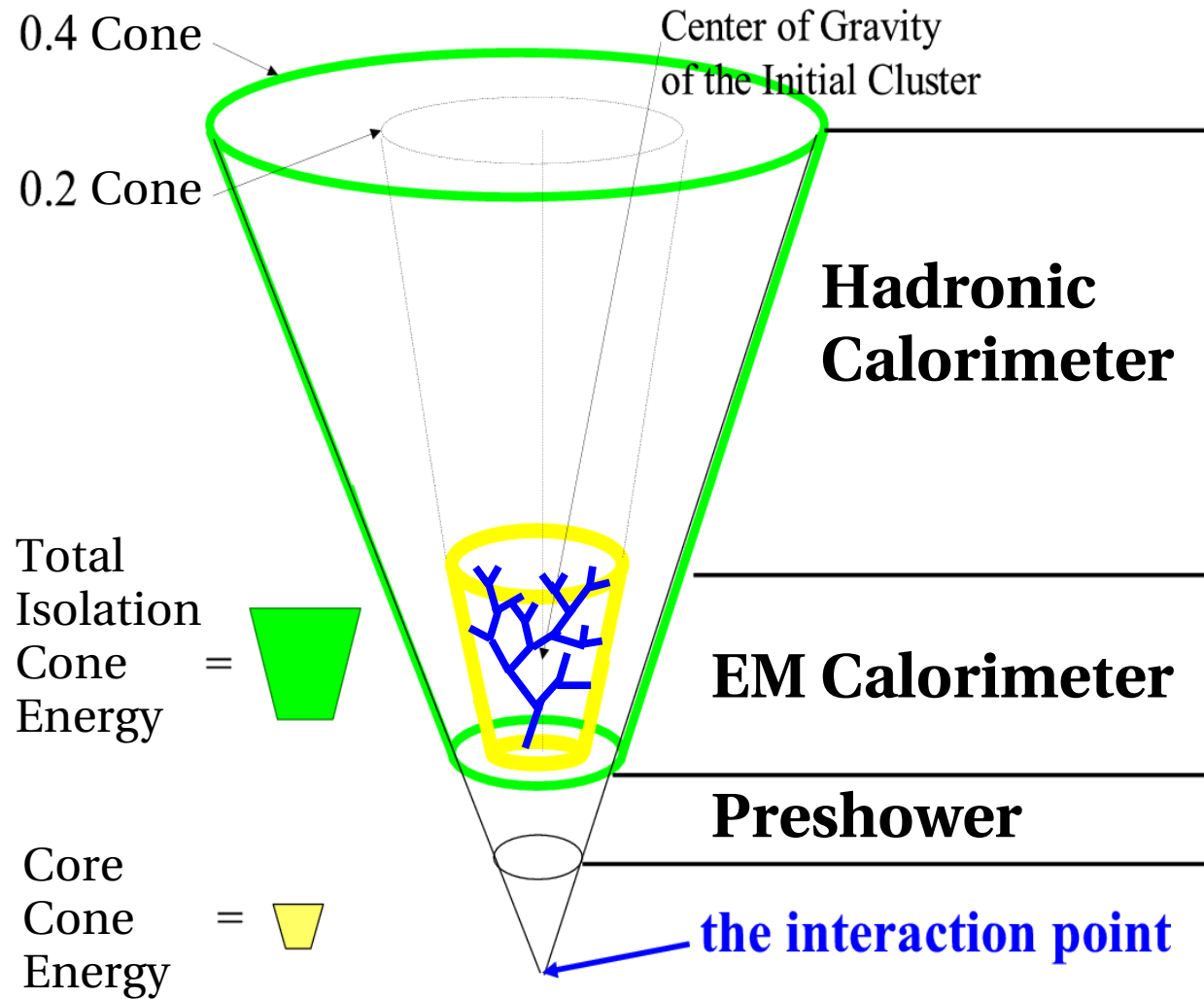
Photon Selection



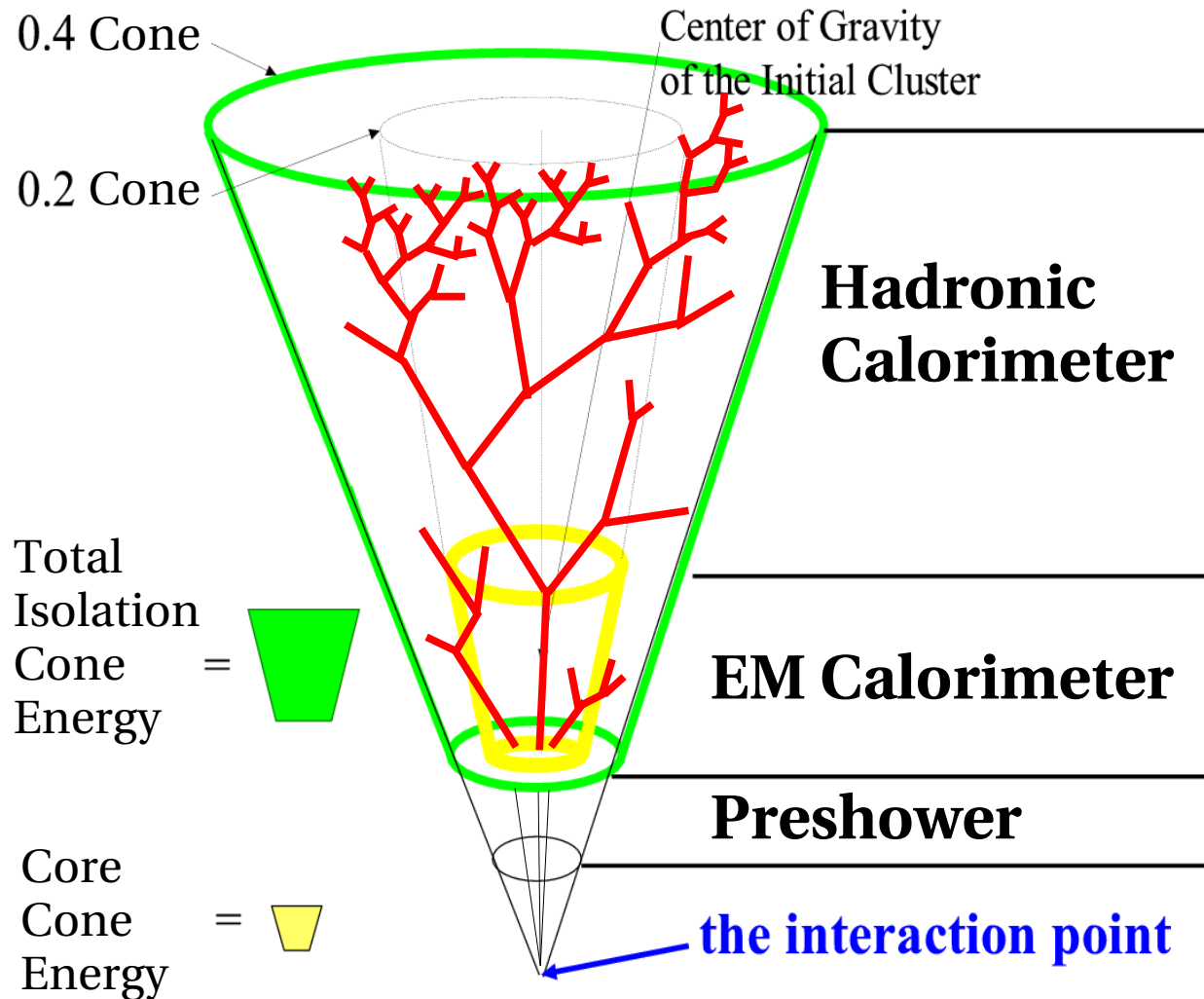
Photon Selection



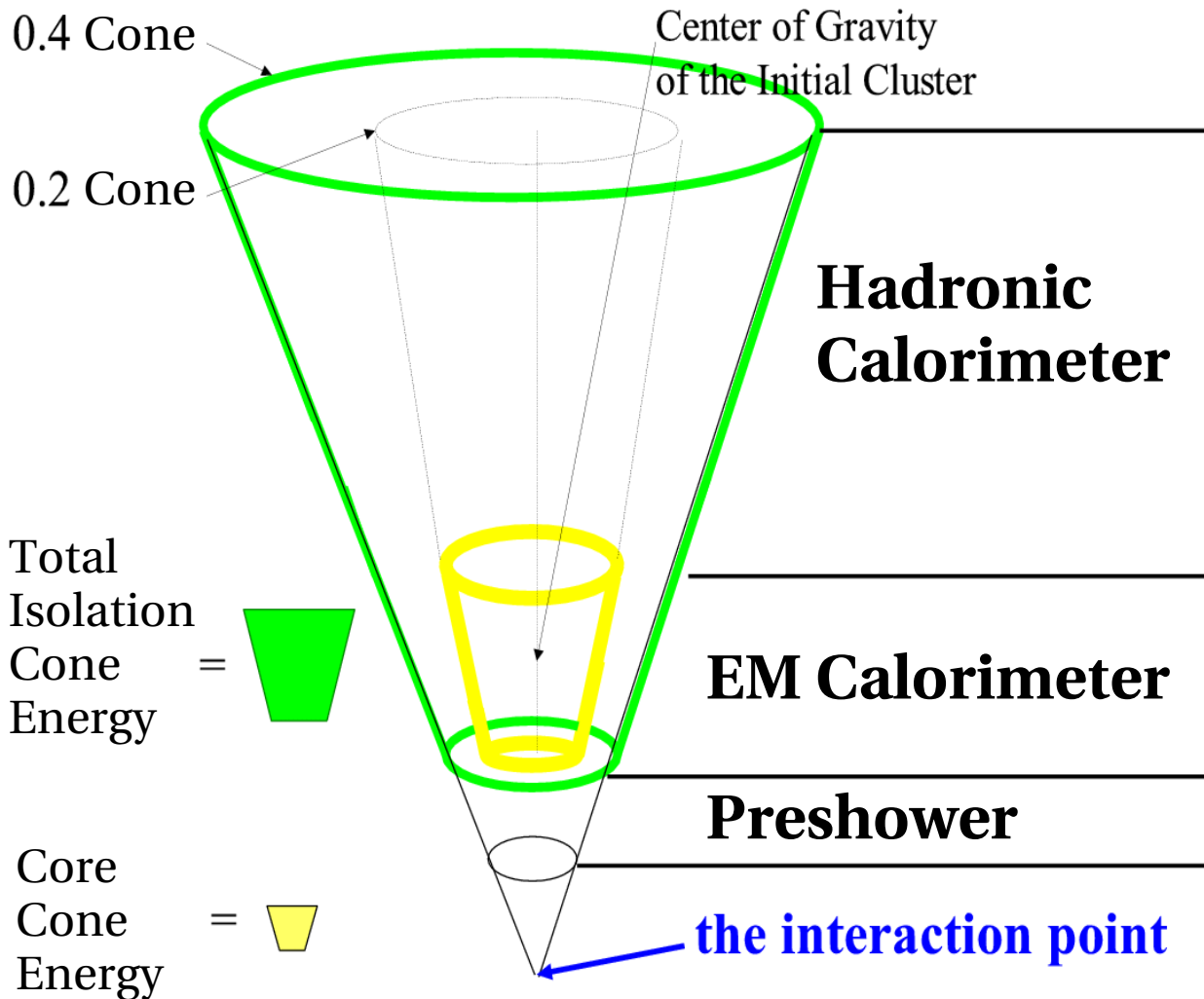
Photon Selection



Photon Selection



Photon Selection



Calorimeter Criteria

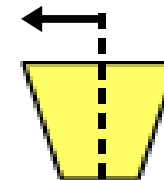
Fractional isolation



EM energy fraction



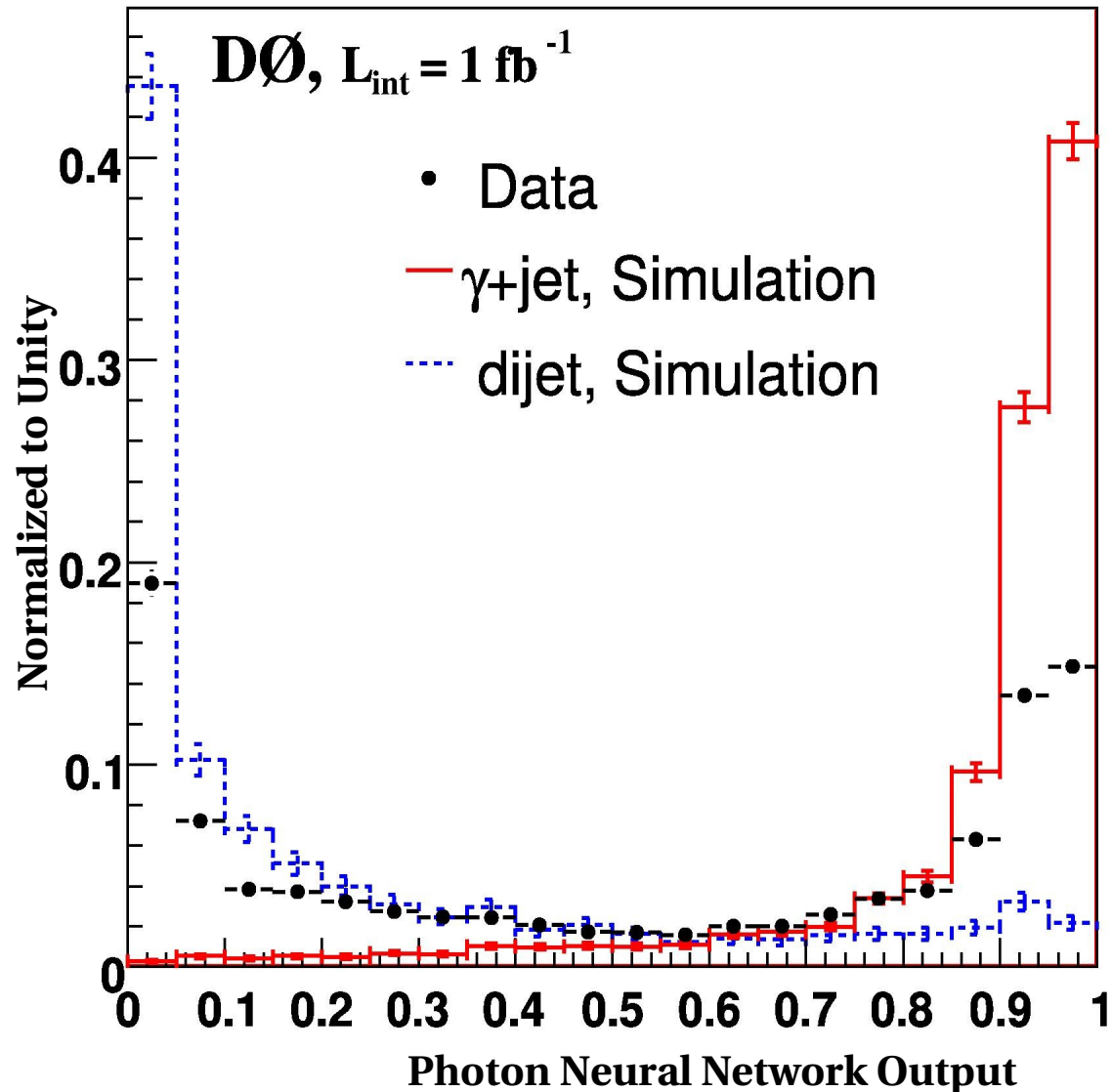
Energy shower ϕ width



Final Photon Selection

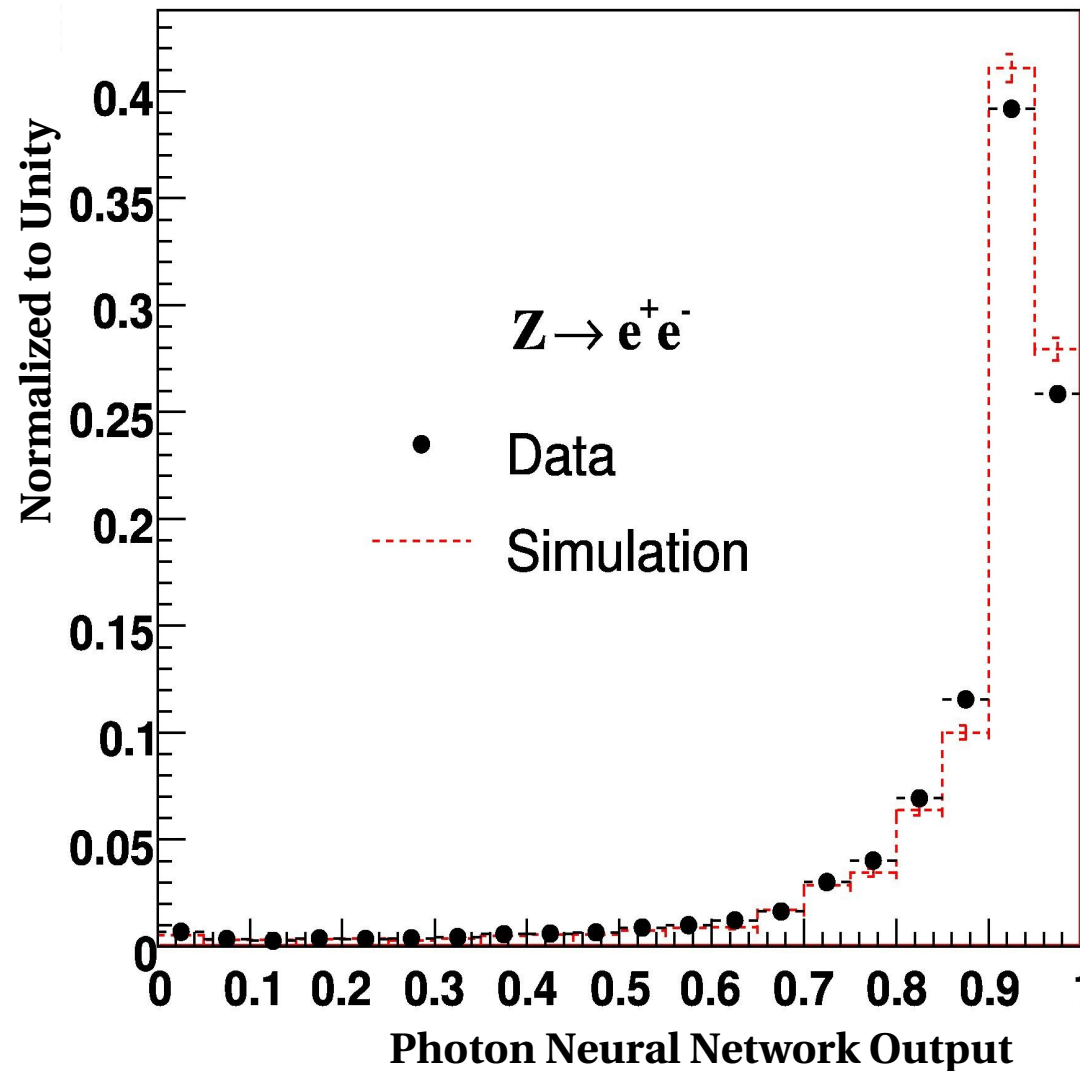
Photon Neural Network

- Multiple input variables combine for one output
 - **Output constrained to $\{0 - 1\}$**
- Neural Net is trained with signal and background Monte Carlo
 - **Direct photon output $\Rightarrow 1$**
 - **Background output $\Rightarrow 0$**
- After photon pre-selection
 - **The output shows that background events still contaminate the data sample**
- Using output shape distribution
 - Estimate the *fraction* of direct photons in the data



Photon Signal Modeling

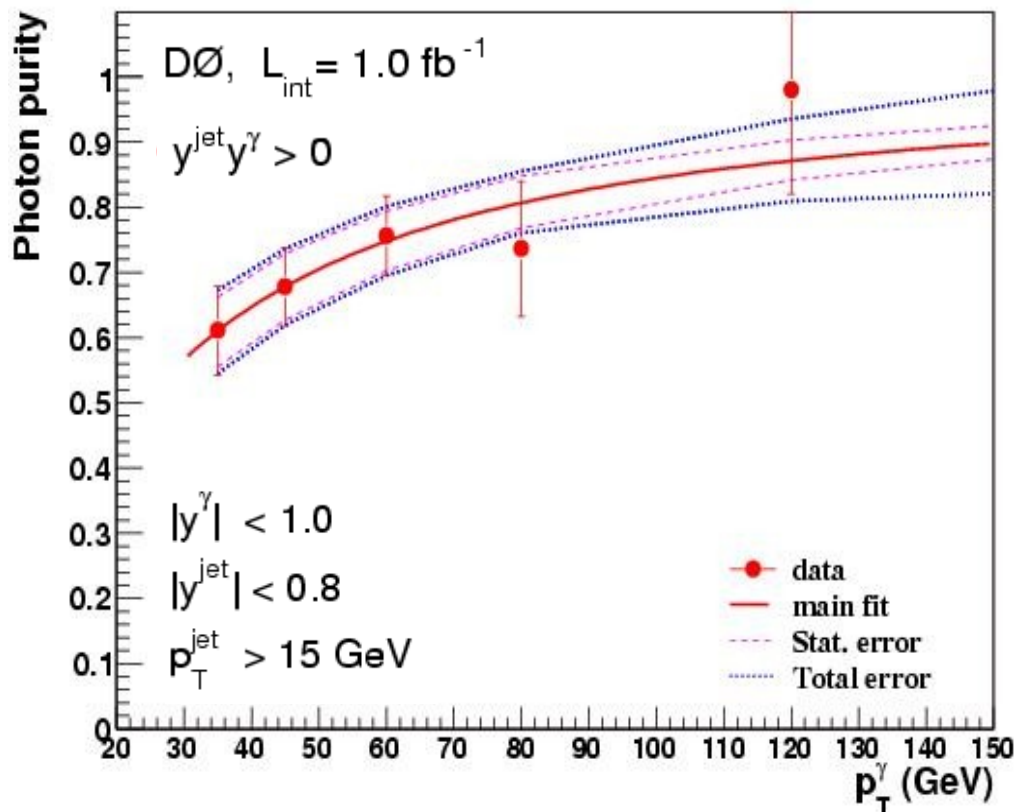
- Important that Neural Network output describes the data well
 - To verify this, look at electron resonance:
 - Compare to $Z \rightarrow e^+e^-$ samples of data to Monte Carlo



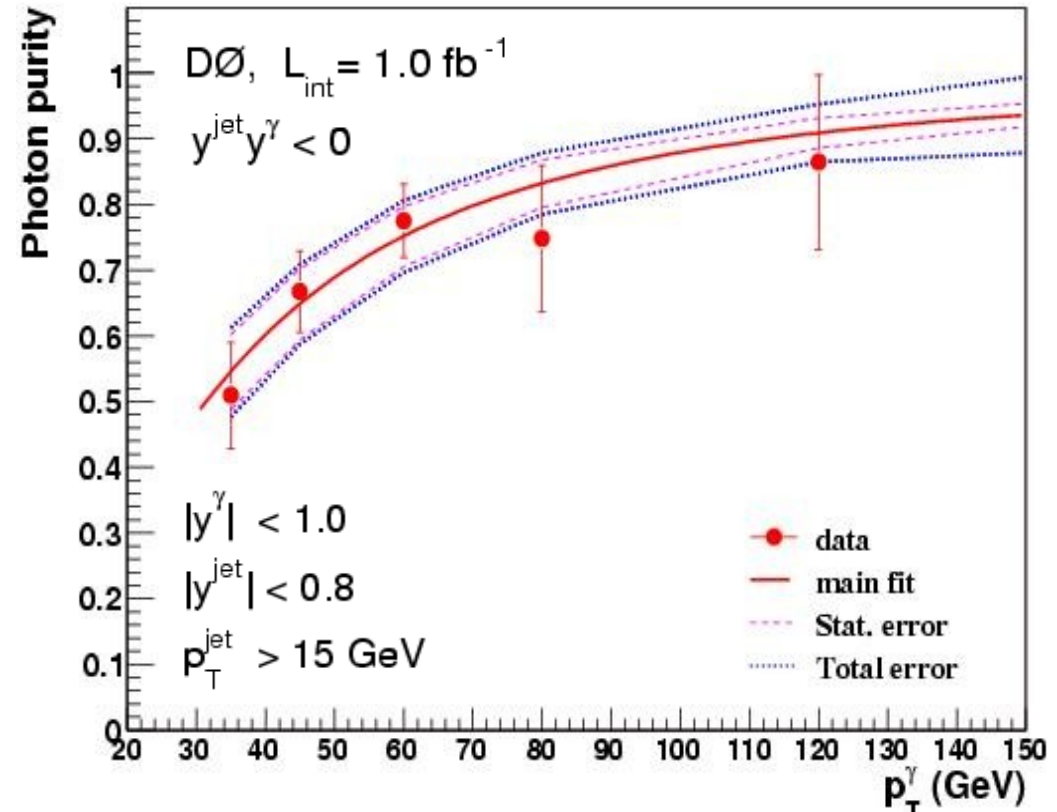
Photon Purity Results

- Finally, we determine the photon purity of the data sample
 - Fit signal and background Monte Carlo shape to the data
 - Calculates the best description of the data shape
 - The fits are performed in each photon p_T bin for each Region separately

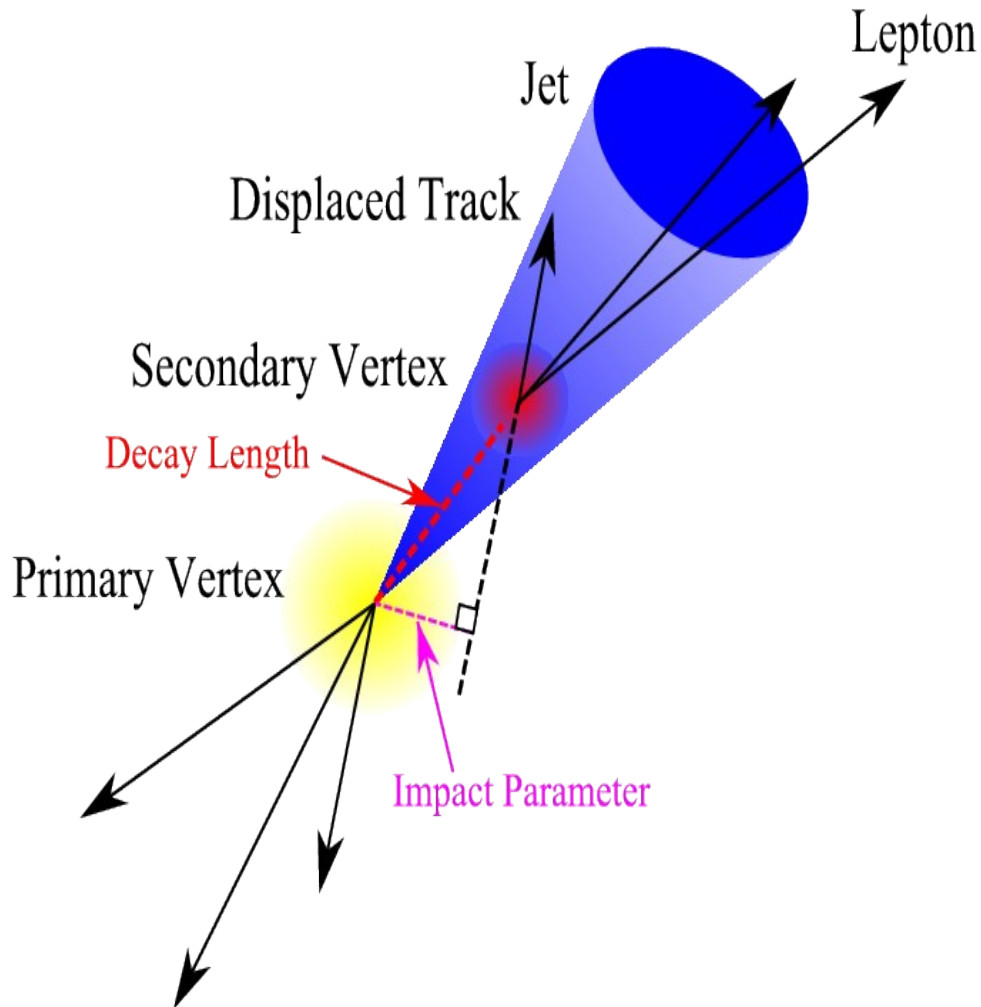
Region 1: $y^\gamma y^{\text{jet}} > 0$



Region 2: $y^\gamma y^{\text{jet}} < 0$

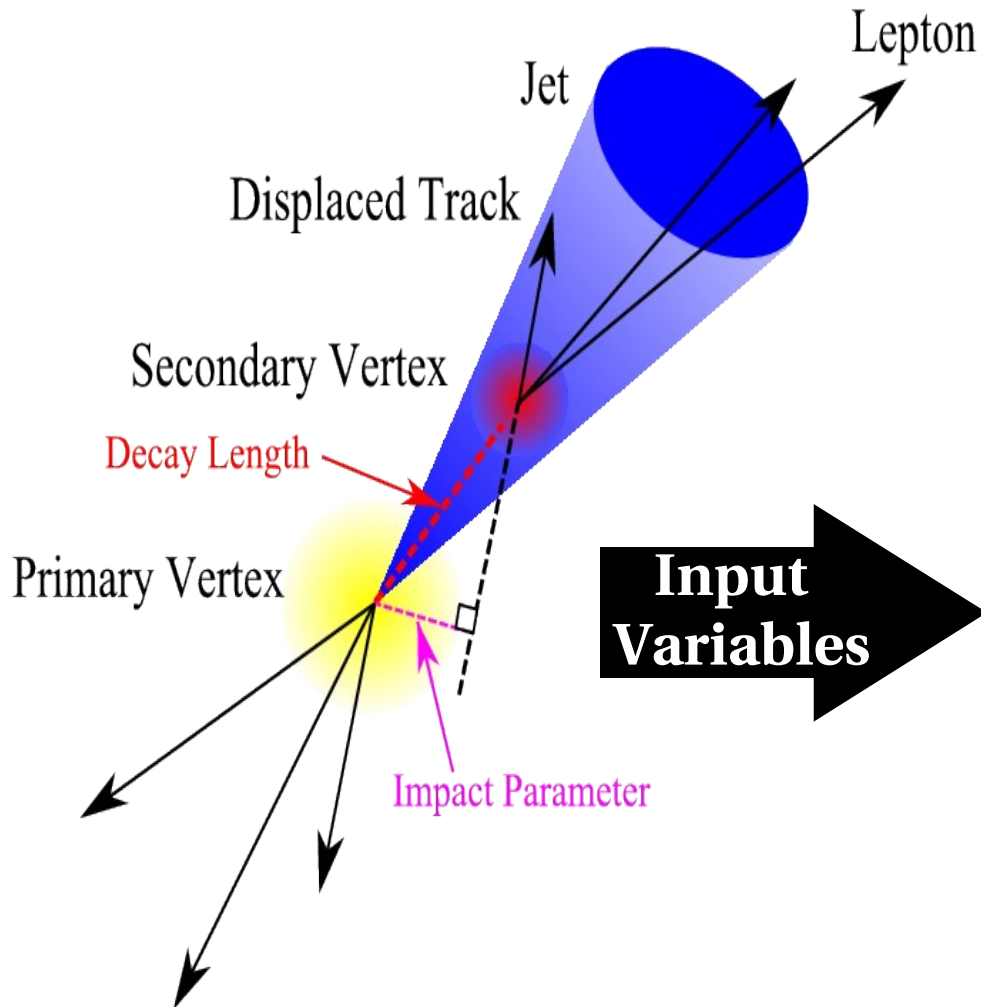


Identifying Heavy Flavor Jets

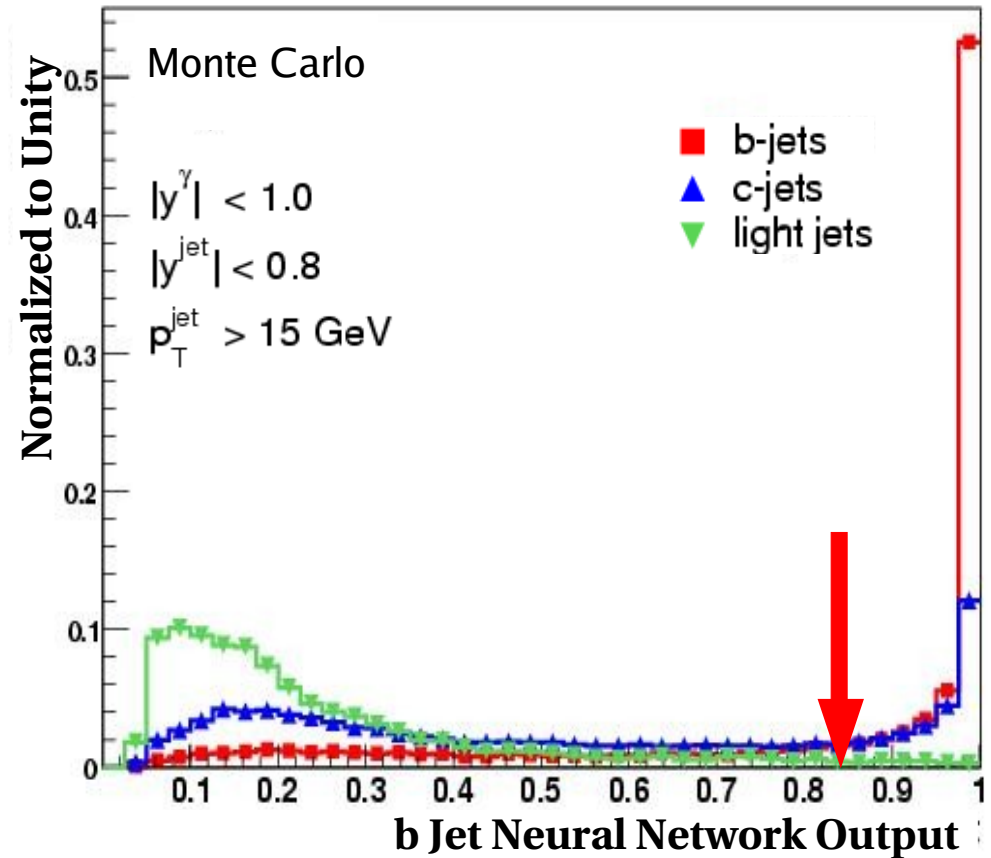


- Light jets have a much higher production rate than heavy flavor jets
 - **~100:1 light jets to b jets**
 - **~10:1 light jets to c jets**
 - **~10:1 c jets to b jets**
- But, heavy flavor jets can be distinguished due to **the long lifetimes of their mesons**
 - Average meson lifetimes
 - $\sim 1.5 \times 10^{-12}$ seconds (B mesons)
 - $\sim 0.8 \times 10^{-12}$ seconds (C mesons)
 - Decay *measurable distances* from the primary vertex
- The **secondary vertex**:
 - Contains valuable information to identify heavy flavor jets

Identifying Heavy Flavor Jets

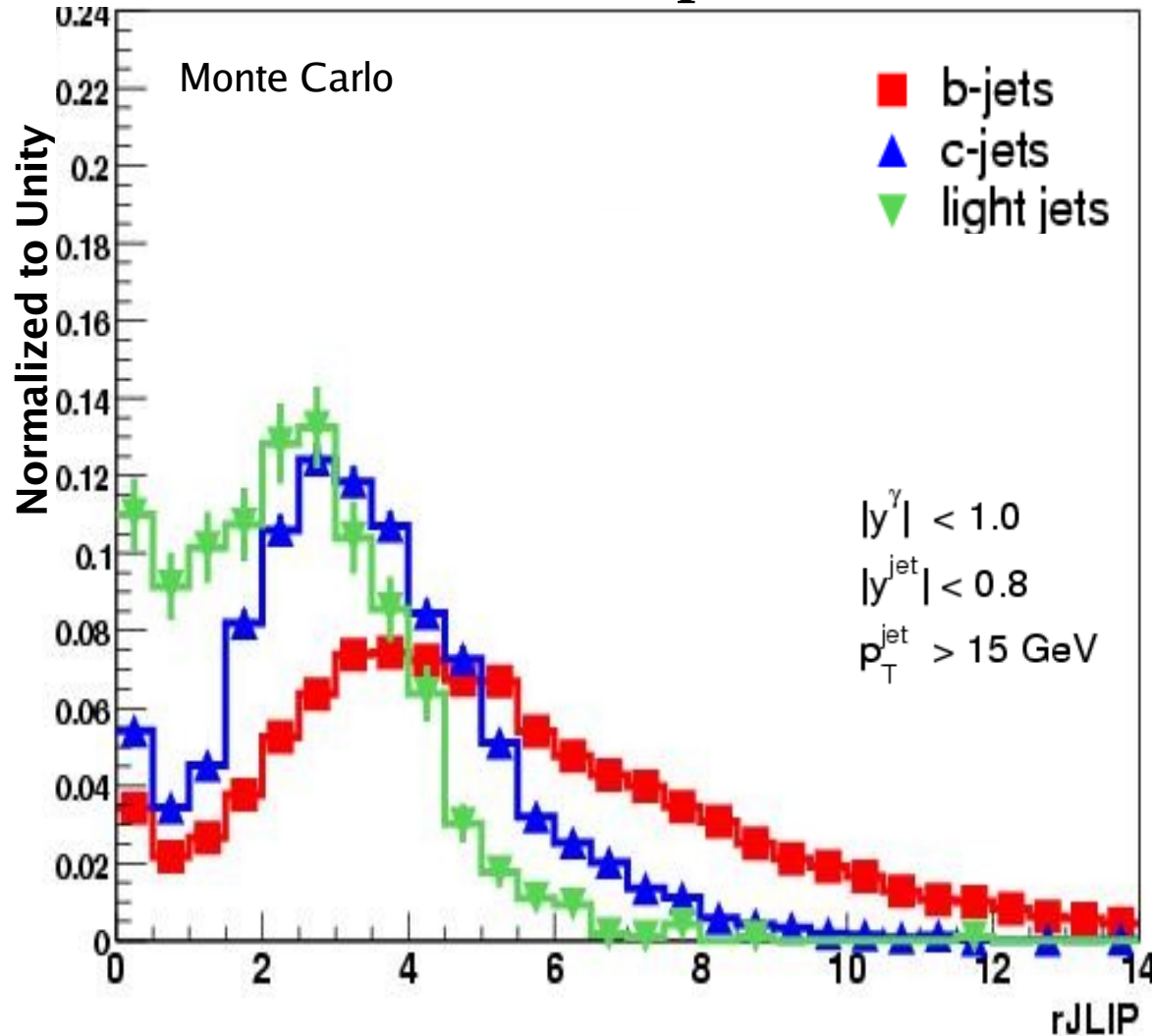


b Jet Neural Network Output



Jet Flavor Templates

rJLIP Output



Now, we need **an additional handle** for determination of heavy flavor fractions:

- **Can no longer use the bNN**
- bNN output shapes above 0.85 are **similar** for light, c and b jets

Reduced Jet Lifetime Probability

- Probability (P_{Track}) of a track to originate from the primary vertex
 - Based on the *impact parameter significance*

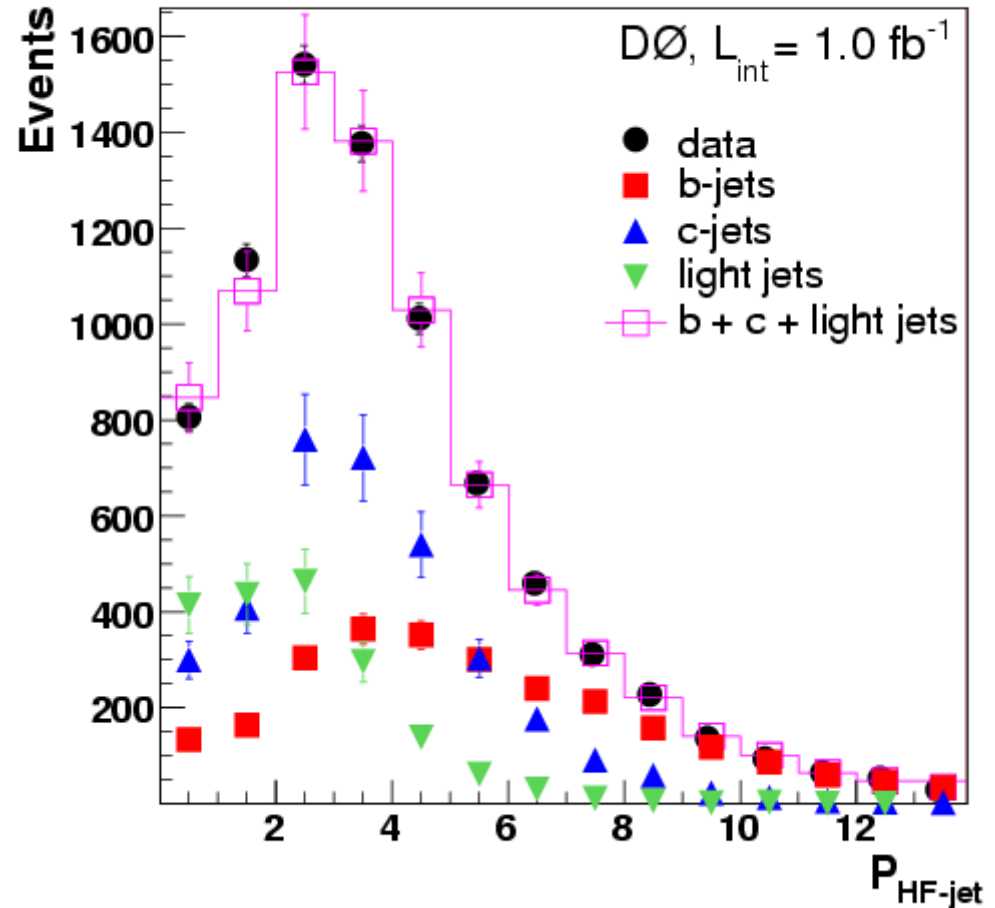
$$rJLIP = -\ln \prod_i^{N_{\text{Tracks}}} P_{\text{Track}}^i$$

- “Reduced”: Lowest value of P_{track} is removed

Heavy Flavor Fractions

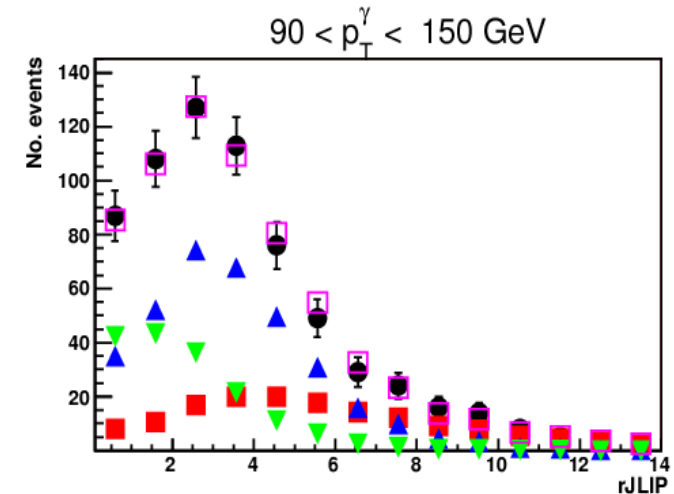
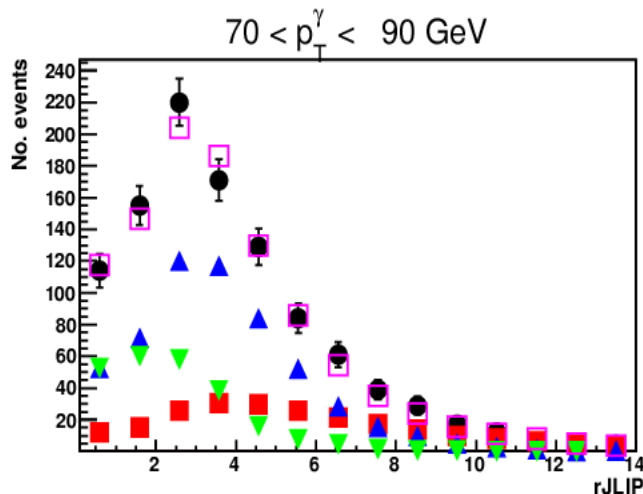
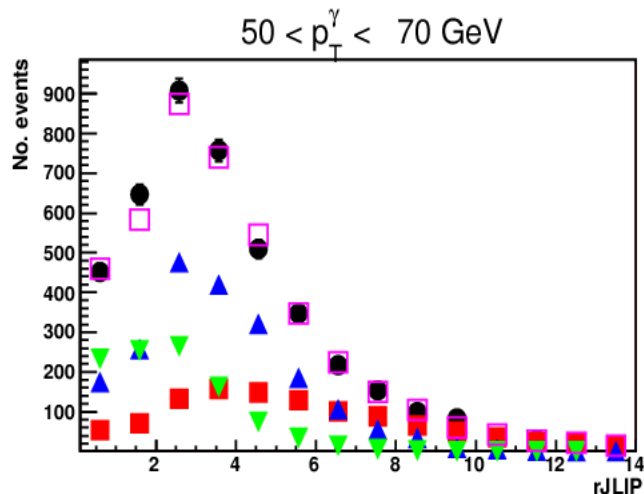
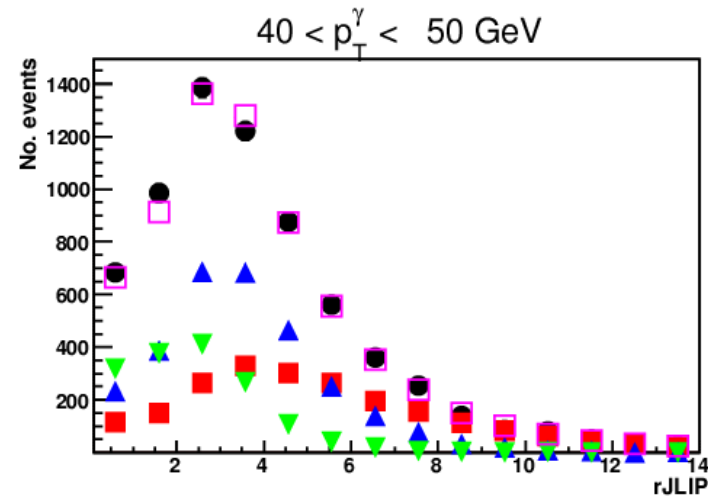
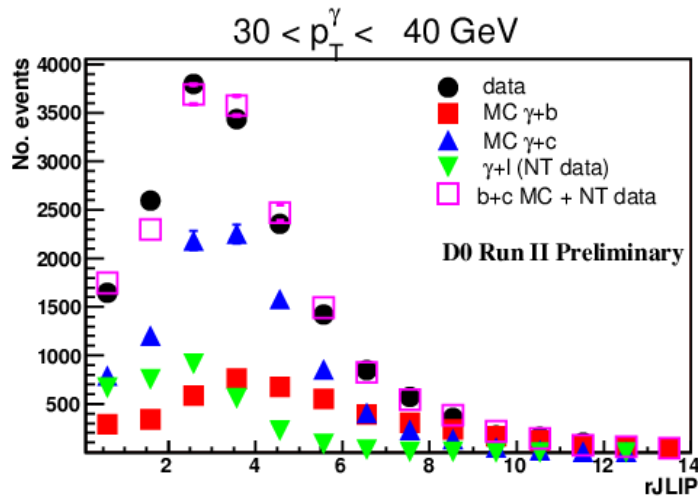
Template Fitting Procedure

- **Analagous technique** to photon purity estimate
- Use **rJLIP** for shape information
- Monte Carlo is used for c and b jet templates
- **Enriched light jet sample (NT) from data** is used for light jet template
- **Flavor fractions** are determined for light, c and b jets with a simultaneous fit
- Require the sum of the flavor fractions (light + c + b) $\equiv 1$
- **Cross check for agreement:**
 - Compare **the sum** of the individual jet flavor templates *weighted by the found fractions* to the data



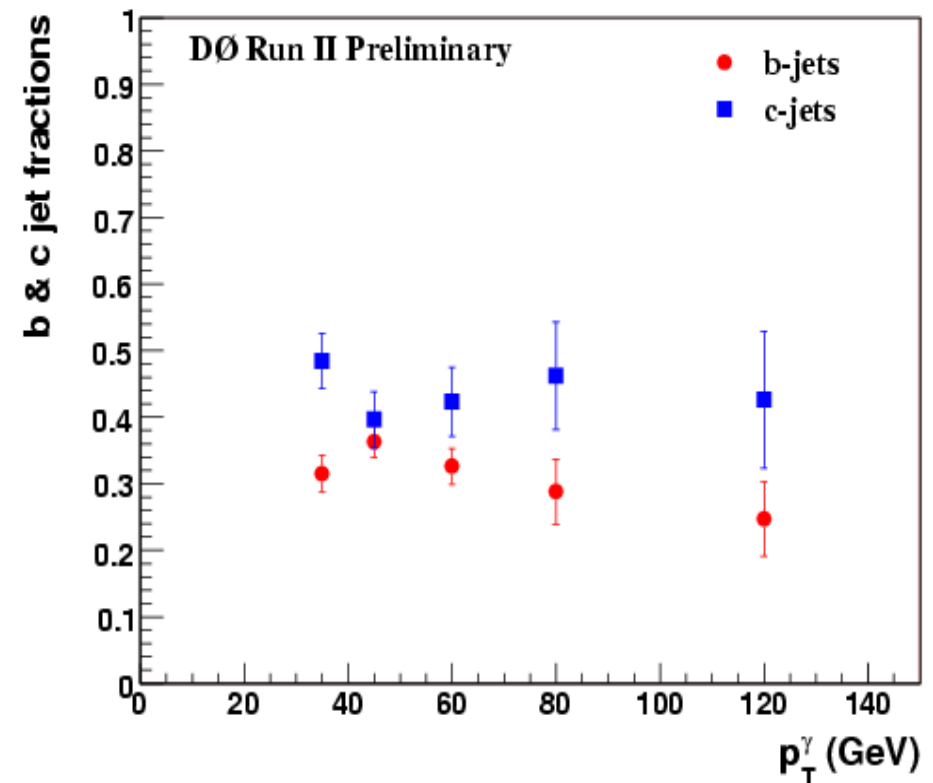
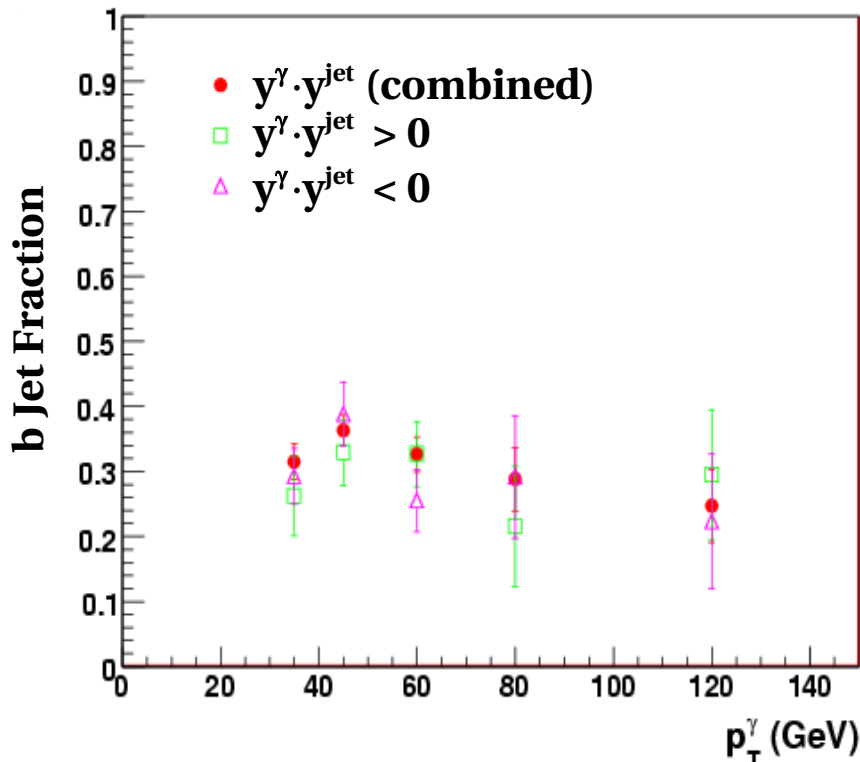
rJLIP Fitting Comparisons

Flavor fractions were fit **independently** in each photon p_T bin



Flavor Fraction Results

- Heavy flavor fraction results for the entire photon p_T range
 - Fitting was performed independently in the two rapidity regions
 - Very good agreement between regions**
 - Flavor fractions do not depend on our rapidity binning
 - Can combine regions for decreased uncertainties**



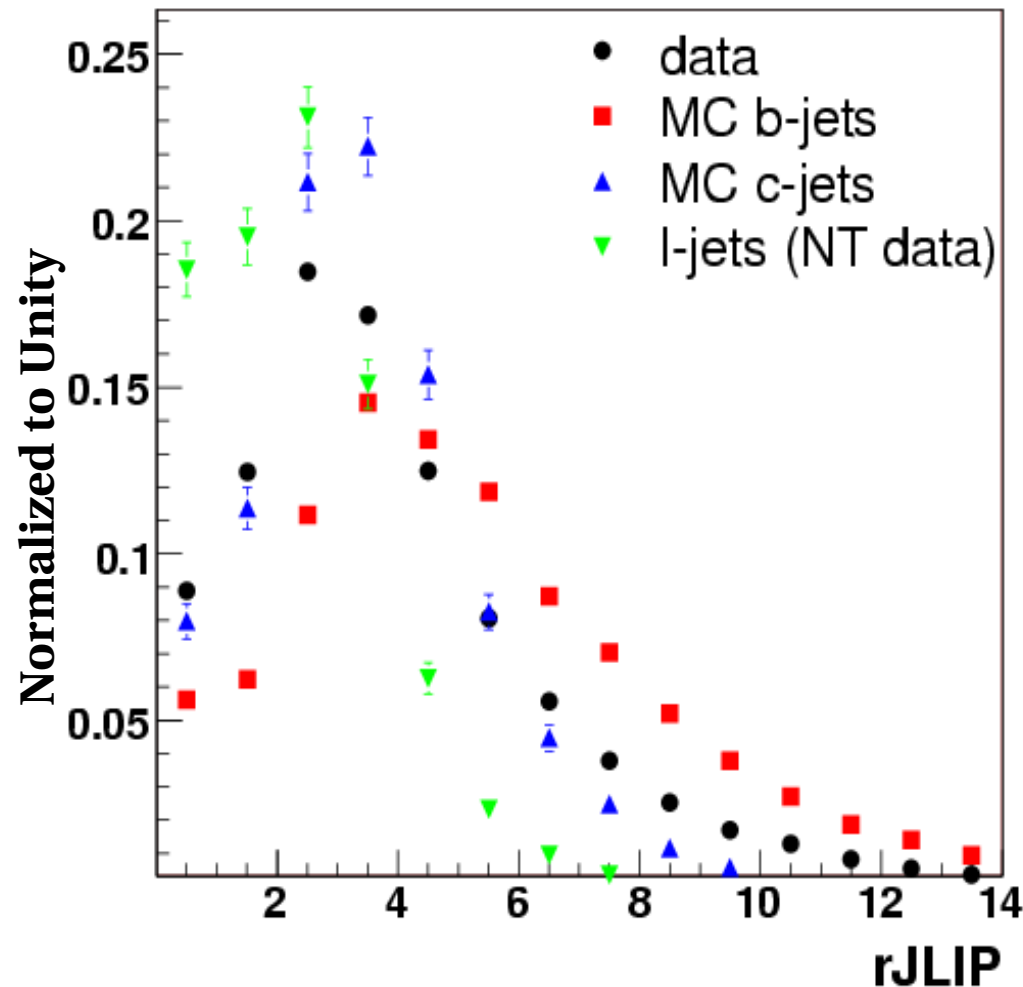
Cross Checking the Fit

Efficiency method as cross check

- ◆ Using a system of equations
- ◆ Solve them to find flavor fractions

$$P_{\text{urity}_b} = \frac{N_b}{N_b + N_c + N_l}$$

$$N_{\text{Data}} = N_{b \text{ Jet}} + N_{c \text{ Jet}} + N_{\text{light Jet}}$$

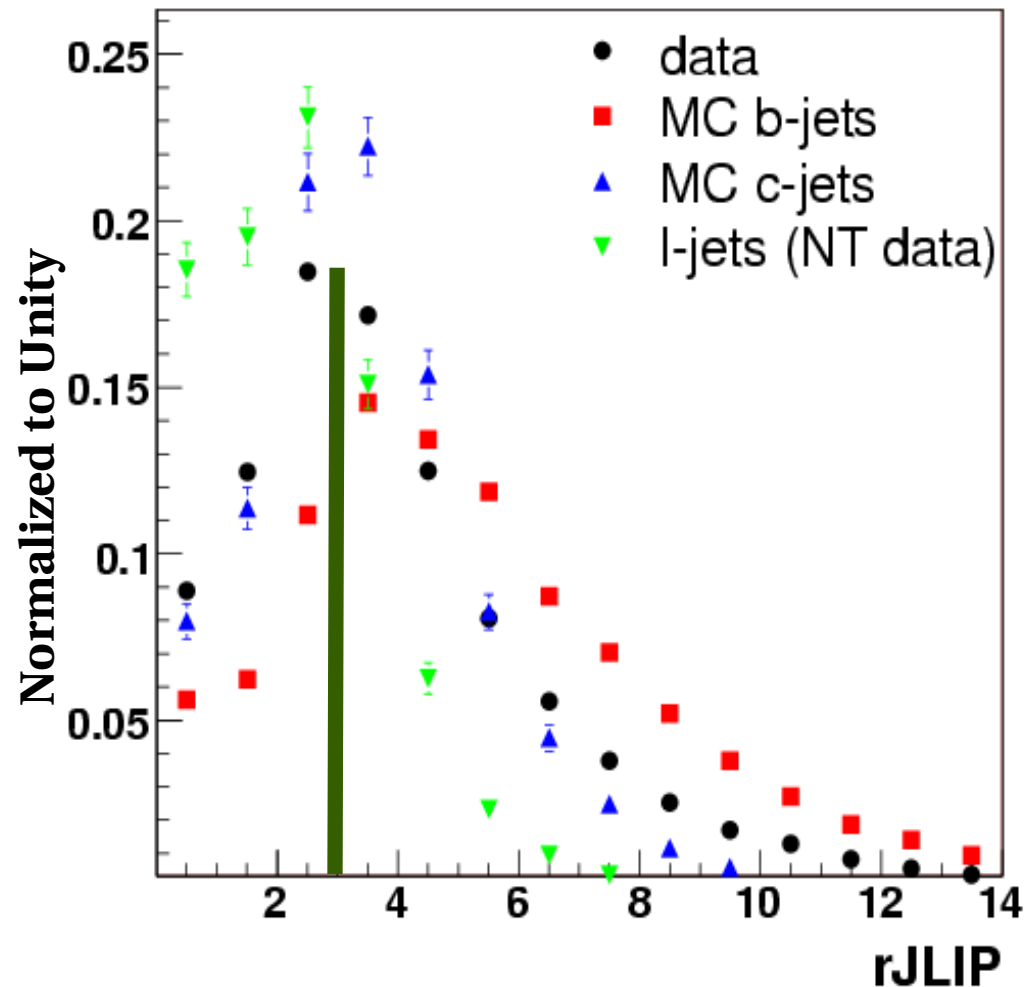


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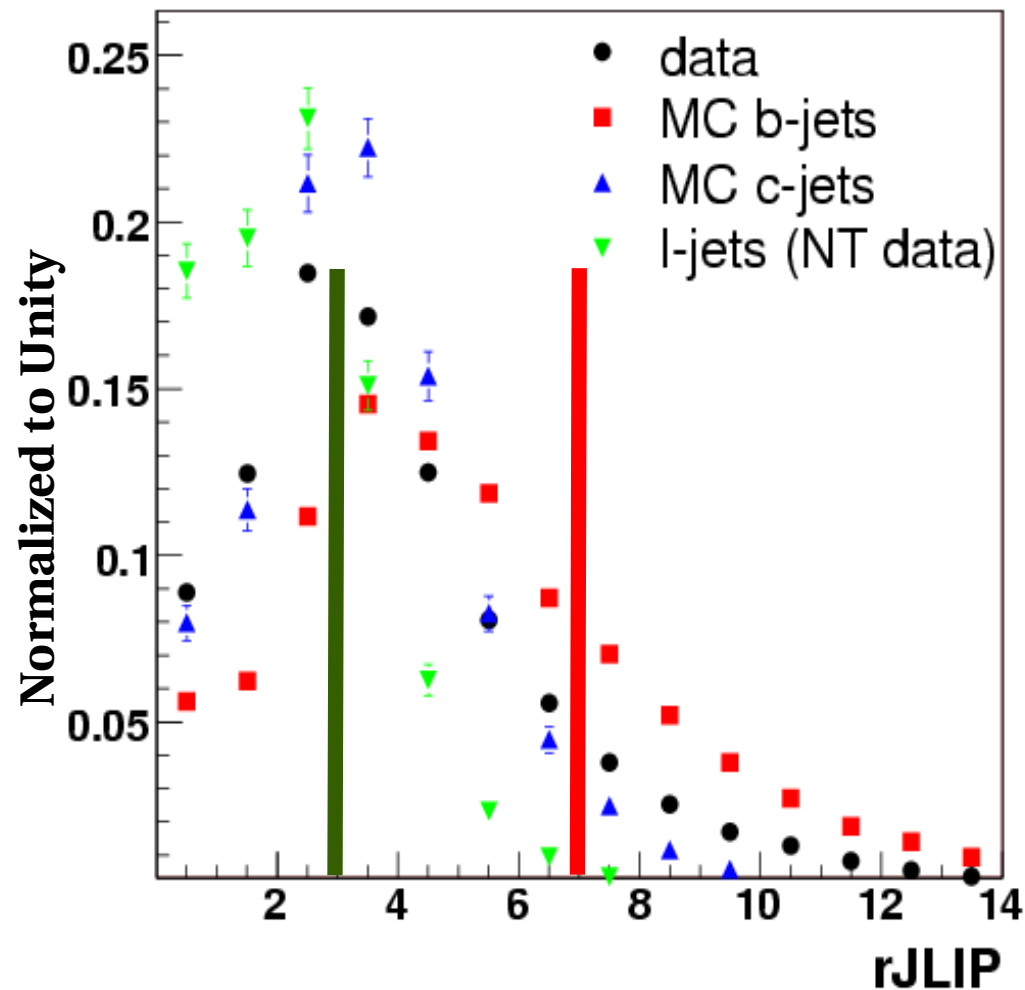
$$\epsilon_D N_D = \epsilon_b N_b + \epsilon_c N_c + \epsilon_l N_l$$

Cross Checking the Fit

Efficiency method as cross check

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- ◆ Solve them to find flavor fractions

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$$N_{\text{Data}} = N_{b \text{ Jet}} + N_{c \text{ Jet}} + N_{\text{light Jet}}$$

$$\epsilon_D N_D = \epsilon_b N_b + \epsilon_c N_c + \epsilon_l N_l$$

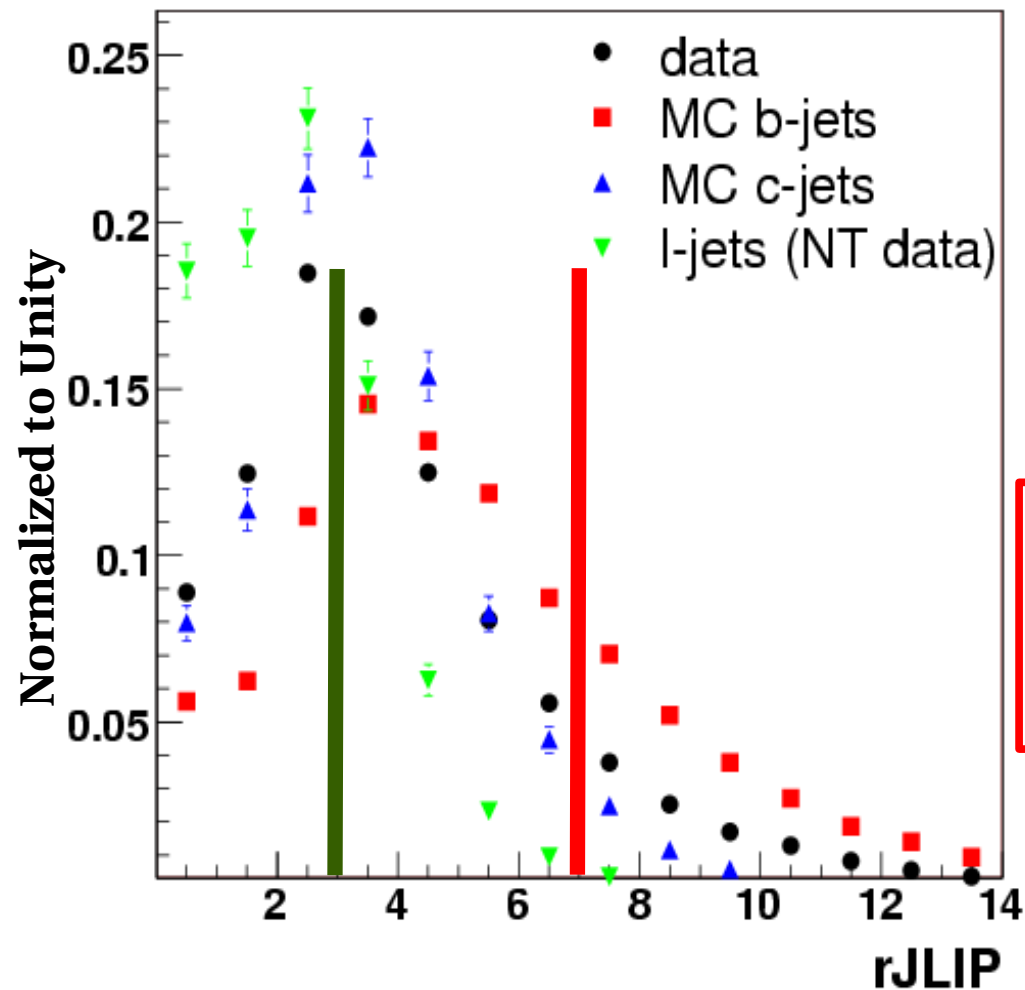
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Cross Checking the Fit

Efficiency method as cross check

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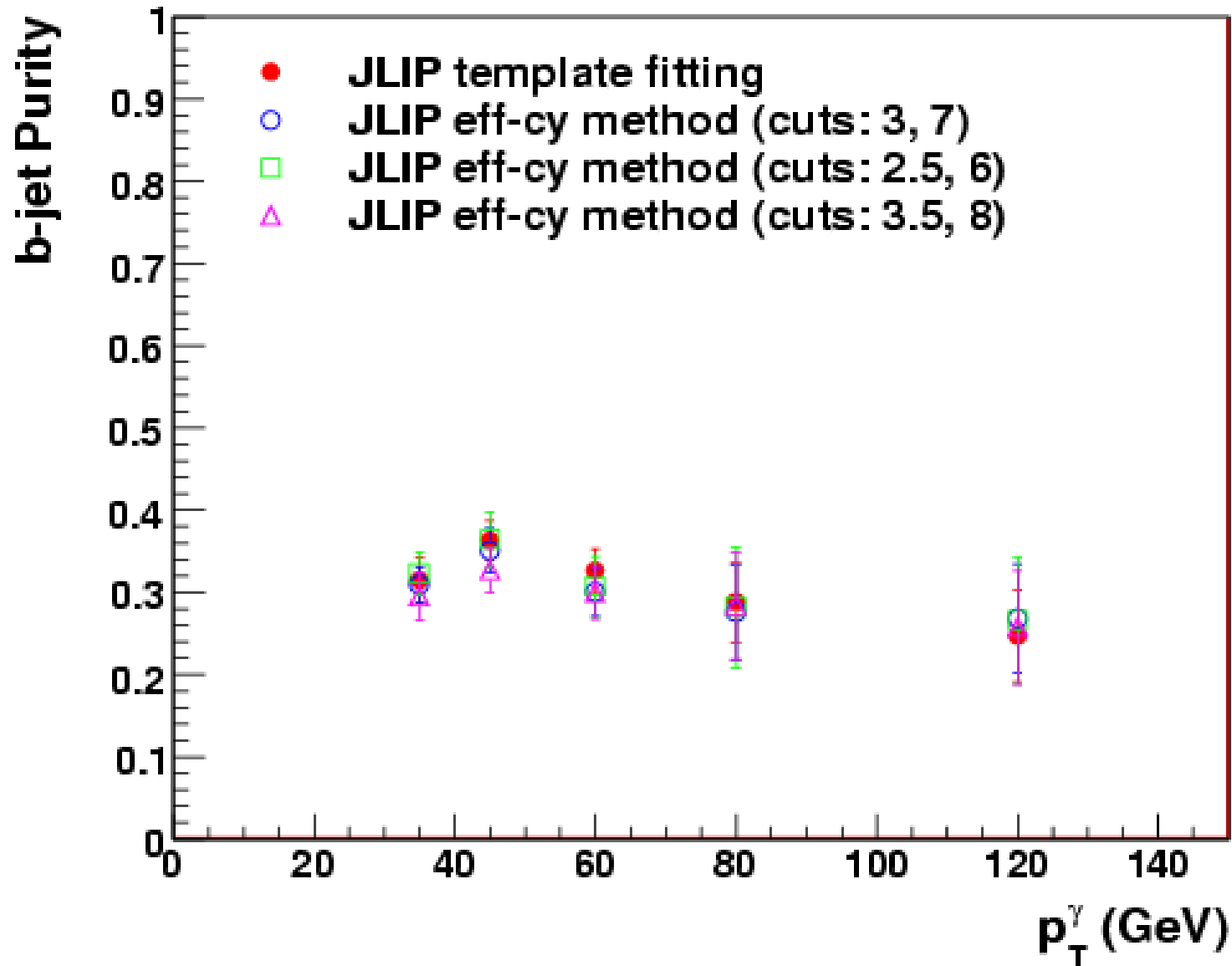
$$\epsilon_D N_D = \epsilon_b N_b + \epsilon_c N_c + \epsilon_l N_l$$

$$\epsilon'_D N_D = \epsilon'_b N_b + \epsilon'_c N_c + \epsilon'_l N_l$$



$$P_b = \frac{(\epsilon_D - \epsilon_l) - (\epsilon'_D - \epsilon'_l)}{(\epsilon_b - \epsilon_l) - (\epsilon'_b - \epsilon'_l)} \left(\frac{(\epsilon_c - \epsilon_l)}{(\epsilon'_c - \epsilon'_l)} \right)$$

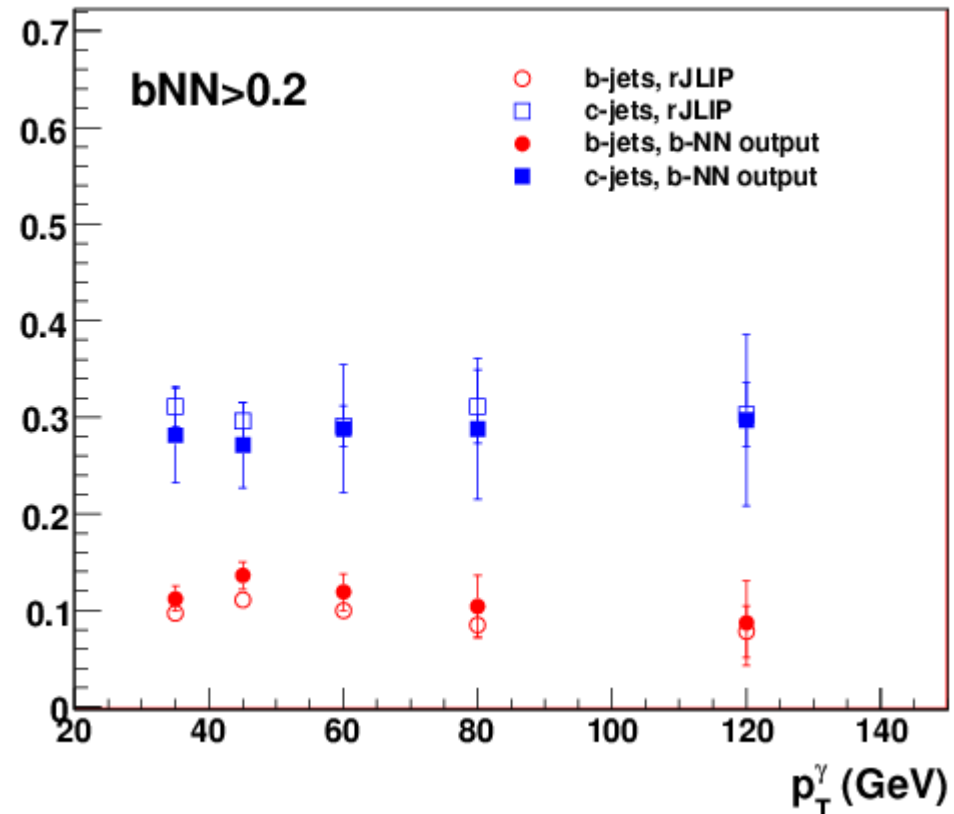
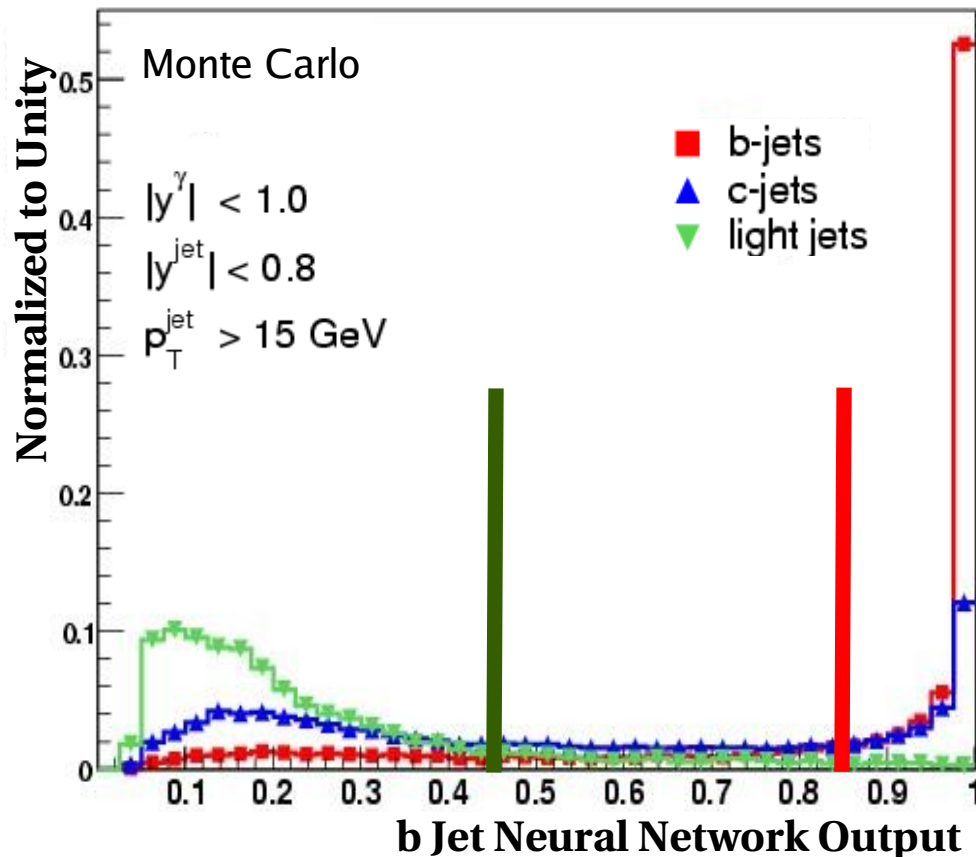
Flavor Fraction Cross Checks



Efficiency Method (Again)

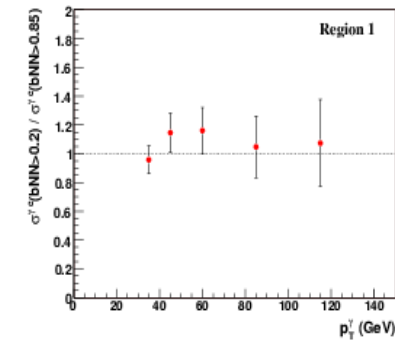
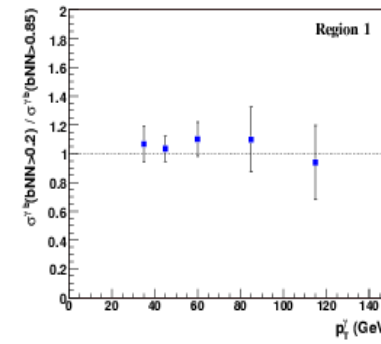
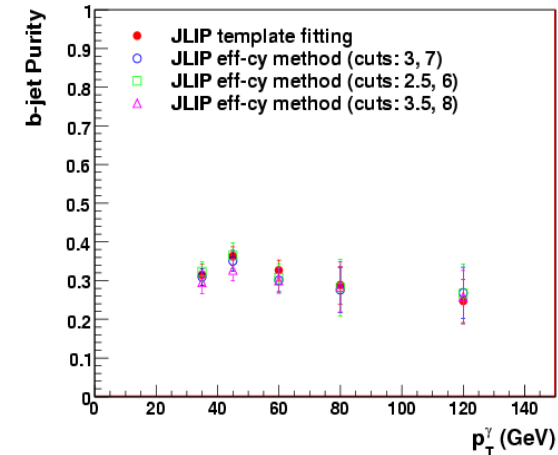
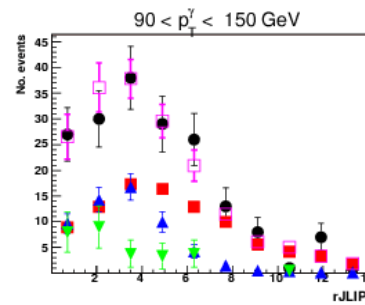
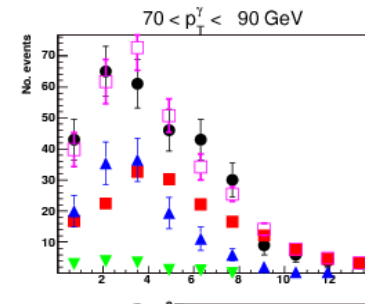
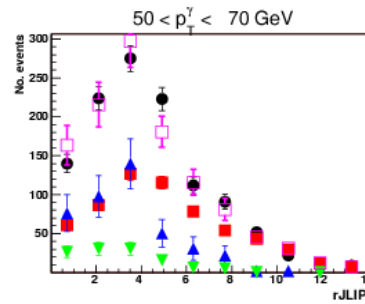
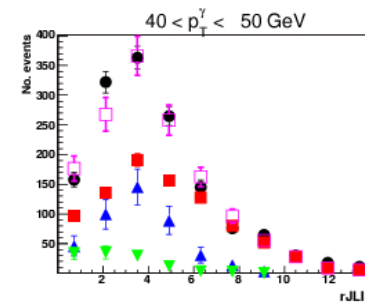
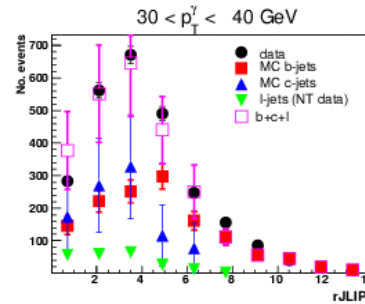
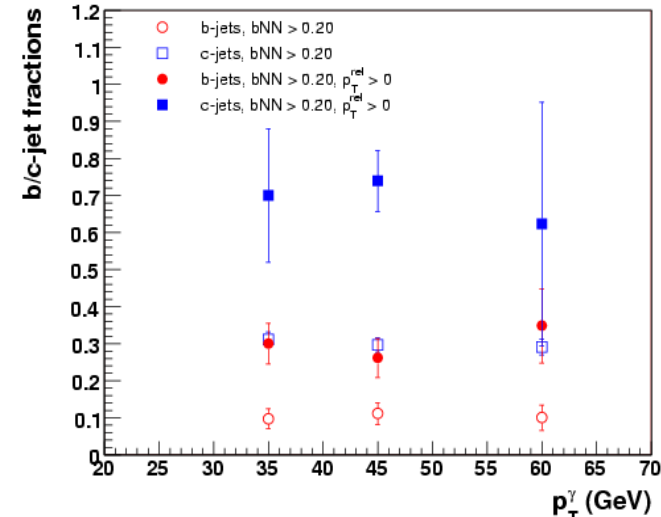
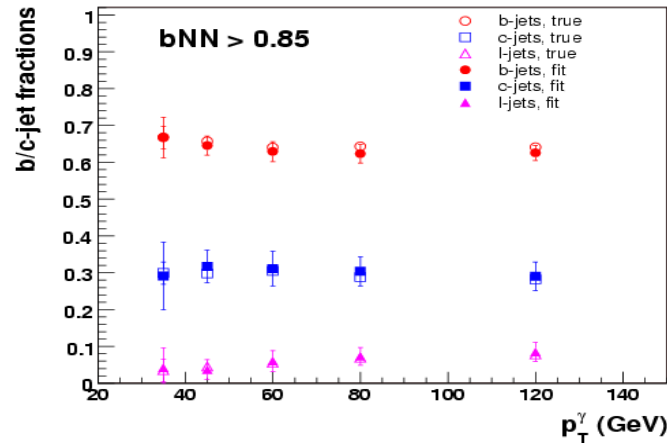
- We can also use the efficiency method on the bNN directly (**same technique!**)
 - 1st require b Jet Neural Network (bNN) > 0.20
 - Efficiency method operating points: **bNN > {0.45, 0.85}**

b Jet Neural Network Output



Why So Many Cross-Checks?

- **First QCD analysis to use flavor fraction fitting at DZero**
 - It was put under close scrutiny to verify its results
- Litany of cross checks performed
 - **All showed consistent agreement!**

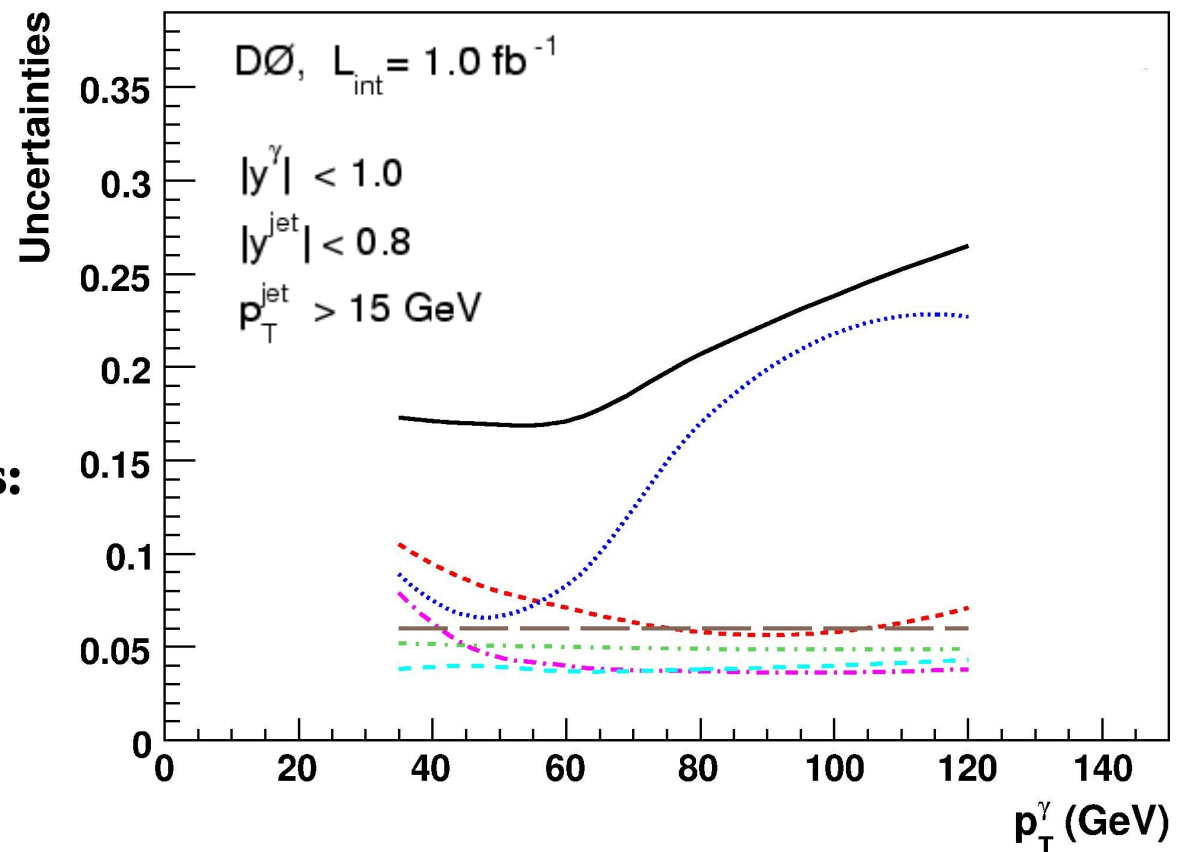


Overall Systematics

Main systematic uncertainties

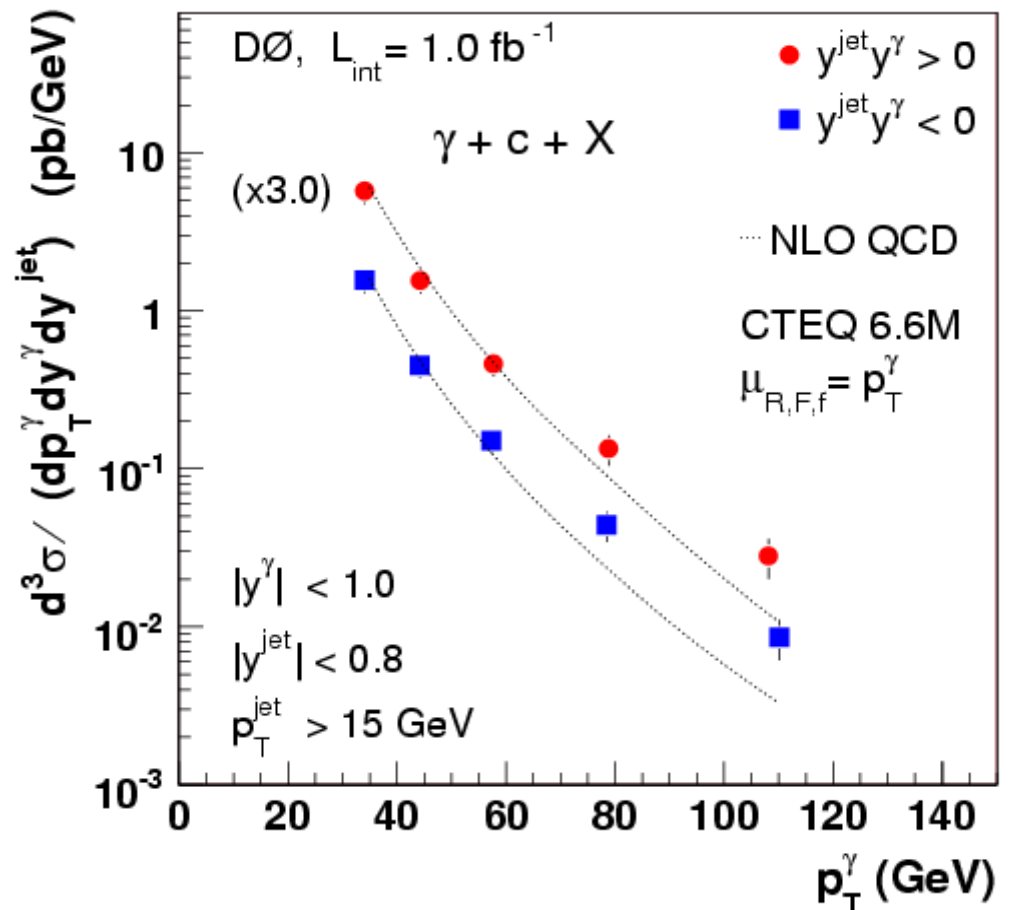
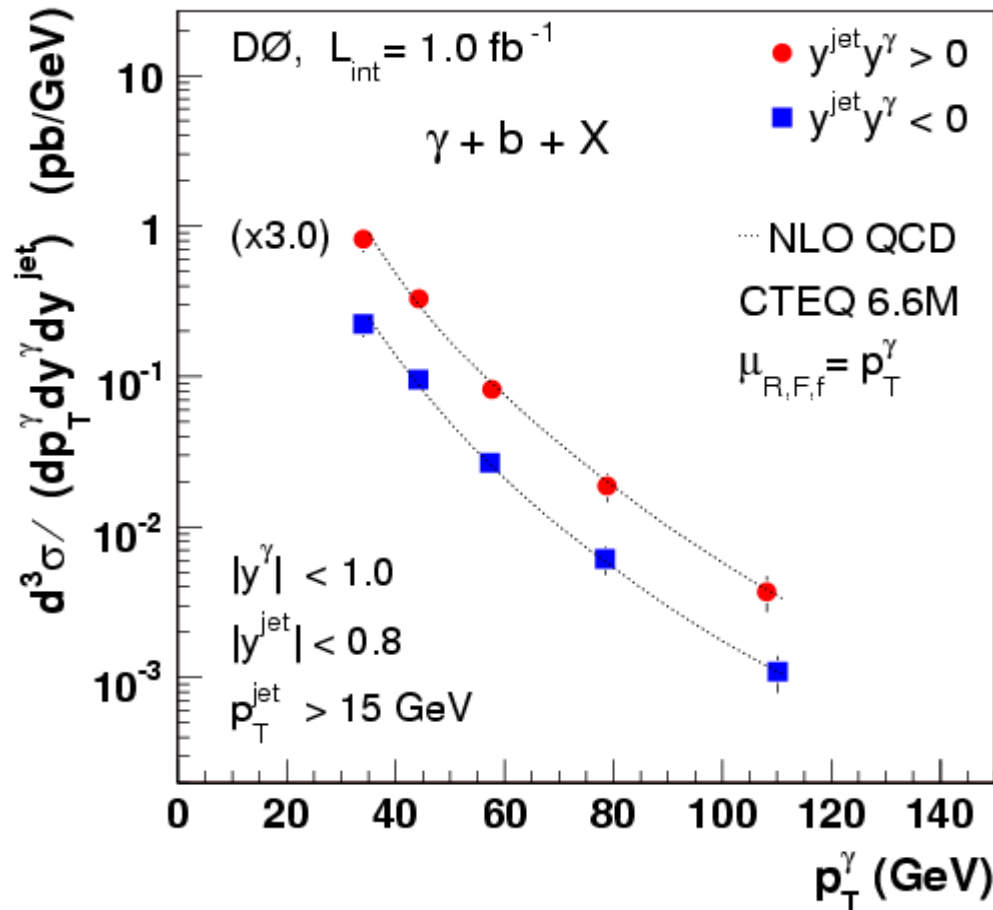
- Photon fraction
- ... Heavy flavour fraction
- - - Photon selection efficiency
- · - Jet selection efficiency
- - - Photon energy scale
- Luminosity
- Total

- The two dominant systematics:
 - At low p_T^γ , the photon fraction dominates
 - At high p_T^γ , the jet flavor fraction fitting is the largest uncertainty
 - This uncertainty is driven by data statistics especially in the last two p_T^γ bins



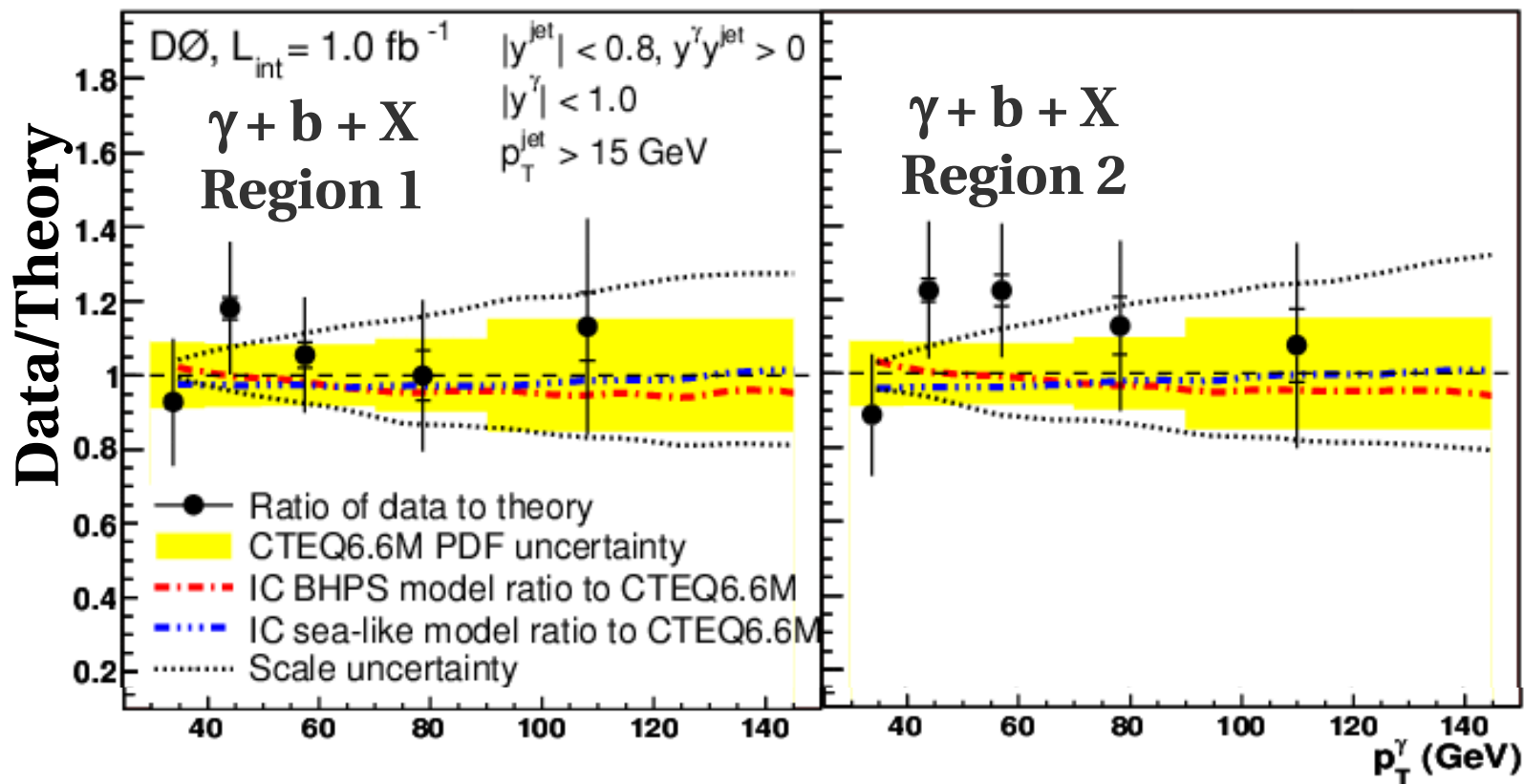
b and c Jet Cross Sections

- **Results** for the $\gamma + b$ jet and $\gamma + c$ jet cross sections
- Theory curves were calculated using next-to-leading-order predictions
 - Calculations provided by **T. Stavreva and J. Owens (of CTEQ)**
 - CTEQ6.6M PDFs were used in the calculation



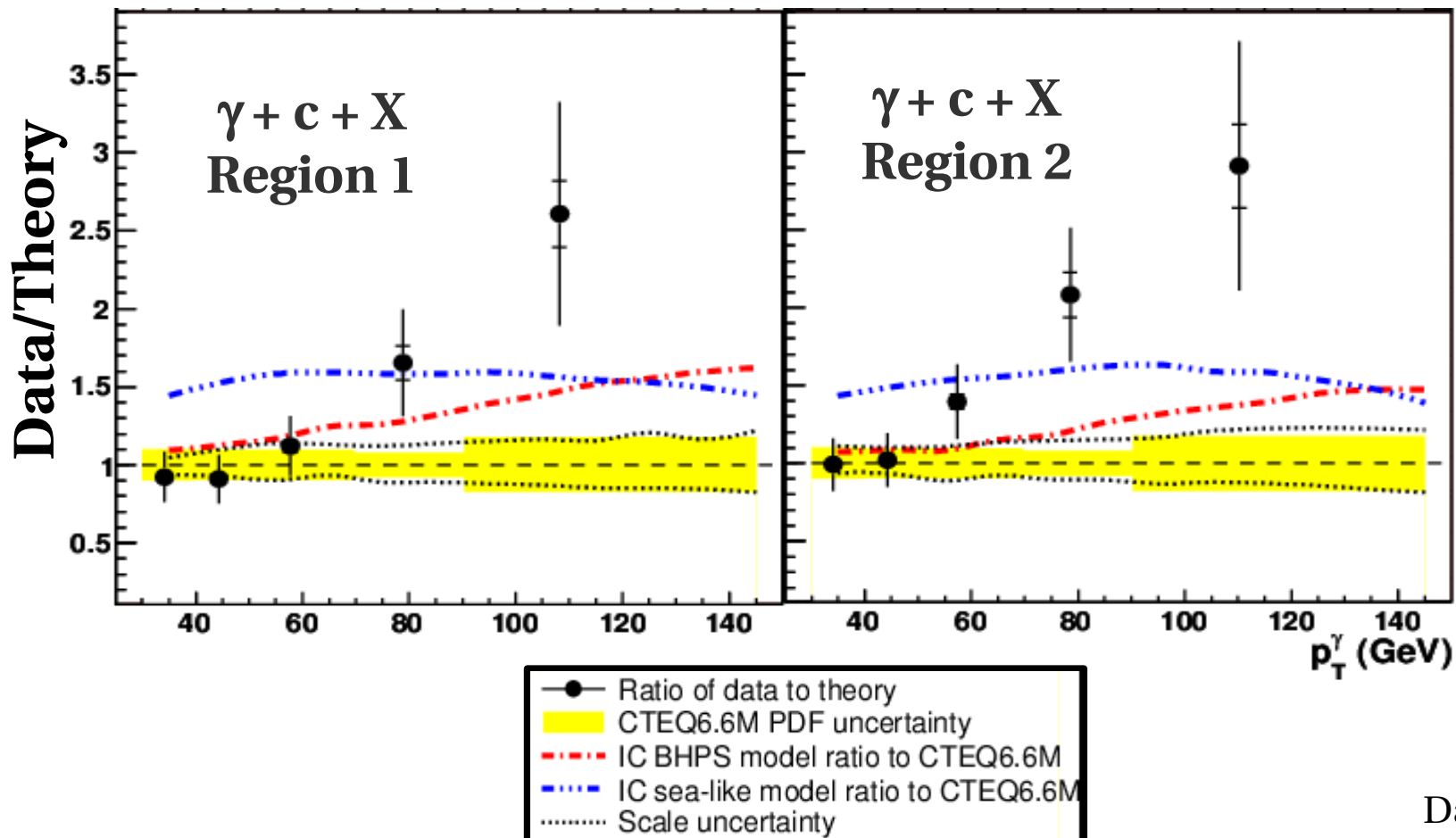
Data to Theory Ratios ($\gamma + b$ Jet)

- Overall agreement between data and theory is very good within the given uncertainties
 - Agreement is seen across all photon p_T 's in both rapidity regions



Data to Theory Ratios ($\gamma + c$ Jet)

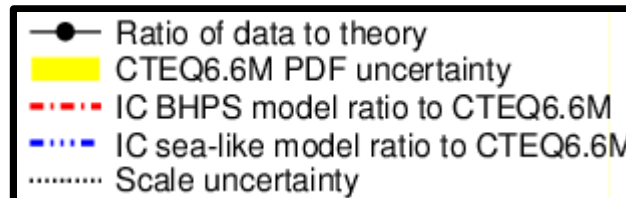
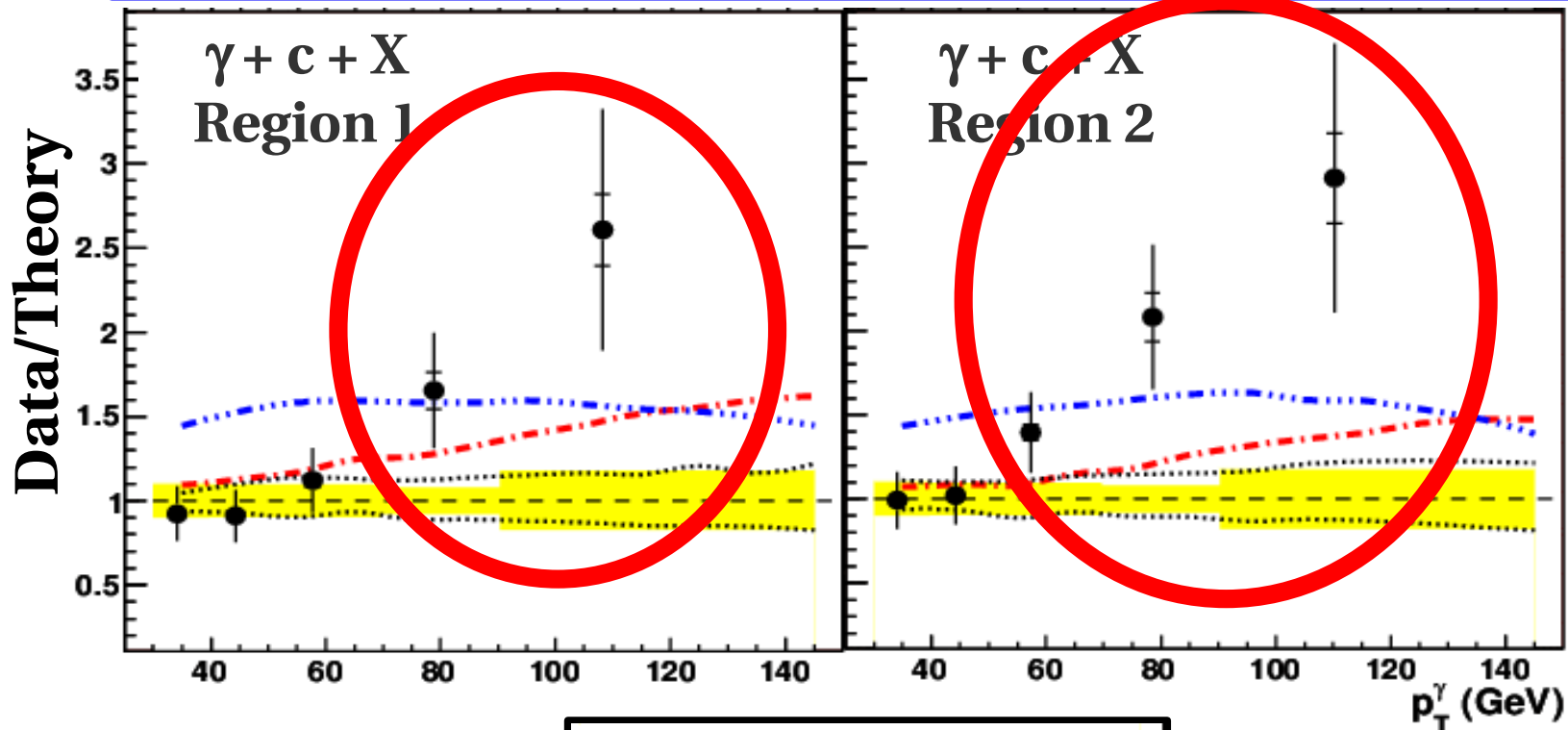
- Discrepancy between data and theory is present for photon $p_T > 70$ GeV in **both Region 1 and Region 2**
 - Comparisons to CTEQ PDF sets with intrinsic charm are included



Data to Theory Ratios ($\gamma + c$ Jet)

Explaining the Difference

- ◆ Sign of intrinsic charm?
- ◆ Under-estimate of the $g \rightarrow c\bar{c}$ fraction?
- ◆ ??????





Conclusions

- This measurement is the first differential one of either the $\gamma + b + X$ or $\gamma + c + X$ cross sections ever at a hadron collider
 - New combination of techniques made measurement possible
 - $\gamma + b$ jet cross section shows agreement in both regions
 - $\gamma + c$ jet cross section shows agreement until $p_T^\gamma \sim 70$ GeV
 - Possible explanations for the disagreement
 - Intrinsic charm component to the proton
 - Incorrect gluon splitting function $g \rightarrow c\bar{c}$
- More information can be found at:
 - <http://arxiv.org/abs/0901.0739>
 - <http://www-d0.fnal.gov/Run2Physics/WWW/results/final/QCD/Q09A/>



Backup Slides



Event Selection

- Entire RunIIa dataset is used: $\sim 1 \text{ fb}^{-1}$
 - Require **at least one unprescaled EM trigger** to be fired
 - At least one photon candidate and good hadronic jet
 - Photon candidate and jet isolated from each other (**$dR > 0.7$**)
- At least one primary vertex
 - Primary vertex z position: **$|z_{PV}| < 35 \text{ cm}$**
 - Primary vertex # of tracks: **$N_{\text{Tracks}} \geq 3$**
- Low missing transverse energy
 - MET criteria: **$E_T^{\text{MISS}} < 0.7 * p_T^\gamma$**



Photon Selection

- **Using p17 certified Photon ID criteria (D0Note 4976)**
 - **At least one photon candidate must pass:**
 - $P_T > 30 \text{ GeV}$
 - $|y_\gamma| < 1.0$
 - $ID = 10, \pm 11$
 - In both eta and phi fiducial regions
 - EM fraction > 0.96
 - Fractional isolation < 0.07
 - Prob of track matched chi squared < 0.001
 - 3rd layer of EM shower width $< 14\text{cm}^2$
- **Additional requirements on photon selection**
 - Photon neural network output > 0.7
 - **Primary vertex z requirement** using “**photon pointing**”
 - $|PV_z^{\text{EVENT}} - PV_z^\gamma| < 10 \text{ cm}$ (matched CPS cluster)
 - $|PV_z^{\text{EVENT}} - PV_z^\gamma| < 32 \text{ cm}$ (NO matched CPS cluster)

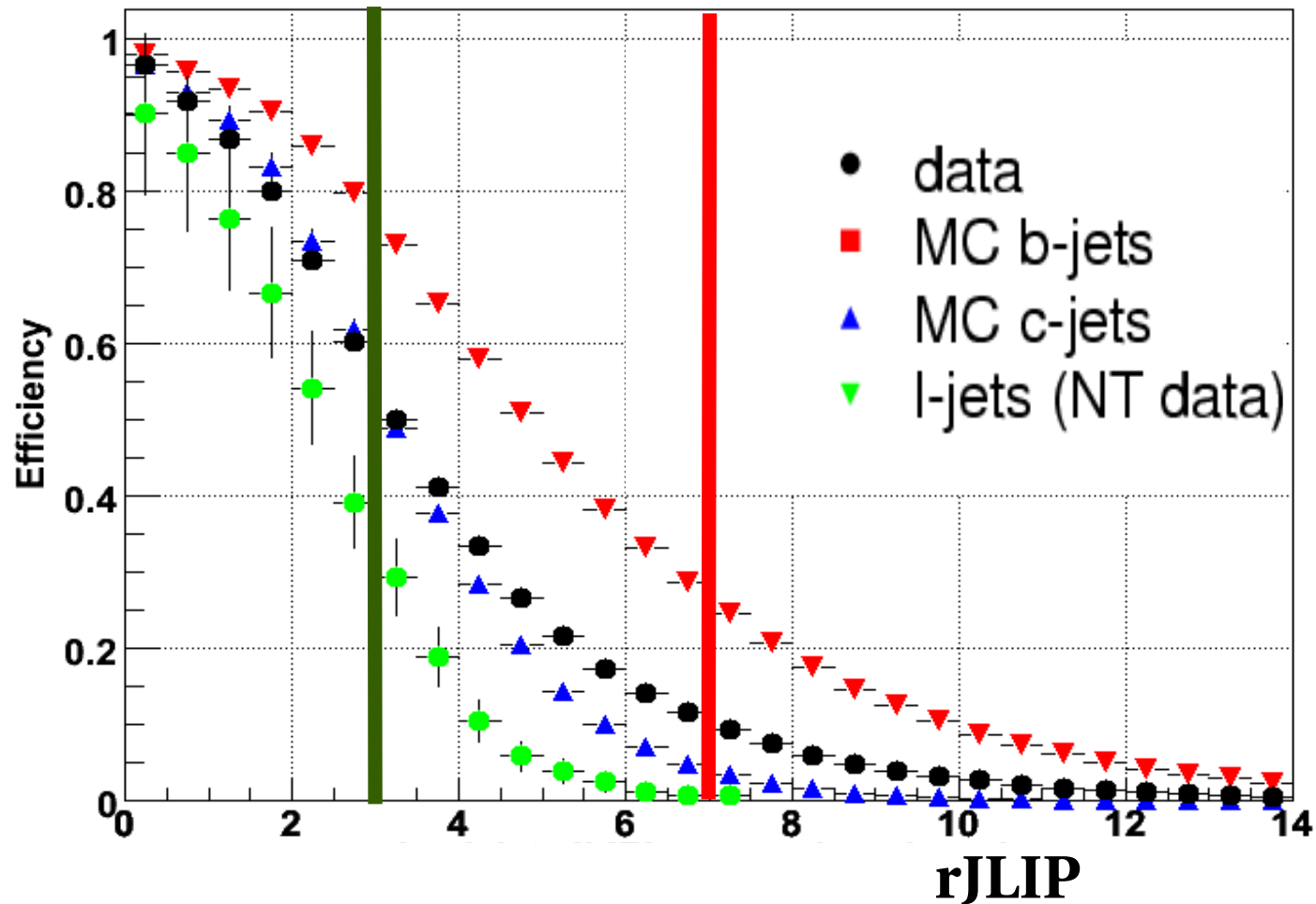


Jet Selection

- **Leading p_T jet must satisfy the following:**
 - **Standard jet selection:**
 - $|y_{\text{jet}}| < 0.8$
 - $p_T > 15.0 \text{ GeV}$
 - **Final p17 JES corrections applied**
 - Reconstructed with **JCCB** algorithm
 - Is flagged as **IsGoodJet**
 - **Additional b jet tagging requirements:**
 - Jet must be **taggable**
 - b jet neural network **bNN** > 0.85
 - $0 \leq \text{JLIP}_{\text{REDUCED}} \leq 1$
(See slide 16)

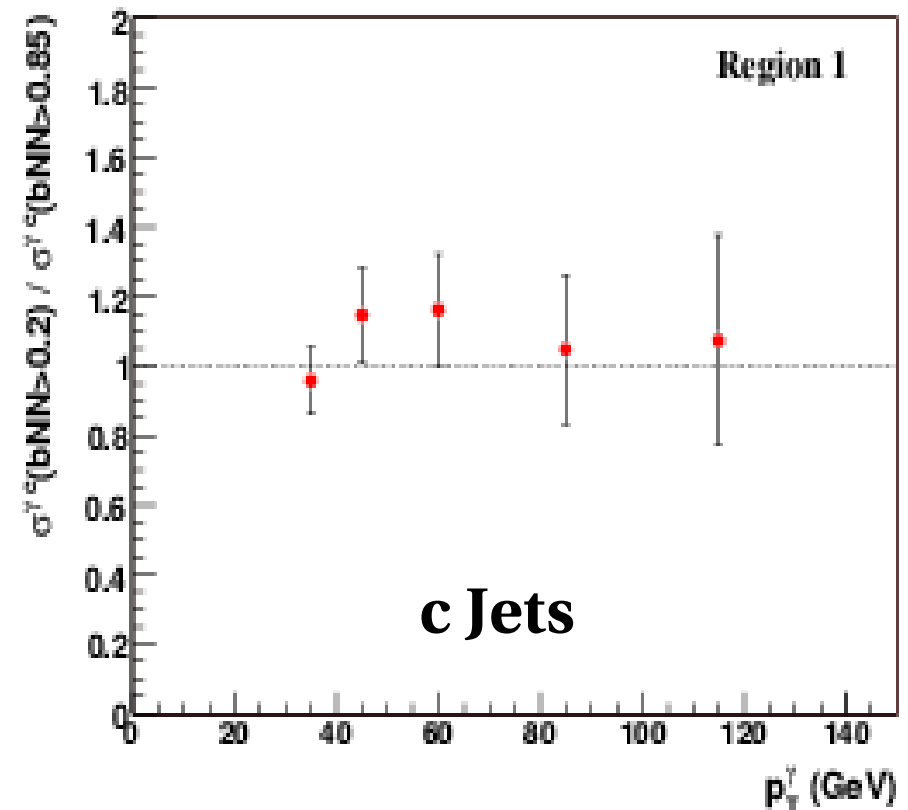
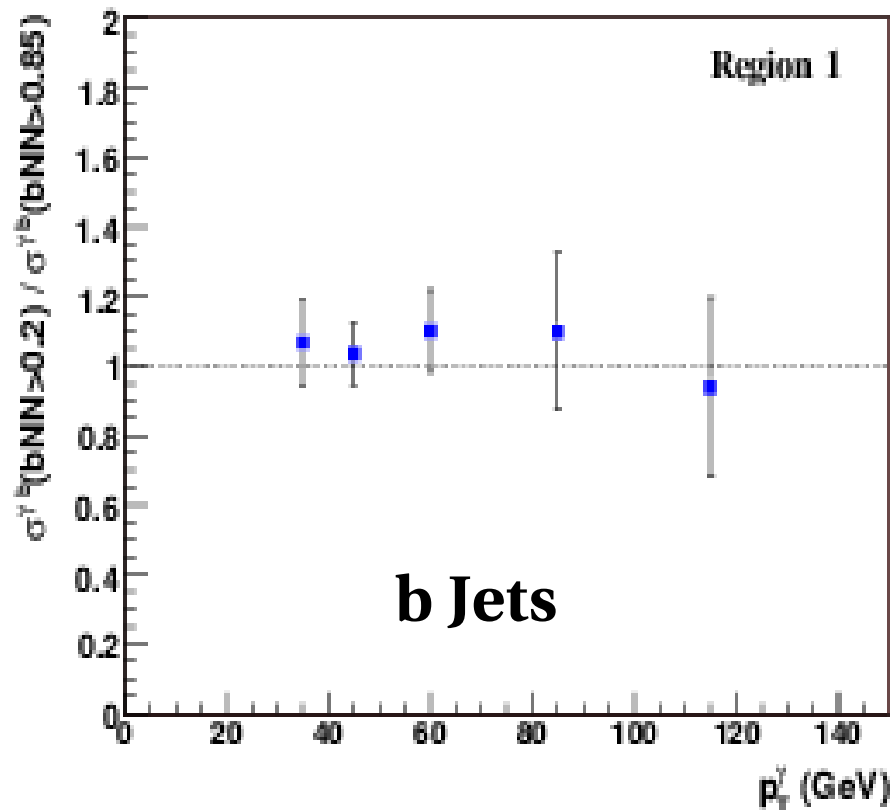
rJLIP Flavor Efficiencies

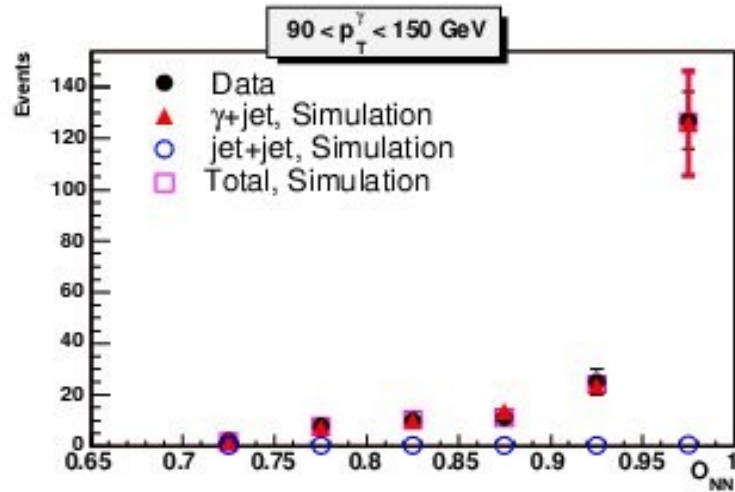
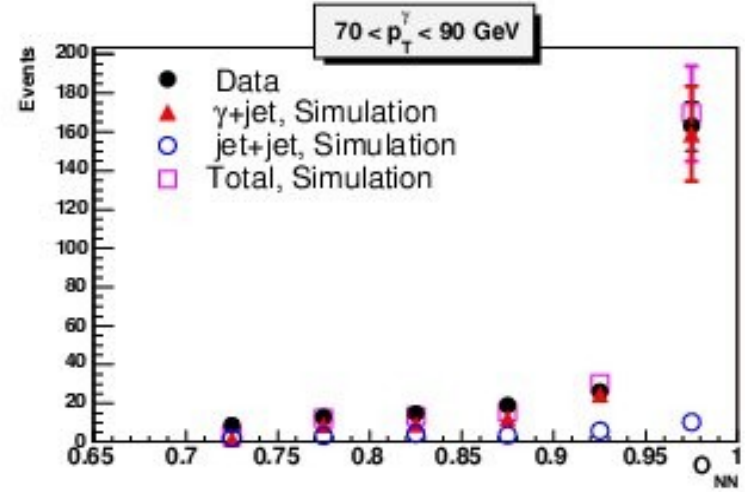
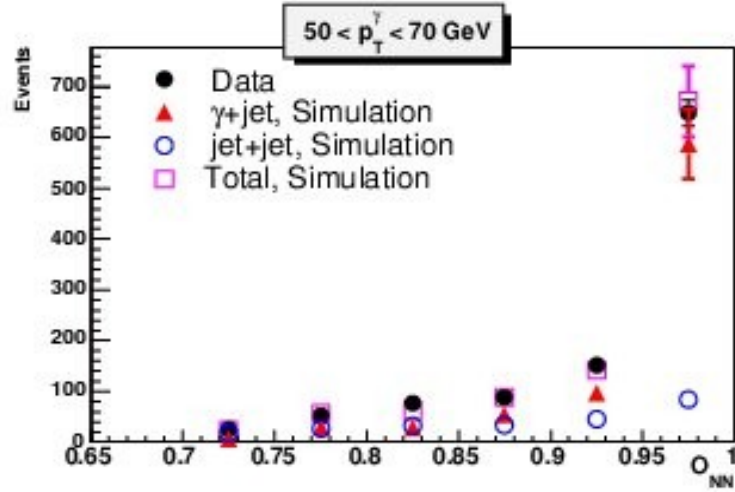
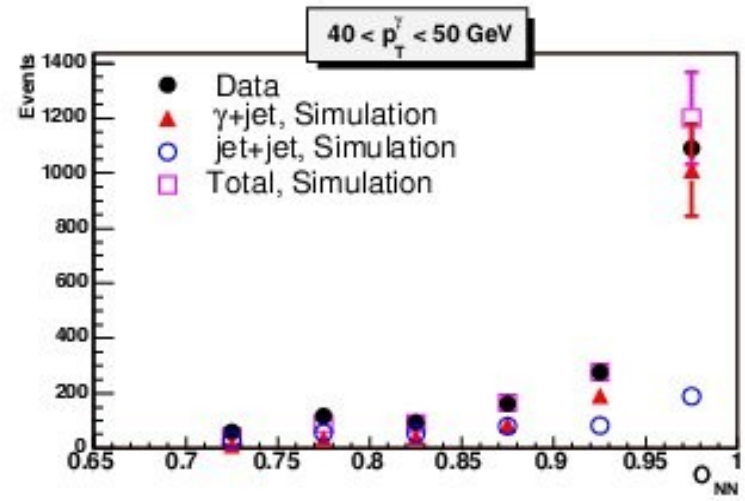
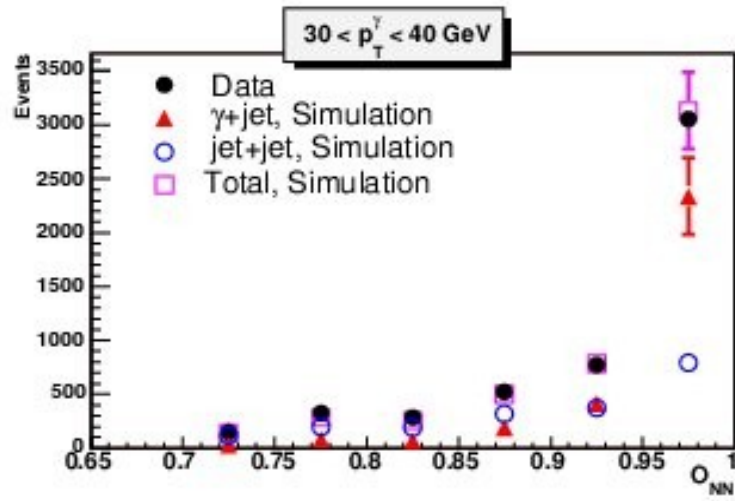
- For the efficiency method to be effective, the relative change in efficiencies between points should be adequately different



bNN 0.20 and bNN 0.85

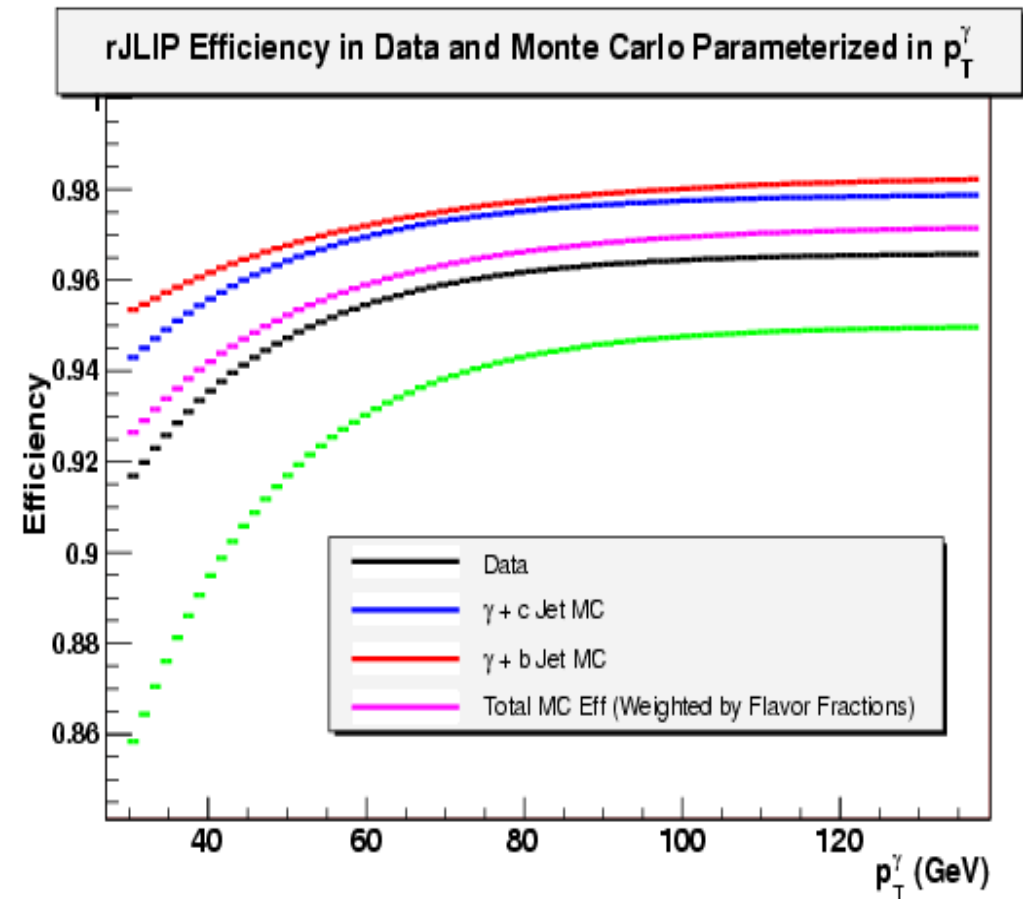
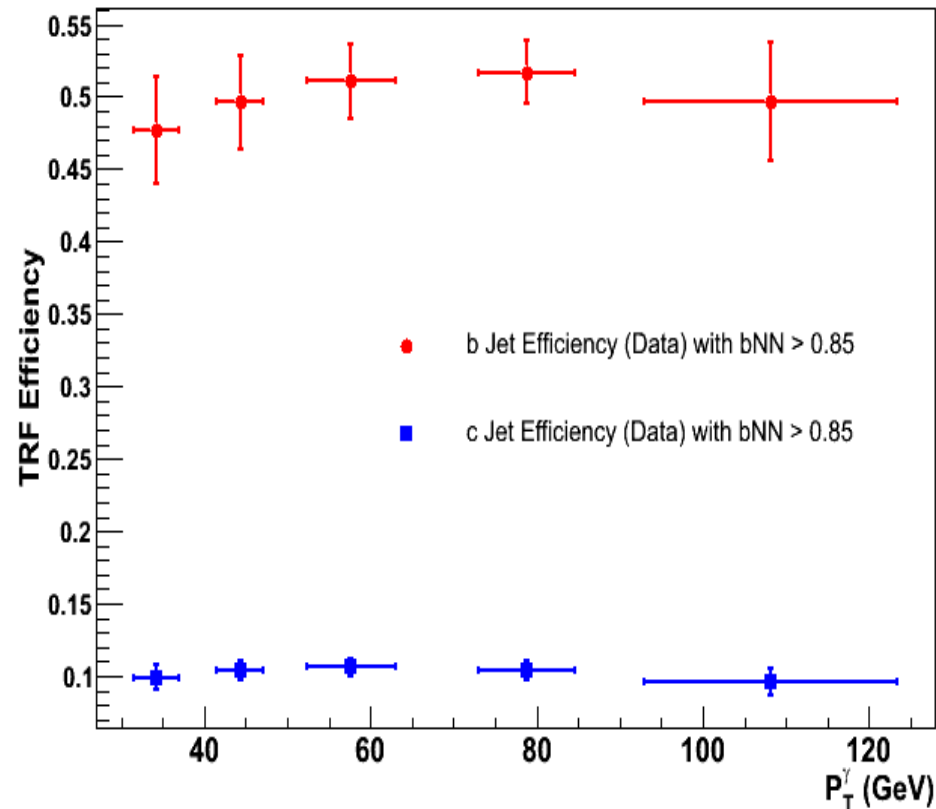
- We can also recalculate our cross sections from the $bNN > 0.20$ operating point and compare to the $bNN > 0.85$ case
 - We see very similar agreement for Region 1





bNN and JLIP Efficiencies

- Efficiencies for b (c) jets to pass bNN > 0.85 from Monte Carlo
- Efficiencies for rJLIP to exist in light, c and b jet Monte Carlo and data
 - To estimate data/MC agreement, MC efficiencies are weighted by their flavor fractions (coming up)
 - Agreement is within ~1.5%



Photon Eff. and Acceptance

